

Program 1:

Implement and Demonstrate Depth First Search Algorithm on Water Jug Problem

```
class State:
    def __init__(self, jug1, jug2):
        # Initialize the state of the jugs
        self.jug1 = jug1 # Amount of water in jug1
        self.jug2 = jug2 # Amount of water in jug2

    def __eq__(self, other):
        # Define equality of states
        return self.jug1 == other.jug1 and self.jug2 == other.jug2

    def __hash__(self):
        # Define hash function for states
        return hash((self.jug1, self.jug2))

def dfs(start, target, visited):
    # Check if a state is the goal state
    if start == target:
        return [start] # If the current state is the target state, return it

    visited.add(start) # Add the current state to visited states

    for next_state in get_successors(start): # For each possible next state
        if next_state not in visited: # If the next state has not been visited
            path = dfs(next_state, target, visited) # Recursively call DFS on the next state
            if path: # If a solution path is found
                return [start] + path # Return the current state and the solution path
    return None # If no solution path is found, return None

def get_successors(state):
    # Generate successor states from a given state
    successors = [] # List to store successor states

    # Fill jug1 (fill jug1 to its capacity, which is 3)
    if state.jug1 < 3:
        successors.append(State(jug1=3, jug2=state.jug2))

    # Fill jug2 (fill jug2 to its capacity, which is 4)
    if state.jug2 < 4:
        successors.append(State(jug1=state.jug1, jug2=4))

    # Empty jug1 (empty jug1 to 0)
    if state.jug1 > 0:
        successors.append(State(jug1=0, jug2=state.jug2))

    # Empty jug2 (empty jug2 to 0)
    if state.jug2 > 0:
        successors.append(State(jug1=state.jug1, jug2=0))

    # Pour jug1 to jug2
    pour_amount = min(state.jug1, 4 - state.jug2) # Amount that can be poured from jug1 to jug2
    if pour_amount > 0:
```

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        successors.append(State(jug1=state.jug1 - pour_amount, jug2=state.jug2 +
pour_amount))

    # Pour jug2 to jug1
    pour_amount = min(state.jug2, 3 - state.jug1) # Amount that can be poured from jug2 to
jug1
    if pour_amount > 0:
        successors.append(State(jug1=state.jug1 + pour_amount, jug2=state.jug2 -
pour_amount))

    return successors

def print_solution(path):
    # Print the solution path
    print("Solution:")
    for i, state in enumerate(path):
        print(f"Step {i}: Jug1={state.jug1}, Jug2={state.jug2}")

def main():
    # Initial state of the jugs
    start_state = State(jug1=0, jug2=0)

    # Target state we want to achieve (2 units in jug1 and 0 units in jug2)
    target_state = State(jug1=2, jug2=0)

    # Set to store visited states
    visited = set()

    # Find solution using DFS
    path = dfs(start_state, target_state, visited)

    if path: # If solution path is found
        print_solution(path) # Print the solution path
    else: # If no solution path is found
        print("No solution found.")

if __name__ == "__main__":
    main()

```

```
81     print_solution(path) # Print the solution path
82     else: # If no solution path is found
83         print("No solution found.")
84
85 if __name__ == "__main__":
86     main()
87
```

Solution:

Step 0: Jug1=0, Jug2=0
Step 1: Jug1=3, Jug2=0
Step 2: Jug1=3, Jug2=4
Step 3: Jug1=0, Jug2=4
Step 4: Jug1=3, Jug2=1
Step 5: Jug1=0, Jug2=1
Step 6: Jug1=1, Jug2=0
Step 7: Jug1=1, Jug2=4
Step 8: Jug1=3, Jug2=2
Step 9: Jug1=0, Jug2=2
Step 10: Jug1=2, Jug2=0

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Program 2: Implement and Demonstrate Best First Search Algorithm on Missionaries-Cannibals Problems using Python

Program-3: Implement A* Search algorithm

