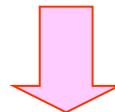


Chapter 9

Irrigation and Drainage

- ② Irrigation is the application of water to soil to supply the necessary moisture for plant growth which cannot be provided by natural precipitation.

Wise use of land and water resources potentials
Development of effective irrigation systems



Increase in agricultural outputs

Design and construction of irrigation systems → CE
Operation of irrigation systems → Agricultural Eng.

prior to GAP project

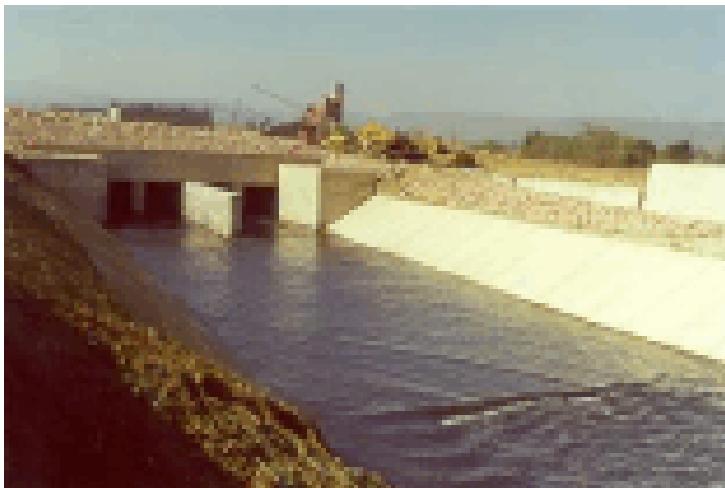


fertile top soil
is wasted due to erosion
because of lack of
land management



wise use of
whatever is left
is important

how GAP looks like now



a basic understanding of soil/water/plant interactions
is needed for proper management

- ⌚ Presence of enough moisture in the topsoil facilitates the build up of plant tissues through photosynthesis.
- ⌚ Plant roots extract:
 - ✿ soluble nutrients in the soil
 - ✿ irrigation water
- ⌚ The necessary energy for this extraction → oxidation of organic matter in the roots with the **oxygen** which is present in the pores
- ⌚ Fully saturated soil → No air entrainment!
∴ roots cannot extract the required soluble nutrients
- ⌚ Excess water in the pores → proper drainage

② In Turkey, 26 million ha of land is irrigable

② Economically irrigable amount of this value:

- ✿ ~15 % by surface waters
- ✿ ~2 % by groundwater

② Benefits of irrigation:

- ✿ physical conditions in the soil are improved
- ✿ excessive salt in the soil is leached
- ✿ local hydrometeorological conditions are improved

Ex: Atatürk Dam changed the humidity of the region, so that different crops can be grown.

- ✿ a variety of crops may grow
- ✿ multiple cropping may be achieved

Suitability of Land for Irrigation:

- ② Certain land features should exist for appreciable benefits from irrigation
 - ✿ Arable land → good quality soil that is suitable for cultivation
 - ✿ Irrigable land → arable land where sufficient water is available
 - ✿ Non-irrigable land, Ex: sandy soil (very permeable)
- ② Deep soil of good quality → desired output
- ② Irrigation soil contains certain proportions of:
 - ✿ clay
 - ✿ silt
 - ✿ sand
- ② Ideal irrigation soil: sandy loam:
~ 60% sand + ~ 20% silt + ~ 20% clay

Land Classification by USBR (6 classes)

- ② Prior to planning & design of irrigation system, land should be classified.
- ③ Parameters to be considered in assessment:

Class 1

✿ Type of soil	sandy loam
✿ Slope of the land	< 4%
✿ Requirement for levelling	little or no-levelling
✿ Electrical conductivity of water	EC < 4 millimhos/cm

Class 1 : Best, Ex: sandy loam

Class 6 : Worst

Determination of Irrigation Water Demand:

- ② Consumptive use (EP from planted areas) = ?
- ② Consumptive use = transpiration + evaporation
- ② Some of the methods for EP:
 - ✿ Modified Penman method
 - ✿ Jensen-Haise method
 - ✿ Hargraves method
 - ✿ Blaney - Criddle method → widely used in Turkey
 - ✿ Direct measurements using tanks and lysimeters → expensive

Blaney-Criddle method (1950)

$$u_c = 25.4kf$$

u_c = consumptive use in mm/month

k = $k_1 \cdot k_2$ (crop coefficient)

k_1 = seasonal coefficient

k_2 = monthly coefficient

f = climatic factor

Multiple crops



total consumptive use
must be calculated wrt
areal percentage of each crop

$$f = \left(\frac{1.8t + 32}{100} \right) P$$

t = mean monthly temperature in °C

P = ratio of monthly to annual day time hours

Crop Irrigation Requirement, CIR

$$CIR = u_c - P_{eff}$$

portion of the consumptive use
that must be supplied by irrigation

CIR = crop irrigation requirement (mm/month)

u_c = consumptive use (mm/month)

P_{eff} = monthly effective precipitation (mm/month)

For multiple crops

$$\sum CIR = \sum A_i (u_{c_i} - P_{eff})$$

Irrigation Efficiencies:

② Losses in irrigation systems are due to:

- ✿ conveyance (taşıma, nakletme)
- ✿ application
- ✿ storage
- ✿ use

Types of losses:

- ⌚ operational wastes
- ⌚ seepage in canals
- ⌚ evaporation
- ⌚ deep percolation losses
- ⌚ surface runoff losses

Ex: water discharged thru waste ways because of refusal by users to take the total flow, leakage thru gates, losses from overflow or breakage of canal banks

1. Water conveyance efficiency should be modified by some efficiency terms to take into account

$$e_c = 100 \frac{W_f}{W_r}$$

W_f = water delivered to the farm (m^3/s)

W_r = water diverted from the river or reservoir (m^3/s)

2. Water application (farm) efficiency, e_f :

$$e_f = 100 \frac{W_s}{W_f}$$

W_s = water stored in the soil root zone during irrigation (m^3/s)

W_f = water delivered to the farm (m^3/s)

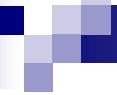
Overall irrigation efficiency, e :

$$e = e_c e_f$$

Farm delivery requirement, FDR:

$$FDR = \frac{CIR}{e_f} \quad (\text{mm/month})$$

CIR = crop irrigation requirement
 e_f = farm efficiency



- Ex: In an irrigation project, 30% of the diverted water is lost in conveyance & 25% is lost in application. Compute the overall irrigation efficiency.

$$e = e_f \times e_c = 0.7(0.75) = 52.5 \%$$

- Ex: An irrigation discharge of $4 \text{ m}^3/\text{s}$ is diverted from a river into a main canal. Of this amount, however only $3.25 \text{ m}^3/\text{s}$ is delivered to the farm. The surface runoff over the irrigated area is approx. 500 l/s . The contribution to gw by means of deep percolation is 300 l/s . Determine water conveyance efficiency & application efficiency.

$$w_r = 4 \text{ m}^3/\text{s}$$

$$w_s = 3.25 - 0.5 - 0.3 = 2.45 \text{ m}^3/\text{s}$$

$$w_f = 3.25 \text{ m}^3/\text{s}$$

$$e_f = w_s/w_f = 2.45/3.25 = 75.38\%$$

$$e_c = w_f/w_r = 3.25/4 = 81.25\%$$

$$\text{overall efficiency, } e = 0.81(0.75) = 60.8\%$$

Total delivery requirement, TDR (mm/month):

$$TDR = \frac{CIR}{e}$$

CIR = crop irrigation requirement
e = overall irrigation efficiency

Irrigation modulus (water duty):

water requirement of an avg. unit area at the max. demand month on a continuous flow basis

$$q_{max} = TDR_{max} \left(\frac{mm}{month} \right) \times \frac{1 month}{(30 - 31) \times 86400 s} \times \frac{10000 m^2}{1 ha} \times \frac{1 m}{1000 mm} \times \frac{1000 lt}{1 m^3}$$

$$q_{max} = \frac{TDR_{max} \times 10000}{(30 - 31) \times 86400}$$

$$[q_{max}] \approx 1.0 \text{ lt/s/ha}$$

Design of irrigation systems:

- ② operational requirements
 - ② types of network
 - ② water application methods
 - * local conditions
 - * farming habits
- NO universally accepted design since**
- } to be considered jointly

Irrigation network types

Irrigation water is distributed to the project area by means of one of the networks such as

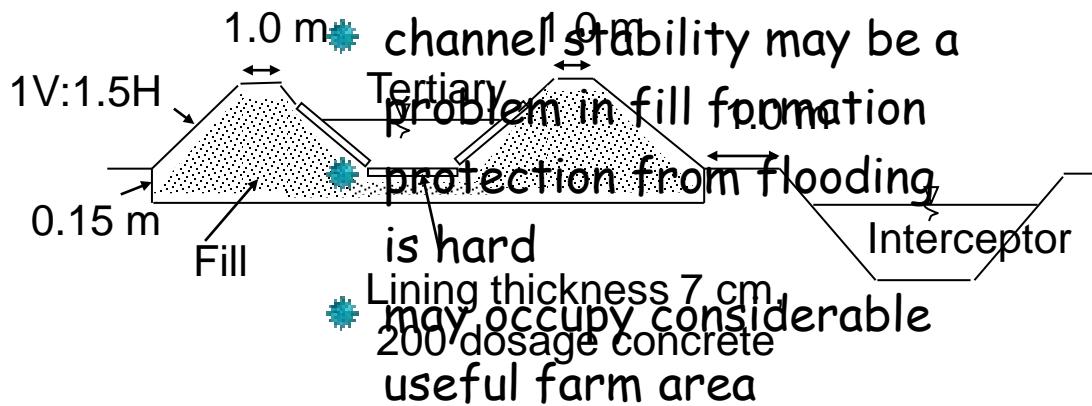
- CHANGE!**
- ② open channel
 - ② canals
 - ② pipeline
 - ② sprinklers

