

AGENDA

- I. INTRODUCTION TO DECISION TREE
- II. WHAT IS DECISION TREE
- III. DECISION TREE LEARNING ALGORITHM
- IV. EXAMPLES OF DECISION TREE
- V. AVANTAGE AND DESAVANTAGE
- VI. CONCLUSION

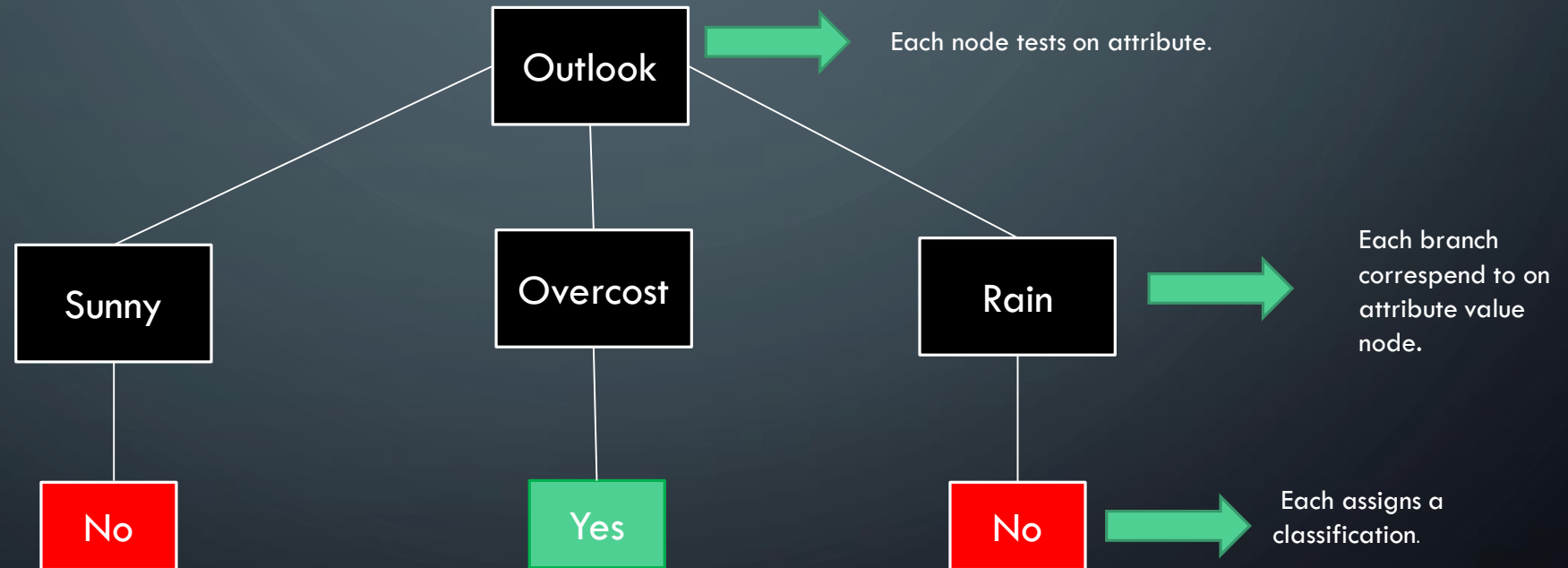
I. INTRODUCTION TO DECISION TREE

- ❑ A decision tree is a series of nodes , a directional graph that starts at the base with a single node and extends to the many leaf that represent the categories that the tree can classify.
- ❑ Another way to think of a decision tree is a flow chart , where the flow starts at the root node and ends with a decision made at the leaves .
- ❑ It is a decision support, it uses a tree-like graph to show the predication that result from a series of feature-based splits.

II. WHAT IS A DECISION TREE

- ❑ A decision tree is a model that takes as input a vector of attribute values and returns a «decision» that is a single output value.
- ❑ Decision tree algorithm falls under the category of supervised learning. The can be used to solve both regression & classification problems .
- ❑ A decision tree reaches its classification by performing a sequence of tests .

