

NanoS integration into Monero

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I. Short introduction

We want to enforce key protection, transaction confidentiality and transaction integrity against some potential malware on the Host. To achieve that we propose to use a Ledger NanoS as a 2nd factor trusted device. Such device has small amount of memory and it is not possible to get the full Monero transaction on it or to built the different proofs. So we need to split the process between Host and NanoS. This draft note explain how.

Moreover this draft note also anticipate next client feature and propose solution to integrate the PR2056 for subaddress. This proposal is based on kenshi84 fork, branch subaddress-v2.

II. Notations and definitions

Upper case letter	point
Lower case letter	scalar
$(a,A), (b,B)$	signer main view/spend key pair
$(c,C), (d,D)$	signer sub view/spend key pair
A_{out}, B_{out}	receiver main view/spend key
C_{out}, D_{out}	receiver sub view/spend key
v	amount to send/spent
k	secret amount mask factor
C	commitment to a with x such $C = kG+vH$
H	2 nd group generator, such $G=h.H$ and h is unknown
$DeriveDH$	Derivation function: scalar,point \mapsto point
$DerivePub$	Derivation function: scalar,point \mapsto point
$DerivePriv$	Derivation function: point,scalar \mapsto scalar
$H_p, H_s, H_{p \rightarrow s}$	hash function (H_p : point to point, H_s : scalar to scalar, $H_{p \rightarrow s}$: point to scalar)
$sha256$	sha256 hash function
$low16B$	lower 16 bytes function
$high16B$	higher 16 bytes function
m	message to sign
\tilde{d}	encrypted data d , non decryptable by Host.
$DeriveAES$	Derivation function: ... \mapsto AES 128 key
$AES[k](d)$	AES based encryption with integrity. (d data to encrypt and protect with k key)
$AES^{-1}[k](\tilde{d})$	AES based decryption with integrity check. (\tilde{d} data to decrypt and to verify with k key)
EPIT	8 bits constant ENCRYPTED_PAYMENT_ID_TAIL

III. Reminders

Here we shortly describe the process to build a Monero transaction in official client v0.10.3.1

The transaction is build in the `construct_tx_and_get_tx_key` function (https://github.com/monero-project/monero/blob/v0.10.3.1/src/cryptonote_core/cryptonote_tx_utils.cpp#L159) . This will be our start point.

Steps:

1. Generate a TX key pair (r,R)
2. Process Stealth Payment ID
3. For each input T_{in} to spent:
 retrieve the spend key (x_i, P_i) from R_{in} and b
 Compute the key image I of x_i
4. For each output T_{out} :
 compute the output public key from A_{out} and r
5. For each output T_{out} :
 compute the range proof and blind the amount
6. compute the confidential ring signature with involved x_{in}
7. Return TX

IV. Goals

Goals summary:

Secret Protection:

- secret key account (a,b)
- secret key transaction r
- per transaction spend key xi

Integrity protection:

- amount
- destination

Support:

- Old ring transaction
- Ring Confidential Transaction (MoneroRCT)
- Sub Address v2

Integration:

- Official Monero client (web clients later)

V. Nanos Integration

V.1. Step 1: TX key

The transaction key is generated here https://github.com/monero-project/monero/blob/v0.10.3.1/src/cryptonote_core/cryptonote_tx_utils.cpp#L169

This generation is simply delegated to NanoS which keeps the secret key. During this step, the NanoS also computes a secret key SPK (Secret Protection Key) to encrypt some confidential data for which the storage is delegated to the Host.

Optionally secret transaction key may be return encrypted by SPK for later purpose. Indeed the secret transaction key is lost by the token at the end of transaction and can not be retrieved if not

saved by host. If secret transaction key need to be saved, the SPK is generated in a deterministic way.

Finally, an optional exchange is done to override the TX public key in case of Sub-Address.

