```
Age Siblings/Spouses Aboard Parents/Children Aboard
 Out[2]:
                 Survived
                            Pclass
                                                                                         Fare
         count 887.000000 887.000000 887.000000
                                                        887.000000
                                                                            887.000000 887.00000
                           2.305524 29.471443
                                                         0.525366
                                                                             0.383315 32.30542
                 0.385569
          mean
                 0.487004
                           0.836662
                                   14.121908
                                                         1.104669
                                                                             0.807466 49.78204
                           1.000000
                                    0.420000
                                                         0.000000
                                                                             0.000000
                                                                                      0.00000
                 0.000000
           min
                                                         0.000000
           25%
                 0.000000
                           2.000000
                                    20.250000
                                                                             0.000000
                                                                                      7.92500
           50%
                 0.000000
                           3.000000 28.000000
                                                         0.000000
                                                                             0.000000 14.45420
                           3.000000
                                   38.000000
                                                         1.000000
                                                                             0.000000 31.13750
                 1.000000
                          3.000000 80.000000
                                                                             6.000000 512.32920
                                                         8.000000
                 1.000000
           max
In [21]: # Preprocession and train test split
          # Build a wrangle function that processes the data and
          # split the data into X and y dataframes
          def titanic_tripulation(df):
              # Make a copy of the data
              df = df.copy()
              # Drop Name because it doesn't help predict
              # Drop Fare because it correlates heavily with Pclass
              drop_columns = ['Name', 'Pclass']
              df = df.drop(drop_columns, axis=1)
              # One hot encode the sex column to split it into a Male and Female colum
              dummies = pd.get_dummies(data=df, prefix=['Sex'])
              concatenation = pd.concat([df, dummies], axis='columns')
              # Separate the target and the rest of the features
              concatenation = concatenation.drop(['Survived', 'Sex'], axis=1)
              concatenation = concatenation.loc[:,~concatenation.columns.duplicated()]
              features = concatenation.columns
              target = 'Survived'
              # Create X and y dataframes
              X = concatenation[features]
              y = df[target]
              return X, y
          X,y = titanic_tripulation(df)
 In [4]: # Perform the train-test-split
          X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.20, random_state=42)
 In [5]: # Improve the model and find out the optimal K value
          error_rate = []
          Where 40 is the top for K, selected for us.
          for i in range(1, 40):
              knn = KNeighborsClassifier(n_neighbors=i).fit(X_train, y_train)
              predict_y = knn.predict(X_test)
              error_rate.append(np.mean(predict_y != y_test))
          plot error rate Vs K value
          plt.figure(figsize=(10,6))
          plt.plot(range(1,40), error_rate, color='blue', linestyle='dashed',
                  marker='o', markerfacecolor='red', markersize = 10)
          plt.title('Error rate Vs K value')
          plt.xlabel('K')
          plt.ylabel('Error rate')
          print("Minimum error:-", min(error_rate), "at K =", error_rate.index(min(error_rate)))
         Minimum error: 0.2696629213483146 at K = 8
                                           Error rate Vs K value
           0.35
           0.34
           0.33
           0.32
         할 0.31
            0.30
           0.29
           0.28
            0.27
                                          15
                                                           25
 In [6]: # Create KNN classifier object and determine the number of neighbors (n_neighbors) parameter
          model = KNeighborsClassifier(n_neighbors=8)
          # Fit the model to the data
          model.fit(X_train, y_train)
          # Make our predictions on the X_test set
          predict_y = model.predict(X_test)
          print("Acuaricy of model with sklearn at K=8 is:", metrics.accuracy_score(y_test, predict_y))
         Acuaricy of model at K=8 is: 0.7134831460674157
 In [7]: | # KNN algorithm by hand
          # Helper functions
          def _sqrt(x):
              return x**.5
          # calculate Euclidean distance
          def euclideanDistance(row1, row2):
              Finds the Euclidean distance between two rows. I.e. Get the difference between two features,
              apply the square and attach that value to a general distance value and
              at the end apply the square root to the accumulated distance.
              # Each time we call the function we are setting the "distance" variable
              # to 0.0
              distance = 0.0
              for i in range(len(row1) -1):
                  # Add the distance between each feature in the two rows
                  distance += (row1[i] - row2[i])**2
              # Return the square root of the distance between the two rows
              return _sqrt(distance)
In [19]: class KNNHomebrew:
              def __init__(self, k=3):
                  self.k = k # number of neighbors
              def model_fit(self, X, y):
                  Fits the training data to the model.
                  KNN simply memorizes the data. So fitting the data is simple creating class
                  variables for the X_train and y_train.
                  self.X_train = X
                  self.y_train = y
              def model_predict_all(self, X_text):
                  usign model_predict_all we can make prediction on an array of new data
                  self.predictions = []
                  for i in range(len(X_test)):
                      x = self.model_predict(X_test.iloc[i])
                      self.predictions.append(x)
                  return np.array(self.predictions)
              def model_predict(self, row):
                  This method lets us make a prediction on one new row of data.
                  # First need to find Euclidean distance between the incoming row
                  # and all the other rows that belong to the train set
                  all_distances = {i: euclideanDistance(row, self.X_train.iloc[i]) for i in range(len(self.X_train))}
                  # Get the k closest position of incoming row
                  sort_orders = [k for k, v in sorted(all_distances.items(), key=lambda item: item[1])][:self.k]
                  # Make the prediction, taking the output of the k closest positions (rows).
                  # Get the value "Survived" and attach
                  output_values = []
                  for k in sort_orders:
                      output_values.append(self.y_train.iloc[k])
                  # Take as predict the major number of occurrences.
                  # I.e. if major numer of occurrences = 1 -> prediction = 1 (survive)
                  prediction = max(set(output_values), key=output_values.count)
                  return prediction
              def model_accuracy(self, y_test, predict_y):
                  Calculate the accuracy score of the new data
                  return sum(predict_y == y_test) / len(y_test)
In [20]: # Create KNN instance and indicate the number of neighbors to evaluate
          Knn = KNNHomebrew(8)
          # Fit the model to the train data
          Knn.model_fit(X_train, y_train)
          # Make predictions on the test set
          predict_y = Knn.model_predict_all(X_test)
          print("manual model accuracy: {}".format(Knn.model_accuracy(y_test, predict_y)))
          print("Acuaricy of model at K=8 is:", metrics.accuracy_score(y_test, predict_y))
         manual model accuracy: 0.6910112359550562
         Acuaricy of model at K=8 is: 0.6910112359550562
```

In [1]: # Standard imports

matplot

In [2]: # Load the data

df.describe()

import numpy as np
import pandas as pd

%matplotlib inline

Scikit-learn imports

from sklearn import metrics

import matplotlib.pyplot as plt

import matplotlib.ticker as ticker

from matplotlib.ticker import NullFormatter

df = pd.read_csv("data_sets/titanic.csv")

from sklearn.model_selection import train_test_split
from sklearn.neighbors import KNeighborsClassifier