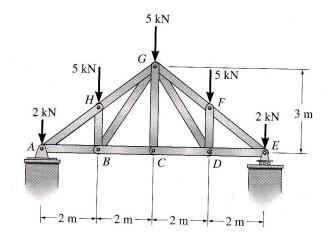
## CE483 ADVANCED STRUCTURAL ANALYSIS FALL SEMESTER 2014-2015 ASSIGNMENT #1 (DUE 4 NOV. 2014)

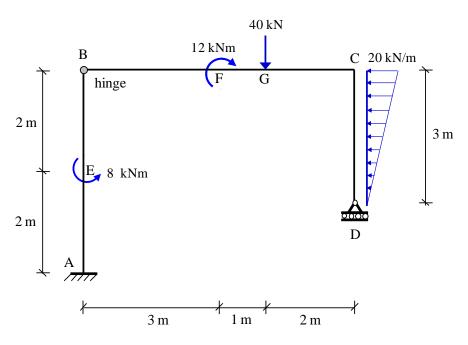
**1.** The truss system is subjected to the loading shown. Determine the vertical reaction at support E and the forces in members GF, GC and CD by using the *Method of Virtual Displacements*.

Do **not** use any statics! Release one constraint (only the required action) at a time.



- 2. For the given statically determinate frame, using the Method of Virtual Displacements, calculate
- a) the vertical reaction at D
- **b)** the support moment at A
- c) the internal shear force at mid-length of member BF
- d) the internal moment at mid-length of member BF

Note that there is an internal hinge at B. Do **not** use any statics! Release one constraint (only the required action) at a time.

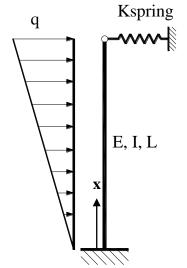


- **3.** A cubic displacement function of the form  $v(x)=ax^3+bx+c$  is assumed for both the real and virtual displacement of the column shown.
- a) Is this an admissible displacement function with respect to geometrical boundary conditions?
- **b)** Determine the horizontal displacement at the top end of this cantilever (i.e. @ x=4 m) by the Method of Virtual Displacements.
- c) Calculate the real horizontal displacement at the top end by any method of your choice. Compare the results of parts (b) and (c). Discuss briefly.

$$K_{spring} = 25 \text{ kN/m}$$
 $L = 4 \text{ m}$ 

$$q = 50 \text{ kN/m}$$
  
 $E = 40 \text{ GPa}$ 

$$I=5\times10^6~\text{mm}^4$$



**4.** By using the *Unit Dummy Displacement Method*, compute the bar forces in bars oa to oh, which are connected to a rigid circular frame with equal spacing, under vertical force  $P=150 \ kN$  acting at o. Radius of the frame is  $R=4 \ m$ , and all bars have the same cross-sectional area  $A=500 \ mm^2$ . The modulus of elasticity can be assumed as  $E=2\times10^5 \ MPa$ .

