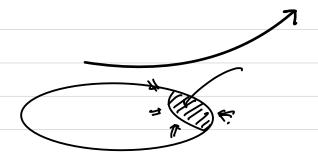
Test. OT. Notang you



$$\frac{3}{5}x - 2 = \frac{1}{4}x + \frac{3}{3} = \frac{5}{21}$$

$$(6^{2} - 2^{2})$$

$$\frac{1}{3}x + \frac{9}{9}y = 4$$

$$\frac{6^{2}-2^{2}}{\sqrt{2}} \times \sqrt{3}$$

$$\frac{1}{3}x + \frac{9}{9}y = 4$$

①
$$\frac{3}{5}x - 2 = \frac{1}{4}x + \frac{2}{7}\frac{160}{21}$$
⑤ $\frac{(6^2 - 2^2)}{7} \times \sqrt{3} \cdot \sqrt{4}$
② $\frac{5}{7}x + \frac{9}{7}y = 4$
⑥ $\frac{(6^2 - 2^2)}{7} \times \sqrt{3} \cdot \sqrt{4}$
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④ $\frac{(6^2 - 2^2)}{7} \times \sqrt{3} \cdot \sqrt{3} \cdot$

$$\frac{1}{2} = \frac{1}{2} = \frac{1}$$

(Sin 30°

€ SM2x= 1/2,

@ C08 45°

-Z = R = T かい つんてどう

€ P= (-1, -2) only

3 514 1 Ta

xनेग ०२ ०० ०१ ६

⊕ Cas !! 70

312 O

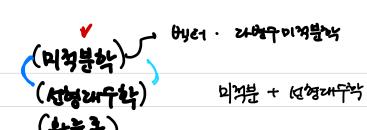
=> cos0 = ? vn0 = ?

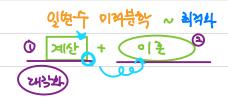
$$A = \begin{pmatrix} 1 & 2 & 5 \\ 0 & 1 & 2 \end{pmatrix} \qquad B = \begin{pmatrix} 2 & 1 \\ 3 & 0 \\ 1 & -1 \end{pmatrix} \qquad C = \begin{pmatrix} 1 & 3 \\ 0 & 1 \end{pmatrix} \qquad D = \begin{pmatrix} 1 \\ 2 \\ 3 \end{pmatrix}$$

$$O AB = ? \qquad \begin{pmatrix} 13 & -4 \\ 5 & -2 \end{pmatrix}$$

1. 건둥궁 면단이 정의되는 경국군²

$$\vec{a} = (1, 2, 3), \vec{b} = (1, 0, -1), \vec{c} = (-1, 2)$$





python R SAJ Matlab