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	CA - 105		
*	Discrete Mathematics & Statistics.	26	D . 1 . 190
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	Syllabus, :	Notes &	102 1 10
		mix 9 7 8	
Unit①	Set theory & logic:		
2	Relation & Function		
(3)	counting & Probability.		
9	Oata Representation & Aggregation		Statistics.
6)	Correlation theory & Sampling.	Marie Wes	
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L C-1 Set theory & logic

• Set: Well defined collection of objects.

example -

0 N= { 11, 2, 3, 4, 5}

② x is a set of letters in the word 'COLLEGE'

X = { c, 0, L, E, G}

-> Representation of Set.

1) Listing method (Roster) (Roster)

2) Set - building form.

eg: 1) A = {x | x is a positive prime number less

A = {2,3,5,7,11,13,17,19}

2) A = {1,2,3,4,5}

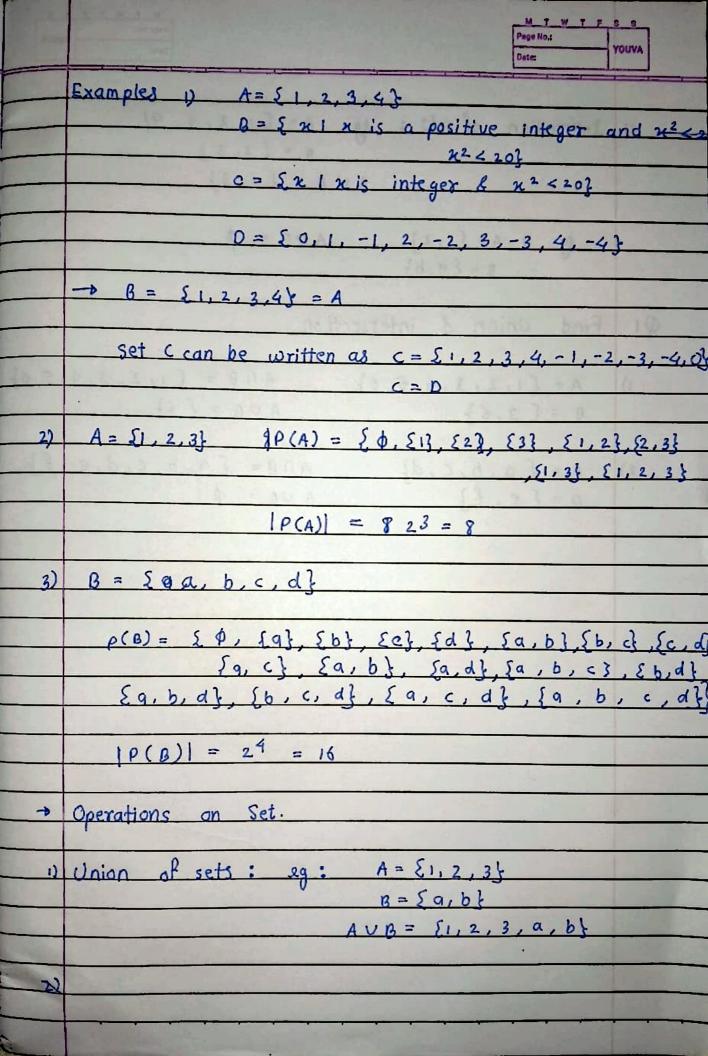
A = { x 1 x > 5 , x e N }

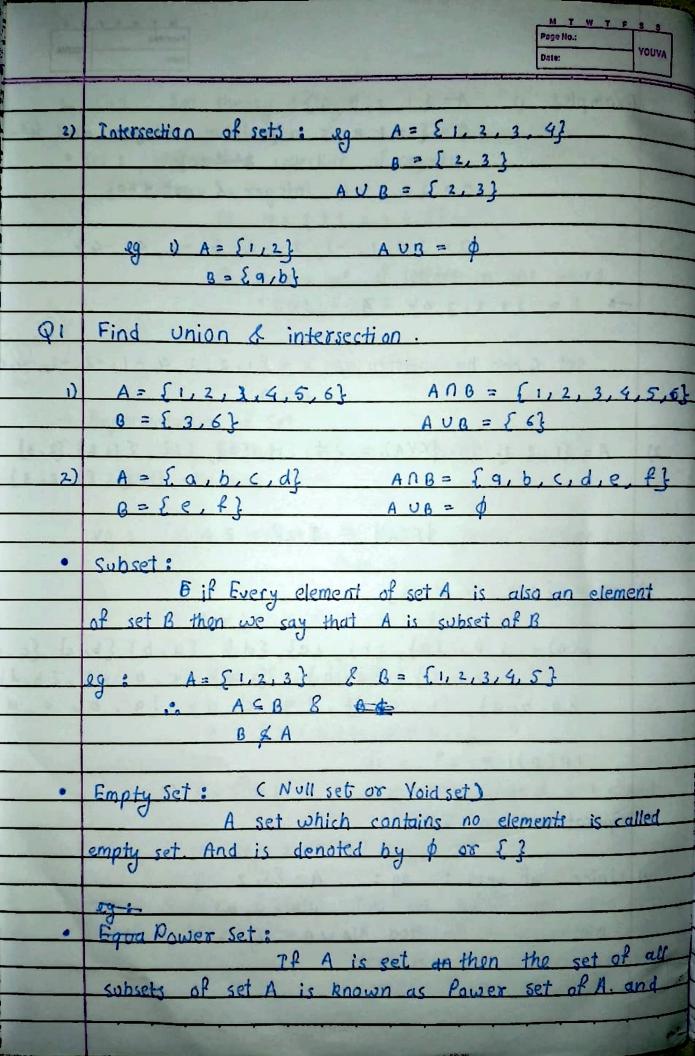
3) B= 5x1 x is +ve integer and x20 < 20}

