

Final Project

Onyul Haque

4/25/2022

```
library(tidyr)
library(dplyr)
library(reshape2)
library(car)
library(compute.es)
library(effects)
library(multcomp)
library(pastecs)
library(psych)
library(ggplot2)
library(gmodels)
library(mlogit)
library(Hmisc)
library(brms)
library(here)  # for easier management of file paths
library(rstan)
rstan_options(auto_write = TRUE) # save compiled Stan object
library(brms) # simplify fitting Stan GLM models
library(shinystan) # graphical exploration
library(posterior) # for summarizing draws
library(bayesplot) # for plotting
library(modelsummary) # table for brms
library(ProbBayes)
theme_set(theme_classic() +
  theme(panel.grid.major.y = element_line(color = "grey92")))
```

Research Question

Do people trust less when there is a timer that can cut them off from making a and is this uniquely due to the fact that the origin of risk is a person and not nature?

Bayesian Analysis - Give vs Do not Give

Model Equation:

$$\begin{aligned} Decision_i &\sim Bin(N, \theta) \\ \theta &= \beta_0 + \beta_1 game_i + \beta_2 timer_i + \beta_3 game_i * timer_i \end{aligned}$$

Prior:

Lottery No Timer

$$\beta_0 \sim N(0, 1)$$

Difference between Lottery No timer and Trust No Timer

$$\beta_1 \sim N(0, 1)$$

Difference between Lottery No Timer - Lottery Timer

$$\beta_2 \sim N(0, 1)$$

Difference between Lottery Timer - Trust Timer beyond the difference of Lottery no Timer and Trust No Timer

