


RiverFlowDynamics v1.0: A Landlab component for computing two-dimensional river flow dynamics




Angel Monsalve ^{1*}, Sebastian Bernal ^{1*}, and Oscar Link ^{2*}

¹ Center for Ecohydraulics Research, Civil and Environmental Engineering, University of Idaho, Boise, ID, USA ² Departamento de Ingeniería Civil, Universidad de Concepción, Concepción, Chile 

Corresponding author * These authors contributed equally.

DOI: [10.21105/joss.07823](https://doi.org/10.21105/joss.07823)

Software

- [Review](#) 
- [Repository](#) 
- [Archive](#) 

Editor: [Taher Chegini](#) 

Reviewers:

- [@mcflugen](#)
- [@ZhiLiHydro](#)
- [@xiaxilin](#)

Submitted: 09 December 2024

Published: 24 June 2025

License

Authors of papers retain copyright and release the work under a Creative Commons Attribution 4.0 International License ([CC BY 4.0](#)).

Summary

RiverFlowDynamics enables researchers, practitioners, and specialists to simulate how water flows through rivers, streams, and flood plains using realistic physics, making it valuable for flood risk assessment, environmental studies, and water resource management. Numerical modeling of surface water flow is a critical tool in hydrology, hydraulics, and environmental science. These models play a crucial role in predicting and analyzing flow patterns in rivers, flood plains, and coastal areas, informing decisions in water resource management, flood risk assessment, and ecosystem conservation. This paper introduces the novel two-dimensional flow model developed as a component of the Landlab Python Package ([Barnhart et al., 2020](#); [Hobley et al., 2017](#); [Hutton et al., 2020, 2020](#)), designed to simulate river and stream behavior under various flow conditions over natural and artificial topography. RiverFlowDynamics is founded on the depth-averaged Saint-Venant equations, also known as the shallow water equations ([Casulli, 1990, 1999](#)), which capture essential free-surface flow dynamics by assuming vertical accelerations are negligible compared to horizontal ones. For numerical solution, the component employs the finite volume method chosen for its robustness, capacity to handle complex geometries, and inherent conservation properties ([Andersson et al., 2011](#); [Fletcher, 2012](#)), with the model's structure allowing for easy parallelization to enable simulations of extensive river networks or large coastal areas.

A key feature of the model is its semi-implicit and semi-Lagrangian representation that treats water surface elevation and velocity implicitly while handling advective terms explicitly, allowing for larger time steps and enhanced computational efficiency ([Robert, 1981](#); [Robert et al., 1985](#)). The semi-Lagrangian advection scheme tracks fluid particles backwards using Pollock's semi-analytical method ([Pollock, 1988](#)), which assumes linear velocity variation within each grid cell and relaxes the Courant-Friedrichs-Lewy condition ([Bates & McDonald, 1982](#); [Staniforth & Côté, 1991](#)). Source terms primarily account for bottom friction using the Manning-Chezy formula ([Brufau & Garcia-Navarro, 2000](#); [He et al., 2017](#)), while wind stress and Coriolis effects are considered negligible for river applications. The model features robust handling of dry/wet cell transitions using the method of Casulli & Cheng ([1992](#)), which automatically determines wet and dry cell faces based on local flow conditions, and implements boundary conditions including Dirichlet conditions for inlet boundaries and gradient-based or radiation-based conditions for open boundaries to minimize artificial reflections. The model has been validated through comprehensive testing including analytical solutions, numerical stability tests, sensitivity analyses, mass conservation checks, and boundary condition validations.

RiverFlowDynamics offers advantages over simpler overland flow models available in Landlab ([Adams et al., 2017](#); [Almeida et al., 2012](#)) by solving the complete depth-averaged Saint-Venant equations rather than simplified approximations like the kinematic wave equation. This enables comprehensive representation of complex flow dynamics including subcritical and supercritical

flows, hydraulic jumps, and channel-floodplain interactions, making it superior for rapid flood propagation, detailed floodplain mapping, and complex river morphodynamics analysis. The semi-Lagrangian scheme provides enhanced stability for advection-dominated flows, particularly valuable for high-velocity currents or steep terrain applications. Source code is available as part of the Landlab Python package (v2.7.0 and later) with tutorials in the main documentation repository.

