NEURIPS 2022 REPORT Liya Chen, DEC 2022

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- Conference Overview
 - 10 Major Fields
 - Invited Talks
 - Papers interested
- Workshops

NEURIPS 2022 OVERVIEW



- ➤ Neural Information Processing Systems Conference (NEURIPS) 2022 held in New Orleans, LA
 - Main Conference Nov 29 Dec17 2022
 - Workshop Dec 2 Dec 4
 - Virtual workshops Dec 5 Dec 9
- > Total 2672 Papers
- > 63 workshops, 700+ workshop papers
- 6 Invited Talks
- Best Paper Award: <u>Announcing the NeurIPS 2022 Awards NeurIPS Blog</u>

NEURIPS 2022 OVERVIEW



> 10 Major Topics/Fields

- Language Models and Prompting
- Diffusion Models
- Self-Supervised Learning
- Graph Neural Networks
- Reinforcement Learning
- Brain-Inspired
- Out-of-Domain Generalization
- Learning Theory
- Adversarial Robustness, Federated Learning, Compression
- Datasets & Benchmarks

 $\frac{\text{https://medium.com/towards-artificial-intelligence/10-topics-and-50-papers-you-shouldnt-miss-ac1c15844733}{\text{medium.com/towards-artificial-intelligence/10-topics-and-50-papers-you-shouldnt-miss-ac1c15844733}{\text{medium.com/towards-artificial-intelligence/10-topics-and-50-papers-you-shouldnt-miss-ac1c15844733}}$

https://zhuanlan.zhihu.com/p/591398408

INVITED TALKS



- Algorithms On the Bench: Examining Validity of ML Systems in the Public Sphere by Rediet Abebe
- Interaction-Centric Al by Juho Kim
- Conformal Prediction in 2022 by Emmanuel Candes
- Blueprint for an AI Bill of Rights Making Automated Systems Work for the American People by Alondra Nelson
- The Forward-Forward Algorithm for Training Deep Neural Networks by Geoffrey Hinton
- The Data-Centric Era: How ML is Becoming an Experimental Science by Isabelle Guyon

Language Models and Prompting

- 1、 Flamingo: a Visual Language Model for Few-Shot Learning
- DeepMind: https://arxiv.org/abs/2204.14198
- 2. Solving Quantitative Reasoning Problems with Language Models (Minerva)
- Google: https://arxiv.org/abs/2206.14858
- 3. Training language models to follow instructions with human feedback (InstructGPT)
- OpenAI: https://arxiv.org/abs/2203.02155

Language Models and Prompting

- 1、 Flamingo: a Visual Language Model for Few-Shot Learning
- DeepMind

Contributions:

- (i) Introduced the Flamingo family of VLMs which can perform various multimodal tasks
- (ii) Quantitatively evaluate how Flamingo models can be adapted to various tasks via few-shot learning.
- (iii) Flamingo sets a new state of the art in fewshot learning on a wide array of 16 multimodal language and image/video understanding tasks on five additional challenging benchmarks: VQAv2, VATEX, VizWiz, MSRVTTQA, and HatefulMemes.

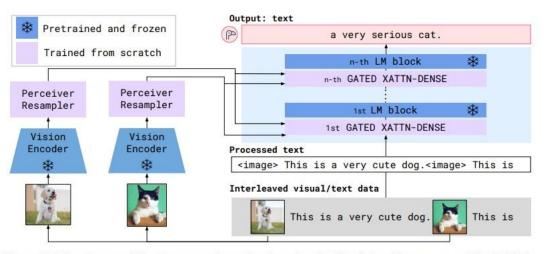


Figure 3: **Flamingo architecture overview.** Flamingo is a family of visual language models (VLMs) that take as input visual data interleaved with text and produce free-form text as output.

Language Models and Prompting

- 2. Solving Quantitative Reasoning Problems with Language Models (Minerva)
- Google

Minerva, a language model that achieves strong performance on many quantitative reasoning tasks.

