

## NEET FARTIAFY 2021

**Physics** 

# **Motion in Straight Line**

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- D Questions on Magnitude of Vectors.
- 3 Subtraction of Vectors.
- 4) Rectangulus Component of Vector.

$$|R| = \sqrt{A^2 + B^2 + 2AB\cos\theta}$$

Maximum value of  $|\vec{R}|$  when  $\theta = 0^{\circ}$ 

$$\overrightarrow{R} = \overrightarrow{A} + \overrightarrow{B}$$

$$|R_{max}| = \sqrt{A^2 + B^2 + 2AB} = \sqrt{(A+B)^2}$$



· Maximum Value of

$$Cos(\theta) = +1$$

Minimum value of coso

$$Cos(\theta) = -1$$

· Minimum Value. of |R| when 
$$\theta = 180^{\circ}$$



$$|\vec{R}|_{min} = \sqrt{A^2 + B^2 + 2AB(os(180))}$$

$$\left| \overrightarrow{R} \right|_{\text{min}} = \sqrt{A^2 + B^2 + 2AB(-1)}$$

$$\left| \overrightarrow{R} \right|_{\text{min}} = \sqrt{A^2 + B^2 - 2AB}$$

$$|\vec{R}|_{min} = A-B$$

+ if 
$$\vec{R} = \vec{A} + \vec{B}$$
 then,

$$|A-B| \leq |\vec{R}| \leq |A+B|$$

$$4 \leq |\vec{R}| \leq |\vec{6}|$$

G: 
$$\rightarrow$$
 It  $|\vec{A}| = 10 \text{ units}$   
 $|\vec{B}| = 6 \text{ units}$ .

Then which of following can be Value of 
$$|R|=7$$

$$|\vec{R}|_{\text{max}} = 10+6 = 16 \text{ unit}$$

$$|\vec{R}|_{\text{min}} = |10-6| = 4$$

Q:7 if 
$$|\vec{A}| = 12$$
 units  $|\vec{B}| = 5$  units.

$$4 \vec{R} = \vec{A} + \vec{B},$$

then |R| can-not be equal to.



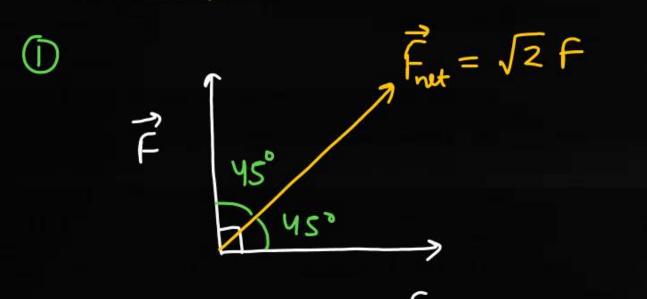
$$8 \leq |\hat{R}| \leq 32$$

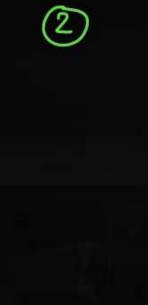
$$Q: \rightarrow If |\vec{A}| = 20 \text{ units}$$

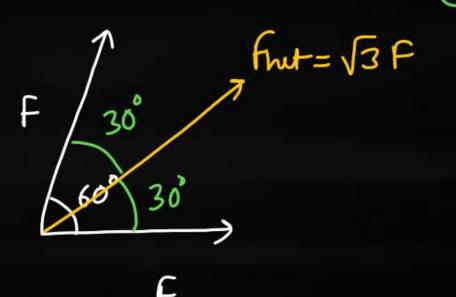
$$|\vec{B}| = 12 \text{ units}$$

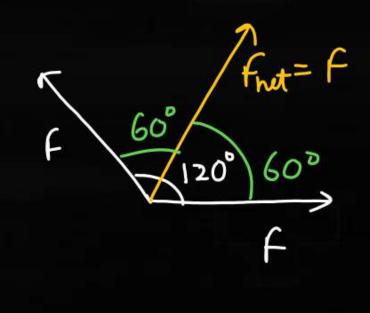






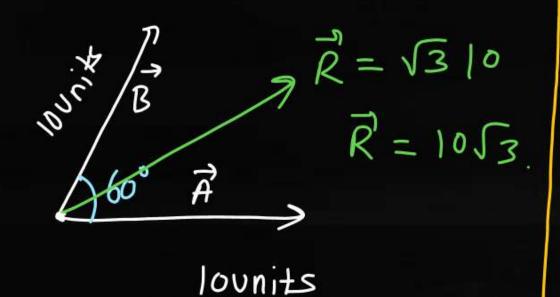






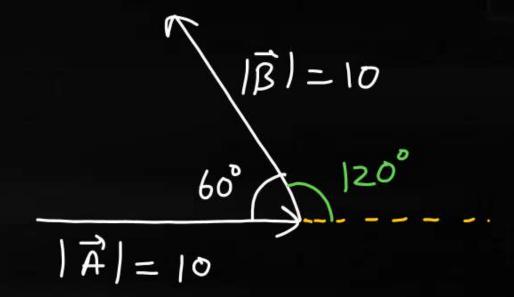
- · Two vectors of Equal Magnitude at θ = 90° Will have Resultant