WHAT IS A DECISION TREE



III. DECISION TREE LEARNING ALGORITHM

- ❑ Here we gonna use a ID3(Iterative Dichotomisen 3) is a one of common decision tree algorithm .
- ❑ Dichotomisen means dividing into two completely opposite things .
- ❑ Algorithm iterativly deivides attributes into two groups which are the most dominant attribute and others to constract a tree.
- ❑ Then , it calculates the Entropy & Information Gains of each attribute . In this way the most dominant attribute can be founded.

DECISION TREE LEARNING ALGORITHM

- ❑ After then , the most dominant one is put on the tree as decision node.
- ❑ Entropy and Gain scores would be calculated again among other attributes.
- ❑ Procedure continues until reaching a decision for that branch.
- ❑ Calculate the Entropy of every attribute using the data Set(S).

DECISION TREE LEARNING ALGORITHM

- $\text{Entropy} = \sum -P(I). \log_2 P(I)$
- Split the set S into subsets using the attribute for which the resulting Entropy(after splitting) is minimum (or equivalent information is max) .
- $\text{Gains}(S,A) = \text{Entropy}(S) - \sum [P(S/A). \text{Entropy}(S/A)]$
- Make a decision tree node containing that attribute.
- Recure on subsets using remaining attributes .

IV. EXAMPLES OF DECISION TREE

EXAMPLE : «TO GO FOR OUTING OR NOT »

Day	Outlook	Temperature	Humidity	Wind	Decision
1	Sunny	Hot	High	Weak	No
2	Sunny	Hot	High	Strong	No
3	Overcast	Hot	High	Weak	Yes
4	Rain	Mild	High	Weak	Yes
5	Rain	Cool	Normal	Weak	Yes
6	Rain	Cool	Normal	Weak	Yes
7	Overcast	Cool	Normal	Strong	No
8	Sunny	Mild	High	Weak	No
9	Sunny	Cool	Normal	Weak	No
10	Rain	Mild	Normal	Weak	Yes
11	Sunny	Mild	Normal	Strong	Yes
12	Overcast	Mild	High	Strong	Yes
13	Overcast	Hot	Normal	Weak	Yes
14	Rain	Mild	High	Strong	No

EXAMPLES OF DECISION TREE

- ❑ Cacalculate Entropy

- ❑ Decision column consist of 14 instances and includes two labels : Yes and No .

- ❑ There are 9 decisions labelled yes & 5 decisions labelled no

$$\text{Entropy(Decision)} = -P(\text{yes}) * \log_2 P(\text{yes}) - P(\text{no}) * \log_2 P(\text{no})$$

$$\begin{aligned}\text{Entropy(Decision)} &= -(9/14) * \log_2(9/14) - (5/14) * \log_2(5/14) \\ &= 0.940\end{aligned}$$

CACLCULATE ENTROPY

- ❑ Calculate wind factor of decision (Weak and strong) .
- ❑ $\text{Gain}(D, W) = \text{Entropy}(D) - \sum [P(D/W) * \text{Entropy}(D/W)]$
- ❑ Wind attribute has two labels : weak and strong .
- ❑ $\text{Gain}(D, W) = \text{Entropy}(D) - [P(D/W=\text{weak}) * \text{Entropy}(D/W=\text{weak}) - [p(D/W=\text{strong}) * \text{Entropy}(D/W=\text{strong})]]$
- ❑ Now we calculate Gain for weak & Strong Wind.

❑ Weak wind factor on decision

❑ Wind weak : 8/14 no : 2 , yes : 6

❑ $\text{Entropy}(D/W=\text{sweak}) = -P(\text{yes}) \cdot \log_2 P(\text{yes}) - P(\text{no}) \cdot \log_2 P(\text{no})$

❑ $\text{Entropy}(D/W=\text{weak}) = -(2/8) \cdot \log_2(2/8) - (6/8) \cdot \log_2(5/8)$
 $= 0,811$

❑ Strong wind factor on decision

❑ Strong wind : 6/14 no : 3 , yes : 3

❑ $\text{Entropy}(D/W=\text{strong}) = -P(\text{yes}) \cdot \log_2 P(\text{yes}) - P(\text{no}) \cdot \log_2 P(\text{no})$

