

NEET FARTIAFY GIRGI

Physics

Motion in Straight Line

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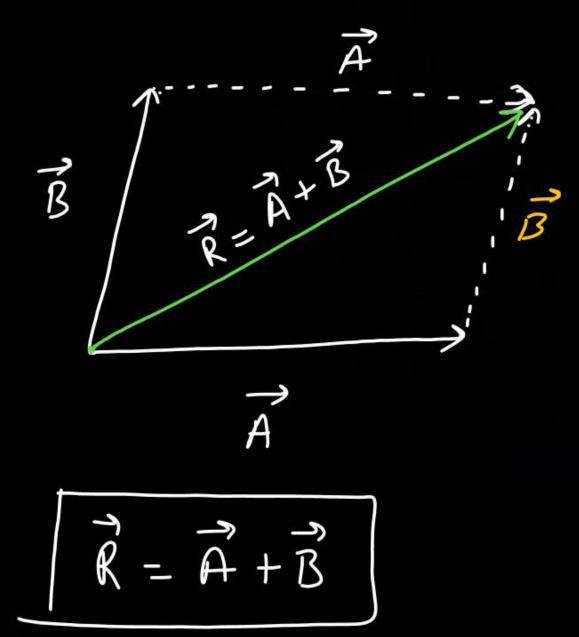




- Parallelogram lan Magnitude of Resultant.

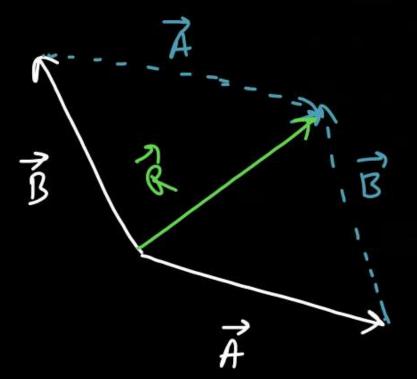


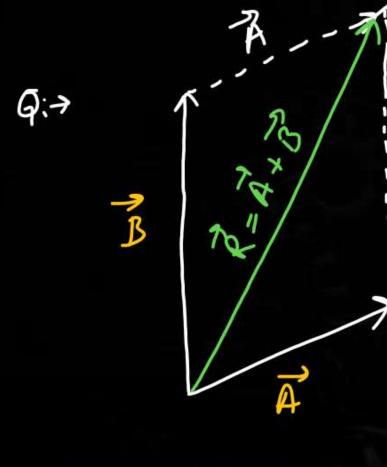
Parallelgram Law: If two vectors are Representing adjacent sides of Parallelogram then. There Resultant will be Diogonal Passing through intersection of original vectors. +> When (H-H) 68 (T-T) are joined.