Host		Nanos
Data:		Data: (a,A), (b,B)
Request TX key		
	→ keep	
		Generate TX key pair r, R compute $\tilde{r} = \text{empty}$ if keep: compute $k_r = \text{DeriveAES}(R, a, b)$ compute $\tilde{r} = \text{AES}[k_r](r)$ else: compute $k_r = \text{random}(16)$
	$\leftarrow R, \tilde{r}$	
Request Sub TX key (optional)	$D_{\text{out}} \rightarrow$	
		Re-Compute $R = r \cdot D_{\text{out}}$ if keep: compute $k_r = \text{DeriveAES}(R, a, b)$ compute $\tilde{r} = \text{AES}[k_r](r)$
	$\leftarrow R, \tilde{r}$	
Data: R		Data: (a,A), (b,B) r, k_r

V.2. Step 2: Process Stealth Payment ID

Host		Nanos
Data: $R, P_{in}, \overline{\overline{x}}_{in}, I_{in}$		Data: $(a,A), (b,B)$ r, k_r
Request encrypted paymendid		
	$\rightarrow \text{payID}, A_{out}$	
		compute $\mathcal{D} = \text{DeriveDH}(r, A_{out})$ compute $\overline{\overline{\text{key } s}} = H_s(\text{point2bytes}(\mathcal{D}) \text{EPIT})$ compute $\overline{\overline{\text{payID}}} = \text{payID} \oplus s$
	$\leftarrow \overline{\overline{\text{payID}}}$	$\overline{\overline{\text{payID}}}$
Data: $R, P_{in}, \overline{\overline{x}}_{in}, I_{in}, P_{out}, \overline{\overline{D}}_{out}$		Data: $(a,A), (b,B)$ r, k_r

V.3. Step 3: spend key

Spend keys for each T_{in} are retrieved in the loop line #225 by calling `generate_key_image_helper` (https://github.com/monero-project/monero/blob/v0.10.3.1/src/cryptonote_core/cryptonote_tx_utils.cpp#L239). The following sequence is the equivalent of the one in `generate_key_image_helper` (https://github.com/monero-project/monero/blob/v0.10.3.1/src/cryptonote_basic/cryptonote_format_utils.cpp#L132). In order not to publish the T_{in} spend key x_{in} to the host, the key is returned encrypted by a session key.

This sequence take into account subaddress-v2 by first retrieving the public derivation data, checking if it belong or not to a subaddress and retrieving the secret key and key image according to that.

Host		Nanos
Data: R T _{in}		Data: (a,A), (b,B) r, k _r
Request \mathcal{D}_{in} derivation data		
	$\rightarrow R_{in}$	
		Check the R_{in} order compute $\mathcal{D}_{in} = \text{DeriveDH}(a, R_{in})$
	$\leftarrow \mathcal{D}_{in}$	
Request key	$\rightarrow \text{idx}$	
		compute private key $x_{in} = \text{DerivePriv}(\mathcal{D}, b)$ if $\text{idx} \neq 0$: $x_{in} = x_{in} + H_s(\text{"subAddr"} \parallel a \parallel \text{idx})$ compute public key $P_{in} = x_{in} \cdot P_{in}$ compute key image $I_{in} = \text{DeriveImg}(x_{in}, P_{in})$ compute $\bar{x}_{in} = \text{AES}[k_r](x_{in})$
	$\leftarrow P_{in}, \bar{x}_{in}, I_{in}$	
Data: R, P_{in} , \bar{x}_{in} , I_{in}		Data: (a,A), (b,B) r, k _r

V.4. Step 4: destination key

The computation destination key is performed by calling `crypto::generate_key_derivation` (https://github.com/monero-project/monero/blob/v0.10.3.1/src/cryptonote_core/cryptonote_tx_utils.cpp#L278) and `crypto::derive_public_key` (https://github.com/monero-project/monero/blob/v0.10.3.1/src/cryptonote_core/cryptonote_tx_utils.cpp#L287). The first one provide an intermediate value D used to blind mask and amount of the confidential commitment C.