- ② Selection of network type is based on economic analysis.
- ③ Consider simultaneously:
 - ✿ available technology
 - ✿ labor
 - ✿ materials
 - ✿ water quality problems
 - ✿ operational requirements
 - ✿ local conditions
 - ✿ availability of water
 - ✿ farming habits
- ④ Select the alternative with **maximum net benefit**

- ② Classical irrigation-drainage networks → composed of open channels

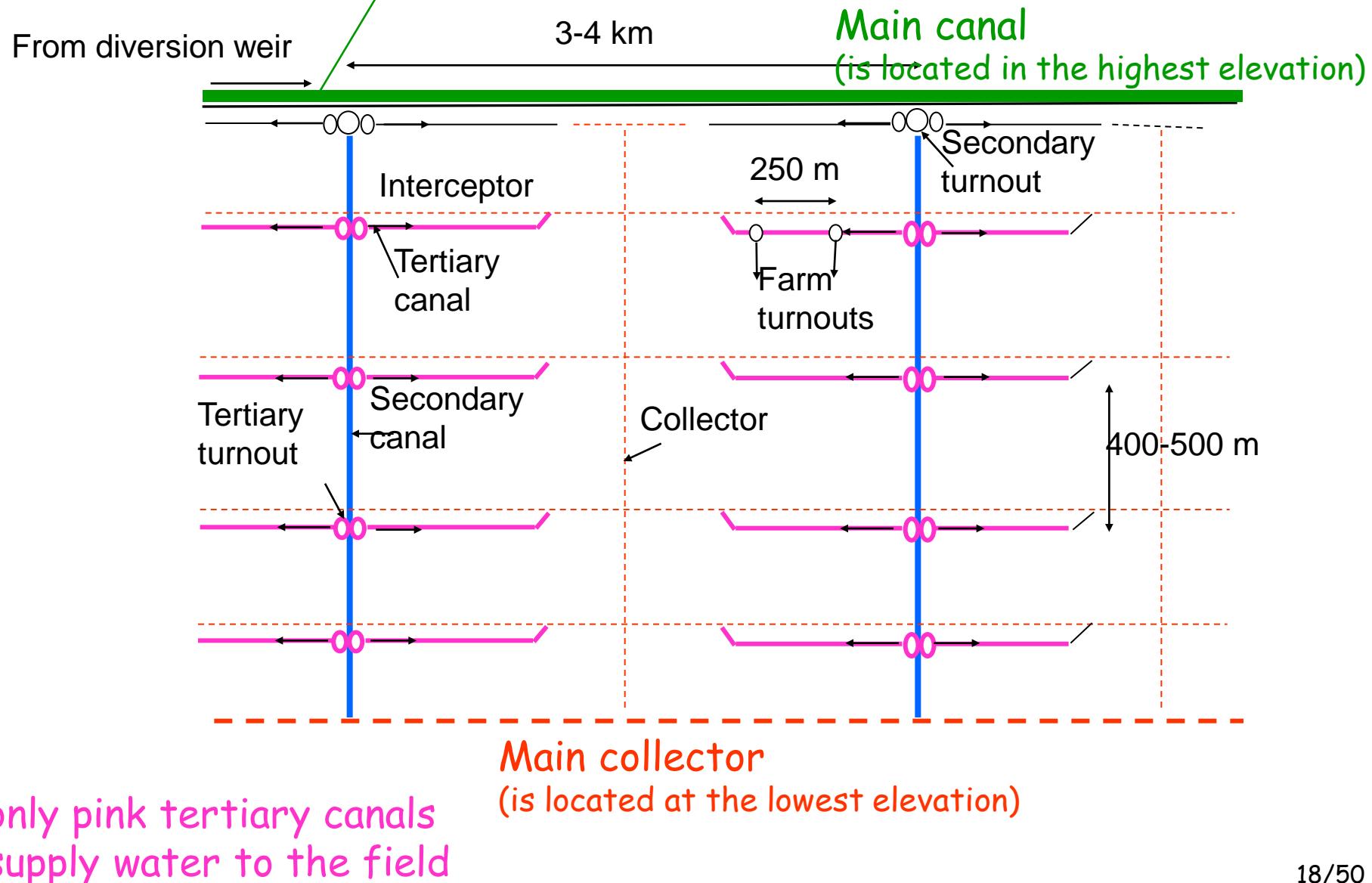
- ② irrigation canals → ~~lined~~ simple
- ② drainage canals → ~~undined~~ maintenance