Q:>





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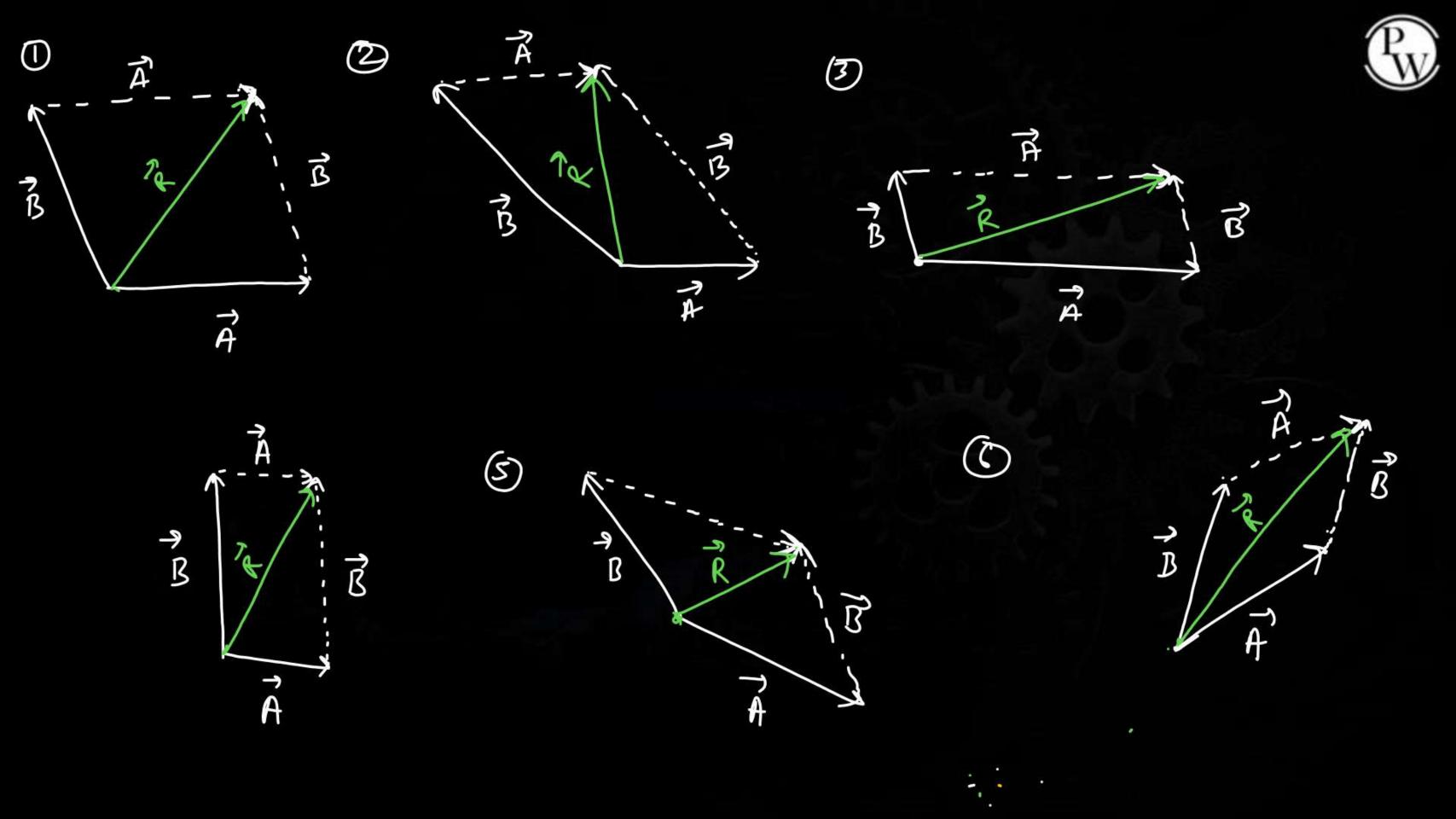
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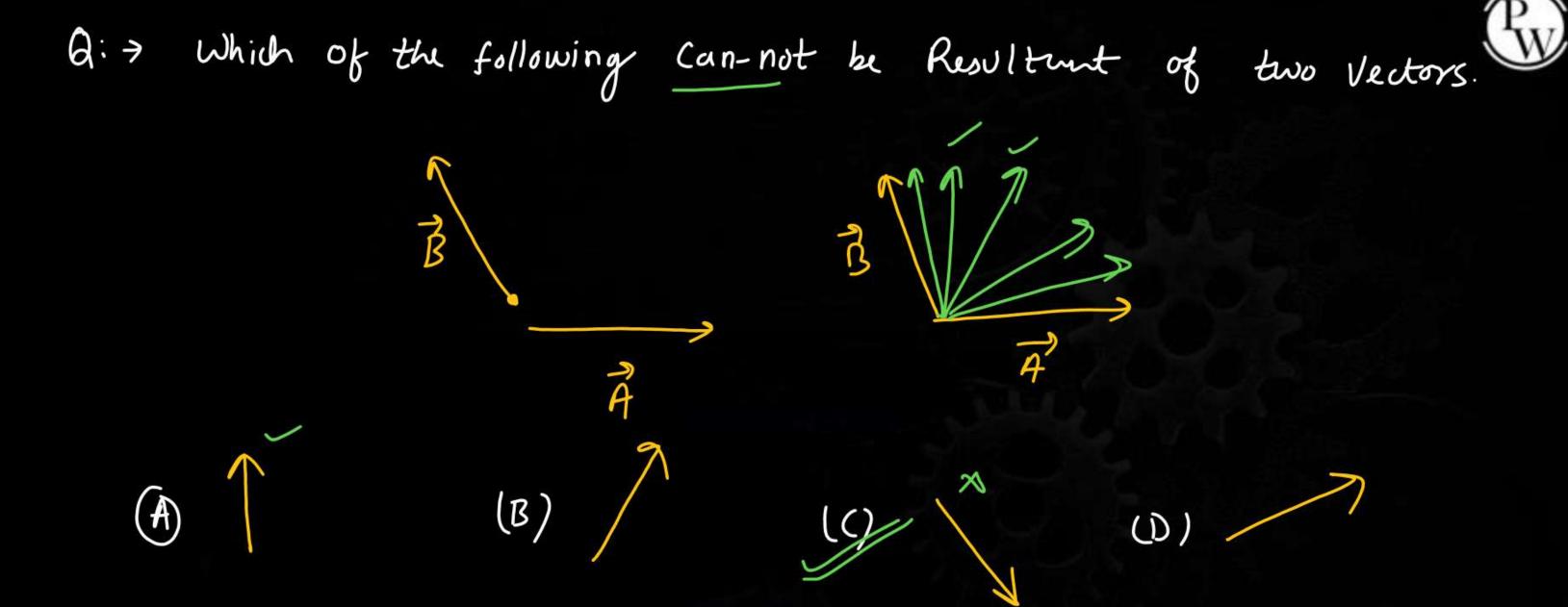