B = 50,1,2,3,43

NOTE: Equality of Set: Two set A&B are called equal if both of them contain same elements, and in this case we

write A=B





it is written as P(A)

$$A = \{1, 2, 3\} \qquad P(A) = \{\phi, \{1\}, \{2\}, \{3\}, \{1, 2\}, \{1, 2\}, \{1, 2\}, \{1, 2\}, \{1, 2\}, \{1, 2, 3\}\}$$

n(A) = 3

$$= 2^3 = 8$$
.

· Carksian product. ?

$$A \times B = \{(x,y) \mid x \in A, y \in B\}$$

The cartesian product of set A & B is,

$$A \times B = \{ (a,1), (a,2), (b,1), (b,2), (c,1), (c,2) \}$$

$$A \times B = \{(2,a), (2,b), (2,c), | A \times B \} = 9$$

 $(4,9), (4,b), (4,c), (5,c) \}$

NOTE: if |A| = n & |B| = m then $|A \times B| = |A| \cdot |B| = m \cdot n$

eg exa: 0 A= {1,2,3,4} & B= \$3,4,5,6,7}

AUB = {3,4} {1,2,3,4,5,6,7}

 $A \cap B = \{3,4\}$ $A - B = \{5,6,7\} \{1,2\}$

 \emptyset $AB-A = {5,6,7}$

② A= (1,2,3,4,5,6) B= {4,5,6,7,8,9} Verify (A-B) U (B-A) = (AUB) - (ADB).

(H): A-B = { 1, 2, 3} B-A = { 7,8,9}

 $(A-B) \cup (B-A) = \{1,2,3,7,8,9\} - 0$

(RMS): (AUB) = {1,2,3,4,5,6,7,8,9}

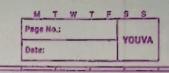
(A 1B) = {4,5,6}

(AUB) - (ANB) = &1, 2, 3, 7, 8, 9} - @

from 0 & @ we verify that

 $(A-B)\cup(B-A)=(A\cup B)-(A\cap B)$

· Symmetric Difference



$$A \oplus B = (A-B) \cup (B-A)$$

$$A = \{1, 2, 3, a, b, p\}$$

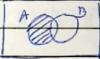
$$(A-B) = \{1,3,9,b\}$$

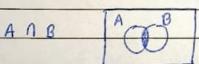
$$(B-A) = \{q, 8, m\}$$

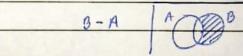
$$A \oplus B = \{1, 3, a, b\} \cup \{q, 8, m\}$$

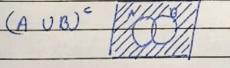
= \{1, 3, a, b, 8, q, m\}

· Venn Diagram.









A. De- Morgan's Law

 $x \in A^{c}$ and $x \in B^{c}$

KE ACUBC

1) (A OB) = AC UBC => This implies that

(AUB) = AC NBC AO(ANB) CEACUBC

=) let x \((A \(\text{A} \(\text{B} \) \) Homework

=> x & (A 1 B)

x & A and x & B

Page No.: YOUVA KEACUBC XEAC OF XEBC x € A OT X € B x & AAB x E (An B)c => This implies that ACUBCS (ANB)C - (3) from O & D we get that (AnB) = ACUBC

* Types of Sets. Logic : Propositional Law 1. Propositional Law 8 a) Proposition: A proposition is a declaritive sentence that is either true or false, but not both ex: 1) New Delhi is capital of India True 2) 2+3=5 True False. 3) 3+3=44) Washington D.C. is capital False. of Canada b) Propositional Variables & The variables that represent proposition is called proposition -al Variable.

anti	Page No.: Page No.: YOUVA	
	It is denoted by ratiobles letters p,q,r	11 /
★ 2)	a) Negation (NOT) / n) ex: p: "Today is Friday" p: "Today is not Friday" T F T F	
	b) Conjuction (AND / 1): Let \$ & q be two propositions the conjuction of \$p & q \text{denoted by}	92
	P P P P P P P P P P P P P P P P P P P	
Constant Con	c) Disjunction (OR /V): Let p an q and q he two propositions the disjunction of p and q is dan denote by p v q. The disjunction is true when any one of when hoth p and q are false and otherwise True.	-1-