$$\beta_3 \sim N(0, 1)$$

```
m1 <- brm(  
  # Y (vote) = beta0 + beta1 (growth)  
  decision ~ game * timer,  
  data = trustlong,  
  # Normal distribution with identity link  
  family = binomial,  
  # Overwrite the default priors  
  prior = c(  
    # prior for beta0  
    prior(normal(0,1), class = "Intercept"),  
    # prior for beta1 game  
    prior(normal(0,1), class = "b", coef = "gameTrust"),  
    #prior Beta 2 Time  
    prior(normal(0,1), class = "b", coef = "timerTimer"),  
    #Beta 3 Interaction Term  
    prior(normal(0,1), class = "b", coef = "gameTrust:timerTimer")  
  ),  
  sample_prior = TRUE, # also sample the prior distributions  
  iter = 4000, # default is 4 chains, 2000 iterations each  
  seed = 21  
)
```

```
## Using the maximum response value as the number of trials.
```

```
## Compiling Stan program...
```

```
## Start sampling
```

```
##  
## SAMPLING FOR MODEL 'd4855645b1a7dd8d4ba3d3de88379601' NOW (CHAIN 1).  
## Chain 1:  
## Chain 1: Gradient evaluation took 0.001 seconds  
## Chain 1: 1000 transitions using 10 leapfrog steps per transition would take 10 seconds.  
## Chain 1: Adjust your expectations accordingly!  
## Chain 1:
```

```

## Chain 1:
## Chain 1: Iteration: 1 / 4000 [ 0%] (Warmup)
## Chain 1: Iteration: 400 / 4000 [ 10%] (Warmup)
## Chain 1: Iteration: 800 / 4000 [ 20%] (Warmup)
## Chain 1: Iteration: 1200 / 4000 [ 30%] (Warmup)
## Chain 1: Iteration: 1600 / 4000 [ 40%] (Warmup)
## Chain 1: Iteration: 2000 / 4000 [ 50%] (Warmup)
## Chain 1: Iteration: 2001 / 4000 [ 50%] (Sampling)
## Chain 1: Iteration: 2400 / 4000 [ 60%] (Sampling)
## Chain 1: Iteration: 2800 / 4000 [ 70%] (Sampling)
## Chain 1: Iteration: 3200 / 4000 [ 80%] (Sampling)
## Chain 1: Iteration: 3600 / 4000 [ 90%] (Sampling)
## Chain 1: Iteration: 4000 / 4000 [100%] (Sampling)
## Chain 1:
## Chain 1: Elapsed Time: 1.57 seconds (Warm-up)
## Chain 1: 1.512 seconds (Sampling)
## Chain 1: 3.082 seconds (Total)
## Chain 1:
##
## SAMPLING FOR MODEL 'd4855645b1a7dd8d4ba3d3de88379601' NOW (CHAIN 2).