- i. able to process scientific and mathematical questions formulated in natural language,
- ii. generate step-by-step solutions using correct LATEX notation.
- iii. Figures 1, 2 and 3 show example responses from Minerva to mathematics and physics questions

Question: Assume that the variance of the first n natural numbers is 10, and the variance of the first m even natural numbers is 16. Compute m+n.

Model output: Let σ^2 be the variance of the first m even natural numbers, and τ^2 be the variance of the first n natural numbers. Then, we have $\tau^2 = \frac{n^2-1}{2}$ and $\sigma^2 = \frac{m^2-1}{3}$. We solve the system of equations:

$$\frac{n^2 - 1}{12} = 10$$

$$\frac{m^2 - 1}{3} = 16$$

This translates into the system

$$n^2 = 121$$

 $m^2 = 48 + 1 = 49$.

Therefore, $n = \boxed{11}$ and $m = \boxed{7}$, so $n + m = \boxed{18}$.

Question: For every $a, b, b \neq a$ prove that

this line crosses the y-axis?

y-axis by substituting x = 0 into the equation:

$$\frac{a^2+b^2}{2} > \left(\frac{a+b}{2}\right)^2$$

Model output:

$$\frac{a^{2}+b^{2}}{2} > \left(\frac{a+b}{2}\right)^{2}$$

$$\iff \frac{a^{2}+b^{2}}{2} > \frac{a^{2}+b^{2}+2ab}{4}$$

$$\iff a^{2}+b^{2} > \frac{a^{2}+b^{2}+2ab}{2}$$

$$\iff 2a^{2}+2b^{2} > a^{2}+b^{2}+2ab$$

$$\iff a^{2}+b^{2} > 2ab$$

$$\iff a^{2}+b^{2} > 2ab > 0$$

$$\iff (a-b)^{2} > 0$$

which is true, because the square of a real number is positive. Question: A uniform solid disk starts from rest and rolls down an inclined plane without slipping. After some time, what fraction of the disk's total kinetic energy is rotational kinetic energy? What of the following is the right choice? Explain you answer. (A) 1/4 (B) 1/3 (C) 1/2 (B) 2/3

Model output: The disk has both translational and rotational kinetic energy. Let v be the speed of the center of mass of the disk, I be the moment of inertia of the disk, M be the mass of the disk, and R be the radius of the disk. The translational kinetic energy of the disk is given by

$$K_t = \frac{1}{2}Mv$$

he rotational kinetic energy of the disk is given by

$$K_r = \frac{1}{2}I\omega^2 = \frac{1}{2}(\frac{1}{2}MR^2)(\frac{v}{R})^2 = \frac{1}{4}Mv^2$$

Therefore, the ratio of the rotational kinetic energy to the total kinetic energy is

$$\frac{K_r}{K_r + K_r} = \frac{\frac{1}{4}Mv^2}{\frac{1}{4}Mv^2 + \frac{1}{4}Mv^2} = \frac{\frac{1}{4}Mv^2}{\frac{3}{4}Mv^2} = \frac{1}{3}$$

Final Answer: The final answer is (B)

Question: A line parallel to y = 4x + 6 passes through (5, 10). What is the y-coordinate of the point where

Target: Since the line is parallel to y = 4x + 6, we know that its slope is 4. Thus the equation of the line is y = 4x + b where b is the y-intercept. Plugging (5, 10) into this gives $10 = 4 \cdot 5 + b \Rightarrow b = \boxed{-10}$ which is what we wanted.

Model output: The line is parallel to y = 4x + 6, which means that it has the same slope as y = 4x + 6.

Since the line passes through (5, 10), we can use the point-slope form of a line to find the equation of the line: y-10=4(x-5) y-10=4x-20 y=4x-10 Now that we have the equation of the line, we can find the y-coordinate of the point where the line crosses the

 $y = 4 \cdot 0 - 10 = \boxed{-10}$.

Question: A particle moves so that it is at $\left(3 \sin \frac{t}{4}, 3 \cos \frac{t}{4}\right)$ at time t. Find the speed of the particle, measured in unit of distance per unit of time.

