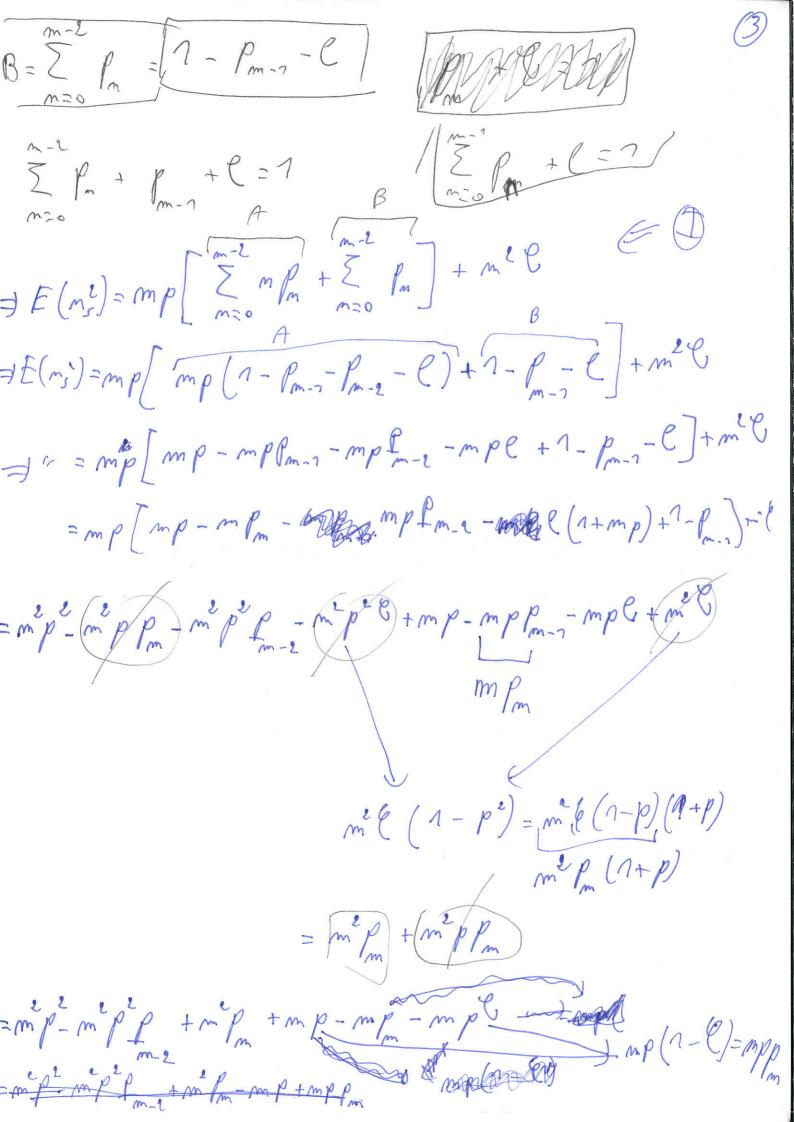


$$\frac{1}{2} \sum_{m=1}^{n} \frac{(mp)^{m-2}}{(m-1)!} \times (mp)^{n} + \sum_{m=1}^{n} \frac{(mp)^{n}}{(m-1)!} \times (mp)^{n} \times ($$



$$E(m_{s}) = m p^{2} + -m p^{2} + m p + m p - m p - m p^{2}$$

$$E(m_{s}) = m p^{2} (1 - p_{m-2}) + p (m^{2} - m) + m p (1 - p)$$

$$E(m_{s}) = m^{2} p^{2} (1 - p_{m-2}) + p (m^{2} - m) + m p (1 - p)$$

$$E(m_{s}) = m^{2} p^{2} (1 - p_{m-2}) + p (m^{2} - m) + m p (1 - p)$$

$$E(m_{s}) = m^{2} p^{2} (1 - p_{m-2}) + p (m^{2} - m) + m p (1 - p)$$

mp (n-p-Pm)

come en faction don le bouguin:

corde 
$$P = 1$$
  $\Rightarrow E(m) = P - (m-m)(1-p) + (n-m)(m-m) + p(n-e)$   
=  $P^2 + p(n-e)$ 

$$E(n_i) = p^n + p(n - e)/$$



$$\mathcal{L} = \frac{m P_m}{m - p} \times \left(P_0 \times P_c\right)$$

$$= \frac{C}{(C-p)} \times \frac{P_0 \times P_0}{C} = \frac{P_0 P_0}{(C-p)}$$

$$= |E(m_i)| = p^2 + p(7 - \frac{p}{o}p^2)$$

$$= |E(m_i)| = p^2 + p(7 - e)$$