❑ $\text{Entropy}(D/W=\text{strong}) = -(3/6) \cdot \log_2(3/6) - (3/6) \cdot \log_2(3/6)$
 $= 1$

❑ $\text{Gain}(D,W) = \text{Entropy}(D) - [P(D/W=\text{weak}) \cdot \text{Entropy}(D/W=\text{weak}) -$
 $[p(D/W=\text{strong}) \cdot \text{Entropy}(D/W=\text{strong})]$

$= 0,940 - [(8/14) \cdot 0,811] - [(6/14) \cdot 1] = 0,048$

❑ High humidity factor on decision

❑ High humidity : 7/14 no : 4 , yes :3

❑ $\text{Entropy}(D/H=\text{high}) = -P(\text{yes}) * \log_2 P(\text{yes}) - P(\text{no}) * \log_2 P(\text{no})$

❑ $\text{Entropy}(D/H=\text{high}) = -(4/7) * \log_2(4/7) - (3/7) * \log_2(3/7)$

$=0,97$

❑ Normal humidity factor on decision

❑ Normal humidity : 7/14 no : 1 , yes : 6

❑ $\text{Entropy}(D/H=\text{normal}) = -P(\text{yes}) \cdot \log_2 P(\text{yes}) - P(\text{no}) \cdot \log_2 P(\text{no})$

❑ $\text{Entropy}(D/H=\text{normal}) = -(1/7) \cdot \log_2(1/7) - (6/7) \cdot \log_2(6/7)$
 $= 0.58$

❑ $\text{Gain}(D,H) = \text{Entropy}(D) - [P(D/H=\text{high}) \cdot \text{Entropy}(D/H=\text{high})] -$
 $[p(D/H=\text{normal}) \cdot \text{Entropy}(D/H=\text{normal})]$

$= 0.940 - [(7/14) \cdot 1] - [(7/14) \cdot 0.58]$

$= 0.151$

❑ Hot tempereature factor on decision

❑ Hot temperature : 4/14 no :2 , yes : 2

❑ Entropy(D/T=hot) = $-P(\text{yes}) \cdot \log_2 P(\text{yes}) - P(\text{no}) \cdot \log_2 P(\text{no})$

❑ Entropy(D/T=hot) = $-(2/4) \cdot \log_2(2/4) - (2/4) \cdot \log_2(2/4)$

$$= (2/4) \cdot (-1) - (2/4) \cdot (-1)$$

$$= 1$$

❑ Mild temperature factor on decision

❑ Mild temperature : 6/14 no : 2 , yes : 4

❑ $\text{Entropy}(D/T=\text{mild}) = -P(\text{yes}) * \log_2 P(\text{yes}) - P(\text{no}) * \log_2 P(\text{no})$

❑ $\text{Entropy}(D/T=\text{mild}) = -(2/6) * \log_2(2/6) - (4/6) * \log_2(4/6)$

$$= -(2/6) * (-1,58) - (4/6) * (-0,58)$$

$$= 0,93$$

❑ Cool temperature factor on decision

❑ Cool temperature : 4/14 no : 1 , yes : 3

❑ $\text{Entropy}(D/T=\text{cool}) = -P(\text{yes}) \cdot \log_2 P(\text{yes}) - P(\text{no}) \cdot \log_2 P(\text{no})$

❑ $\text{Entropy}(D/T=\text{cool}) = -(1/4) \cdot \log_2(1/4) - (3/4) \cdot \log_2(3/4) = 0,815$

❑ $\text{Gain}(D,H) = \text{Entropy}(D) - [P(D/T=\text{hot}) \cdot \text{Entropy}(D/T=\text{hot})] -$

$[p(D/T=\text{mild}) \cdot \text{Entropy}(D/T=\text{mild})] - [p(D/T=\text{cool}) \cdot \text{Entropy}(D/T=\text{cool})]$

