

The aim of the course is to present the basic methods and algorithms for solving common tasks computing.

### Requirements

- mathematical analysis,
- Algebra.

### The lecture

1. **Analysis of errors.** Numerical arithmetic. Conditioning tasks. numerical algorithms correct.
2. **Solving nonlinear equations.** The general theory of iterative methods. Methods: bisection, Newton and Secant.
3. **Interpolation.** Pattern Lagrange interpolation. The rest of the interpolation model. Pattern Newton interpolation. Interpolation using a third degree spline functions.
4. **Approximation.** Least squares method. Discrete approximation Mean by polynomials - orthogonal polynomials, theorem  $n$  - the polynomial optimal. Information about uniform approximation.
5. **Quadrature.** Squaring linear. The rest of the government and quadrature. Squaring the convergence of the sequence. Quadrature interpolation. Newton-Cotes quadrature. Designs made: trapezoidal and Simpson. Romberg method. Gauss quadrature-Legendre'a.
6. **Solving systems of linear equations.** Conditioning tasks. distribution matrix square on the triangular matrix product. Gaussian elimination.

### Literature

- AND. Björck, G. Dahlquist, *Numerical Methods*, PWN, 1987.
- G. Dahlquist, Å. Björck, Numerical methods in scientific computing, Vol. I, SIAM, 2008.
- M. Dryja, Ji M. Jankowski, *Overview of numerical methods and algorithms*, Man. 1 and 2, WNT, 1988.
- D. Kincaid, W. Cheney, *numerical Analysis*, WNT, 2005.
- J. Stoer, R. Bulirsch, *Introduction to numerical analysis*, PWN, 1987.