## Chain 2:
## Chain 2: Gradient evaluation took 0.001 seconds
## Chain 2: 1000 transitions using 10 leapfrog steps per transition would take 10 seconds.
## Chain 2: Adjust your expectations accordingly!
## Chain 2:
## Chain 2:
## Chain 2: Iteration: 1 / 4000 [ 0%] (Warmup)
## Chain 2: Iteration: 400 / 4000 [ 10%] (Warmup)
## Chain 2: Iteration: 800 / 4000 [ 20%] (Warmup)
## Chain 2: Iteration: 1200 / 4000 [ 30%] (Warmup)
## Chain 2: Iteration: 1600 / 4000 [ 40%] (Warmup)
## Chain 2: Iteration: 2000 / 4000 [ 50%] (Warmup)
## Chain 2: Iteration: 2001 / 4000 [ 50%] (Sampling)
## Chain 2: Iteration: 2400 / 4000 [ 60%] (Sampling)
## Chain 2: Iteration: 2800 / 4000 [ 70%] (Sampling)
## Chain 2: Iteration: 3200 / 4000 [ 80%] (Sampling)
## Chain 2: Iteration: 3600 / 4000 [ 90%] (Sampling)
## Chain 2: Iteration: 4000 / 4000 [100%] (Sampling)
## Chain 2:
## Chain 2: Elapsed Time: 1.549 seconds (Warm-up)
## Chain 2: 1.824 seconds (Sampling)
## Chain 2: 3.373 seconds (Total)
## Chain 2:
##
## SAMPLING FOR MODEL 'd4855645b1a7dd8d4ba3d3de88379601' NOW (CHAIN 3).
## Chain 3:
## Chain 3: Gradient evaluation took 0 seconds
## Chain 3: 1000 transitions using 10 leapfrog steps per transition would take 0 seconds.
## Chain 3: Adjust your expectations accordingly!
## Chain 3:
## Chain 3:
## Chain 3: Iteration: 1 / 4000 [ 0%] (Warmup)
## Chain 3: Iteration: 400 / 4000 [ 10%] (Warmup)
## Chain 3: Iteration: 800 / 4000 [ 20%] (Warmup)

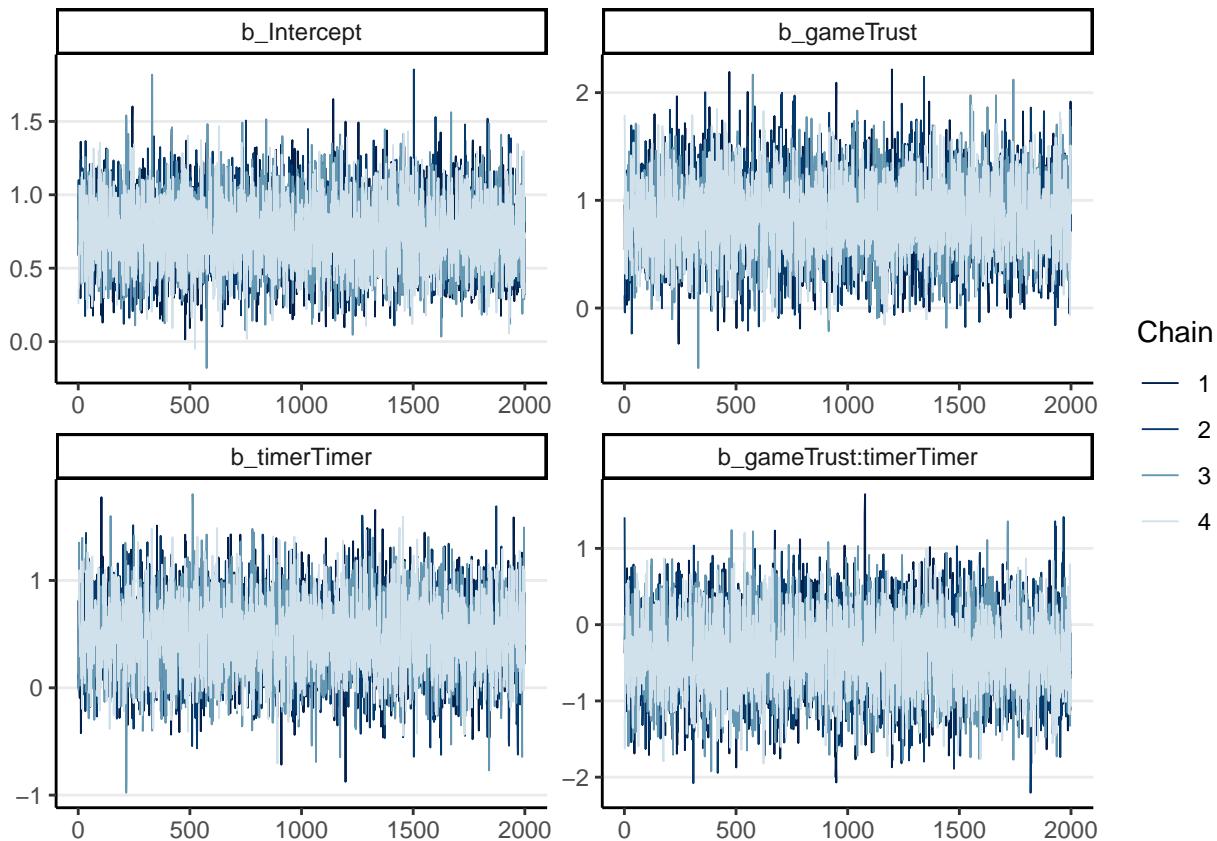
```

```

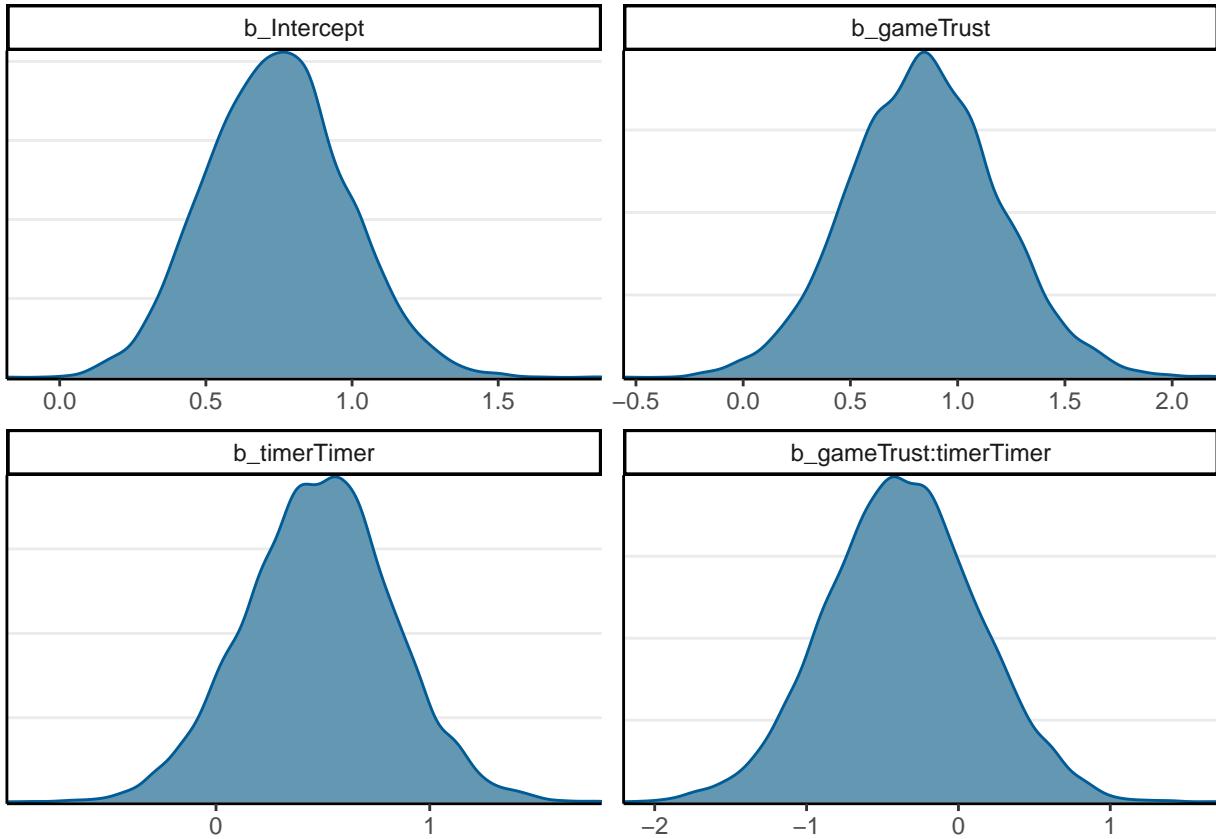
## Chain 3: Iteration: 1200 / 4000 [ 30%] (Warmup)
## Chain 3: Iteration: 1600 / 4000 [ 40%] (Warmup)
## Chain 3: Iteration: 2000 / 4000 [ 50%] (Warmup)
## Chain 3: Iteration: 2001 / 4000 [ 50%] (Sampling)
## Chain 3: Iteration: 2400 / 4000 [ 60%] (Sampling)
## Chain 3: Iteration: 2800 / 4000 [ 70%] (Sampling)
## Chain 3: Iteration: 3200 / 4000 [ 80%] (Sampling)
## Chain 3: Iteration: 3600 / 4000 [ 90%] (Sampling)
## Chain 3: Iteration: 4000 / 4000 [100%] (Sampling)
## Chain 3:
## Chain 3: Elapsed Time: 1.603 seconds (Warm-up)
## Chain 3:           1.659 seconds (Sampling)
## Chain 3:           3.262 seconds (Total)
## Chain 3:
##
## SAMPLING FOR MODEL 'd4855645b1a7dd8d4ba3d3de88379601' NOW (CHAIN 4).