DISADVANTAGES

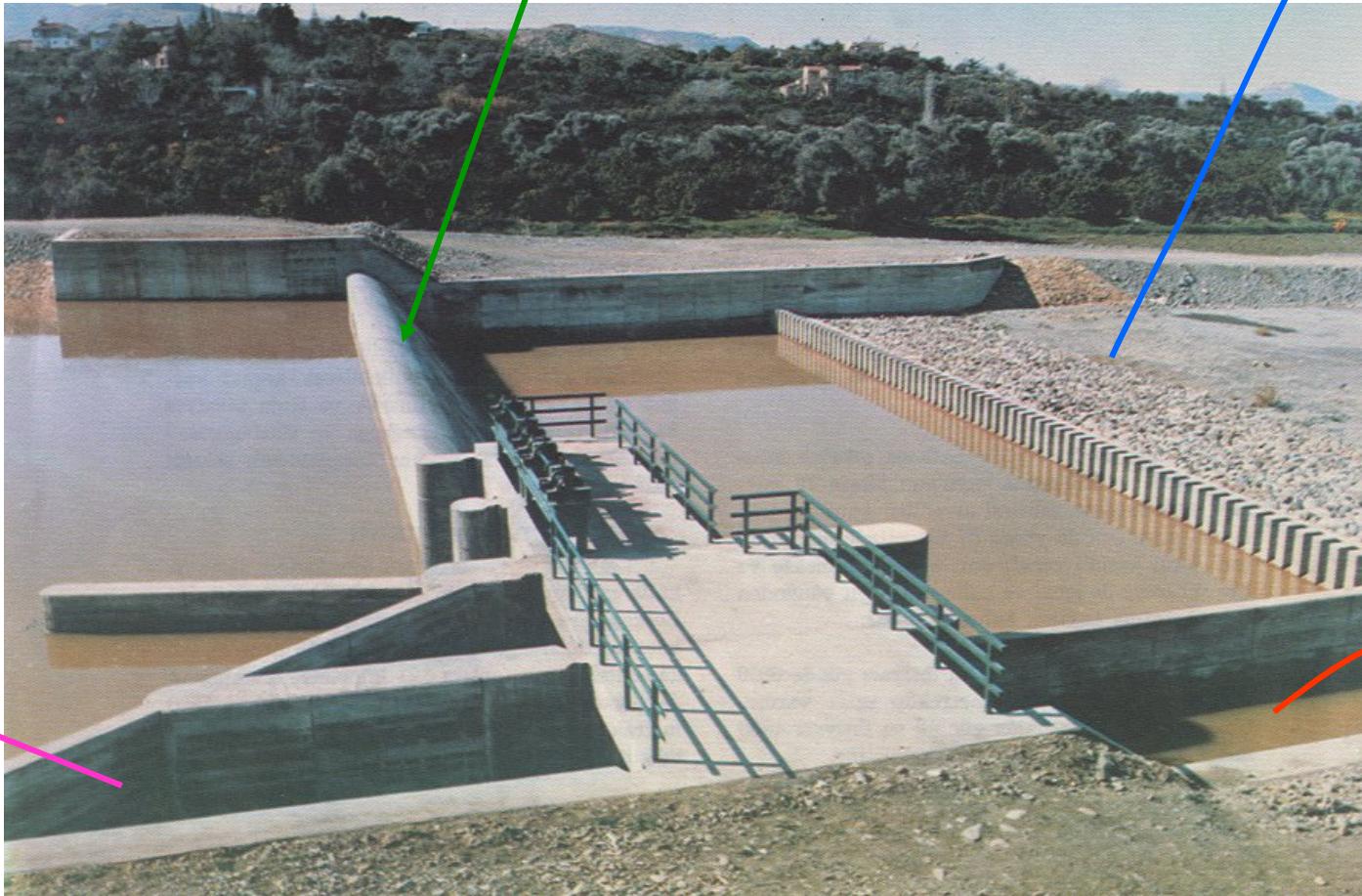


Typical tertiary and interceptor

in practice not a straight line,
should follow the topography



this wall causes the water level to rise
then water is diverted into A



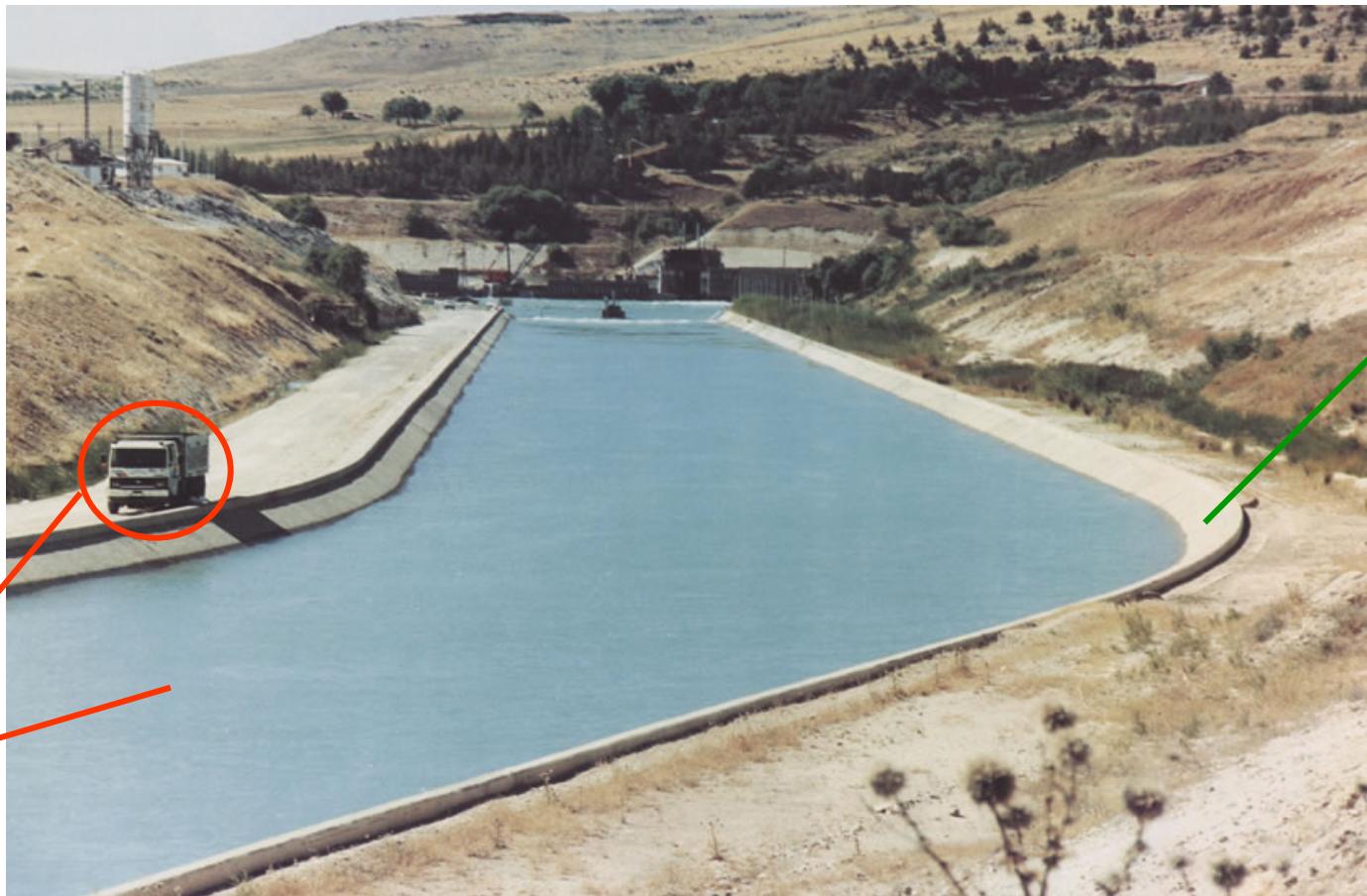
since the
water in the
river is little
downstream
is dry