Statement of need

RiverFlowDynamics is a Python-based 2D flow model developed as a component of the Landlab framework, addressing a critical gap in modeling complex river systems and flood dynamics. Prior to RiverFlowDynamics, Landlab lacked a comprehensive 2D flow model capable of handling fully advective-dominated problems, particularly in rivers with complex topographies, hindering accurate simulations of diverse flow regimes crucial for advanced hydrological and environmental studies. The model's integration into Landlab's component framework enables future coupling with sediment transport components to simulate morphodynamic processes and assess impacts on aquatic habitat and riverine vegetation dynamics under changing flow conditions.

Compared to existing hydraulic modeling software such as TELEMAC and Delft3D, RiverFlowDynamics offers unique advantages through its native Python implementation and integration with the Landlab framework, providing enhanced interoperability with other Earth surface process models and the broader scientific Python ecosystem while maintaining comparable numerical accuracy. The model solves complete depth-averaged Saint-Venant equations, enabling capture of complex flow dynamics including subcritical and supercritical flows, hydraulic jumps, and channel-floodplain interactions, making it valuable for applications from small-scale stream dynamics to large-scale flood simulations, rapid flood propagation in urban areas, detailed floodplain mapping, and complex river morphodynamics analysis in mountainous regions. The component's open-source nature and Python-based architecture facilitate educational use and research collaboration, while its integration with Landlab's existing visualization and analysis tools streamlines workflow development. Integration with Landlab leverages its established grid structure, visualization tools, and interoperability with other components, facilitating multi-process simulations and reducing development overhead for researchers studying coupled Earth surface processes.

Basic Usage Example

RiverFlowDynamics integrates with Landlab's grid structure. A simple example demonstrates water flow in a rectangular channel:

```
import numpy as np
from landlab import RasterModelGrid
from landlab.components import RiverFlowDynamics

# Create grid/topography
grid = RasterModelGrid((20, 60), xy_spacing=0.1)
z = grid.add_zeros("topographic__elevation", at="node")
z += 0.059 - 0.01 * grid.x_of_node
z[(grid.y_of_node > 1.5) | (grid.y_of_node < 0.5)] = 1.0

# Initialize Fields
grid.add_zeros("surface_water__depth", at="node")
grid.add_zeros("surface_water__velocity", at="link")
wse = grid.add_zeros("surface_water__elevation", at="node")
wse += z
```

```
# Boundary_Conditions
fixed_entry_nodes = np.arange(300, 910, 60)
fixed_entry_links = grid.links_at_node[fixed_entry_nodes][:, 0]

# Run_Model
rfd = RiverFlowDynamics(
    grid,
    dt=0.01,
    fixed_entry_nodes=fixed_entry_nodes,
    fixed_entry_links=fixed_entry_links,
    entry_nodes_h_values=np.full(11, 0.5),
    entry_links_vel_values=np.full(11, 0.45),
)

for _ in range(2001):
    rfd.run_one_step()
```

