SwiftCalcs

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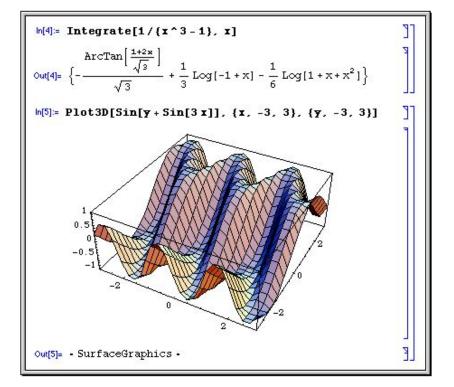
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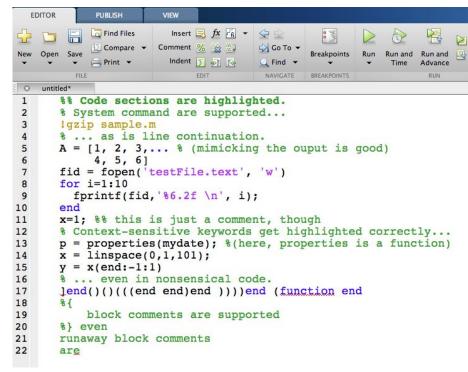
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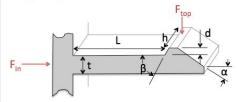








To determine the appropriate thickness for this feature, we first start with inputs that define other aspects of the geometry and the material of choice:



We are seeking to solve for the beam thickness t based on the other known variables.

Inputs



For the angles of the entry plane, we have changed the unit to 'degrees' instead of radians:

α ≡ 43 deg №

Our desired assembly force:

$$F_{in} \equiv$$
 60 N

Friction:

 $6 \mid \mu \equiv 0.41$

Maximum Allowable Strain for Nylon:

$$\epsilon_{max} \equiv 10\%$$

Modulus for Nylon:

8 > $E \equiv 2.400 \text{ MPa}$

Calculation

Our first step is to convert the push force into the deflection force. This is done using simple geometry and friction calculations:

$$F_{top} \equiv F_{in} \cdot \frac{1 - \mu \cdot \tan(\alpha)}{\mu + \tan(\alpha)}$$

To calculate the strain, we need to know the deflection magnification factor Q. This factor is a function of the beam aspect ratio L/t and has a non-standard form. We will fit a curve to data from experiments to determine this factor as a function of the aspect ratio r. Note this data is for the case where the beam component is anchored in a mass of plastic much larger than itself, and it therefore is considered infinitely stiff:

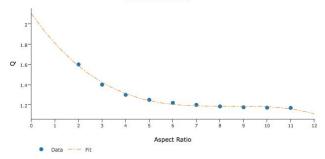
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$$Q \equiv [1.6 \ 1.4 \ 1.3 \ 1.25 \ 1.22 \ 1.2 \ 1.185 \ 1.177 \ 1.173 \ 1.17]$$

12 -
$$Q_{\mathrm{fit}}(x) \equiv \mathrm{regression} \ \ \mathbf{x}_{\mathrm{data}} \equiv r$$
 $Y_{\mathrm{data}} \equiv Q$ polynomial order 3 Polynomial Regression \mathbf{y}

function(x) $\Rightarrow -0.00161655012 \cdot x^3 + 0.04025 \cdot x^2 - 0.332784965 \cdot x + 2.10198485$

13 » plot





Next we write the equation for strain at the beam base based on the known deformation:

Next we write the equation of
$$\epsilon_I(t) \equiv 1.5 \cdot \frac{t \cdot d}{L^2 \cdot Q_{\rm fit} \left(\frac{L}{t}\right)}$$

Finally, we can also relate strain at the beam base to our desired force:

$$\epsilon_2(t) \equiv F_{top} \cdot \frac{6 \cdot L}{h \cdot t^2 \cdot E}$$

27.6 N 🖃

