Özge Öreyman 24906

Howevoork 2

- 1 n = 326 t = 81
 - a) There are 162 elements in the group.

 (i) There are 162 pos into thet relatively prime to 326.
 - b) Generators are 3, 7, 11, 19, 29, 45, 63, 67, 73, 75, 79, 89, 101, 103, 107---
- $(2) | 2_{326}| = 81$

(2) $n = p \times q$ Compute $m = c^d \mod n$ $(d = e^{-1} \mod \phi(n))$

Plaintext = Answer to the vitinate question of GRE, the universe, and everything is not 42. it

3 plaintext1:

plaintext2: Our knowledge can only be finite, while our ignorance must necessarily be infinite

plaintext 3:

ax = b mod n

a) gcd(a,n)=1 -> 50wHon exist for twis 56884393062303769019751445983.

b) gco(a,n)=3 => solution not exist

c) gcd(a/n)=3 => solution not exist

> gcd=3
oounot
devided b.

 $\mathfrak{S}^{1}(x) = x^{5} + x^{2} + 1 \quad \text{the output of LFSR can have maximum}$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$ $\mathfrak{S}^{2}(x) = x^{5} + x^{3} + x^{2} + 1$

> period = 31 => It generated maximum period sequence

(b) For the 3 sequence. When we use BM foretion it gives us binary sequence. ⇒ This connection is polynomial. ⇒ Thus, LFSR is predictable.

(7)