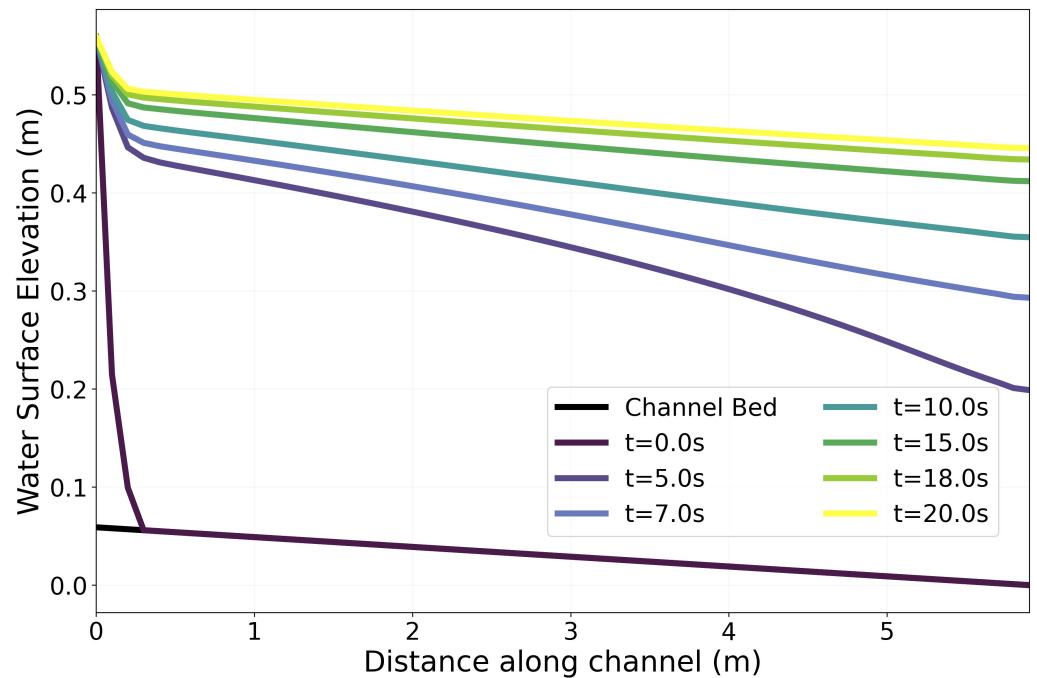


Figure 1: Figure 1: Time evolution of the water surface elevation along a 1% slope channel. The water progressively fills the channel from an initially dry state ($t=0.0s$) to steady-state flow conditions ($t=20.0s$)

Acknowledgements

This research was supported by NSF EPSCoR (Award #2242769) and Chile's ANID FONDECYT Iniciación (Grant #11200949 to AM). Landlab development was funded by NSF (Awards #1147454, #1148305, #1450409, #1450338, #1450412) and the Community Surface Dynamics Modeling System (NSF Awards #1226297, #1831623).