In case of subaddress-v2 a dedicated interaction is done to retrieve the change address.

Note here, the derivation data must be kept secret as it is used to blind the amount. The encrypted derivation data is returned to the host and must be stored in tx as temporary data (associated to the destination key) for the subsequent steps.

Host	Nanos	
Data: $R, P_{in}, \tilde{x}_{in}, I_{in}$		Data: $(a,A), (b,B)$ r, R, k_r
Request destination key A_{out}, B_{out} can be either main address or sub address		
	$\rightarrow A_{out}, B_{out}$	
		compute $\mathcal{D} = \text{DeriveDH}(r, A_{out})$ compute $P_{out} = \text{DerivePub}(\mathcal{D}, B_{out})$ compute $\tilde{\mathcal{D}}_{out} = \text{AES}[k_r](\mathcal{D})$
	$\leftarrow P_{out}, \tilde{\mathcal{D}}_{out}$	
Request change key		
	\rightarrow	
		compute $\mathcal{D} = \text{DeriveDH}(a, R)$ compute $P_{out} = \text{DerivePub}(\mathcal{D}, B)$ compute $\tilde{\mathcal{D}}_{out} = \text{AES}[k_r](\mathcal{D})$
	$\leftarrow P_{out}, \tilde{\mathcal{D}}_{out}$	
Data: $R, P_{in}, \tilde{x}_{in}, I_{in}, P_{out}, \tilde{\mathcal{D}}_{out}$		Data: $(a,A), (b,B)$ r, R, k_r

V.5. Step 5: range proof and blinding

Once T_{in} and T_{out} are set up, the genRCT function is called (https://github.com/monero-project/monero/blob/v0.10.3.1/src/cryptonote_core/cryptonote_tx_utils.cpp#L450). First a commitment C to each v_{out} , and associated range proof are computed to ensure the v amount confidentiality. The commitment and its range proof does not imply any secret and generate C, k such $C = k.G + v.H$, where v is the real amount. (<https://github.com/monero-project/monero/blob/v0.10.3.1/src/ringct/rctSigs.cpp#L589>)

Second, k and v are blinded by using the \mathcal{D}_{out} which is only known in an encrypted form by the host. (<https://github.com/monero-project/monero/blob/v0.10.3.1/src/ringct/rctSigs.cpp#L597>) This blinding can be delegated as follow.

Host		Nanos
Data: $R, P_{in}, \tilde{x}_{in}, I_{in}, \tilde{D}_{out}, k_{out}, v_{out}$		Data: $(a,A), (b,B)$ r, R, k_r
Request blinded mask and amount		
	$\rightarrow k, v, \tilde{D}_{out}$	
		compute $\mathcal{D} = AES^{-1}[k_r](\tilde{D}_{out})$ compute $\bar{k} = k + H_{p \rightarrow s}(\mathcal{D})$ compute $\bar{v} = k + H_s(H_{p \rightarrow s}(\mathcal{D}))$
	$\leftarrow \bar{k}, \bar{v}$	
Data: $R, P_{in}, \tilde{x}_{in}, I_{in}, P_{out}, \tilde{D}_{out},$ $k_{out}, v_{out}, \bar{k}_{out}, \bar{v}_{out}$		Data: $(a,A), (b,B)$ r, R, k_r

V.6. Step 6: RCT

The little bit tricky part!