Lefke diversion weir in North Cyprus

goes to the
land to be
irrigated or
to a storage
first



Aksu (Antalya) diversion weir

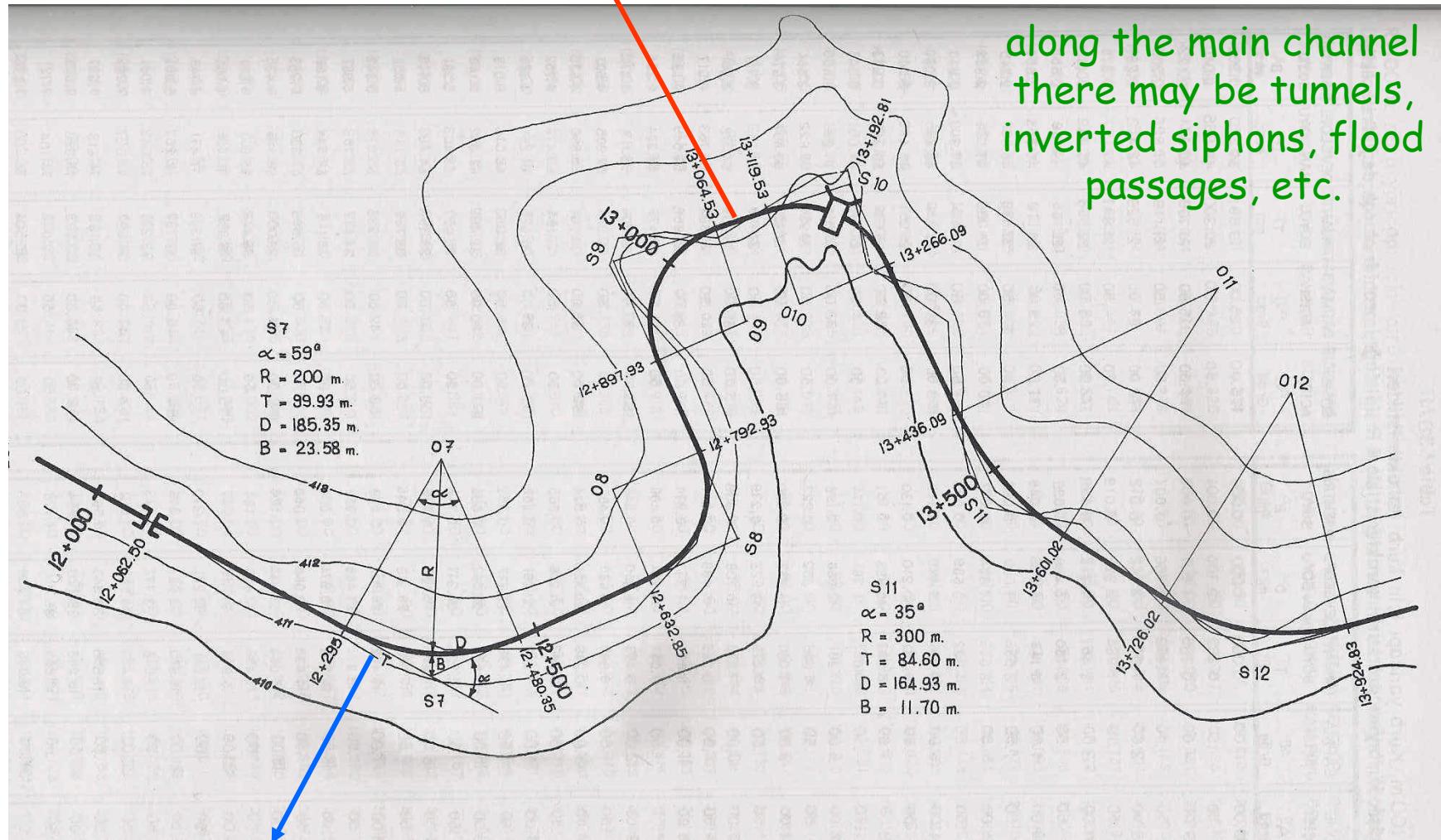


Harran main channel
from Firat to Harran Ovasi



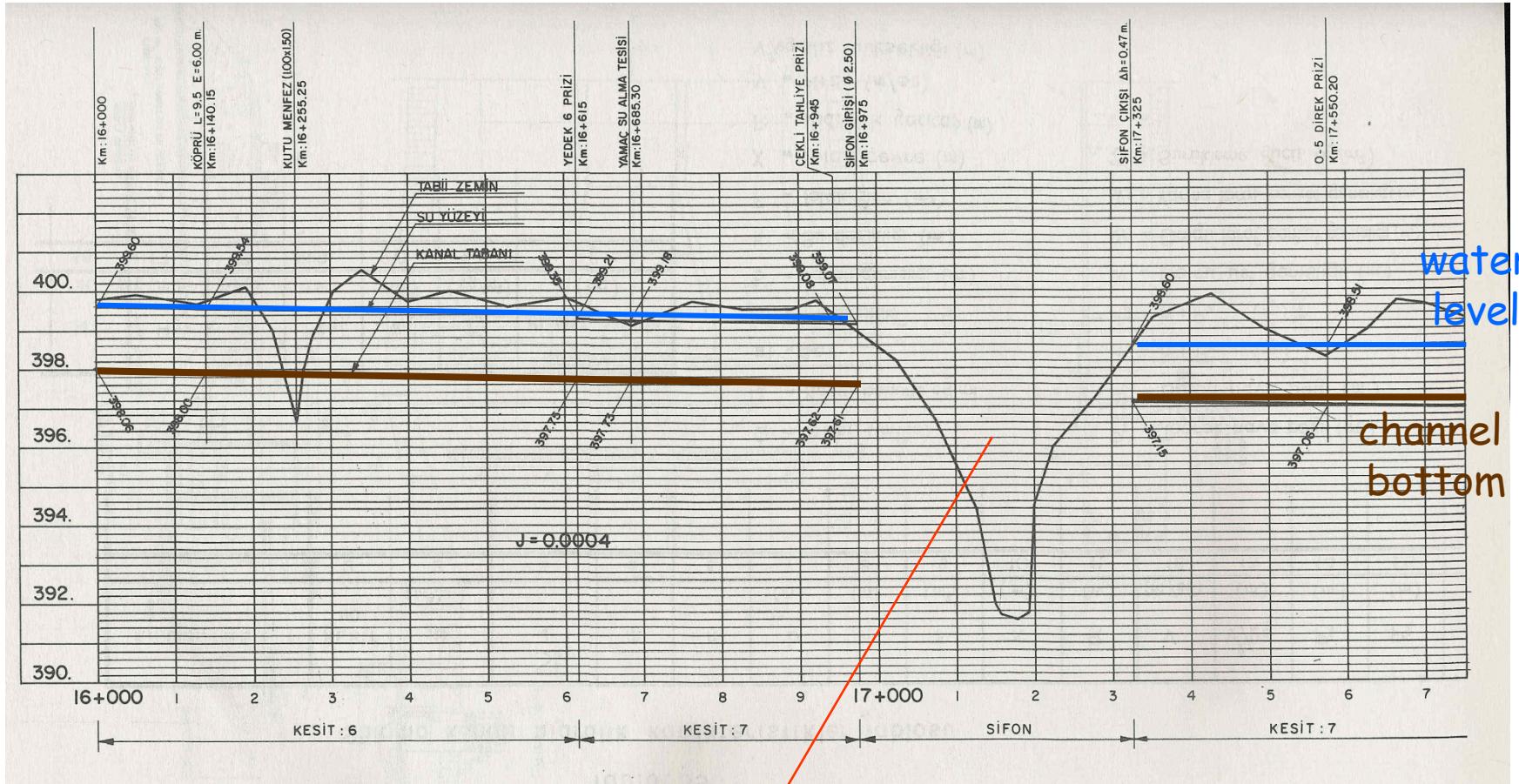
Main channel from Ataturk Dam

main channel → not straight line, follows the topography

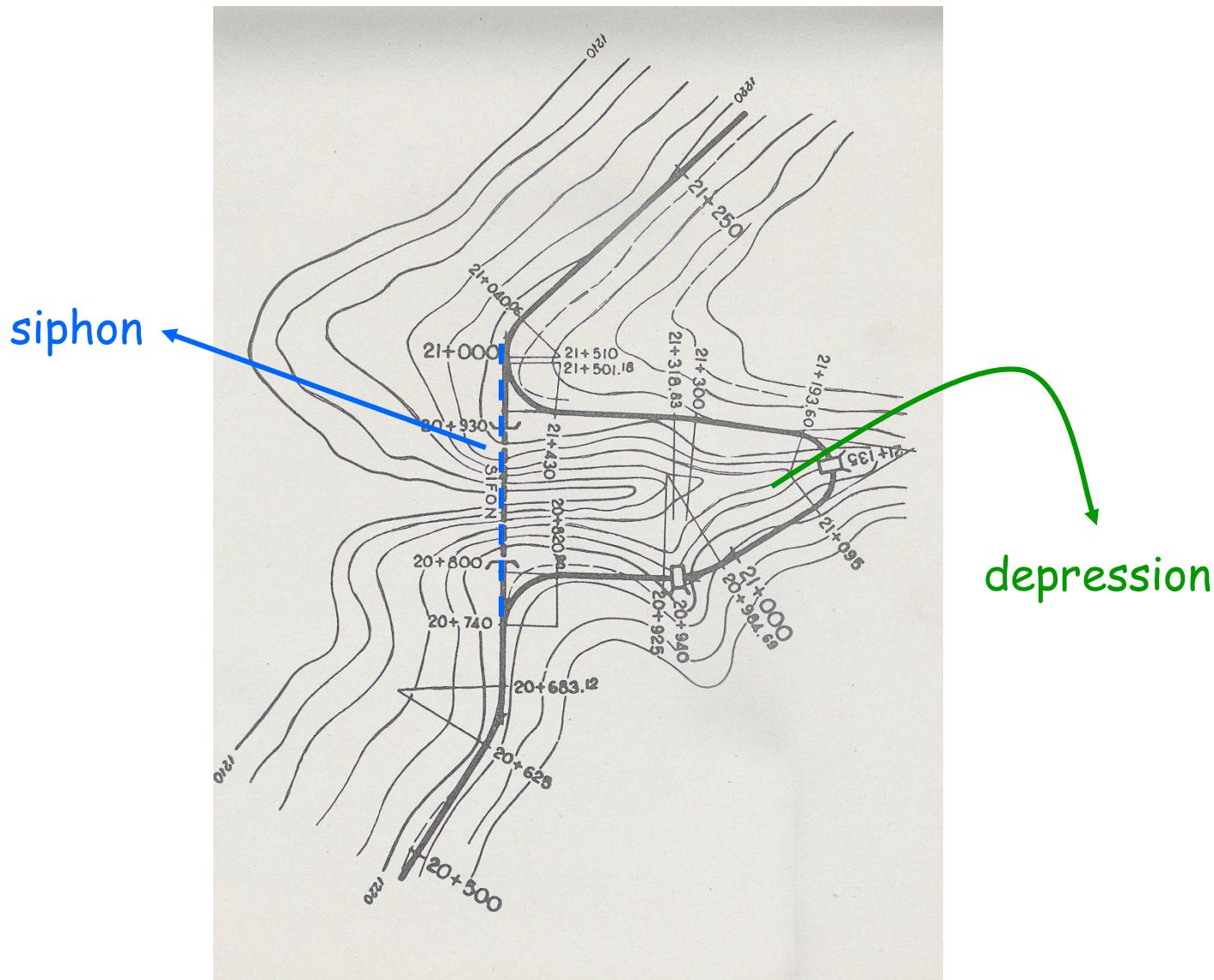


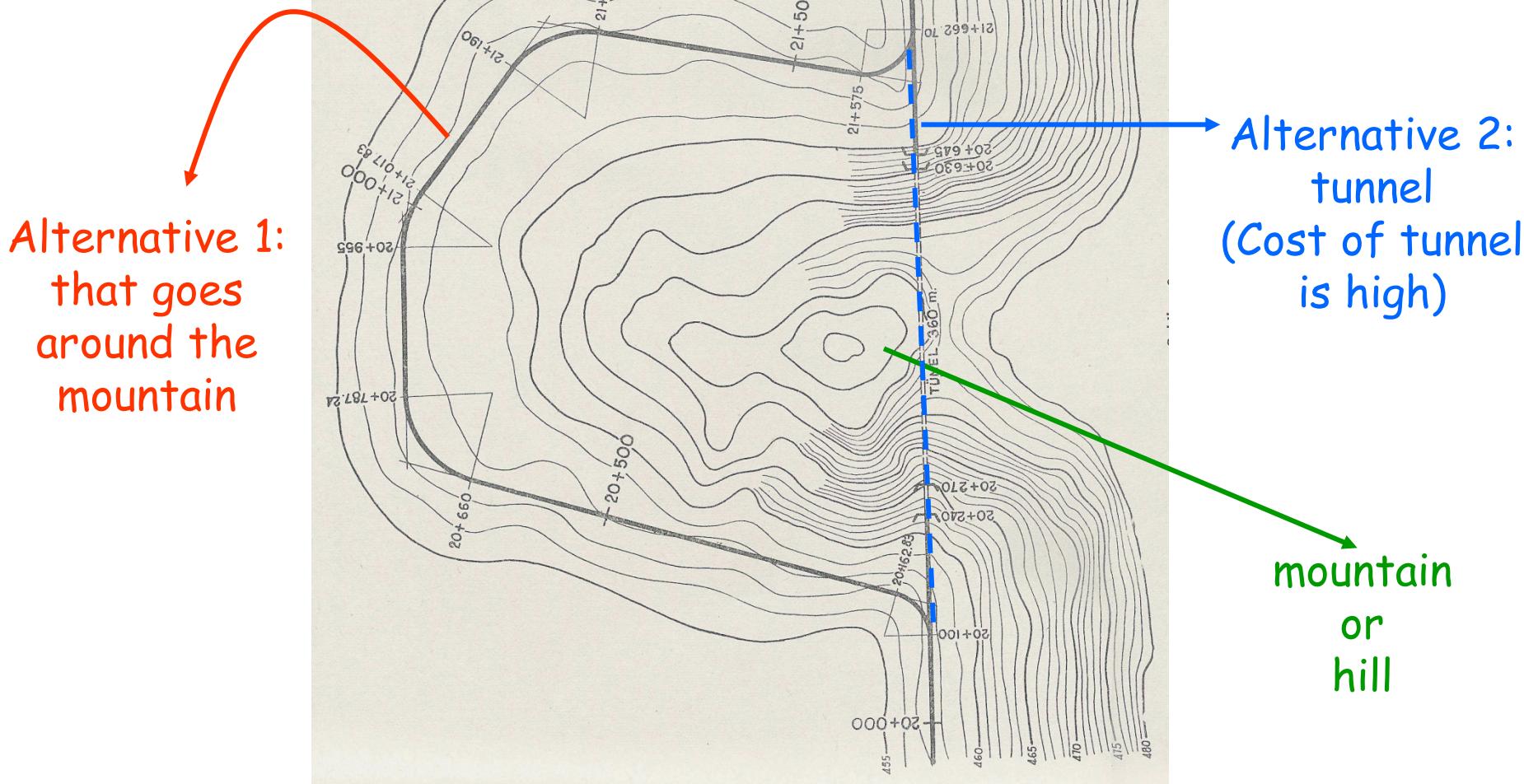
the main channel should be located at the highest elevation of the irrigation area parallel to the contour lines