```
import heapq

class Node:
    """Class representing a node in the search tree."""
    def __init__(self, state, parent=None):
        self.state = state # (x, y) position
        self.parent = parent # Parent node
        self.g = 0 # Cost from start node to current node
        self.h = 0 # Estimated cost from current node to goal node

    def __lt__(self, other):
        """Compare nodes based on their f-score (g + h)."""
        return (self.g + self.h) < (other.g + other.h)

def astar(start, goal, get_neighbors, heuristic):
    """A* Search Algorithm"""
    open_list = [] # Priority queue for nodes to be evaluated
    closed_set = set() # Set of evaluated nodes

    start_node = Node(start)
    start_node.h = heuristic(start, goal)
    heapq.heappush(open_list, start_node) # Add start node to open list

    while open_list:
        current_node = heapq.heappop(open_list) # Get node with lowest f-score

        if current_node.state == goal:
            # Goal reached, construct path
            path = []
            while current_node:
                path.append(current_node.state)
                current_node = current_node.parent
            return path[::-1] # Reverse to get path from start to goal

        closed_set.add(current_node.state)

        for neighbor in get_neighbors(current_node.state):
            if neighbor in closed_set:
                continue # Skip already evaluated nodes

            tentative_g = current_node.g + 1 # Assuming uniform cost

            neighbor_node = Node(neighbor, current_node)
            neighbor_node.g = tentative_g
            neighbor_node.h = heuristic(neighbor, goal)

            # Ensure that the node is updated if a better path is found
            in_open_list = False
            for node in open_list:
                if node.state == neighbor:
                    in_open_list = True
                    if tentative_g < node.g:
                        node.g = tentative_g
                        node.parent = current_node
                    break

            if not in_open_list:
                heapq.heappush(open_list, neighbor_node)
```

```

return None # No path found

def manhattan_distance(state, goal):
    """Heuristic function: Manhattan distance."""
    return abs(state[0] - goal[0]) + abs(state[1] - goal[1])

def get_neighbors(state):
    """Generate valid neighboring positions on a 5x5 grid."""
    x, y = state
    neighbors = []
    for dx, dy in [(-1, 0), (1, 0), (0, -1), (0, 1)]: # Up, Down, Left, Right
        new_x, new_y = x + dx, y + dy
        if 0 <= new_x < 5 and 0 <= new_y < 5: # Keep within 5x5 grid bounds
            neighbors.append((new_x, new_y))
    return neighbors

def print_solution(path):
    """Print the solution path."""
    if path:
        print("Solution Found:")
        for step, state in enumerate(path):
            print(f"Step {step}: {state}")
    else:
        print("No solution found.")

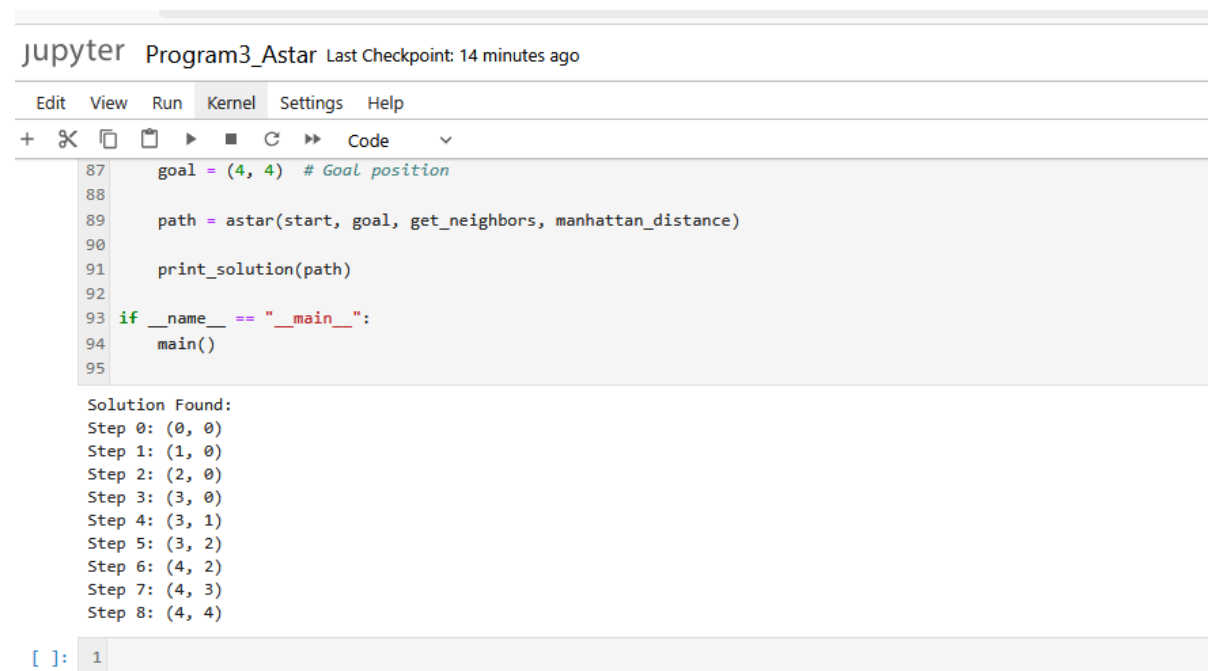
def main():
    start = (0, 0) # Starting position
    goal = (4, 4) # Goal position

