Lecture 6 – questions & survey

Answer with yes/maybe/no:

- 1. What defines the nature of a chemical bond at a fundamental level.
- 2. Name and define three pair potentials.
- 3. Explain generally how you identify the parameters of a LJ potential.
- 4. Explain the specific numerical/algorithm steps in force calculation in a pair potential MD model.
- 5. Explain the concept of a cutoff radius in a pair potential.
- 6. Names several brittle materials (examples).
- 7. Describe the basic mechanisms in brittle fracture.
- 8. Describe how you can develop a model (interatomic potential and setup) for brittle fracture.

On a scale from 1-7 please rate:

- 8. Were the goals of today's lecture clear?
- 9. Was today's lecture clear?
- 10. Did you feel that today's lecture contributed to your understanding of the topic?
- 11. What could have been improved in order to make this lecture more useful?
- 12. Is the level of teaching appropriate? What should we change?
- 13. Please give us overall feedback regarding IM/S so far how interesting are lectures, overall impression, suggestions for changes, etc.).

Pair potential formulation

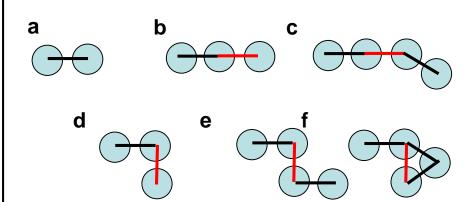
1. List **all parameters** and their respective dimension for the following pair potentials:

Lennard-Jones Morse Harmonic

2. Explain the **physical meaning** of each parameter in the **harmonic potential**.

3. Explain the **physical meaning** of each parameter in the **Morse potential**. To solve this problem sketch the Morse potential for different parameter choices and observe changes in the potential shape.

4. Calculate the **potential energy** for the structures shown below (lines between atoms indicate equal distance at r_0), for a Morse pair potential, with cutoff $r_{\rm cut} = 1.1 \ r_0$



Morse potential

$$\phi(r_{ij}) = D \exp\left(-2\alpha(r_{ij} - r_0)\right) - 2D \exp\left(-\alpha(r_{ij} - r_0)\right)$$

Lennard-Jones (LJ) potential

$$\phi(r_{ij}) = 4\varepsilon \left[\left(\frac{\sigma}{r_{ij}} \right)^{12} - \left(\frac{\sigma}{r_{ij}} \right)^{6} \right]$$

Harmonic potential

$$\phi(r_{ij}) = a_0 + \frac{1}{2}k(r_{ij} - r_0)^2$$