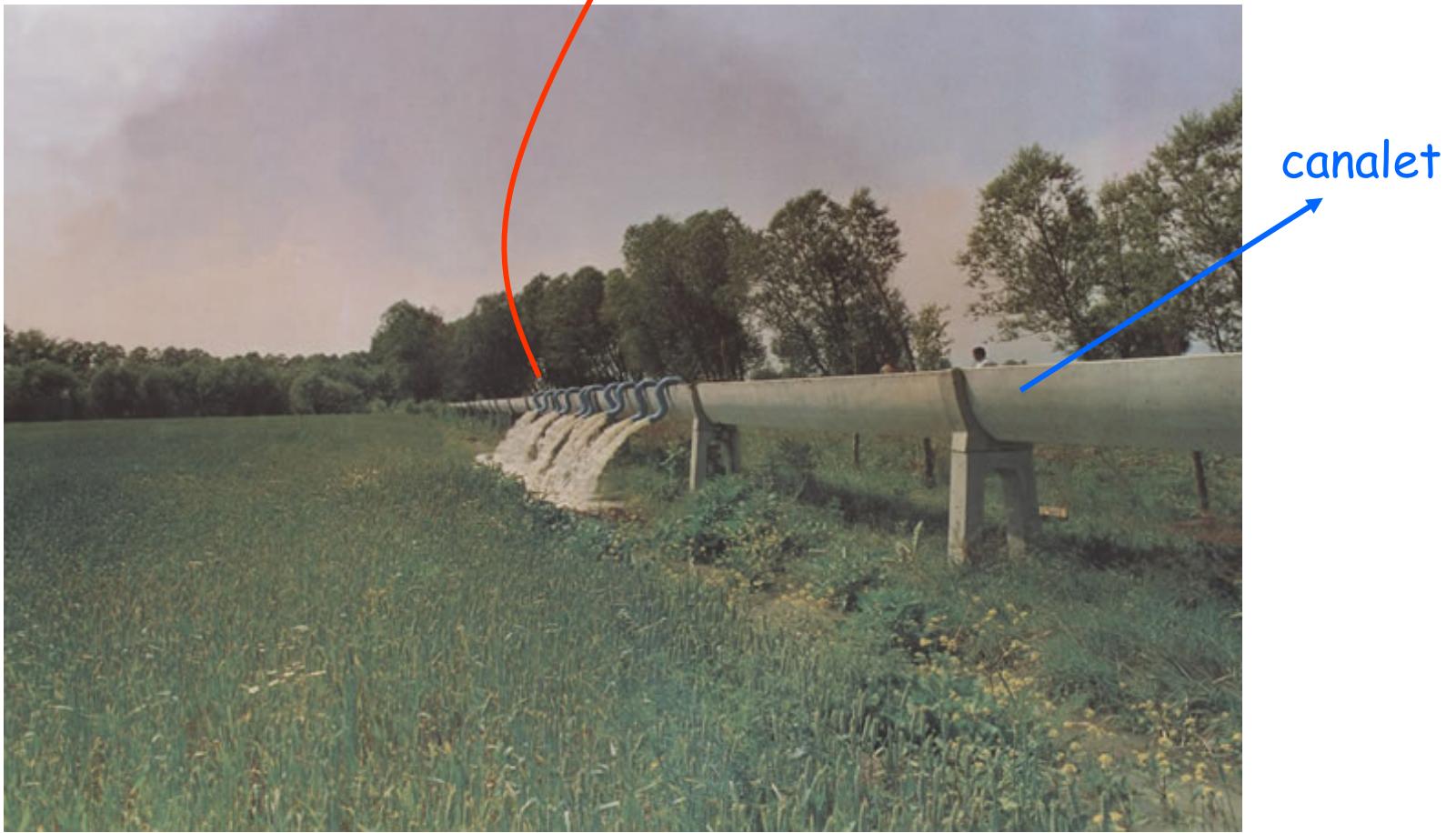
Main channel profile



either filled
or siphon



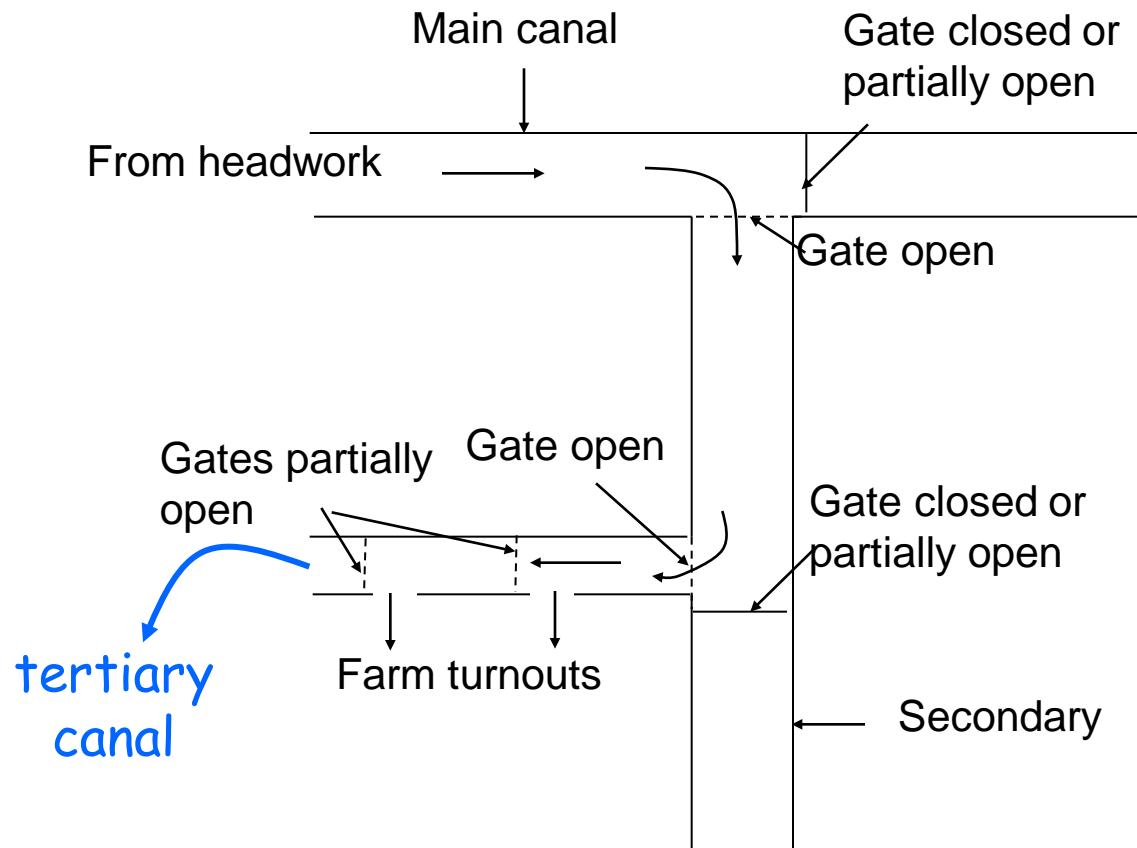




parcels will be irrigated in turns

Turnout operation

composed of
vertical lift gates



Automation in irrigation canals → increases efficiency

Demand method:

- ⌚ Determination of design discharge, Q_{des} in irrigation canals
- ⌚ Based on continuous watering → conservative approach

Assumption:

Max. water demand is continuously available in canals

Derivation:

n = no. of turnouts operating at the same time on a tertiary

q = discharge withdrawn from each turnout (lt/s)

Q_t = nq (at the beginning of a turnout)

Q_c = Aq_{max} (discharge for continuous application)

q_{max} = irrigation modulus (lt/s/ha)

Apply periodic watering with $Q_t > Q_c$

$$nq > Aq_{max}$$

$$nq = FAq_{max}$$

$$Q = AFq_{max}$$

Q_t = required discharge at the beginning of the tertiary

Q_c = discharge to be delivered to an area of A by tertiary

(consider continuous application of max. demand)

Q = canal capacity in lt/s

F = flexibility coefficient (> 1.0)

q_{max} = irrigation modulus in lt/s/ha

Read F from Table 10.8
by using q_{max} and A .