## Chain 4:
## Chain 4: Gradient evaluation took 0 seconds
## Chain 4: 1000 transitions using 10 leapfrog steps per transition would take 0 seconds.
## Chain 4: Adjust your expectations accordingly!
## Chain 4:
## Chain 4:
## Chain 4: Iteration: 1 / 4000 [  0%] (Warmup)
## Chain 4: Iteration: 400 / 4000 [ 10%] (Warmup)
## Chain 4: Iteration: 800 / 4000 [ 20%] (Warmup)
## Chain 4: Iteration: 1200 / 4000 [ 30%] (Warmup)
## Chain 4: Iteration: 1600 / 4000 [ 40%] (Warmup)
## Chain 4: Iteration: 2000 / 4000 [ 50%] (Warmup)
## Chain 4: Iteration: 2001 / 4000 [ 50%] (Sampling)
## Chain 4: Iteration: 2400 / 4000 [ 60%] (Sampling)
## Chain 4: Iteration: 2800 / 4000 [ 70%] (Sampling)
## Chain 4: Iteration: 3200 / 4000 [ 80%] (Sampling)
## Chain 4: Iteration: 3600 / 4000 [ 90%] (Sampling)
## Chain 4: Iteration: 4000 / 4000 [100%] (Sampling)
## Chain 4:
## Chain 4: Elapsed Time: 1.674 seconds (Warm-up)
## Chain 4:           1.884 seconds (Sampling)
## Chain 4:           3.558 seconds (Total)
## Chain 4:

mcmc_trace(m1,
            pars = c("b_Intercept", "b_gameTrust",
                    "b_timerTimer", "b_gameTrust:timerTimer"))

```



```
mcmc_dens(m1,
           pars = c("b_Intercept", "b_gameTrust",
                   "b_timerTimer", "b_gameTrust:timerTimer"))
```



```
exp(fixef(m1))
```

	Estimate	Est.Error	Q2.5	Q97.5
## Intercept	2.1009491	1.269133	1.3422306	3.386030
## gameTrust	2.3244824	1.418419	1.1742328	4.717003
## timerTimer	1.6196001	1.410928	0.8249838	3.169089
## gameTrust:timerTimer	0.6942237	1.650363	0.2625083	1.858538

I exponentiated the results of the model to obtain the odds ratio. The only the only paramters to obtain a confidence interval not including 1 are intercept and the game effect. Thus, the odds that somebody in the trust game would give \$5 is 2.32 (95%c[1.17,4.17]) higher than somebody in the lottery game.