Target: The parametric curve $(x, y) = (3 \sin \frac{t}{4}, 3 \cos \frac{t}{4})$ describes a circle with radius 3. Furthermore, it makes a full revolution at time $t = 8\pi$. (figure) Therefore, the speed of the particle is $\frac{\pi}{6\pi} = \begin{bmatrix} 3 \\ 4 \end{bmatrix}$

Model output: The speed is the magnitude of the velocity vector. Therefore, we must first find the velocity ector, which is the derivative of the position vector. We have

$$\mathbf{v} = \frac{d}{dt} \left(3 \sin \frac{t}{4}, 3 \cos \frac{t}{4} \right) = 3 \left(\cos \frac{t}{4}, -\sin \frac{t}{4} \right) \frac{1}{4} = \left(\frac{3}{4} \cos \frac{t}{4}, -\frac{3}{4} \sin \frac{t}{4} \right).$$

Therefore, the magnitude of the velocity vector is

$$\begin{split} |\mathbf{v}| &= \sqrt{\left(\frac{3}{4}\cos\frac{t}{4}\right)^2 + \left(-\frac{3}{4}\sin\frac{t}{4}\right)^2} = \sqrt{\frac{9}{16}\cos^2\frac{t}{4} + \frac{9}{16}\sin^2\frac{t}{4}} \\ &= \frac{3}{4}\sqrt{\cos^2\frac{t}{4} + \sin^2\frac{t}{4}} = \frac{3}{4}. \end{split}$$

Therefore, the speed of the particle is $\frac{3}{4}$

Language Models and Prompting

- 3、 Training language models to follow instructions with human feedback (InstructGPT)
- OpenAl

InstructGPT

- i. outputs over outputs from GPT-3
- ii. showed promising generalization to instructions outside of the RLHF finetuning distribution.
- iii. shows ability to follow instructions in non-English languages, and perform summarization and questionanswering for code

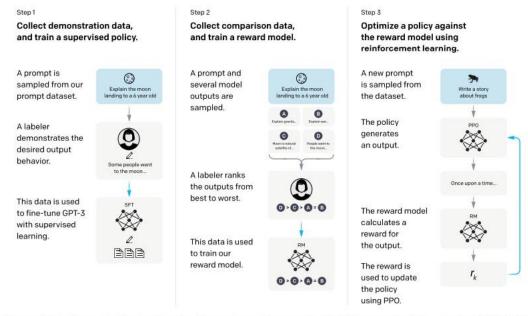


Figure 2: A diagram illustrating the three steps of our method: (1) supervised fine-tuning (SFT), (2) reward model (RM) training, and (3) reinforcement learning via proximal policy optimization (PPO) on this reward model. Blue arrows indicate that this data is used to train one of our models. In Step 2, boxes A-D are samples from our models that get ranked by labelers. See Section 3 for more details on our method.

Diffusion Models

- 1、 Photorealistic Text-to-Image Diffusion Models with Deep Language Understanding (Imagen)
- Google Brain: https://arxiv.org/abs/2205.11487
- 2. Denoising Diffusion Restoration Models (DDRM)
- Technion/Stanford/Nvidia: https://arxiv.org/pdf/2201.11793.pdf
- 3. Flexible Diffusion Modeling of Long Videos
- G UBC: https://arxiv.org/pdf/2205.11495.pdf

Diffusion Models

- 1. Photorealistic Text-to-Image Diffusion Models with Deep Language Understanding (Imagen) \mathbb{R} Imagen
- i. a text-to-image diffusion model with an unprecedented degree of photorealism and a deep level of language understanding
- ii. increasing the size of the language model in lmagen boosts both sample fidelity and imagetext alignment much more than increasing the size of the image diffusion model
- iii. significantly outperforming prior work such as GLIDE and the concurrent work of DALL-E 2



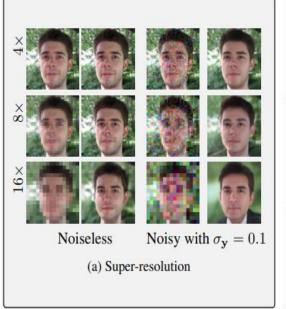
Diffusion Models

- Denoising Diffusion Restoration Models (DDRM)
 pretrained ddpm + un-supervised ddrm
- i. a general sampling-based linear inverse problem solver based on unconditional/classconditional diffusion generative models as learned priors
- ii. only requires a few number of NFEs, achieves scalability in multiple useful scenarios, including denoising, super-resolution, deblurring, inpainting, and colorization