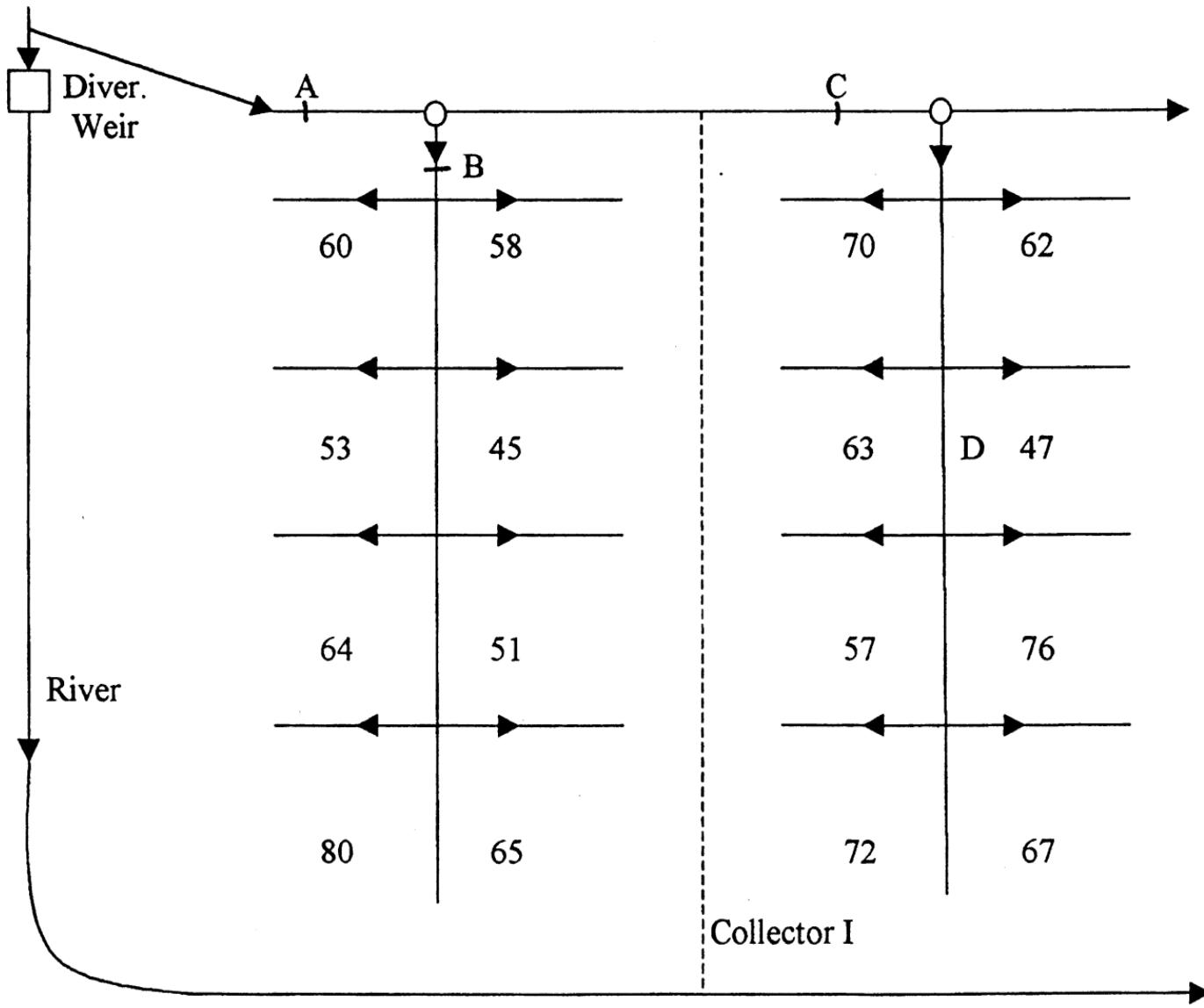
Example 28

Preliminary layout of a classical irrigation - drainage network is shown in figure. Areal crop distribution in the project area is as follows: 25% rice, 35% corn and 30% sugar beet. Rest of the area is kept fallow (empty). The area lies at a **latitude of 34° in the northern hemisphere**. The irrigation soil is of **sandy loam type**. The overall irrigation efficiency is 60%. Distribution of effective precipitations and temperatures during the growing season (June 1 and September 30) is as follows:

$P_{eff} = 16 \text{ mm}, 13 \text{ mm}, 8 \text{ mm}, 14 \text{ mm}$ and $t = 20^{\circ}\text{C}, 25^{\circ}\text{C}, 30^{\circ}\text{C}, 27^{\circ}\text{C}$, in June, July, August and September, respectively.

- a) Determine the capacities of irrigation canals at the points indicated on the figure using demand method.

- b) Determine the section dimensions of the trapezoidal irrigation channels at points A & C having side slopes of 1V:1.5H and bottom widths of $b = 1.5 \text{ m}$ & 1.0 m (at A & C respectively). Compute the average flow velocities in the channels. Take $S_0 = 0.0006$ and $n = 0.015$.



*All units are in hectares

Solution

Blaney-Criddle Method

$$u_c = 25.4kf$$

$$k = k_1 k_2$$

$$f = \left(\frac{1.8t + 32}{100} \right) P$$

Crop irrigation requirement $\rightarrow CIR = u_c - Peff$

$$CIR_{total} = 0.25(u_{c_{rice}} - Peff) + 0.35(u_{c_{corn}} - Peff) + 0.30(u_{c_{sugarbeet}} - Peff)$$

Total delivery requirement $\rightarrow TDR = CIR / e$ ($e=60\%$)

$$\text{Irrigation modulus} \rightarrow q_{max} = \frac{TDR_{max} \times 10000}{(30-31) \times 86400}$$

Demand Method $\rightarrow Q = A \times F \times q_{max}$ (lt/s)

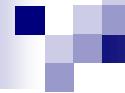
$$u_c = 25.4kf$$

$$k = k_1 k_2$$

$$f = \left(\frac{1.8t + 32}{100} \right) P$$

Table 10.3

Table 10.4			k ₁			k ₂			k			f
Month	t(°C)	P	Rice	Corn	Sugar Beet	Rice	Corn	Sugar Beet	Rice	Corn	Sugar Beet	
June	20	9.70	1.10	0.80	0.70	1.33	0.46	2.42	1.46	0.37	1.70	6.60
July	25	9.88				1.31	1.46	1.92	1.44	1.17	1.34	7.61
August	30	9.33				1.35	1.62	1.00	1.49	1.30	0.70	8.02
September	27	8.36				0.48	1.00	0.42	0.53	0.80	0.30	6.74



Month	$U_c = 25.4 * k * f$			P_{eff} (mm)	Percentage*CIR			Total CIR	TDR (CIR/e)	q_{max} (l/s/ha)
	Rice	Corn	Sugar Beet		Rice (0.25*CIR)	Corn (0.35*CIR)	Sugar Beet (0.3*CIR)			
June	244.75	62.03	284.99	16	57.19	16.11	80.70	154.00	256.66	
July	278.34	226.15	259.01	13	66.34	74.60	73.80	214.74	357.90	1.34
August	303.52	264.82	142.60	8	73.88	89.89	40.38	204.15	340.25	
September	90.73	136.96	51.36	14	19.18	43.04	11.21	73.43	122.38	

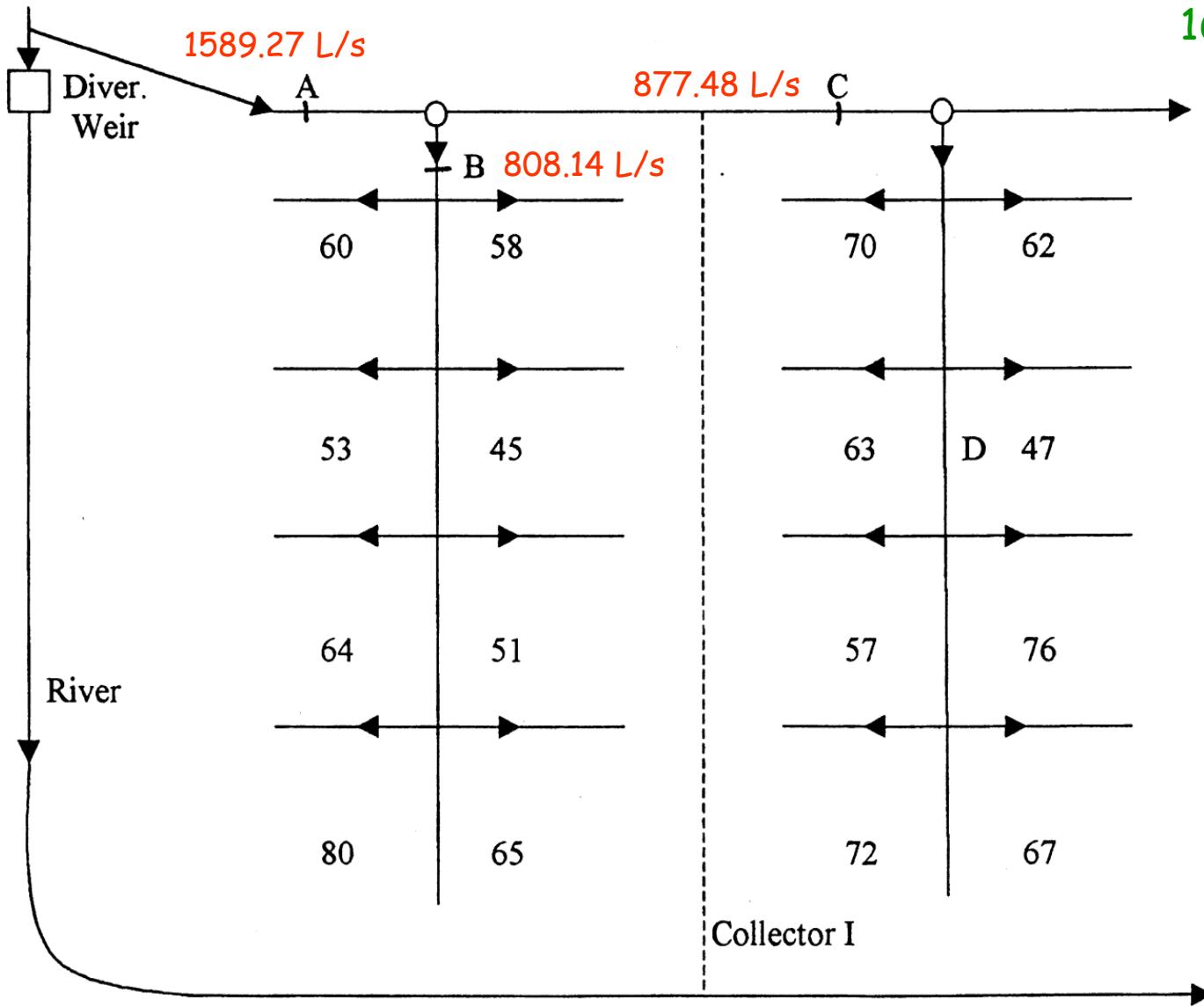
$$CIR = u_c - P_{eff} = 244.75 - 16 = 228.75 \Rightarrow (0.25 \times 228.75) = 57.19$$

$$q_{max} = \frac{TDR_{max} \times 10000}{(30 - 31) \times 86400}$$

Table 10.8

Point	Area (ha)	q_{max}	F	Q (lt/s)
A	990	1.34	1.198	1589.27
B	476		1.267	808.14
C	514		1.274	877.48