$$\vec{R} = \vec{A} + \vec{B}$$

Q: > Which of the following Can be Resultant of given two vector & A+B → B → A $(A) \qquad (B) \qquad (C) \qquad (D) \qquad (D)$

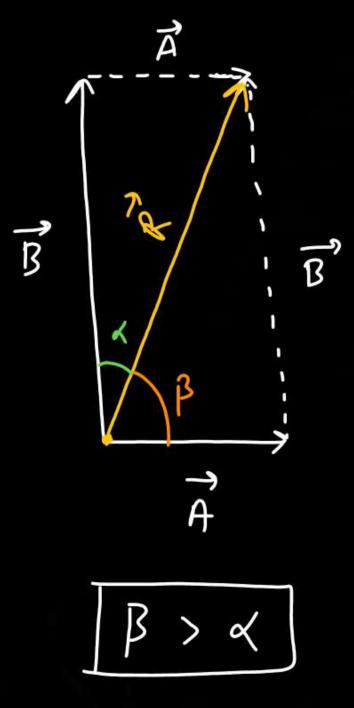
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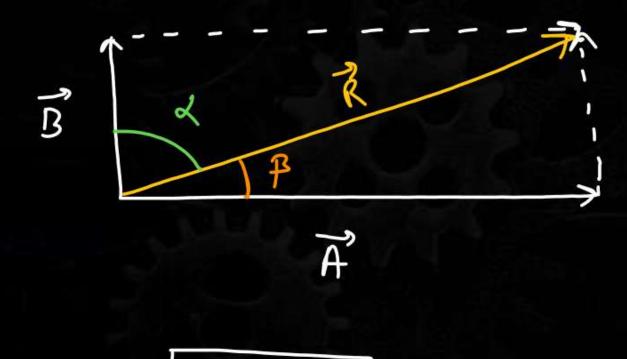


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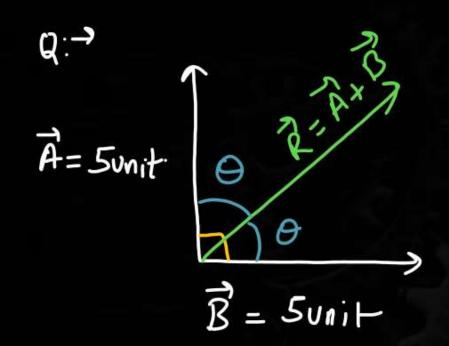


Note: Resultant (Sum) of two vectors will be inclined. towards vector of Higher Magnitude.

- · Resultant (sum) Vector will make smaller Angle with Vector of Higher Magnitude.
- · If two vectors of Equal Magnitude will be added. then Resultant will make equal Angle with Both.

9:

(A)
$$\alpha > \beta$$
(B) $\alpha < \beta$
(C) $q = \beta$
(D) None.



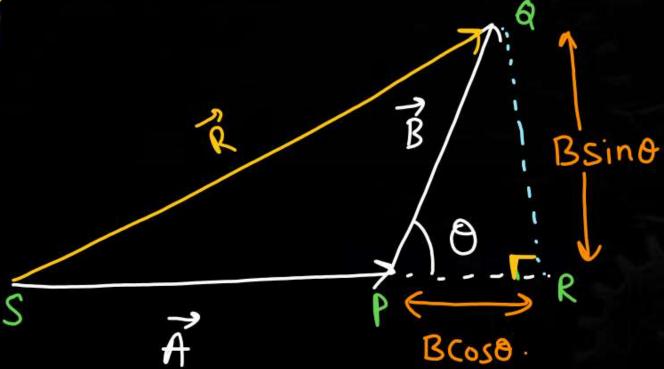


Magnitude of Sum of two Vectors:



$$\vec{R} = \vec{A} + \vec{B}$$

$$|\vec{A}| = A$$



Sino -
$$\frac{P}{H} = \frac{QR}{B}$$

Similarly

$$\cos \theta = \frac{B}{H} = \frac{PR}{B}$$



0 is Angle b/w

Vectors.