    path = astar(start, goal, get_neighbors, manhattan_distance)

    print_solution(path)

if __name__ == "__main__":
    main()

```



The screenshot shows a Jupyter Notebook window titled "Program3_Astar" with a last checkpoint of 14 minutes ago. The interface includes tabs for Edit, View, Run, Kernel, Settings, and Help. Below the tabs is a toolbar with icons for adding, deleting, and running code cells. The code cell contains the same Python code as shown in the previous block. The output of the code is displayed below the cell, showing the solution path found.

```

87 goal = (4, 4) # Goal position
88
89 path = astar(start, goal, get_neighbors, manhattan_distance)
90
91 print_solution(path)
92
93 if __name__ == "__main__":
94     main()
95
Solution Found:
Step 0: (0, 0)
Step 1: (1, 0)
Step 2: (2, 0)
Step 3: (3, 0)
Step 4: (3, 1)
Step 5: (3, 2)
Step 6: (4, 2)
Step 7: (4, 3)
Step 8: (4, 4)

```

At the bottom of the notebook, there is a prompt "[]: 1" indicating the next step in the execution.

Program 4: Implement AO* Search algorithm

```
import heapq

class Node:
    """A class representing a node in the search tree."""
    def __init__(self, state, parent=None):
        self.state = state # Current state of the node
        self.parent = parent # Parent node
        self.g = 0 # Cost from start node to current node
        self.h = 0 # Heuristic estimate from current node to goal node
        self.f = 0 # Total estimated cost (g + h)

    def __lt__(self, other):
        """Comparison function for priority queue (min heap)."""
        return self.f < other.f

def ao_star(start, goal, get_neighbors, heuristic):
    """AO* search algorithm."""
    open_list = [] # Priority queue for nodes to be evaluated
    open_dict = {} # Dictionary to track nodes in open_list
    closed_set = set() # Set of nodes already evaluated

    # Initialize start node
    start_node = Node(state=start)
    start_node.h = heuristic(start, goal)
    start_node.f = start_node.g + start_node.h
    heapq.heappush(open_list, start_node)
    open_dict[start] = start_node

    while open_list:
        current_node = heapq.heappop(open_list)
        open_dict.pop(current_node.state, None) # Remove from tracking

        if current_node.state == goal:
            # Goal reached, reconstruct the path
            path = []
            while current_node:
                path.append(current_node.state)
                current_node = current_node.parent
            path.reverse()
            return path

        closed_set.add(current_node.state)

        for neighbor_state in get_neighbors(current_node.state):
            if neighbor_state in closed_set:
                continue # Skip already evaluated nodes

            # Compute tentative cost
            tentative_g = current_node.g + 1 # Assuming uniform step cost

            if neighbor_state in open_dict:
                neighbor_node = open_dict[neighbor_state]
                if tentative_g < neighbor_node.g:
                    neighbor_node.g = tentative_g
                    neighbor_node.f = neighbor_node.g + neighbor_node.h
                    neighbor_node.parent = current_node
                    heapq.heapify(open_list) # Re-sort priority queue
            else:
```

