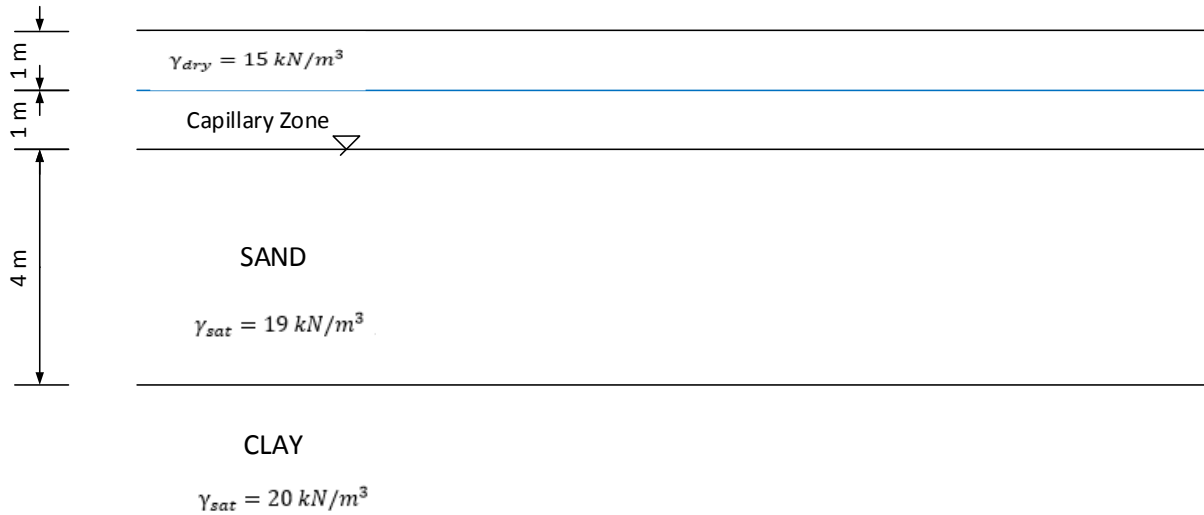
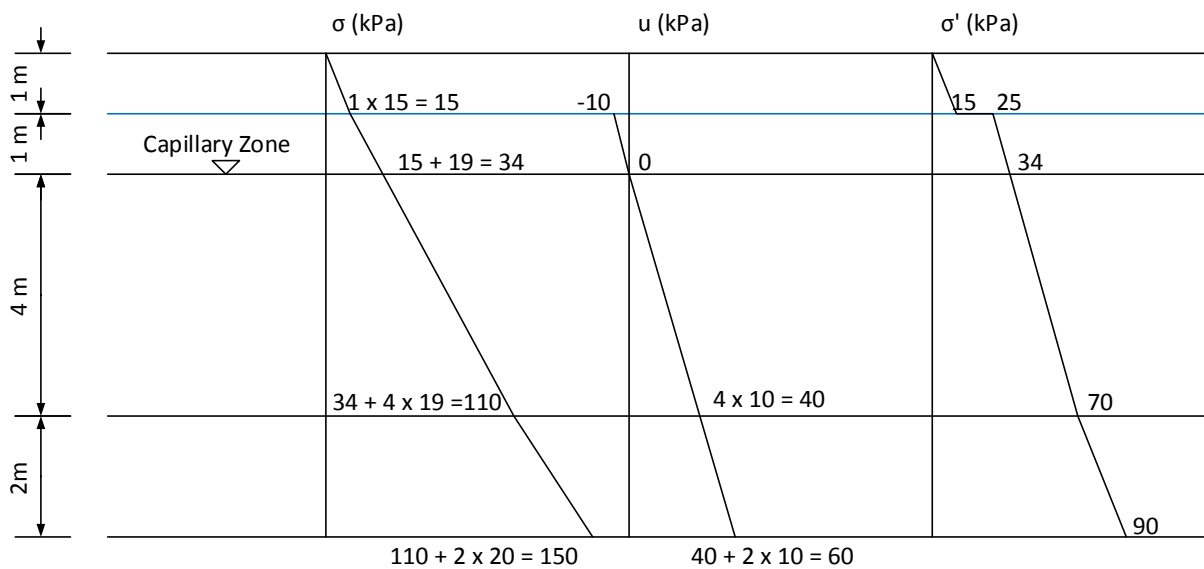


