

Wyatt Kormick

4932481

Discussion Section 12

(1) Indicates Carry Out Bit

Problem 1

Q1.

a. 14214

b. 7117

Q2. & 0x01FF

Q3.

a. 390

b. 461

Problem 2

Q1. 0xEAE

Q2. 4015

Problem 3

$(x \ll 2) + (x \gg 1)$

Problem 4

Format A		Format B	
Bits	Value	Bits	Value
1 10110 111	-240	1 1110 0111	-240
0 01101 100	3/8	0 0101 0100	3/8
1 00000 000	-1/2048	N/A	N/A
0 00000 000	0	0 0000 0000	0
0 11000 101	832	0 (1)0000 0101	832

Problem 5

starting x 4

starting y 3

a 0x500

b 0x510

c 4

d 0x500

e 35

f 35

g 35

h 120

Problem 6

Q1. 0111 1111

Q2. 255

Q3.

- a. (1)00101101
- b. 301 (If using all 9 bits) 45 (If only using original 8 bits)
- c. No, the addition results in a 9-bit positive integer, but that works

Q4.

- a. 11000110
- b. -58
- c. Yes, the addition results in the unintentional flipping of the sign bit to become a negative value

Q5.

- a. (1)10111110
- b. -66
- c. No, the addition of these two negatives results correctly in a negative with a carry out

#### Problem 7

- Q1. 0 0000 0 00
- Q2. 1 0000 1 00
- Q3. 0 0011 0 01
- Q4. 0 0010 1 01
- Q5. 0 0001 1 10

#### Problem 8

Q	TRUE/FALSE	Counter Example
If $x < 0$ then $x - 1 < 0$	True	
If $x > 0$ then $x * x > 0$	False	$2^{16} * 2^{16} = 2^{32} = 100...00 < 0$
$(\sim u \leq 0) == \text{FALSE}$	True	
If $x < 0$ then $u > x$	True	
If $x > -y$ then $-x < y$	False	$011...11 > 100...00$ , $111...11 \nless 111...1110$
$(x \ll m) \gg m == x$	False	$100...00 \ll m (m \geq 1) = 00...000$ $00...000 \gg m = 00...000$
$U \& 0 == 0$	True	
If $x \geq 0$ then $\sim x \leq -x - 1$	True	