  √2 f.
- · Two Vectors of equal Magnitude at 0=60Will have  $f_{RS} = \sqrt{3} F$ .
- · Two vectors of Equal Magnitude at 0=120° Will have Fit = F

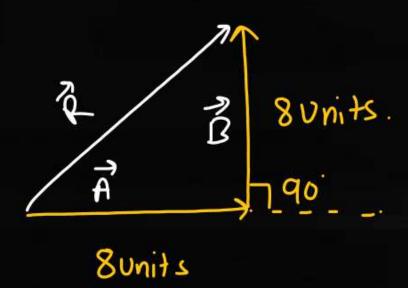




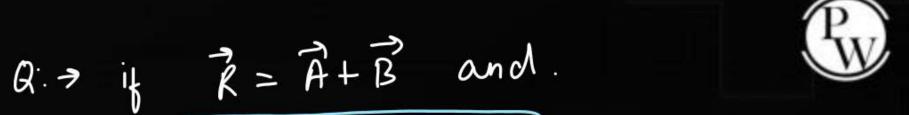
Q:



Logic 0 is 120° Not 60°



$$|\vec{R}| = \sqrt{2}(8)$$



$$|\vec{R}| = A + 13 \quad \text{and}$$

$$|\vec{R}| = \sqrt{A^2 + B^2}$$

Find Angle b/w \$\vec{A} 4 \vec{B}.

$$\sqrt{A^2 + B^2 + 2ABCOSO} = \sqrt{A^2 + B^2}$$

Squaring Both Side.

$$Cos\theta = 0 = ) \theta = 90^{\circ}$$



#### Subtraction of Vectors:



+> There is No Rule law for Subraction in Vectors Algebra.

$$\vec{R} = \vec{A} - \vec{B}$$

$$\vec{R} = \vec{A} + (-\vec{B})$$

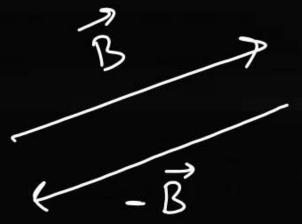
### Vector Quantity.

- (1) Quantities that Need Direction 4 Magnitude for complete Description.
- 2) Thy must follow vector Law of Alzebra.

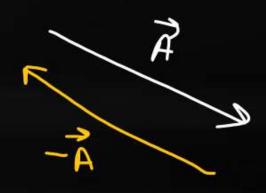
# Negative of Vector



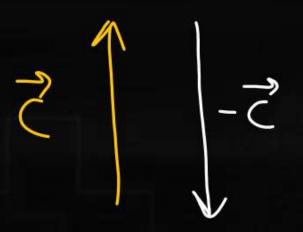
(1)