## CE 363-364 Homework-2-Solution

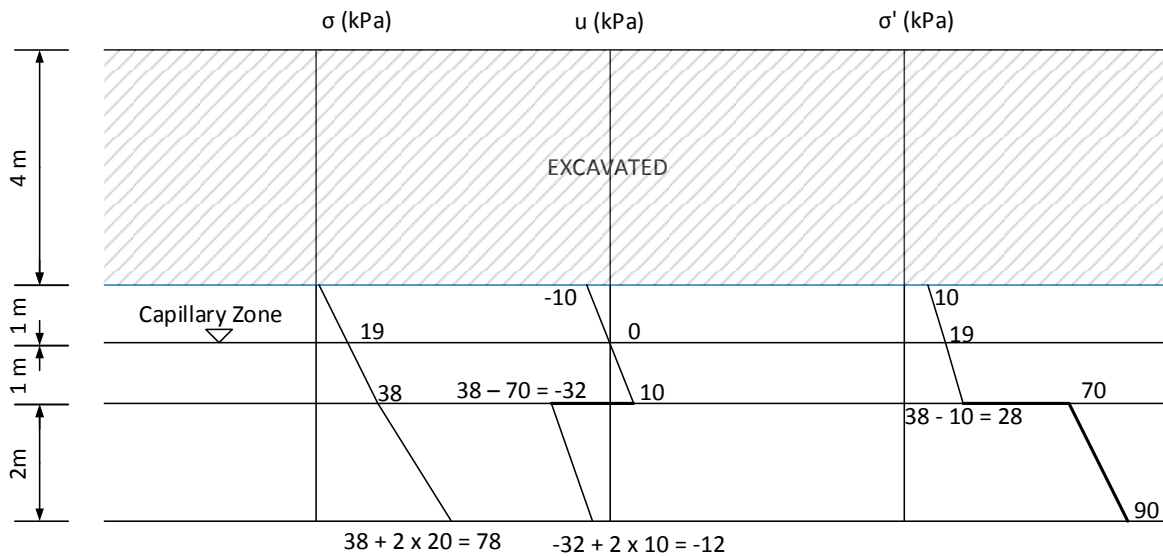
### Question 1



- a) Variation of total vertical stress, pore pressure and vertical effective stress with depth, down to the depth of 8 m,