$= 0.940 - [(4/14) \cdot 1] - [(6/14) \cdot 0.93] - [(4/14) \cdot 0,815]$

$= 0,032$

☐ Sunny outlook factor on decision

☐ Sunny outlook : 5/14 no : 3 , yes : 2

☐ $\text{Entropy}(D/O=\text{sunny}) = -P(\text{yes}) * \log_2 P(\text{yes}) - P(\text{no}) * \log_2 P(\text{no})$

☐ $\text{Entropy}(D/O=\text{sunny}) = -(3/5) * \log_2(3/5) - (2/5) * \log_2(2/5)$

$$= -(3/5) * (-0,74) - (2/5) * (-1,32)$$

$$= 0,44 + 0,52$$

$$= 0,96$$

❑ Overcost outlook factor on decision

❑ Overcost outlook : 4/14 no : 0 , yes : 4

❑ $\text{Entropy}(D/O=\text{overcost}) = -P(\text{yes}) * \log_2 P(\text{yes}) - P(\text{no}) * \log_2 P(\text{no})$

❑ $\text{Entropy}(D/O=\text{overcost}) = -(0) * \log_2(0) - (4/4) * \log_2(4/4)$

$$= -(0) - (1) * \log_2(1)$$

$$= 0$$

❑ Rain outlook factor on decision

❑ Rain outlook : 5/14 no : 2 , yes : 3

❑ $\text{Entropy}(D/O=\text{rain}) = -P(\text{yes}) \cdot \log_2 P(\text{yes}) - P(\text{no}) \cdot \log_2 P(\text{no})$

❑ $\text{Entropy}(D/O=\text{rain}) = -(2/5) \cdot \log_2(2/5) - (3/5) \cdot \log_2(3/5) = 0,96$

❑ $\text{Gain}(D,H) = \text{Entropy}(D) - [P(D/O=\text{sunny}) \cdot \text{Entropy}(D/T=\text{sunny}) -$
 $[p(D/T=\text{overcost}) \cdot \text{Entropy}(D/T=\text{overcost})] - [p(D/T=\text{rain}) \cdot \text{Entropy}(D/T=\text{rain})]$
 $= 0.940 - [(5/14) \cdot 1] - [(4/14) \cdot 0] - [(5/14) \cdot 1]$
 $= 2,226$

❑ After calculated all of gain finallyt we got that result :

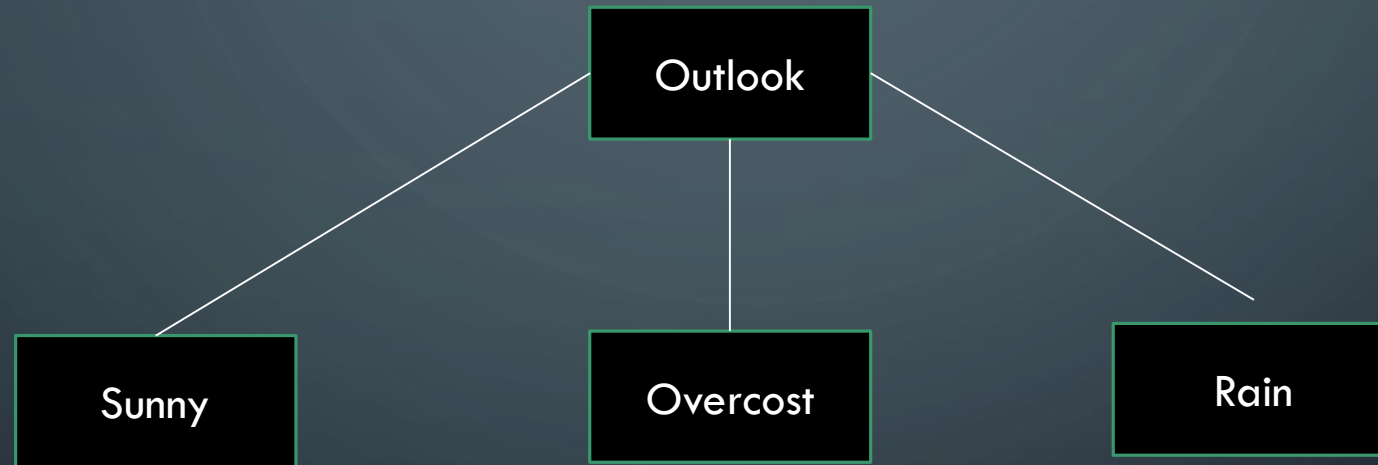
❑ $\text{Gain}(\text{Decision} , \text{Outlook}) = 2,226$