```

        # Create new node
        neighbor_node = Node(state=neighbor_state, parent=current_node)
        neighbor_node.g = tentative_g
        neighbor_node.h = heuristic(neighbor_state, goal)
        neighbor_node.f = neighbor_node.g + neighbor_node.h
        heapq.heappush(open_list, neighbor_node)
        open_dict[neighbor_state] = neighbor_node

    return None # No path found

def manhattan_distance(state, goal):
    """Heuristic function: Manhattan distance."""
    return abs(state[0] - goal[0]) + abs(state[1] - goal[1])

def get_neighbors(state):
    """Get neighboring states (moving up, down, left, right in a 5x5 grid)."""
    x, y = state
    neighbors = []
    for dx, dy in [(-1, 0), (1, 0), (0, -1), (0, 1)]:
        new_x, new_y = x + dx, y + dy
        if 0 <= new_x < 5 and 0 <= new_y < 5: # Grid boundaries
            neighbors.append((new_x, new_y))
    return neighbors

def print_solution(path):
    """Print the solution path."""
    print("Solution Path:")
    for i, state in enumerate(path):
        print(f"Step {i}: {state}")

def main():
    """Example problem: Find path in a 5x5 grid."""
    start = (0, 0)
    goal = (4, 4)
    path = ao_star(start, goal, get_neighbors, manhattan_distance)
    if path:
        print_solution(path)
    else:
        print("No solution found.")

if __name__ == "__main__":
    main()

```


Programs_Astar

localhost:8890/notebooks/Program3_Astar.ipynb

jupyter Program3_Astar Last Checkpoint: 19 minutes ago

File Edit View Run Kernel Settings Help

```
93 path = ao_star(start, goal, get_neighbors, manhattan_distance)
94 if path:
95     print_solution(path)
96 else:
97     print("No solution found.")
98
99 if __name__ == "__main__":
100     main()
101
```

Solution Path:
Step 0: (0, 0)
Step 1: (1, 0)
Step 2: (2, 0)
Step 3: (3, 0)
Step 4: (3, 1)
Step 5: (3, 2)
Step 6: (4, 2)
Step 7: (4, 3)
Step 8: (4, 4)

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Program 5: Solve 8-Queens Problem with suitable assumptions

```
def is_safe(board, row, col):
    """Check if a queen can be placed at (row, col)"""
    for i in range(row):
        # Check same column
        if board[i] == col:
            return False
        # Check upper left diagonal
        if board[i] == col - (row - i):
            return False
        # Check upper right diagonal
        if board[i] == col + (row - i):
            return False
    return True

def solve_queens(board, row, solution_count):
    """Backtracking function to place queens on the board."""
    if row >= 8: # Base case: All queens are placed
        solution_count[0] += 1 # Increment solution count
        if solution_count[0] == 1: # Print only the first solution
            print_board(board)
        return

    for col in range(8):
        if is_safe(board, row, col):
            board[row] = col # Place queen
            solve_queens(board, row + 1, solution_count) # Recursive call for next row
            board[row] = -1 # Backtrack if needed

def print_board(board):
    """Print the chessboard with queens placed."""
    for i in range(8):
        for j in range(8):
            if board[i] == j:
                print("Q", end=" ") # Print queen
            else:
                print(".", end=" ") # Print empty cell
        print()
    print() # Add space after solution

def main():
    """Main function to solve the 8-Queens problem."""
    board = [-1] * 8 # Initialize board with empty (-1)
    solution_count = [0] # List to hold solution count
    solve_queens(board, 0, solution_count)
    print(f"Total number of solutions: {solution_count[0]}")

if __name__ == "__main__":
    main()
```

```

41 """Main function to solve the 8-Queens problem
42 board = [-1] * 8 # Initialize board with empty cells
43 solution_count = [0] # List to hold solution count
44 solve_queens(board, 0, solution_count)
45 print(f"Total number of solutions: {solution_count[0]}")
46
47 if __name__ == "__main__":
48     main()
49

```

```

Q . . . . . . .
. . . . Q . . .
. . . . . . . Q
. . . . . Q . .
. . Q . . . . .
. . . . . . Q .
. Q . . . . . .
. . . Q . . . .

```

Total number of solutions: 92