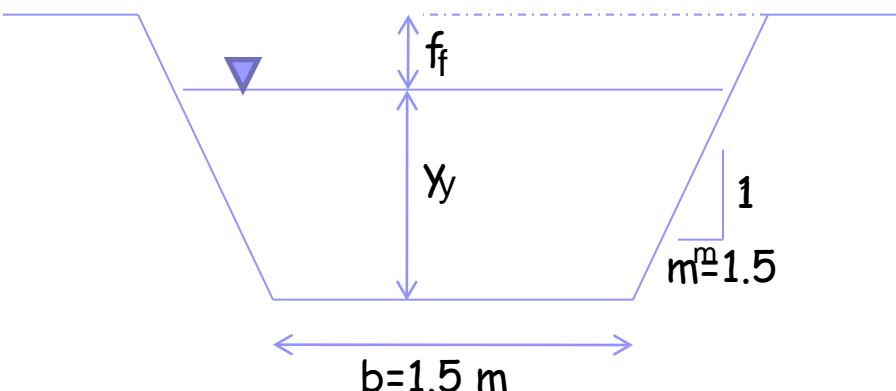
$$Q = A \times F \times q_{max}$$



$$877.48 + 808.14 = ? \quad \cancel{1589.27 \text{ L/s}} \\ \cancel{1589.27 \text{ L/s}} \\ 1685.62 \text{ L/s}$$

*All units are in hectares

b)



$$A = y(b + my)$$

$$P = b + 2y\sqrt{m^2 + 1}$$

$$f = 0.2(1 + y)$$

$$Q = \frac{1}{n} AR^{2/3} S_0^{1/2}$$

m^3/s

For point A

$$b = 1.5 \text{ m}, \quad Q_A = 1.59 \text{ } m^3 / s$$

$$A = y(1.5 + 1.5y)$$

$$P = 1.5 + 2y\sqrt{1.5^2 + 1} = 1.5 + 3.61y$$

$$1.59 = \frac{1.5y(1+y)}{0.015} \left(\frac{1.5y(1+y)}{1.5 + 3.61y} \right)^{2/3} \sqrt{0.0006}$$

$$y = 0.68 \text{ m}$$

$$f = 0.2(1 + 0.68) = 0.34 \text{ m}$$

$$A = 0.68(1.5 + 1.5 \times 0.68) = 1.71 \text{ } m^2$$

$$u_A = Q_A / A_A = 0.78 \text{ } m / s$$

$$0.5 \text{ } m / s < u_A < 2.5 \text{ } m / s$$

For point C;

$$b = 1.0 \text{ m}$$

$$Q_C = 0.88 \text{ m}^3 / \text{s}$$

$$A = y(1.0 + 1.5y)$$

$$P = 1.0 + 2y\sqrt{1.5^2 + 1} = 1.0 + 3.61y$$

$$0.88 = \frac{y(1.0 + 1.5y)}{0.015} \left(\frac{y(1.0 + 1.5y)}{1.0 + 3.61y} \right)^{2/3} \sqrt{0.0006}$$

$$y = 0.61 \text{ m}$$

$$f = 0.2(1 + 0.61) = 0.32 \text{ m}$$

$$A = 0.61(1.0 + 1.5 \times 0.61) = 1.17 \text{ m}^2$$

$$u_C = Q_C / A_C = 0.75 \text{ m/s}$$

$$0.5 \text{ m/s} < u_C < 2.5 \text{ m/s}$$

Planning & Design of Classical Irrigation-Drainage Systems

- ⌚ land classification → ignore lands w/ excessive problems
- ⌚ estimation of water demand for selected crop pattern
 - considering soil type, climate
- ⌚ comparison of supply and demand
- ⌚ consideration of water quality requirements
 - with less salt & sand content
- ⌚ design of water storage or diversion facilities
 - location & size
- ⌚ selection and design of irrigation distribution network
- ⌚ organizational establishment for **operation/maintenance**

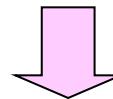
DRAINAGE of Irrigated Lands

② Nature of drainage problems:

- ✿ highways
- ✿ airports
- ✿ urban areas
- ✿ irrigated lands

} drainage facilities are designed for these areas to cope with excess surface runoff

Implementation of proper drainage facilities



better physical & environmental conditions

- ② Removal of excess water: aeration of root zone and leaching of salts
- ② Drainage of irrigated land → removal of excess water, which exists either on the surface of the soil or in the root zone

Sources of Excess Water:

excess water can exist

on the surface of the soil
in the root

- ⌚ Seepage losses from reservoirs or canals
- ⌚ Operational wastes in irrigation systems
- ⌚ Surface runoff losses due to excessive slope
- ⌚ Highly impervious surface soil
- ⌚ Deep percolation losses from irrigated lands
- ⌚ Excess water from irrigation $\sim 0.05 \times FDR$
- ⌚ Operational wastes $\sim 0.10 \times TDR$

loss of irrigation water often is gain to drainage water

Although advanced irrigation techniques ↓ need of drainage
excess storm water should still be removed

Surface Drainage

effective in collecting storm runoff
& ww from irrigation

- ② Capacity determination: Select proper return period, T_r
 - ③ Classical surface drainage networks:
 - ✿ interceptors, $T_r \approx 2$ years
 - ✿ collectors, $T_r \approx 10$ years
 - ✿ main collectors, $T_r \approx 25$ years
 - ④ Components of capacity:
 - ✿ excess water from irrigation
 - ✿ operational wastes
 - ✿ emergency release, $\sim TDR$ (total delivery requirement)
 - ✿ storm water
- 
- a surface runoff of a flood having a return period of 2 yrs is considered as the design discharge of the interceptor

- ⌚ During storms no irrigation water is applied to the field !
- ⌚ Storm water >> other capacity components
- ⌚ ∴ $Q_{des} = \text{Storm runoff}$ → reasonable assumption

Modeling of storm runoff:

- ⌚ advanced hydrologic simulations
- ⌚ use of simple rainfall/runoff relations
- ⌚ Rational method
- ⌚ MacMath's method
- ⌚ use of synthetic UH's

McMath's Method → widely used in Turkey

Applicable to flat terrains of any size

The peak drainage discharge, Q_p :

$$Q_p = 0.0023CiS^{1/5} A^{4/5}$$

C = runoff coefficient = $C_1 + C_2 + C_3$

C_1 = effect of vegetal cover

C_2 = effect of soil type

C_3 = effect of topographic characteristics

S = $1000S_0$

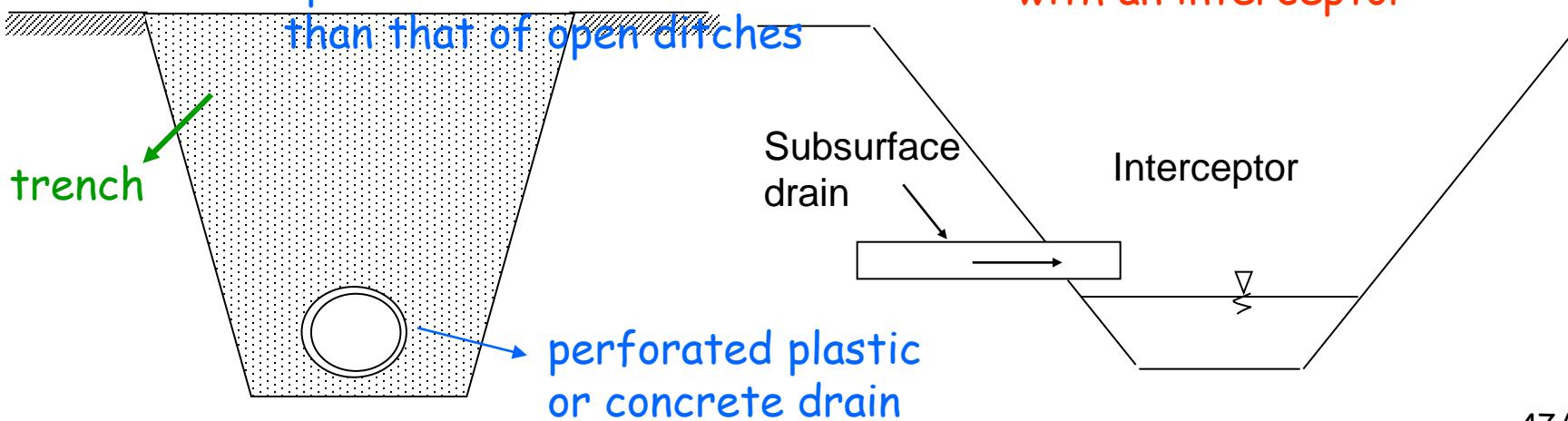
S_0 = bed slope of drainage channel

A = area to be drained in ha

i = rainfall intensity in mm/hr ← from intensity-duration-frequency curves

Subsurface Drainage

- ⌚ Elevation of groundwater table relative to soil surface?
- ⌚ Monitoring the elevation of GWT → Level of drainage
- ⌚ Remedial measures:
 - ✿ use of deep surface drains (open ditches) → net effective area for cultivation is ↓ed & farming instruments cannot be operated
 - ✿ use of wells → drilling & operation is expensive
 - ✿ use of subsurface drains
 - preferred! initial cost is high but operation & maint. costs are lower than that of open ditches
 - connection of effectively with an interceptor