References

- Adams, J. M., Gasparini, N. M., Hobley, D. E. J., Tucker, G. E., Hutton, E. W. H., Nudurupati, S. S., & Istanbuluoglu, E. (2017). The Landlab v1.0 OverlandFlow component: A Python tool for computing shallow-water flow across watersheds. *Geoscientific Model Development*, 10(4), 1645–1663. <https://doi.org/10.5194/gmd-10-1645-2017>
- Almeida, G. A. M. de, Bates, P., Freer, J. E., & Souvignet, M. (2012). Improving the stability of a simple formulation of the shallow water equations for 2-D flood modeling. *Water Resources Research*, 48(5). <https://doi.org/10.1029/2011WR011570>
- Andersson, B., Andersson, R., Håkansson, L., Mortensen, M., Sudiyo, R., & Van Wachem, B. (2011). *Computational Fluid Dynamics for engineers*. Cambridge University Press. <https://doi.org/10.1017/CBO9781139093590>
- Barnhart, K. R., Hutton, E. W. H., Tucker, G. E., Gasparini, N. M., Istanbuluoglu, E., Hobley, D. E. J., Lyons, N. J., Mouchene, M., Nudurupati, S. S., Adams, J. M., & others. (2020). Landlab v2.0: A software package for Earth surface dynamics. *Earth Surface Dynamics*, 8(2), 379–397. <https://doi.org/10.5194/esurf-8-379-2020>
- Bates, J. R., & McDonald, A. (1982). Multiply-upstream, semi-Lagrangian advective schemes: Analysis and application to a multi-level primitive equation model. *Monthly Weather Review*, 110(12), 1831–1842. [https://doi.org/10.1175/1520-0493\(1982\)110%3C1831:MUSLAS%3E2.0.CO;2](https://doi.org/10.1175/1520-0493(1982)110%3C1831:MUSLAS%3E2.0.CO;2)
- Brufau, P., & Garcia-Navarro, P. (2000). Two-dimensional dam break flow simulation. *International Journal for Numerical Methods in Fluids*, 33(1), 35–57. [https://doi.org/10.1002/\(SICI\)1097-0363\(20000515\)33:1%3C35::AID-FLD999%3E3.0.CO;2-D](https://doi.org/10.1002/(SICI)1097-0363(20000515)33:1%3C35::AID-FLD999%3E3.0.CO;2-D)
- Casulli, V. (1990). Semi-implicit finite difference methods for the two-dimensional shallow water equations. *Journal of Computational Physics*, 86(1), 56–74. [https://doi.org/10.1016/0021-9991\(90\)90091-E](https://doi.org/10.1016/0021-9991(90)90091-E)
- Casulli, V. (1999). A semi-implicit finite difference method for non-hydrostatic, free-surface flows. *International Journal for Numerical Methods in Fluids*, 30(4), 425–440. [https://doi.org/10.1002/\(SICI\)1097-0363\(19990630\)30:4%3C425::AID-FLD847%3E3.0.CO;2-D](https://doi.org/10.1002/(SICI)1097-0363(19990630)30:4%3C425::AID-FLD847%3E3.0.CO;2-D)
- Casulli, V., & Cheng, R. T. (1992). Semi-implicit finite difference methods for three-dimensional shallow water flow. *International Journal for Numerical Methods in Fluids*, 15(6), 629–648. <https://doi.org/10.1002/flid.1650150602>
- Fletcher, C. A. J. (2012). *Computational Techniques for Fluid Dynamics 2: Specific techniques for different flow categories*. Springer Science & Business Media. <https://doi.org/10.1007/978-3-642-58239-4>
- He, Z., Wu, T., Weng, H., Hu, P., & Wu, G. (2017). Numerical simulation of dam-break flow and bed change considering the vegetation effects. *International Journal of Sediment Research*, 32(1), 105–120. <https://doi.org/10.1016/j.ijsrc.2015.04.004>
- Hobley, D. E. J., Adams, J. M., Nudurupati, S. S., Hutton, E. W. H., Gasparini, N. M., Istanbuluoglu, E., & Tucker, G. E. (2017). Creative computing with Landlab: An open-source toolkit for building, coupling, and exploring two-dimensional numerical models of Earth-surface dynamics. *Earth Surface Dynamics*, 5(1), 21–46. <https://doi.org/10.5194/esurf-5-21-2017>
- Hutton, E., Barnhart, K., Hobley, D., Tucker, G., Nudurupati, S., Adams, J., Gasparini, N., Shobe, C., Strauch, R., Knuth, J., Mouchene, M., Lyons, N., Litwin, D., Glade, R., Giuseppepolla95, Manaster, A., Abby, L., Thyng, K., & Rengers, F. (2020). *Landlab*. <https://doi.org/10.5281/zenodo.595872>
- Pollock, D. W. (1988). Semianalytical Computation of Path Lines for Finite-Difference Models.

- Groundwater*, 26(6), 743–750. <https://doi.org/10.1111/j.1745-6584.1988.tb00425.x>
- Robert, A. (1981). A stable numerical integration scheme for the primitive meteorological equations. *Atmosphere-Ocean*, 19(1), 35–46. <https://doi.org/10.1080/07055900.1981.9649098>
- Robert, A., Yee, T. L., & Ritchie, H. (1985). A semi-Lagrangian and semi-implicit numerical integration scheme for multilevel atmospheric models. *Monthly Weather Review*, 113(3), 388–394. [https://doi.org/10.1175/1520-0493\(1985\)113%3C0388:ASLASI%3E2.0.CO;2](https://doi.org/10.1175/1520-0493(1985)113%3C0388:ASLASI%3E2.0.CO;2)
- Staniforth, A., & Côté, J. (1991). Semi-Lagrangian integration schemes for atmospheric models—A review. *Monthly Weather Review*, 119(9), 2206–2223. [https://doi.org/10.1175/1520-0493\(1991\)119%3C2206:SLISFA%3E2.0.CO;2](https://doi.org/10.1175/1520-0493(1991)119%3C2206:SLISFA%3E2.0.CO;2)