## **Delta Debugging**

**Question 1.** Let c be a failing test case under consideration by the delta debugging minimization algorithm. Which of the following statements is necessarily true?

- A. If c is local minimum, it is also global minimum
- B. If c is local minimum, it is also 1-minimal
- C. If c is 1-minimal, it is also local minimum
- D. If c is 2-minimal, it is also 1-minimal
- E Whenever c is not 2-minimal, it is also not 1-minimal
- F. Whenever c is not 1-minimal, it is also not 2-minimal

**Question 2.** A program takes any input that is a string from the alphabet {1,2,3,4} (so the following are possible inputs: "1234", "113112", "21", "4", the empty string, etc). The program fails on the inputs "1234", "14", and the empty string; it does not fail on any others. Suppose we are given the failing input "1234" and seek to minimize it.

Define  $c_F = \{\delta_1, \delta_2, \delta_3, \delta_4\}$  where each elementary change  $\delta_x$  means to keep character x in the input (without altering the order of any remaining characters).

**a.** Fill in the blanks for the first two iterations of the delta-debugging algorithm in the table below.

Iteration	n	Δ	$\Delta_{1}, \Delta_{2},, \Delta_{n}, \nabla_{1}, \nabla_{2},, \nabla_{n}$
1	2	1234	
2			

**b.** What is the eventual output of the delta-debugging algorithm in this case?

**Question 3.** A program takes any input string consisting of letters a-z and numbers 0-9. The program fails any time the input contains two letters. For example, "123ab678" is a failing input string. Perform delta debugging on this input.

Iteration	n	Δ	Δ_1, Δ_2,, Δ_n, ∇_1, ∇_2,, ∇_n
1	2	123ab678	
2			
3			
4			
5			
6			
7			