

### **Apriori: A Candidate Generation & Test Approach**

- Outline of Apriori (level-wise, candidate generation and test)
  - ☐ Initially, scan DB once to get frequent 1-itemset
  - Repeat
    - □ Generate length-(k+1) candidate itemsets from length-k frequent itemsets
    - ☐ Test the candidates against DB to find frequent (k+1)-itemsets
    - Set k := k +1
  - Until no frequent or candidate set can be generated
  - Return all the frequent itemsets derived

## The Apriori Algorithm (Pseudo-Code)

```
C_k: Candidate itemset of size k
F_k: Frequent itemset of size k
K := 1;
F_k := \{ \text{frequent items} \}; // \text{frequent 1-itemset} \}
While (F_k != \emptyset) do \{ // when F_k is non-empty
  C_{k+1} := candidates generated from F_k; // candidate generation
  Derive F_{k+1} by counting candidates in C_{k+1} with respect to TDB at minsup;
  k := k + 1
                       // return F_k generated at each level
return \bigcup_k F_k
```

#### The Apriori Algorithm—An Example

Database TDB

**Items** 

A, C, D

B, C, E

A, B, C, E

B, E

minsup = 2

.

1<sup>st</sup> scan

Itemset	sup
{A}	2
{B}	3
{C}	3
{D}	1
{E}	3

 $F_{1} \begin{tabular}{|c|c|c|c|} \hline Itemset & sup \\ \hline & \{A\} & 2 \\ \hline & \{B\} & 3 \\ \hline & \{C\} & 3 \\ \hline & \{E\} & 3 \\ \hline \end{tabular}$ 

 $F_2$ 

Tid

10

20

30

40

Itemset	sup
{A, C}	2
{B, C}	2
{B, E}	3
{C, E}	2

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Itemset	sup
{A, B}	1
{A, C}	2
{A, E}	1
{B, C}	2
{B, E}	3
{C, E}	2

2<sup>nd</sup> scan

Itemset	
{A, B}	
{A, C}	
{A, E}	
{B, C}	
{B, E}	
{C, E}	

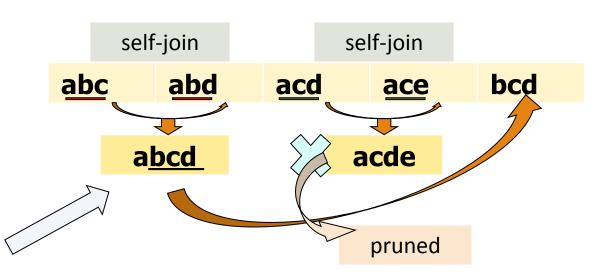
 $C_3$  Itemset {B, C, E}

 $3^{\text{rd}}$  scan  $F_3$ 

Itemset	sup
{B, C, E}	2

# **Apriori: Implementation Tricks**

- How to generate candidates?
  - $\square$  Step 1: self-joining  $F_k$
  - Step 2: pruning
- Example of candidate-generation
  - $\Box$   $F_3$  = {abc, abd, acd, ace, bcd}
  - $\square$  Self-joining:  $F_3 * F_3$ 
    - abcd from abc and abd
    - acde from acd and ace
  - Pruning:
    - $\square$  acde is removed because ade is not in  $F_3$
  - $\Box$   $C_4 = \{abcd\}$



#### Candidate Generation: An SQL Implementation

where  $p.item_1 = q.item_1$ , ...,  $p.item_{k-2} = q.item_{k-2}$ ,  $p.item_{k-1} < q.item_{k-1}$ 

self-join

<u>ab</u>d

<u>abc</u>

self-join

acde

pruned

<u>ace</u>

bcd

<u>ac</u>d

- lacksquare Suppose the items in  $F_{k-1}$  are listed in an order
- Step 1: self-joining  $F_{k-1}$  abcd insert into  $C_k$  select  $p.item_1$ ,  $p.item_2$ , ...,  $p.item_{k-1}$ ,  $q.item_{k-1}$  from  $F_{k-1}$  as p,  $F_{k-1}$  as q
- Step 2: pruning for all *itemsets c in C<sub>k</sub>* do for all *(k-1)-subsets s of c* do *if (s is not in F<sub>k-1</sub>)* then delete *c* from  $C_k$