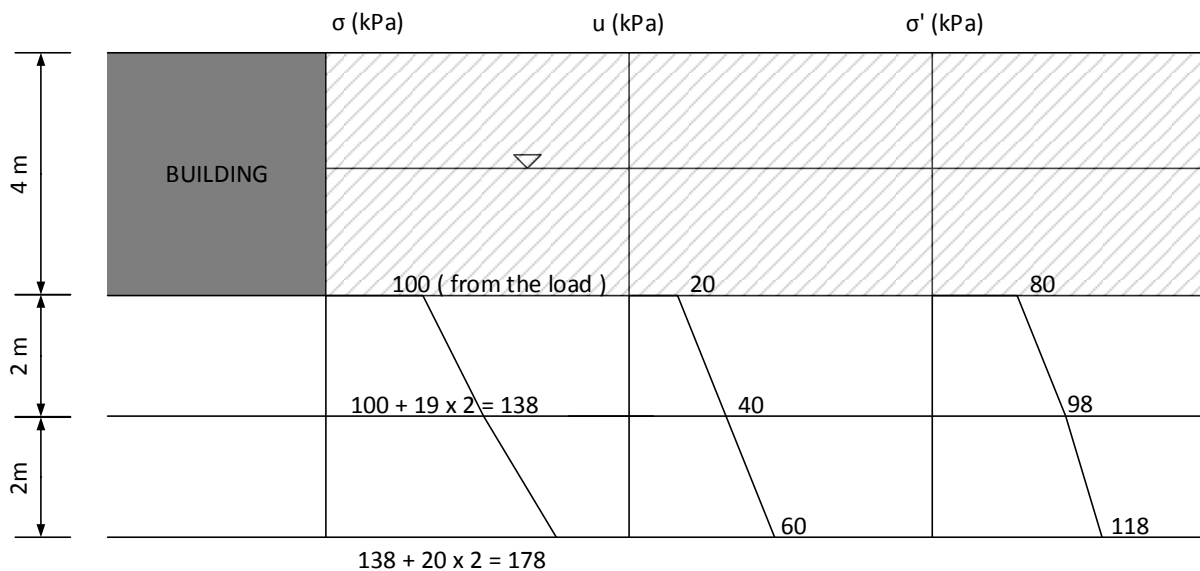


b) After groundwater lowering and excavation in a short time ,



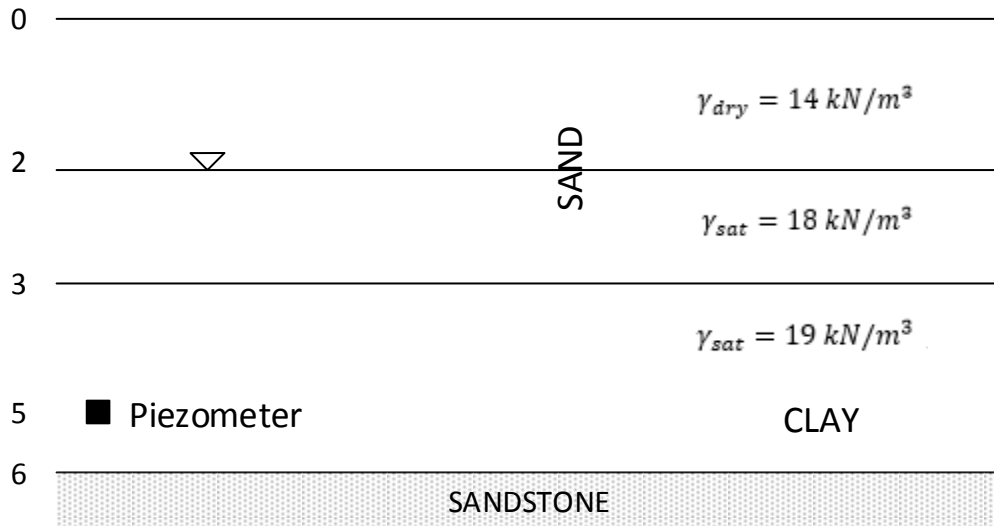
For clay ( undrained soil ) , same effective stress values ( 70 kPa to 90 kPa ) as part a ( before the stress change ) are applied and pore pressure is calculated accordingly.

c) Long time after the building is completed and GW is at its original level

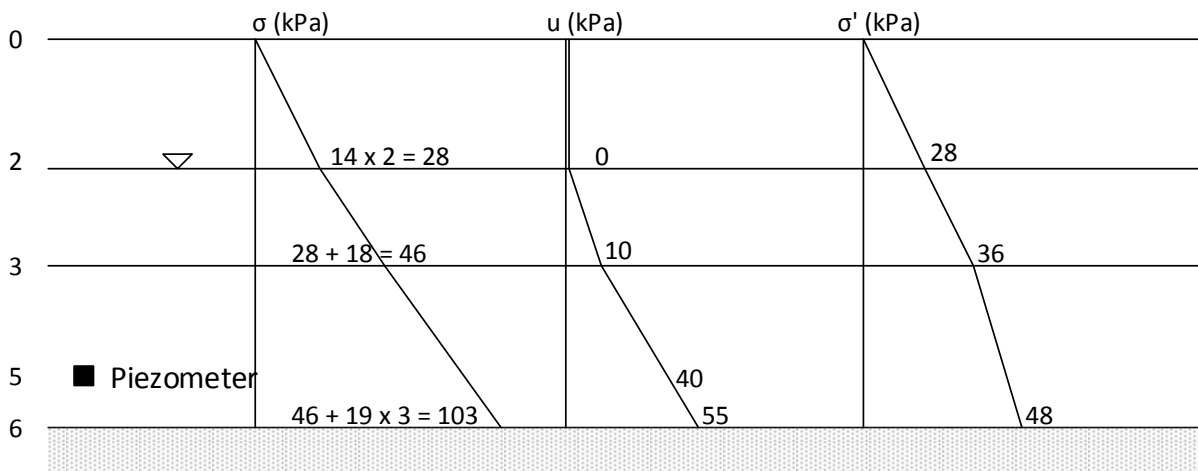


**Question 2**

Depth ( m )



a) Variation of total vertical stress, pore water pressure, and vertical effective stress with depth,



NOTE : i ↑ in clay

The piezometer measures 40 kPa pore water pressure at a depth of 5 m. Since the pore water pressure changes linearly within the clay layer. Making necessary calculations lead to 55 kPa pore water pressure at the bottom :

$$\text{From a depth of 3 m to 5 m, } \frac{(40 \text{ kPa} - 10 \text{ kPa})}{2} = 15 \text{ kPa increase per meter depth}$$