② Selection of proper depth & spacing for subsurface drains:

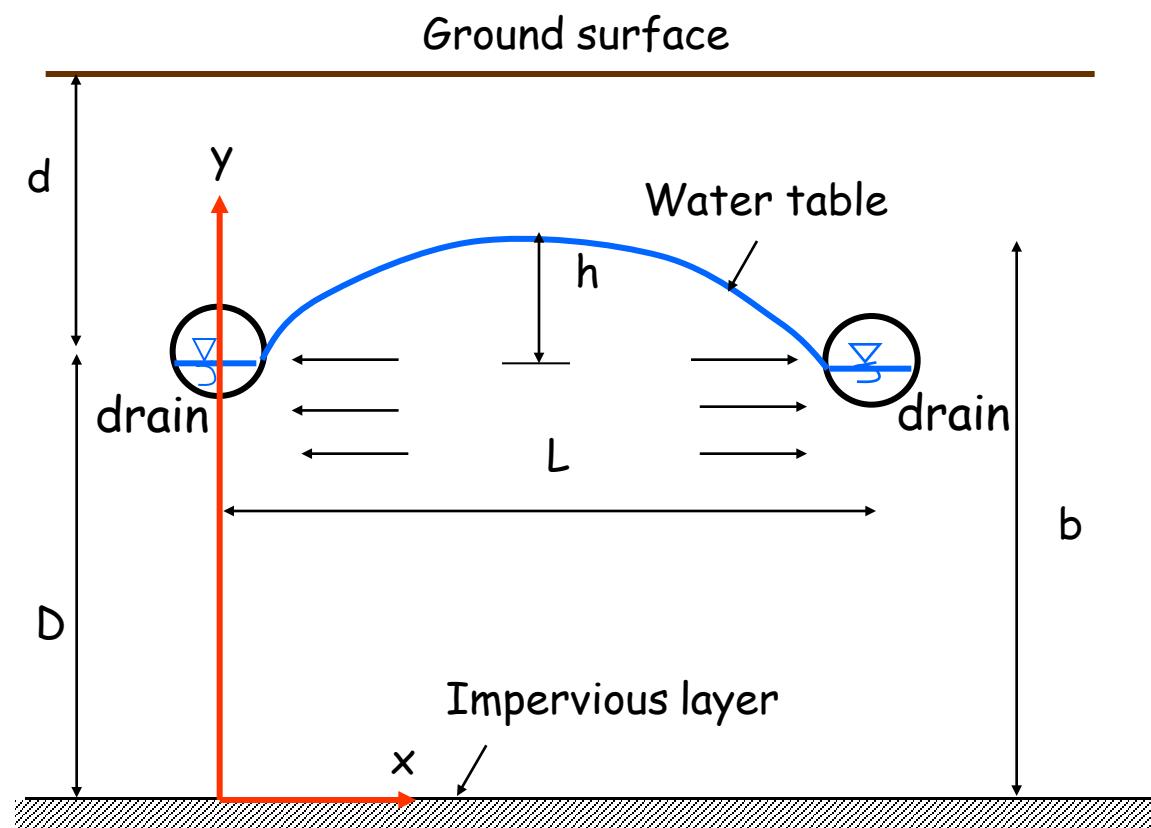
- ✿ soil permeability
- ✿ type of crop
- ✿ application method of irrigation water

③ The common practice:

- ✿ Select a value for the depth of drain, d , from Table (next page)
- ✿ Estimate the hydraulic conductivity of soil, K
- ✿ Estimate a drainage rate
- ✿ Determine spacing between two successive drains, L

Average depth & spacing for subsurface drains

Soil	Class	K (mm/hr) conductivity	L (m) spacing	d (cm) depth
Clay	Very slow	1	9-15	90-110
Clay loam	Slow	1-5	12-21	90-110
Loam	Moderately slow	5-20	18-30	110-120
Fine sandy loam	Moderate	20-65	30-37	120-140
Sandy loam	Moderately rapid	65-130	30-60	120-150
Peat	Rapid	130-250	30-90	120-150
Irrigated soil	Variable	250-25000	45-180	150-240



Steady-State Subsurface Drainage

☞ Valid under hypothetical conditions of

- ✿ constant rate of rainfall or irrigation water
- ✿ uniform drainage at all distances from the drain

water table shape
b/w two drains is
invariant

i.e. $\frac{\partial h}{\partial t} = 0$

Assumptions to obtain the formula for L

- ✿ Homogenous soil, $K=\text{constant}$
- ✿ The drains are evenly spaced a distance L apart
- ✿ $i = dy/dx$ (hyd. gradient at any pt = slope of water table above that pt)
- ✿ Darcy's law is valid for flow of water through soils
- ✿ An impermeable layer underlies the drain at a depth
- ✿ Irrigation (rainfall) water is applied at $q = \text{constant}$

Donnan's equation:

Darcy's law:

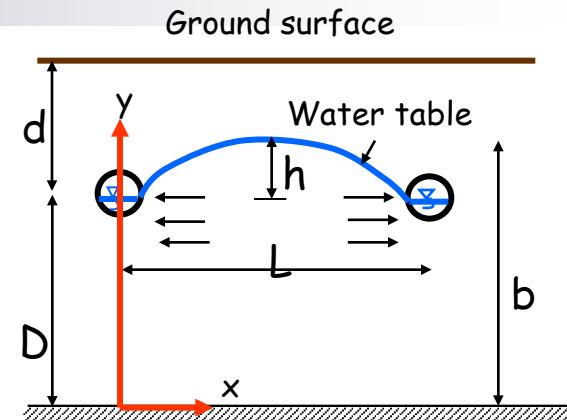
$$q_x = K A i$$

q_x = flow contributing to the drains in x -direction

K = hydraulic conductivity

A = flow area

i = hydraulic gradient = dy/dx



At $x = L/2$, $i = dy/dx = 0$, and hence $q_x = 0$

Linear variation for q_x :

$$q_x = \left(\frac{L}{2} - x \right) q$$

q = rate of rainfall or irrigation water application

$$\left(\frac{L}{2} - x\right)q = Ky \frac{dy}{dx}$$

$$\int \left(\frac{L}{2} - x\right) q dx = \int Ky dy$$

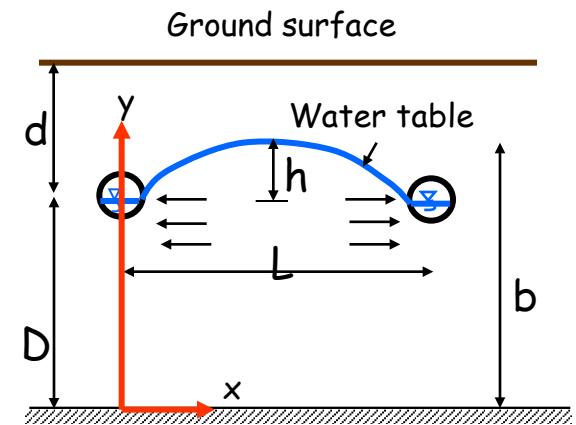
$$\frac{L}{2}qx - q\frac{x^2}{2} = K\frac{y^2}{2} + C$$

Apply boundary conditions to obtain C :

$$x = 0, y = D \text{ & } x = L/2, y = b \Rightarrow C = -KD^2/2$$

$$L^2 = \frac{4K(b^2 - D^2)}{q}$$

Donnan's Equation



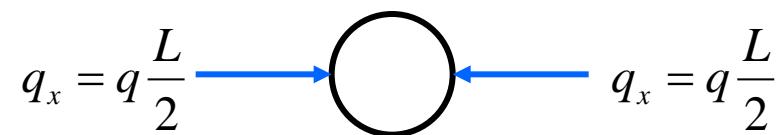
Limitation:

- ⌚ convergence of flow lines near the drains is ignored
- ⌚ suitable for large L/D

What is the total amount of water that drains to each subsurface drainage pipe?

$$\begin{aligned}
 \int_0^{L/2} \left(\frac{L}{2} - x \right) q \, dx &= \left(\frac{L}{2} qx - \frac{1}{2} qx^2 \right) \Big|_0^{L/2} \\
 &= \frac{L}{2} q \frac{L}{2} - \frac{1}{2} q \left(\frac{L}{2} \right)^2 \\
 &= q \left(\frac{L^2}{4} - \frac{1}{2} \frac{L^2}{4} \right) \\
 &= q \frac{L^2}{8}
 \end{aligned}$$

$$\begin{aligned}
 \int_D^b K y \, dy &= \left(K \frac{1}{2} y^2 \right) \Big|_D^b \\
 &= \frac{K}{2} b^2 - \frac{K}{2} D^2 \\
 q \frac{L^2}{8} &= \frac{K}{2} (b^2 - D^2) \\
 L^2 &= \frac{4K}{q} (b^2 - D^2)
 \end{aligned}$$



Total flow rate into the pipe per unit length = qL