

## IMPLICATIONS

$\rightarrow$  is a statement of the form

if **P** is true, then **Q** is true

exs:

- Math : if  $n$  is an even integer, then  $n^2$  is an even integer
- Set Theory : if  $A \subseteq B$  and  $B \subseteq A$ , then  $A = B$ .
- Queen Bey : If you like it, then you should put a ring on it

For any  $x$ , if  $P(x)$  is true, then  $Q(x)$  is true

Means that anytime you find an object  $x$  where  $P(x)$  is true, you will see that  $Q(x)$  is also true (for that same  $x$ ).

NO CAUSATION HERE, it simply means that if you find that  $P(x)$  is true, you will find that  $Q(x)$  is also true.

## NEGATIONS

$\rightarrow$  is a statement that is either true or false.

The negation of the **(universal)** statement

a. **Every P is a Q.**

b. **For all  $x$ ,  $P(x)$  is true.**

The negation of the **existential** statement

c. **There exists a P that is a Q**

is the existential statement

a. **There is a P that is not a Q.**

b. **There exists an  $x$  where  $P(x)$  is false.**

is the universal statement.

c. **Every P is not a Q**