$$\text{At a depth of 6 m, } 40 \text{ kPa} + 15 \text{ kPa} = 55 \text{ kPa}$$

b) Immediately after the placement of the fill ,

*Due to 2 m thickness ,an additional pressure increase of*

$$17 \text{ kN/m}^3 * 2 \text{ m} = 34 \text{ kN/m}^2 \text{ is expected.}$$

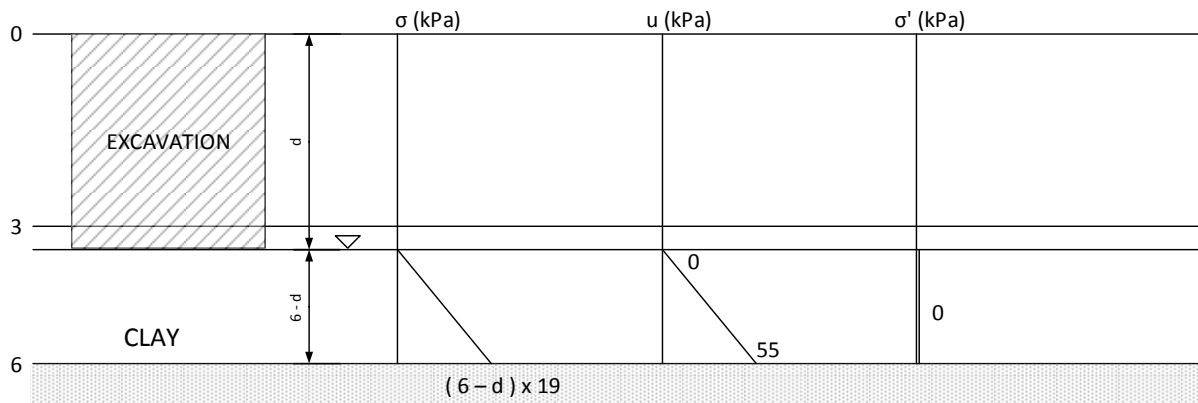
Since the estimation is done immediately after the placement of the fill, inside the clay layer ( undrained case ) effective stress remains constant and pore pressure changes accordingly :

$$40 \text{ kPa} + 34 \text{ kPa} = 74 \text{ kPa is the estimated pore pressure value}$$

c) Maximum depth of excavation without having instability at the bottom of excavation ( the groundwater level is kept at the base of the excavation ) ,

In order to provide stability,  $\sigma' > 0$

At the bottom ,  $u = 55 \text{ kPa}$  is kept and since the GW is at the base of the excavation, from 0 to 55 kPa, there will be linear increase in the  $u$ . The total stress will also change linearly and we are trying to find the depth which makes effective stress is equal to zero.



$$\text{For } \sigma' > 0, \sigma > u$$

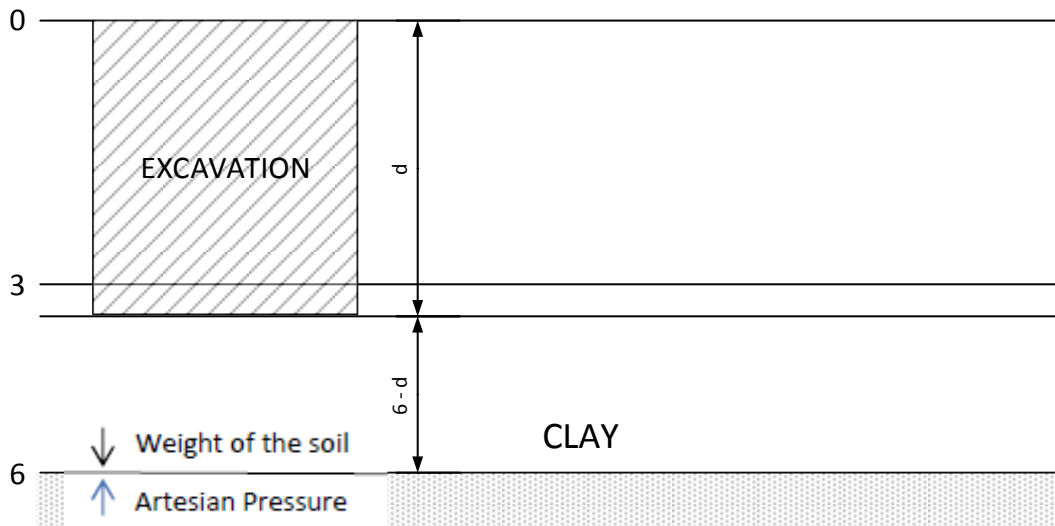
$$(6 - d) * 19 \text{ kN/m}^3 > 55 \text{ kN/m}^2$$

$$114 - 19d > 55$$

$$d < 3.1 \text{ m}$$

OR

The following drawing also shows the same condition ,



If Artesian Pressure ( $u$ ) is equal to the weight of the soil ( $\sigma_v$ ) , then effective stress ( $\sigma_v'$ ) becomes zero.