

Problem Statement:-

A double-ended (deque) is a linear list in which additions and deletions may be made at either end.

Objective :-

Understand how to perform insertion and deletion in double ended queue.

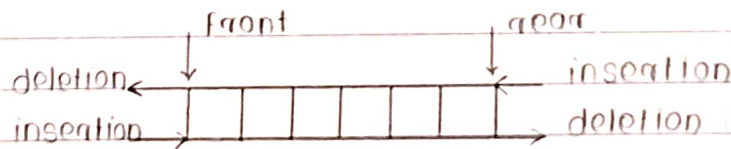
Outcome :-

Will be able to perform insertion and deletion in double ended queue.

Theory:-

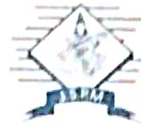
Deque is a data structure in which elements may be added to or deleted from the front or the rear. Like an ordinary queue, a double-ended queue is a data structure it supports the following operations: `end-front`, `enq-front`, `enq-back`, `deq-front`, `deq-back` and `empty`.

Deque can behave like a queue by using only `enq-front` and `deq-front`, and behaves like a stack by using only `enq-front` and `deq-rear`. The Dequeue is represented as follows.



Algorithm:-

Algorithm to add an element into Dequeue: Assumptions :
pointer `f, r` and initial values are `-1, -1` & `[]` is an array



max represent the size of a queue enq_front

Step 1: Start

Step 2: check the queue is full or not.

Step 3: If False update the pointer F as $F = F + 1$

Step 4: Insert the element at pointer f as $Q[F] = \text{element}$

Step 5: Stop enq_back

Step 1: Start

Step 2: check the queue is full or not as if $(F == \text{max} - 1)$ if yes queue is Full

Step 3: if False update the pointer α as $\alpha = \alpha + 1$

Step 4: insert the element at pointer α as $Q[\alpha] = \text{element}$

Step 5: Stop.

Algorithm to delete an element from the DeQueue deq_front

Step 1:- start

Step 2:- check the queue is empty or not as if $(F == \alpha)$ if yes queue is empty.

Step 3:- if false update pointer F as $F = F + 1$ and delete element $= Q[F]$

Step 4:- if $(F == \alpha)$ reset pointer F and α as $F = \alpha = -1$

Step 5:- Stop.

deq_back

Step 1: Start

Step 2: check the queue is empty or not as if $(F == \alpha)$ if yes queue empty.

Step 3: if False delete element at position α as $\text{element} = Q[\alpha]$

Step 4: Update pointer α as $\alpha = \alpha - 1$

Step 5: if $(F == \alpha)$ reset pointer F and α as $F = \alpha = -1$