# Problem C: Generating Generations

Filename: c
Time Limit: 1 second

Frogs are pretty neat. They capture food by shooting their tongue out in a flipping motion, and latching onto prey. Because of this, it is advantageous for a species of frog to have a longer tongue so that they can capture prey more easily.

Red Tree Frogs have known about this advantage for a long time, and have prepared their evolution appropriately over the last few decades. However, other species of frogs are a little bit behind on the evolutionary learning curve.

For every new generation of this species of frog, the tongues get longer. Specifically, if a particular generation of this species has a tongue length of L, then we know that the next generation will have a tongue length of exactly 2L + 1.

It can be shown that given infinite time, a species of frog will eventually have an infinitely long tongue. This is why it is so important for generations of frogs to continue generating new generations of frogs!

A species of frog has come to you to ask for your help. They wonder, at their current generations' tongue length  $\mathbf{x}$ , for some target tongue length  $\mathbf{y}$ , what is the minimum number of generations needed until the species' tongue length is at least  $\mathbf{y}$ ?

#### Problem

For a starting tongue length  $\mathbf{x}$  and target tongue length  $\mathbf{y}$ , compute the number of generational generations until the tongue length of the species is at least  $\mathbf{y}$ .

### **Input**

The first line of input contains a single positive integer, **s**, representing the number of species you are asked to consider.

Each test case will contain one line with two positive integers  $\mathbf{x}$ , representing the current tongue length of this generation, and  $\mathbf{y}$ , the target tongue length of the species.

### Output

For each species, print the number of generations until they reach their target tongue length. If their current tongue length is already at least **y**, print 0.

## **Input Bounds and Corresponding Credit**

- $1 \le s \le 10^4$
- $1 \le x, y \le 10^6$

## <u>Samples</u>

Input	Output
4	2
3 12	0
4 4	0
10 9	1
5 11	