From O SAR.

$$R = \sqrt{A^2 + B^2 + 2AB\cos\theta}$$
Where
$$S \leftarrow A \rightarrow \leftarrow B\cos\theta$$

$$R$$

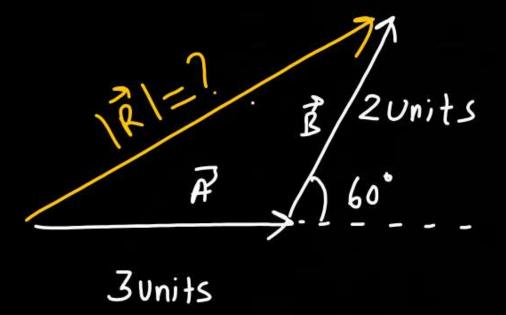
$$R^2 = x^2 + y^2$$

$$R = \sqrt{x^2 + y^2}$$

$$R = \sqrt{(A + B(050)^2 + (Bsino)^2}$$

$$R = \sqrt{A^2 + B^2 \cos \theta + 2AB(\cos \theta + B^2 \sin^2 \theta)}$$

$$\overrightarrow{R} = \sqrt{\overrightarrow{A} + B^2(Sin^2\theta + (os^2\theta) + 2AB(os\theta))}$$



$$R = \sqrt{A^2 + B^2 + 2AB\cos Q}$$

Ot is Angle b/w Vectors.



$$R = \sqrt{3^2 + 2^2 + 2(3)(2)(05(66))}$$



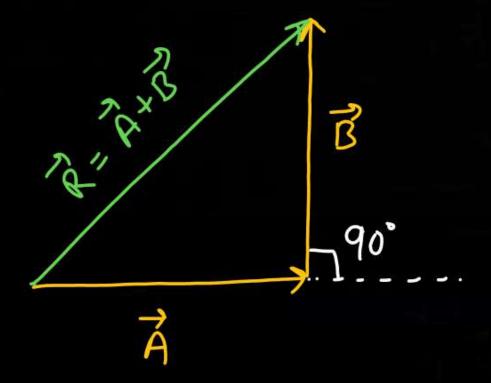
$$|\vec{R}| = \sqrt{A^2 + B^2 + 2AB(0S\Theta)}$$

$$|\vec{R}| = \sqrt{4^2 + (5)^2 + 2XAX5X(6S(6S))}$$

$$= \sqrt{(6 + 2S + \frac{2}{16}X)}$$

Important

$$(os(96) = 0)$$





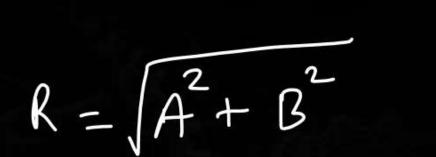
$$R = \sqrt{A^2 + B^2 + 2AB\cos\theta}$$

$$R = \sqrt{A^2 + B^2}$$

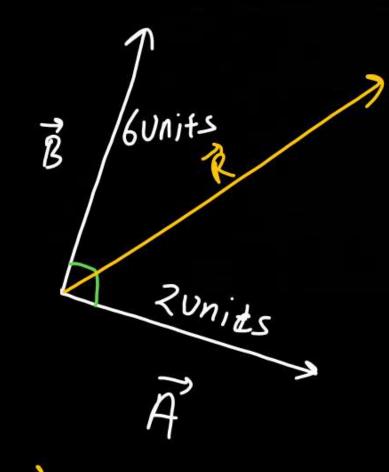


$$\vec{R} = \sqrt{A^2 + B^2}$$

$$= \sqrt{(3)^2 + (4)^2} = \sqrt{9 + 16} = \sqrt{25} = 5.$$







$$\left| \overrightarrow{R} \right| = \sqrt{2^2 + 6^2}$$

$$\left| \vec{R} \right| = \sqrt{4 + 36}$$

$$\Theta$$

$$|\vec{B}| = F$$

$$|\vec{R}| = \sqrt{3}F$$

$$|\vec{A}| = F$$

$$R = \sqrt{A^2 + B^2 + 2AB(os0)}$$

$$R = \sqrt{f^2 + f^2 + \chi.f.f.\chi}$$

$$|\vec{R}| = \sqrt{A^2 + B^2 + 2 \cdot A \cdot B(os(120))}$$

$$= \sqrt{F^2 + F^2 + 2F^2(-1)}$$



$$R = \sqrt{A^2 + B^2}$$

$$= \sqrt{F^2 + F^2}$$

$$R = \sqrt{2} + \sqrt{2}$$