V.6.1. Raw explanation

V.6.1.1. Interaction Overview

After all commitments have been setup, the ring signature operates. The ring confidential signature is performed by calling proveRctMG which call MLSAG_Gen

ProveRctMG : <https://github.com/monero-project/monero/blob/v0.10.3.1/src/ringct/rctSigs.cpp#L613>,

Call to MLSAG_Gen : <https://github.com/monero-project/monero/blob/v0.10.3.1/src/ringct/rctSigs.cpp#L362>

MLSAG_Gen : <https://github.com/monero-project/monero/blob/v0.10.3.1/src/ringct/rctSigs.cpp#L116>

At this point we need to validate amount and destination key on NanoS. Those information are embedded in the message to sign by calling get_pre_mlsag_hash line rctSigs.cpp#L613, prior to calling ProveRctMG. So the get_pre_mlsag_hash function will have to be modified to serialize the rv transaction to NanoS which will validate the tuple <amount,dest> and compute the pre-hash. The prehash will be kept inside NanoS to ensure its integrity. Any further access to the prehash will be delegated.

Once prehash is computed, the proveRctMG is called. This function only builds some matrix and vectors to prepare the signature which is performed by the final call MLSAG_Gen.

During this last step some ephemeral key pairs are generated : α_i, aG_i . All α_i must be kept secret to protect the x_{in} keys. Moreover we must avoid signing arbitrary values during the final loop

<https://github.com/monero-project/monero/blob/v0.10.3.1/src/ringct/rctSigs.cpp#L191>

V.6.1.2. Amount and destination validation

During rv serialisation, NanoS receives a list of tuple $\langle P_{out}, \bar{k}, \bar{v} \rangle$. In order to do that we need to approve the original destination address A_{out} , which is not recoverable from P_{out} . Here the only

solution is to pass the original destination with the rv . (Note this implies to add all A_{out} in the rv structure).

So with A_{out} , we are able to recompute associated D_{out} (see step 3), and recompute P_{out} and check it matches the one in rv . If user validate A_{out} , and P_{out} matches, then P_{out} is validated

Finally, as we now hold D_{out} , we can unblind \tilde{k} and \tilde{v} and validate that $C = kG + vH$, and ask the user to validate the amount v . If both are ok, this TX_{out} is validated.

V.6.2. NanoS interaction

NanoS operates when manipulating the encrypted input secret key at step 2, the prehash, the α_i secret key and the final c value (see step 5.1). So the last function to modify is the `MLSAG_Gen`.

The message (prehash mlsag) is held by the NanoS. So the vector initialization must be skipped and the two calls to `hash_to_scalar(toHash)` must be modified

init: <https://github.com/monero-project/monero/blob/v0.10.3.1/src/ringct/rctSigs.cpp#L139>

call 1: <https://github.com/monero-project/monero/blob/v0.10.3.1/src/ringct/rctSigs.cpp#L158>

call 2: <https://github.com/monero-project/monero/blob/v0.10.3.1/src/ringct/rctSigs.cpp#L182>

The α_i , aG_i generation is delegated to NanoS:

call 1: <https://github.com/monero-project/monero/blob/v0.10.3.1/src/ringct/rctSigs.cpp#L142>

call 2: <https://github.com/monero-project/monero/blob/v0.10.3.1/src/ringct/rctSigs.cpp#L153>

As consequence point computation line 144 is also delegated

Finally the key Image computation must be delegated to the NanoS:

<https://github.com/monero-project/monero/blob/v0.10.3.1/src/ringct/rctSigs.cpp#L148>

V.6.2.1. MLSAG- Prehash

In the following delegation, the NanoS only needs to keep mask and amount of `rv.ecdhInfo` structure which takes 64 bytes per destination.