❑ $\text{Gain}(\text{Decicion} , \text{Temperature}) = 0,032$

❑ $\text{Gain}(\text{Decision} , \text{Humidity}) = 0,151$

❑ $\text{Gain}(\text{Decision} , \text{Wind}) = 0,048$

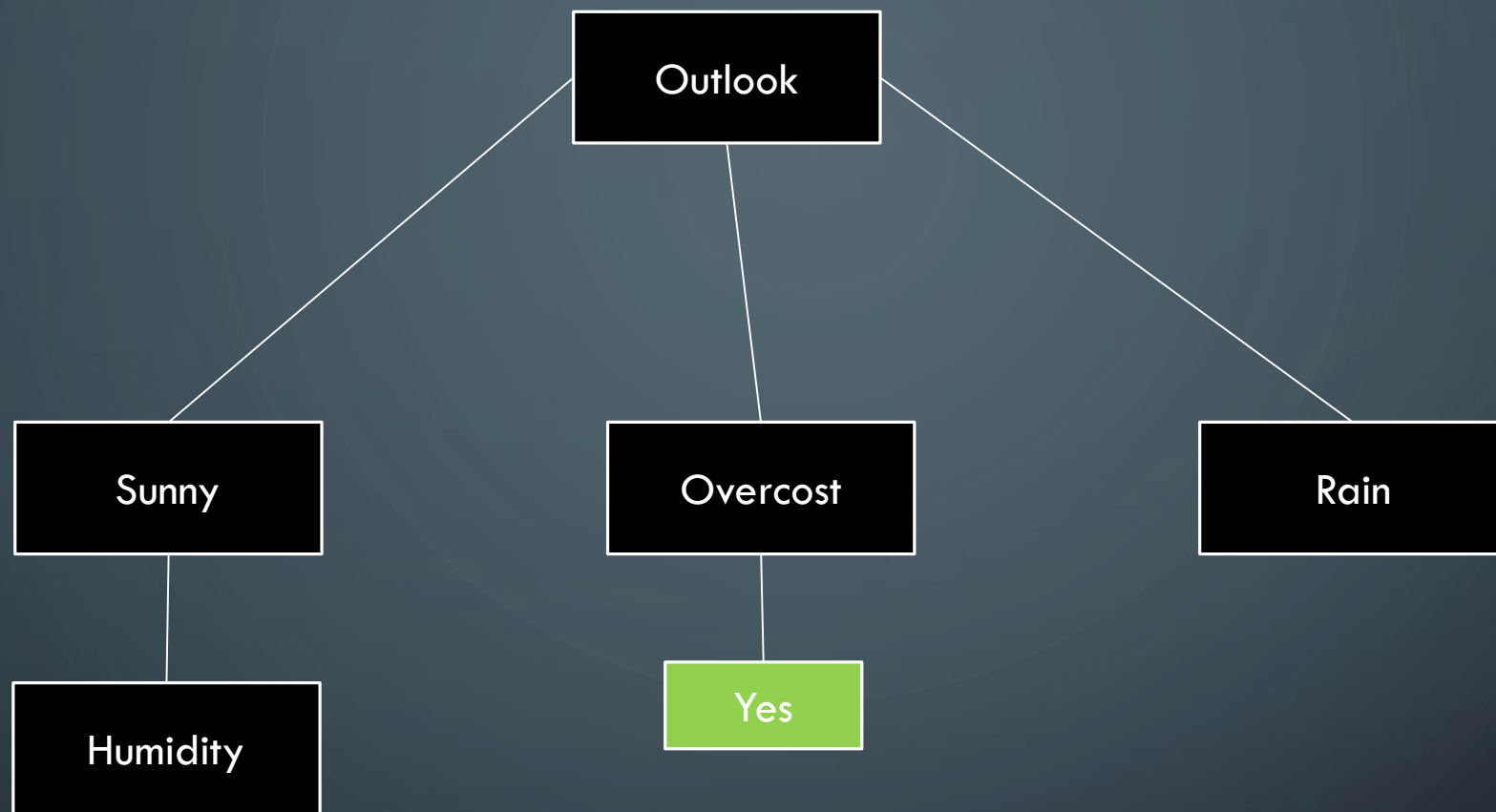
❑ Outlook factor on decison produces the highest score that's way outlook decision will appear on the root node of the tree.



