

## Introduction to Software Testing

**Question 1.** Consider a program  $P$ , and two test suites,  $X$  and  $Y$  for  $P$ . Test suite  $X$  covers set of branches  $Q$  in the program, while test suite  $Y$  covers set of branches  $R$  in the program. Suppose  $Q$  is a proper subset of  $R$  ( $Q \subset R$ ). Which of the below statements are necessarily true?

- A. Whenever a test in  $Y$  reaches a statement, some test in  $X$  also reaches that statement.
- B. Whenever a test in  $X$  reaches a statement, some test in  $Y$  also reaches that statement.
- C. Test suite  $Y$  has strictly higher path coverage than test suite  $X$ .
- D. Test suite  $Y$  has strictly higher branch coverage than test suite  $X$ .

Answer: B, D

C is not a correct answer. It is possible for  $Y$  to cover more branches in a program than  $X$  without covering more paths through the program.

**Question 2.** Consider the Java function:

```
void copy(int[] src, int[] dst, int N) {  
    for (int i = 0; i < N; i++)  
        dst[i] = src[i];  
}
```

Which of the below predicates is the function's weakest possible precondition that prevent any null-pointer or array-out-of-bounds exceptions from being thrown?

**NOTE:** The expression  $X \Rightarrow Y$  is read: "X implies Y". It is equivalent to  $(\neg X) \vee Y$ .

- A.  $N \geq 0 \wedge \text{src} \neq \text{null} \wedge \text{dst} \neq \text{null} \wedge N < \text{src.length} \wedge N < \text{dst.length}$
- B.  $N \geq 0 \wedge \text{src} \neq \text{null} \wedge \text{dst} \neq \text{null} \wedge N < \text{src.length} \wedge \text{dst.length} = \text{src.length}$
- C.  $N > 0 \Rightarrow (\text{src} \neq \text{null} \wedge \text{dst} \neq \text{null} \wedge N < \text{src.length} \wedge N < \text{dst.length})$
- D.  $N > 0 \Rightarrow (\text{src} \neq \text{null} \wedge \text{dst} \neq \text{null} \wedge N < \text{src.length} \wedge \text{dst.length} = \text{src.length})$

Answer: C

**Question 3.** Consider a test suite consisting of three deterministic tests  $T_1, T_2, T_3$  for a correct program  $P$ . Since  $P$  is correct, it passes all the three tests. Suppose we have three mutants  $M_1, M_2, M_3$  of  $P$  such that:  $M_1$  fails  $T_1$  and  $T_2$ ;  $M_2$  fails none; and  $M_3$  fails  $T_2$  and  $T_3$ .

Let  $M = P$  denote that  $M$  and  $P$  are equivalent. Likewise, let  $M \neq P$  denote that they are NOT equivalent.

a. Could it be possible that  $M_1 = P$ ? Justify your answer.

Answer: No

**b.** Mutation analysis will report M2 to the tester since it does not fail any test in the test suite. Which of the following actions are plausible for the tester to take given this information?

- A. Determine if  $M2 \equiv P$ , and if so, devise a new test case T4 on which M2 passes but P fails.
- B. Determine if  $M2 \neq P$ , and if so, then ignore M2.
- C. Determine if  $M2 \neq P$ , and if so, devise a new test case T4 on which P passes but M2 fails.
- D. Determine if  $M2 \equiv P$ , and if so, ignore M2.

Answer: C, D