```
-- 1
{-
LET True = \setminus x y. x
LET False = \setminus x y. y
LET xor = \addsolven b . a (b False True) b
xor False True =
(\a b . a (b False True) b) False True =
(\b . False (b False True) b) True =
False (True False True) True =
(\ x y. y) (True False True) True =
(\ y.\ y) True =
True
-}
-- 2
data Expr a
    = Var a
    | IVal Int
      Add (Expr a) (Expr a)
    deriving (Show,Eq)
cf :: Expr a -> Expr a
cf v@(Var _) = v
cf v@(IVal _) = v
cf(Add l r) =
    case (cf l, cf r) of
          (IVal ll, IVal rr) -> IVal (ll+rr)
          (lx,rx) \rightarrow Add lx rx
--3
{ -
and [] = True
and (x:xs) = x \&\& and xs
and xs = foldr (\&\&) True xs
                                             -- 3
foldr f z [] = z
foldr f z (x:xs) = f x (foldr f z xs)
1)
xs = []
L = and [] = |1
  = True
P = foldr (\&\&) True [] = |3|
 = True
L = P
2)
IH: and as = foldr (\&\&) True as
xs = (a:as)
L = and (a:as) = |2
  = a && and as = | IH
  = a && foldr (&&) True as = zavorky na zdurazneni priorit
  = a && (foldr (&&) True as) = |infix->prefix
  = (\&\&) a (foldr (\&\&) True as)
P = foldr (\&\&) True (a:as) = |4
  = (&&) a (foldr (&&) True as)
L = P
Q.E.D.
```