OVERCOST OULOOK ON DECISION

- The decision will be yes if outlook were overcost

Day	Outlook	Temp	Humidity	Wind	Decision
3	Overcost	Hot	High	Weak	Yes
7	Overcost	Cool	Normal	Strong	Yes
12	Overcost	Mild	High	Strong	Yes
13	Overcost	Hot	Normal	Weak	Yes



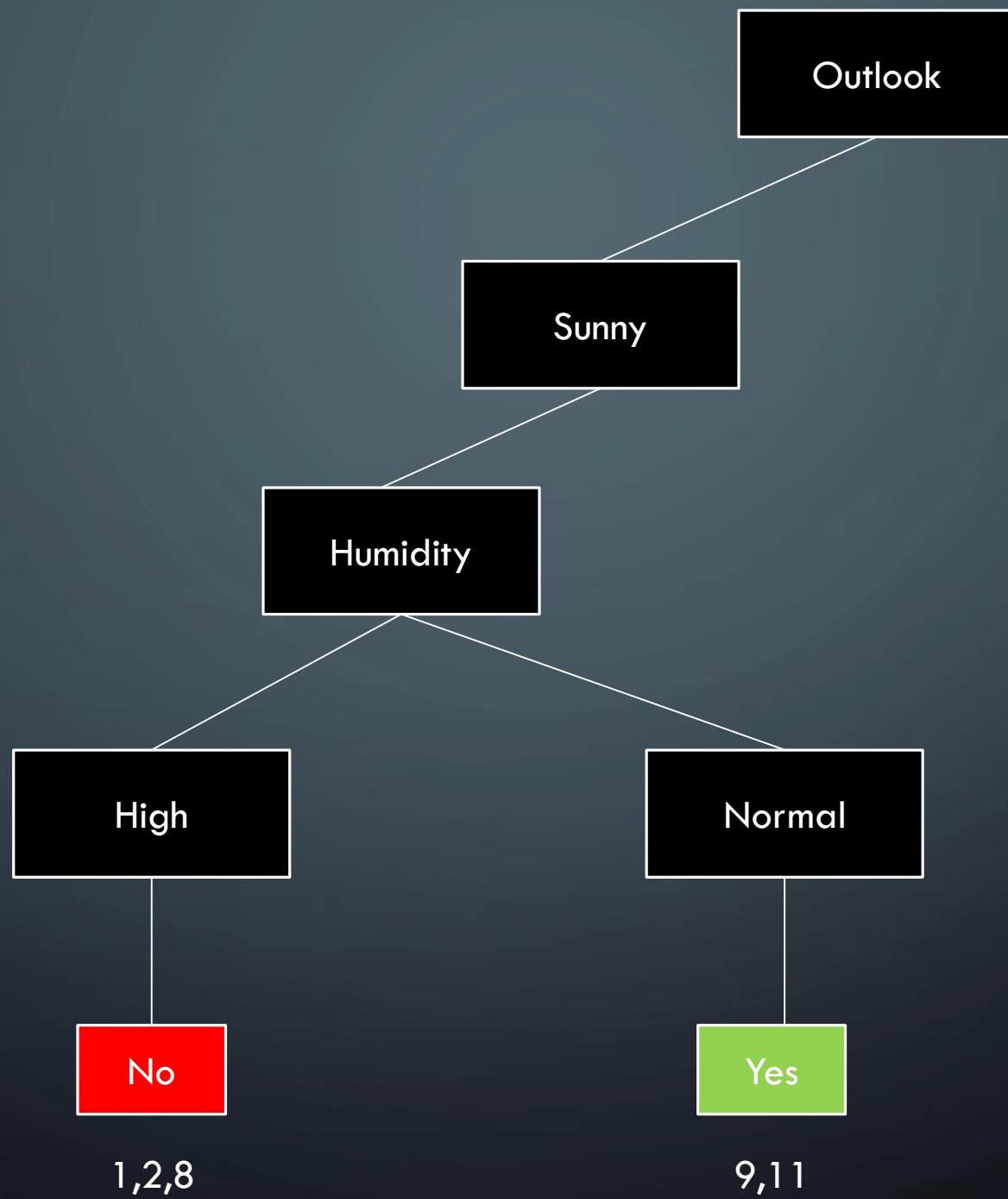
SUNNY OUTLOOK ON DECISION

- ❑ (outlook = sunny/temp)gain = 0,570
- ❑ (outlook = sunny/humidity)gain = 0,930
- ❑ (outlook= sunny/wind)gain = 0,019
- ❑ Humidity is a decision