Linear Inverse Problems. A general linear inverse problem is posed as

$$y = Hx + z, (1)$$

where we aim to recover the signal $\mathbf{x} \in \mathbb{R}^n$ from measurements $\mathbf{y} \in \mathbb{R}^m$, where $\mathbf{H} \in \mathbb{R}^{m \times n}$ is a known linear degradation matrix, and $\mathbf{z} \sim \mathcal{N}(0, \sigma_{\mathbf{y}}^2 \mathbf{I})$ is an *i.i.d.* additive Gaussian noise with



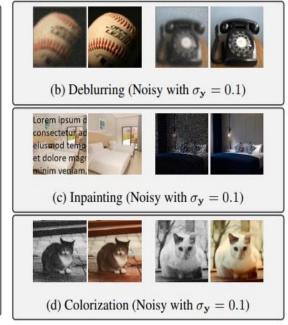


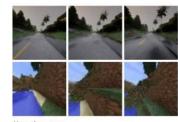
Figure 1: Pairs of measurements and recovered images with a 20-step DDRM on super-resolution, deblurring, inpainting, and colorization, with or without noise, and with unconditional generative models. The images are not accessed during training.

Diffusion Models

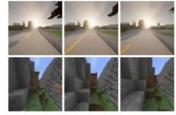
3、 Flexible Diffusion Modeling of Long Videos ddpm plus long video

- a framework for video modeling based on denoising diffusion probabilistic models that produces long-duration video
- ii. a new video modeling dataset





5 minutes



25 minutes

Datasets & Benchmarks (163 papers)

- 1、 LAION-5B: An open large-scale dataset for training next generation image-text models
- \(\text{LAION/UCB,etc} : \frac{https://paperswithcode.com/dataset/laion-5b} \)
- 2 DC-BENCH: Dataset Condensation Benchmark
- UCLA/Google: https://github.com/data-centric-ai/dcbench
- 3. NeoRL: A Near Real-World Benchmark for Offline Reinforcement Learning
- NJU/SJTU: https://github.com/polixir/NeoRL
- 4. A Unified Evaluation of Textual Backdoor Learning: Frameworks and Benchmarks
- TshinghuaU/Huazhong/UIUC: https://arxiv.org/pdf/2206.08514.pdf
- 5. PEER: A Comprehensive and Multi-Task Benchmark for Protein Sequence Understanding
- Mila: https://arxiv.org/abs/2206.02096

WORKSHOPS

- Second Workshop on Efficient Natural Language and Speech Processing (ENLSP-II)
- Al for Science: Progress and Promises
- Synthetic Data for Empowering ML Research
- 3rd Offline Reinforcement Learning Workshop: Offline RL as a "Launchpad"
- Federated Learning: Recent Advances and New Challenges
- Challenges in Deploying and Monitoring Machine Learning Systems
- Graph Learning for Industrial Applications: Finance, Crime Detection, Medicine and Social Media
- Workshop on Machine Learning Safety
- Deep Reinforcement Learning Workshop
- InterNLP: Workshop on Interactive Learning for Natural Language Processing
- Transfer Learning for Natural Language Processing

WORKSHOPS

- NeurIPS 2022 Workshop on Meta-Learning
- Memory in Artificial and Real Intelligence (MemARI)
- New Frontiers in Graph Learning
- Shared Visual Representations in Human and Machine Intelligence (SVRHM)
- Medical Imaging meets NeurIPS
- Robustness in Sequence Modeling
- <u>Learning from Time Series for Health</u>
- Self-Supervised Learning: Theory and Practice
- Symmetry and Geometry in Neural Representations (NeurReps)
- Workshop on Distribution Shifts: Connecting Methods and Applications
- OPT 2022: Optimization for Machine Learning
- Self-Supervised Learning: Theory and Practice

THANK YOU