Host	Nanos	
Data: $R, P_{in}, \bar{x}_{in}, I_{in}, \bar{D}_{out}, rv,$ $k_{out}, v_{out}, \bar{k}_{out}, \bar{v}_{out}$		Data: $(a,A), (b,B)$ r, R, k_r
start rv serialisation		
	$\rightarrow rv.type,$ $rv.txnFee,$ $rv.pseudoOut,$ $rv.ecdhInfo$	
		Init H update H with inputs Keep $ecdhInfo$
		\leftarrow
for each $ctkey$ in $rv.outPk$ send $ctkey$, real destination address and request validation		
	$\rightarrow ctkey_i, (A_i, B_i), \tilde{\mathcal{D}}_i^{(3)}$	
		Compute $\mathcal{D} = AES^{-1}[k_r](\tilde{\mathcal{D}}_i)$ compute $P_{out} = DerivePub(\mathcal{D}, B_{out})$ compute ⁽¹⁾ $k = ecdhInfo.mask - H_{p \rightarrow s}(\mathcal{D})$ compute ⁽¹⁾ $v = ecdhInfo.amount - H_s(H_{p \rightarrow s}(\mathcal{D}))$ check ⁽²⁾ $ctkey_i.mask == k.G + v.H$ check $P_{out} == ctkey_i.dest$ Request user to validate A_i, B_i, v If checks passed and user has validated : update H with $ctkey_i$ else reject the transaction
		\leftarrow
end rv serialisation		
	$\rightarrow rv.rangeSigs,$ $rv.MGs$	
		finalize H with inputs $\Rightarrow mlsag_prehash$
	$\leftarrow ZERO_HASH$	
Data: $R, P_{in}, \bar{x}_{in}, I_{in}, P_{out}, \bar{D}_{out},$ $k_{out}, v_{out}, \bar{k}_{out}, \bar{v}_{out}$		Data: $(a,A), (b,B)$ $r, R, k_r, mlsag_prehash$

Note 1: $ecdhInfo.mask$ is \bar{k} , $ecdhInfo.amount$ is \bar{v}

Note 2: $ctkey_i.mask$ is commitment C

Note 3: $\tilde{\mathcal{D}}_i$ is $\tilde{\mathcal{D}}_{out}$ computed at step 4

V.6.2.2. **MLSAG- signature**

The last step is the signature of the matrix and prehash.

Remember that all private input keys are encrypted by the NanoS, so $xx[i]$ contains \bar{x}_i and $alpha[i]$ will contain $\bar{\alpha}_i$

Host	Nanos	
Data: R, P _{in} , \bar{x}_{in} , I _{in} , \bar{D}_{out} , rv, k _{out} , v _{out} , \bar{k}_{out} , \bar{v}_{out}		Data: (a,A), (b,B) r, k _r , mlsag_prehash
Request $\alpha H_i, \alpha G_i, \Pi_i$		
	$\rightarrow H_i, \bar{x}_i$	
		check the order of H _i generate $\alpha_i, \alpha G_i$ compute $x_{in} = AES^{-1}[k_r](\bar{x}_i)$ compute $\Pi_i = x_i.H_i$ compute $\alpha H_i = \alpha_i.H_i$ compute $\bar{\alpha}_i = AES[k_r](\alpha_i)$
	$\leftarrow \bar{\alpha}_i, \alpha H_i, \alpha G_i, \Pi_i$	
Request αG_i		
	\rightarrow	
		generate $\alpha_i, \alpha G_i$
	$\leftarrow \bar{\alpha}_i, \alpha G_i$	
Data: R, P _{in} , \bar{x}_{in} , I _{in} , P _{out} , \bar{D}_{out} , k _{out} , v _{out} , \bar{k}_{out} , \bar{v}_{out} , $\bar{\alpha}_i$		Data: (a,A), (b,B) r, R, k _r , mlsag_prehash

Then the hash_to_scalar must be fully delegated

Host	Nanos	
Data: R, P _{in} , \bar{x}_{in} , I _{in} , \bar{D}_{out} , rv, k _{out} , v _{out} , \bar{k}_{out} , \bar{v}_{out} , $\bar{\alpha}_i$		Data: (a,A), (b,B) r, R, k _r , mlsag_prehash
Serialize toHash		
	$\rightarrow tohash_{bytes}[]$	
		Set $tohash_{bytes}[0:32] = mlsag_prehash$ compute $c = H(tohash_{bytes}[])$ keep c
	$\leftarrow c$	
Data: R, P _{in} , \bar{x}_{in} , I _{in} , P _{out} , \bar{D}_{out} , k _{out} , v _{out} , \bar{k}_{out} , \bar{v}_{out} , $\bar{\alpha}_i$		Data: (a,A), (b,B) r, R, k _r , mlsag_prehash, c