SUNNY OUTLOOK ON DECISION

Day	Outlook	Temp	Humidity	Wind	Decision
1	Sunny	Hot	High	Weak	No
2	Sunny	Hot	High	Strong	No
8	Sunny	Mild	High	Weak	No

Day	Outlook	Temp	Humidity	Wind	Decision
9	Sunny	Cool	Normal	Weak	Yes
11	Sunny	Mild	Normal	Strong	Yes



RAIN OUTLOOK ON DECISION

☐ (Outlook = Rain /Temp)gain ✗

☐ (Outlook = Rain/Humidity)gain ✗

☐ (Outlook = Rain/Wind)gain ✓

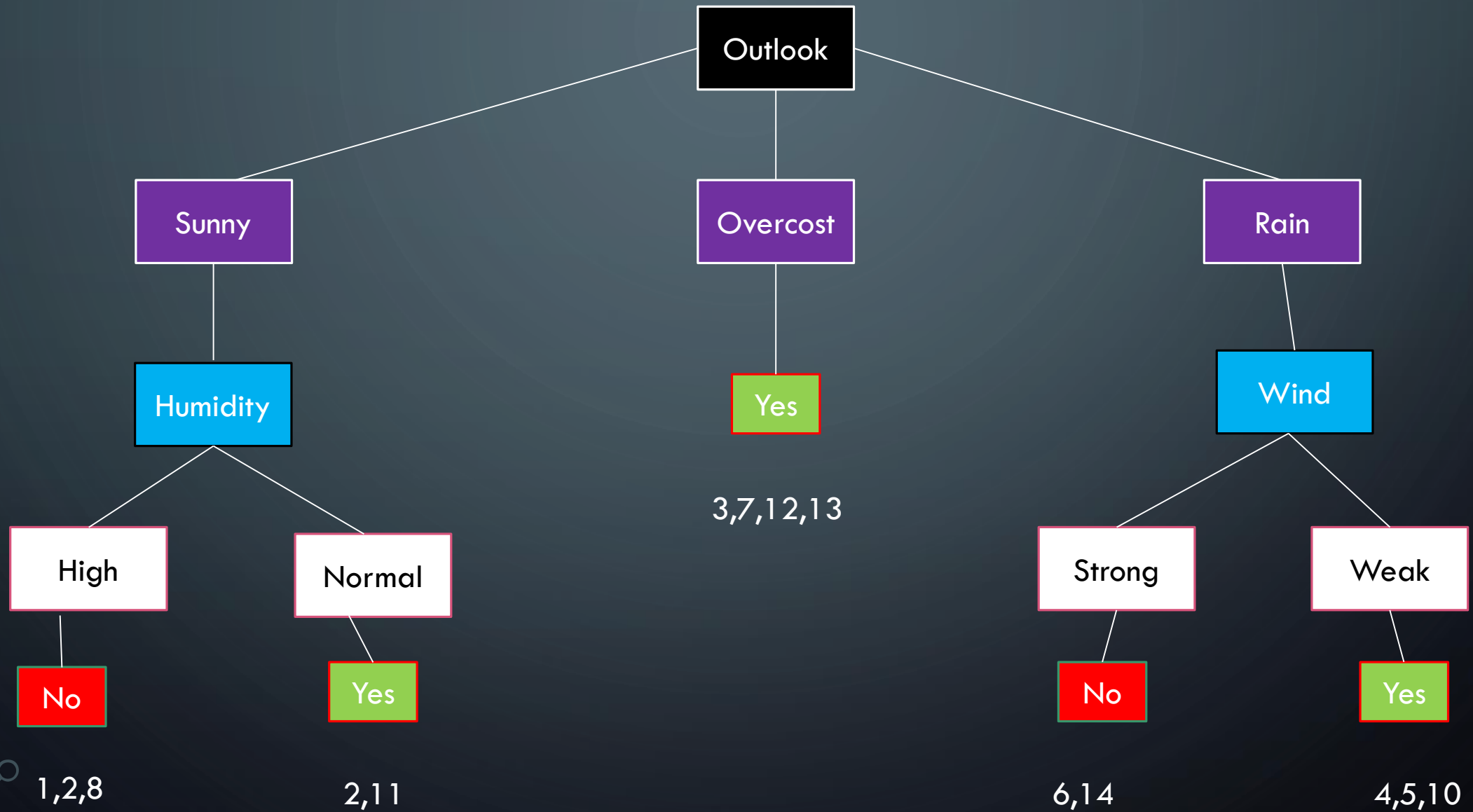
☐ Wind produces the highest score if outlook were rain

