

Homework Set 1, 2020

Cursus: BETA-INFOMDM Data Mining (INFOMDM)

Aantal vragen: 5

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This is homework set 1 of Data Mining

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- 1 We want to determine the best split in a node containing the following data on numeric attribute x and class label y. The class label can take on three different values, coded as A, B and C.

x	2	2	3	4	4	5	6	7	8	9
y	A	A	A	B	B	B	A	C	C	C

We use the gini-index as impurity measure.

What is the best split on x?

- a. Between x=2 and x=3
 - b. Between x=3 and x=4
 - c. Between x=4 and x=5
 - d. Between x=5 and x=6
 - e. Between x=6 and x=7
 - f. Between x=7 and x=8
 - g. Between x=8 and x=9
- 2 We want to determine the optimal split in a node that contains the following data:

x	a	a	a	b	b	c	c	d	d
y	0	0	1	0	1	1	1	0	0

Here x is a categorical attribute with possible values {a,b,c,d} and y is a binary class label with values 0 and 1. We use the gini-index as impurity measure.

The best split on x is:

- a. $x \in \{a,b\}$
- b. $x \in \{a,c\}$
- c. $x \in \{a,b,c\}$
- d. $x \in \{a,b,d\}$
- e. $x \in \{a,d\}$
- f. $x \in \{b,c,d\}$
- g. $x \in \{a,c,d\}$

- 3 The following binary classification tree has been grown on a training set with $n=100$ examples:

Node	t1	t2	t3 - leaf	t4 - leaf	t5	t6	t7 - leaf	t8 - leaf	t9 - leaf
Class A	50	30	30	0	20	10	10	0	10
Class B	50	10	0	10	40	40	0	40	0

The nodes have been numbered according to depth first preorder traversal. We listed the number of cases a node contains of each class below it.

Perform cost-complexity pruning on this tree, and answer the following questions.

The value of $\alpha_2 =$ **a.** ()

The value of $\alpha_3 =$ **b.** ()

- 4 Let n denote the number of observations and k the number of classes. Let x be a numeric variable with all values distinct. We use the gini-index as impurity measure. Let S denote the number of splits we have to evaluate in order to determine the best split on x .

Give an expression for S in the most unfavorable case: $S =$ **a.** ()

Give an expression for S in the most favorable case: $S =$ **b.** ()

5 In learning classification trees, determination of the appropriate size of the tree is an important problem. One can control the size of the tree by using a so-called stopping rule to stop growing the tree early. One possibility to implement this idea is to use parameters n_{min} and $minleaf$. If a node contains less than n_{min} cases, then it becomes a leaf node. A split is not allowed if it creates a child node with less than $minleaf$ cases. Assume the tree growing algorithm only makes binary splits.

a. Consider the following two parameter settings:

1. $n_{min}=12$ and $minleaf=10$

2. $n_{min}=18$ and $minleaf=10$

Would you expect the tree in case (1) to have a lower, higher, or the same error rate on the training sample (resubstitution error) as the tree in case (2)?

a. lower

b. higher

c. the same

b. Answer the same question for the following parameter settings:

1. $n_{min}=20$ and $minleaf=5$

2. $n_{min}=10$ and $minleaf=5$

a. lower

b. higher

c. the same

Thank you, goodbye!