Finally the last mixup <https://github.com/monero-project/monero/blob/v0.10.3.1/src/ringct/rctSigs.cpp#L191> is also delegated. Here it is important to use the last c value generated by the NanoS. Indeed the c value is a hash of data which contains the prehash as its first 32bytes. This enforces that the final c signed value cannot be forced by the Host and matches the previously user validated amount and destination.

Host		Nanos
Data:		Data:
$R, P_{in}, \bar{x}_{in}, I_{in}, \bar{D}_{out}, rv,$ $k_{out}, v_{out}, \bar{k}_{out}, \bar{v}_{out}, \bar{\alpha}_i$		$(a,A), (b,B)$ $r, k_r, mlsag_prehash$
Request $ss[i]$		
	$\rightarrow \bar{x}_i, \bar{\alpha}_i$	
		compute $\alpha_j = AES^{-1}[k_r](\bar{\alpha}_j)$ compute $x_j = AES^{-1}[k_r](\bar{x}_j)$ compute $ss = (\alpha_i - c * x_j) \% l$
	$\leftarrow ss$	
Data:		Data:
$R, P_{in}, \bar{x}_{in}, I_{in}, P_{out}, \bar{D}_{out},$ $k_{out}, v_{out}, \bar{k}_{out}, \bar{v}_{out}, \bar{\alpha}_i$		$(a,A), (b,B)$ $r, R, k_r, mlsag_prehash$

VI. Conclusion

This draft note explains how to protect Monero transactions of the official client with a NanoS. According to the last SDK, the necessary RAM for global data is evaluated to around 0.8 Kilobytes for a transaction with one output and 1,7 Kilobytes for a transaction with ten outputs.

The proposed NanoS interaction should be enhanced with a strong state machine to avoid multiple requests for the same data and limit any potential cryptanalysis.

VII. Annexes

VII.1. Helper functions

DeriveDH

Input : r, P

Output: D

Monero: generate_key_derivation

$$D = r.P$$

$$D = 8.D$$

DerivePub

input: D, B

output: P

Monero: derive_public_key

$$P = H_{p \rightarrow s}(D).G + B$$

DerivePriv

input: D, b

output: x

Monero: derive_private_key

$$x = H_{p \rightarrow s}(D) + b$$

DeriveImg

input: x, P

output: I

Monero: derive_private_key

$$I = x_{in} \cdot H_p(P_{in})$$

D2s

input: D, idx

output: s

Monero: derive_private_key

$$\begin{aligned} \text{data} &= \text{point2bytes}(D) \parallel \text{scalar2bytes}(\text{idx}) \\ s &= H_s(\text{data}) \end{aligned}$$

DeriveAES

This is just a quick proposal. Any other KDF based on said standard may take place here.

input: R, a, b

output: spk

$$\begin{aligned} \text{hkey} &= \text{sha256}(\text{"AES"} \parallel R \parallel \text{seed}) \\ \text{data} &= \text{hmac_sha256}[\text{hkey}](\text{sha512}(R)) \\ \text{spk} &= \text{lower16}(\text{data}) \end{aligned}$$

seed shall be retrievable from a and b or master seed. Example:

$$\text{seed} = \text{sha256}(\text{sha256}(a) \parallel \text{sha256}(b))$$

VII.2. References

- [1] <https://github.com/monero-project/monero/tree/v0.10.3.1>
- [2] <https://github.com/monero-project/monero/pull/2056>
- [3] <https://github.com/kenshi84/monero/tree/subaddress-v2>
- [4] https://www.reddit.com/r/Monero/comments/6invis/ledger_hardware_wallet_monero_integration/