RAIN OUTLOOK ON DECISION

Day	Outlook	Temp	Humidity	Wind	Decision
4	Rain	Mild	High	Weak	Yes
5	Rain	Cool	Normal	Weak	Yes
6	Rain	Cool	Normal	Strong	No
10	Rain	Mild	Normal	Weak	Yes
14	Rain	Mild	High	Strong	No



COMPLETE DECISION TREE



DESADVANTAGE OF DECISION TREE

- ❑ **Overfitting:** Over fitting is a common flaw of decision trees. Setting constraints on model parameters (depth limitation) and making the model simpler through pruning are two ways to regularize a decision tree and improve its ability to generalize onto the test set.
- ❑ **Predicting continuous variables:** While decision trees can ingest continuous numerical input, they are not a practical way to predict such values, since decision-tree predictions must be separated into discrete categories, which results in a loss of information when applying the model to continuous values.

DESADVANTAGE OF DECISION TREE

- Heavy feature engineering: The flip side of a decision tree's explanatory power is that it requires heavy feature engineering. When dealing with unstructured data or data with latent factors, this makes decision trees sub-optimal. Neural networks are clearly superior in this regard.

CONCLUSION

A different point of view is to regard $I(\text{node})$ as a measure of impurity. The more “mixed” the samples are at a node (i.e. has equal proportions of all class labels), the higher the impurity value. On the other hand, a homogeneous node (i.e. has samples of one class only) will have zero impurity. The $\text{Gain}(A)$ value can thus be viewed as the amount of reduction in impurity if we split according to A . This affords the intuitive idea that we grow trees by recursively trying to obtain leaf nodes which are as pure as possible.



THANK YOU FOR LISTENING

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RESOURCE

- ❑ <https://www.edureka.co/blog/decision-tree-algorithm/>
- ❑ https://www.google.com/search?q=Artificial+Intelligence&source=lnms&tbm=isch&sa=X&ved=2ahUKEwjwYWRvuPoAhW1DWMBHexdD8UQ_AUoAXoECBIQAw&biw=1366&bih=576#imgsrc=ZV3gTJCnJC8wmM
- ❑ https://www.google.com/search?q=entropy+formula&source=lnms&tbm=isch&sa=X&ved=2ahUKEwjR45zgh-ToAhUEwsQBHenxC6UQ_AUoAXoECBMQAw&biw=1366&bih=576
- ❑ <https://www.dsi.unive.it/~atorsell/AI/mod1-12-decision-trees.pdf>
- ❑ https://www.youtube.com/watch?v=WC_DhP3vyy8