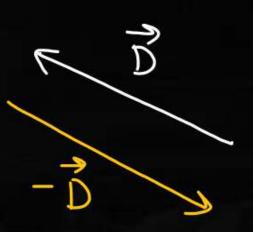
2



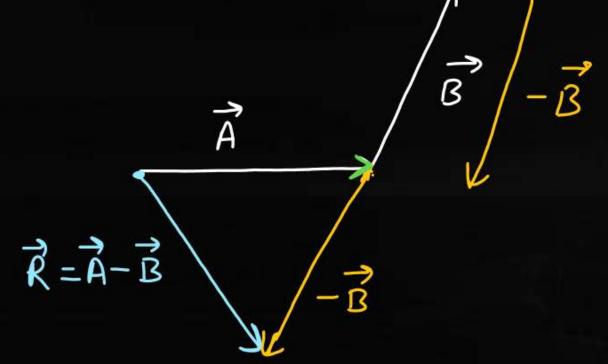
3



4

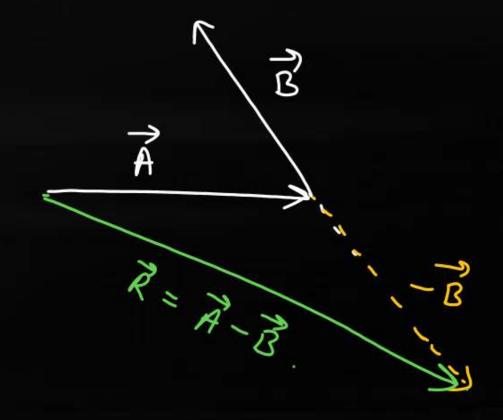


Q:  $\rightarrow$  Q: Drow  $\vec{R} = \vec{A} - \vec{B} = \vec{A} + (-\vec{B})$ 

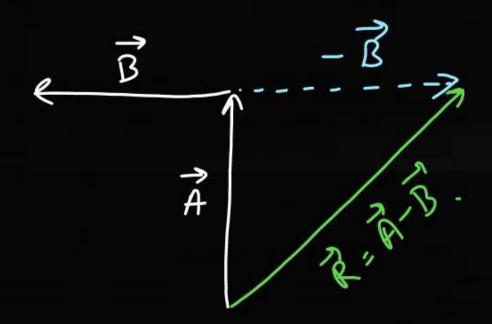


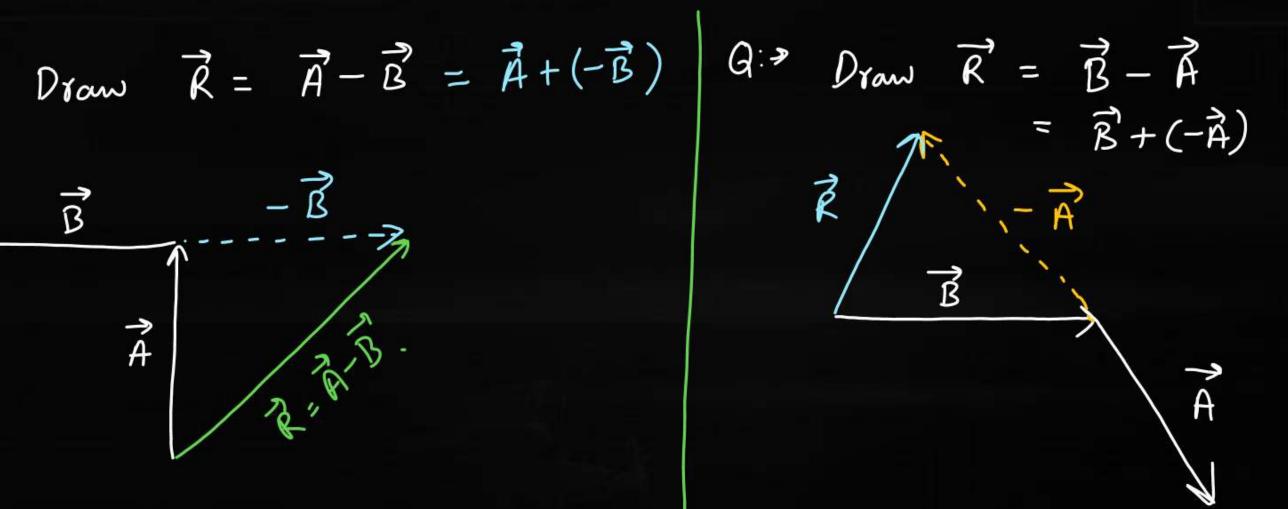
Q: > Draw  $\vec{R} = \vec{A} - \vec{B}$ 





Q:> Draw 
$$\vec{R} = \vec{A} - \vec{B} = \vec{A} + (-\vec{B})$$







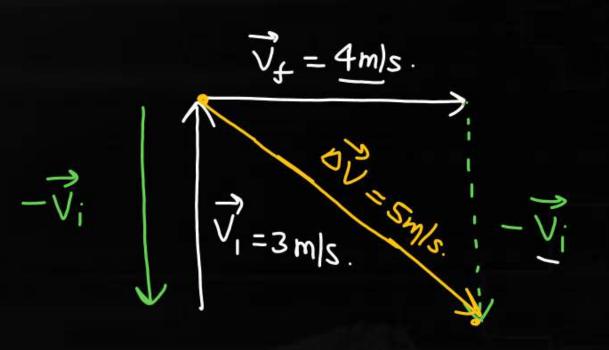
Q:> A man trauelling with 3mls Along North, turns towards

East and start walking with 4m/s. towards East.

find change in its Velocity.

$$\overrightarrow{\Delta V} = \overrightarrow{V_{+}} - \overrightarrow{V_{i}}$$

$$= \vec{V}_{f} + (-\vec{V}_{i})$$



$$|5V| = \sqrt{4^2 + 3^2}$$
  $|3m/s|$   
=  $\sqrt{16+9} = \sqrt{25} = 5$ 

initial

Pw

A man trambling with speed 6mls in East turns to wards

South and starts Moving with speed 4mls. find change in its Velocity.

$$\vec{\Delta}V = \vec{V}_{\pm} + (-\vec{V}_{i})$$

$$|\vec{\Delta}V| = \sqrt{4^2 + 6^2}$$

$$=\sqrt{16+36}$$

$$|\vec{\Delta}v| = \sqrt{52}(s-w)$$

$$\frac{1}{\sqrt{1}} = 6m/s$$

$$\frac{1}{\sqrt{1}} = 6m/s$$

$$-\sqrt{1} = 6m/s$$



A Boat travelling with speed 5m/s in North Direction turns Q∶→

towards West and Continue Moving with same speed.

find the change in its Velocity.

$$\Delta \vec{V} = \vec{V}_{+} - \vec{V}_{i}$$

$$= \vec{V}_{+} + (-\vec{V}_{i})$$

