

FPGrowth: Mining Frequent Patterns by Pattern Growth

- Idea: Frequent pattern growth (FPGrowth)
 - Find frequent single items and partition the database based on each such item
 - Recursively grow frequent patterns by doing the above for each partitioned database (also called conditional database)
 - ☐ To facilitate efficient processing, an efficient data structure, FP-tree, can be constructed
- Mining becomes
 - Recursively construct and mine (conditional) FP-trees
 - Until the resulting FP-tree is empty, or until it contains only one path single path will generate all the combinations of its sub-paths, each of which is a frequent pattern

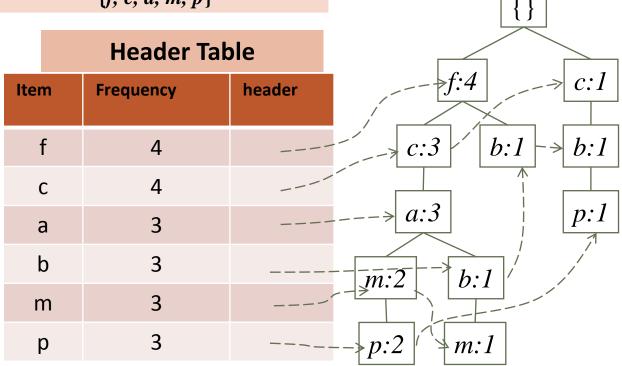
Example: Construct FP-tree from a Transational DB

TID	Items in the Transaction	Ordered, frequent items
100	$\{f, a, c, d, g, i, m, p\}$	$\{f, c, a, m, p\}$
200	$\{a, b, c, f, l, m, o\}$	$\{f, c, a, b, m\}$
300	$\{b, f, h, j, o, w\}$	{f, b}
400	$\{b, c, k, s, p\}$	$\{c, b, p\}$
500	$\{a, f, c, e, l, p, m, n\}$	$\{f, c, a, m, p\}$

Scan DB once, find single item frequent pattern: Let min_support = 3

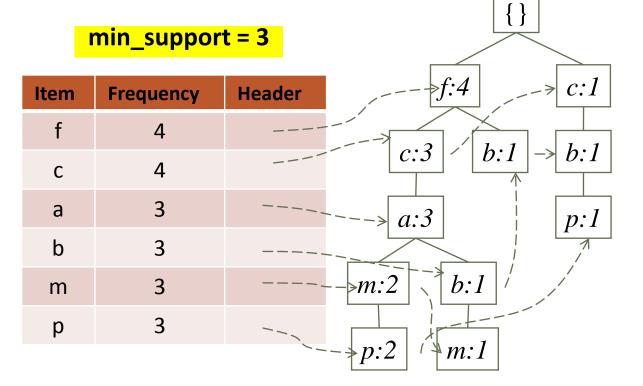
2. Sort frequent items in frequency descending order, f-list

3. Scan DB again, construct FP-tree



Divide and Conquer Based on Patterns and Data

- Pattern mining can be partitioned according to current patterns
 - □ Patterns containing p: p's conditional database: fcam:2, cb:1
 - Patterns having m but no p: m's conditional database: fca:2, fcab:1
- p's conditional pattern base: transformed prefix paths of item p



Conditional pattern bases

<u>Item</u>	Conditional pattern base
C	f:3
а	fc:3
b	fca:1, f:1, c:1
m	fca:2, fcab:1
p	fcam:2, cb:1

Mine Each Conditional Pattern-Base Recursively

FP-tree

Conditional pattern bases

item cond. pattern base			
C	f:3	min_support = 3	
а	fc:3		
b	fca:1, f:1, c:1		
m	fca:2, fcab:1		
p	fcam:2, cb:1		

 $\begin{cases} \} \\ | \\ f:3 \\ c:3 \end{cases}$ $f:3 \\ c:3 \end{cases}$ cm-cond. FP-tree m-cond. FP-tree

- For each conditional pattern-base
 - Mine single-item patterns
 - Construct its FP-tree & mine it

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p-conditional PB: fcam:2, cb:1 \rightarrow c:3
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m-conditional PB: fca:2, $fcab:1 \rightarrow fca:3$

b-conditional PB: $fca:1, f:1, c:1 \rightarrow \phi$

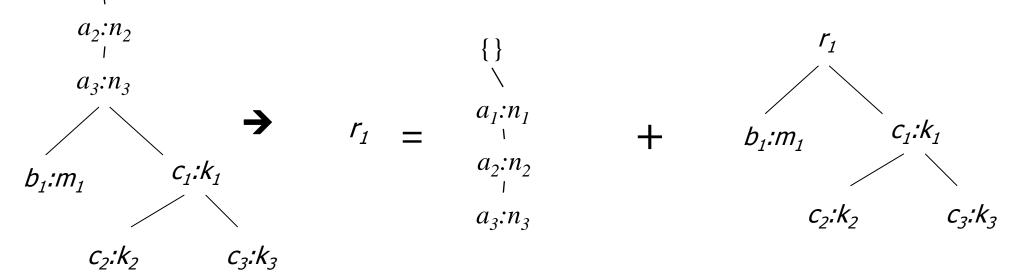
Actually, for single branch FP-tree, all frequent patterns can be generated in one shot

m: 3
fm: 3, cm: 3, am: 3
fcm: 3, fam:3, cam: 3
fcam: 3

FP-tree

A Special Case: Single Prefix Path in FP-tree

- □ Suppose a (conditional) FP-tree T has a shared single prefix-path P
- Mining can be decomposed into two parts
- {} Reduction of the single prefix path into one node
- $a_1:n_1$ Concatenation of the mining results of the two parts



Scaling FP-growth by Database Projection

- What if FP-tree cannot fit in memory? DB projection
 - Project the DB based on patterns
 - Construct & mine FP-tree for each projected DB
- Parallel projection vs. partition projection
 - Parallel projection: Project the DB on each frequent item
 - Space costly, all partitions can be processed in parallel
 - Partition projection: Partition the DB in order
 - Passing the unprocessed parts to subsequent partitions

