Credit Quality, Regulation, and Competition in the Consumer Loan Market*

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Abstract

We analyze an imperfectly-competitive market for loans where loan-making institutions set both interest rates and minimum credit quality requirements necessary to be eligible for a loan. Using this framework we first analyze the impact of entry of another credit provider into a monopolistic market. We analyze the effect of bank competition on market shares, and in particular, the number of excluded (potential) borrowers. We also analyze the effect of regulating interest rates, and demonstrate that this policy reduces social welfare. Some borrowers may gain from a low interest rate, but others may be excluded from the loan market.

Keywords: Credit quality, financial regulation, lending arrangements.

JEL Classification Numbers: D43, G21

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1. Introduction

Loan markets are often characterized by borrowers who have to meet certain minimum basic quality requirements. This is the typical situation in many consumer loan markets where the lending bank determines not only the interest rate on loans, but also some minimum credit rating that is often reported by credit agencies. According to Berger and Udell (1995) similar minimum quality requirements exist in the market for small business loans. In this paper we analyze an imperfectly-competitive market for loans where banks set both interest rates and minimum credit quality requirements that potential borrowers should have in order to be eligible for a loan. We investigate the impact of competition on the market for borrowers. We also analyze the effect of interest regulation on social welfare.

We use a simple model in which banks choose how much to lend, given the quality of loans that can be added to their portfolio. Of particular interest to us is the impact of inter-bank competition. For this reason we model specifically the nature of competition between two competing banks. The results help to identify the quality-cost tradeoff and its impact on market share. We also show how the competitive results are influenced by regulation. The background for this analysis is the competitive environment that banks are facing in the retail market.

Of course, banks also face increased competition from non-banks financial intermediaries. We wish, however, to focus on the competition within the banking industry. We wish to model the competition for market shares when the customer quality is an important consideration. Specifically, we investigate how the profit of each bank changes as a consequence of competition for market shares. Since the banking sector is heavily regulated, we also investigate the impact of price regulation on the equilibrium outcome in the industry.

We focus on retail banking where the borrowers are small and negotiations about loan contracts are costly. In commercial lending contract negotiations are possible and

are likely to produce adjustments of interest rates that reflect the unique risk profile of the borrower. In contrast, when borrowers are small, banks tend to aggregate customers into quality groups and set a fixed loan rate to match the quality profile of the group.

There is a large finance literature on the commercial loan market. The literature on consumer lending is not as vast. Historically, much of the empirical research in that area focused on issues of credit scoring and on the possibility of rationing and exclusions. (see Heuson, Passmore and Sparks (2001). Recently a few outstanding articles focused on the differential interest rates that exist in the consumer loan market. Their current question is why interest rates on credit card loans remain high for long periods. Calem and Mester (1995) attributed the persistence of high credit card loan rates to imperfect competition on the supply side and to high switching costs on the borrowers' side. In our model we focus on competition between lenders in a loan market that has a similar structure.

The adoption of better processing of credit card applications have reduced consumer switching cost but have also led to an expended credit supply to bank retail customers. This, in turn, explains the deterioration in credit quality that is mentioned by Black and Morgan (1999). They report that in the early 1990s there was a pronounced increase in the share of credit cards held by lower-income persons and a parallel increase in the debt payments-to-income ratio. The results of our model are in line with their conclusion that, as competition increases, lenders (e.g. card issuers) expand sales to less credit worthy customers.

Our results have some implications that go beyond banking. A few years ago, Ross (1989) pointed out that the finance literature does not address properly the marketing of financial products. The role of competitive behavior of financial firms has not received sufficient attention. In this paper we attempt to fill part of the void and to demonstrate the impact of competitive behavior on the size of the market. In particular our model shows that increased competition among firms may lead to

lower prices via the standard margin undercutting argument. However, increased competition may also change customer quality requirements when firms compete for market share. In this way, quality provides another dimension on which to compete.

The paper is organized as follows. Section 2 surveys some related literature. Section 3 constructs the benchmark model of a single loan-making institution facing differentiated credit-rated consumers. Section 4 extends the environment to an imperfectly-competitive loan making industry by analyzing entry. Section 5 analyzes the welfare consequences of the imposition of a market-uniform interest rate for all borrowers. Section 6 analyzes a two-stage simultaneous moves environments and lists the differences and similarities with the sequential moves model. Section 7 concludes with further discussions.

2. Related Literature

Academic researchers in the banking area generally adapted the principal-agent problem to fit specific financial situations. The typical framework includes an owner of a firm who intends to invest in a real project. She needs to obtain a loan in order to execute her plans. The bank has the funds but considers itself as the weak side of the deal. This in turn leads to an inherent conflict of interests between the borrower (the agent) with a real investment plan that needs the financing and the banker (the principal) that has the funds.

According to this version of the principal-agent problem there are three methods that the banker may use in order to mitigate the conflict. First, she can collect information about the entrepreneur before funding the project. As noted by Laffont (2000), the screening out of bad projects entails considerable costs. Second, an elaborate contract between the two parties can allocate the benefits of the real investment (i.e. cash flow, control and termination rights) between the two parties so as to provide incentives to the borrowers while protecting the interest of the lending

institution. Rosen (1982) noted that writing comprehensive contracts is also expensive. Third, while the contract is in force the banker can monitor the entrepreneur in order to ascertain the real project is run in the proper way. This, of course, requires additional costs. Because of the high costs, most of the analysis since the pioneering work of Kihlstrom and Laffont (1979) considered the relations between two firms: a bank and a corporate borrower. The size of the loan would justify some of the extra costs that banks usually incur.

The academic literature that deals with competition in the financial sector can be divided into two broad areas: competition between banks and other intermediaries and competition within the banking sector. In the competition with other lenders, the banks are grouped into one industry, which is then compared with another industry (e.g. the brokerage industry). A common comparison is between banks and so-called arm's length investors. For example, some studies assume that banks can re-organize firms in stressful circumstances more efficiently than arm's length investors. On the other side, non-bank financial investor possess a lower opportunity cost of capital than banks. The endogenous outcome, mentioned by Rajan (1992), is that different lenders dominate in different segments of the asset quality range. High quality firms prefer the bond market in order to reduce their finance costs. At the other end of the quality spectrum, poor quality firms are likely to borrow from banks because they might need to use their organizing skills.

A related view regards banks as skillful project screeners. In models such as Diamond (1991) and Holmström and Tirole (1997), market segmentation is created as a solution to incentive problems. Companies without incentive problems will borrow from arm's length investors. On the other hand, firms with serious incentive problems will use banks because their screening (or monitoring) services will raise the financial value of such borrowers.

Market segmentation between two providers of small loans is also explored in the growing literature on the nature of competition between lenders in developing

countries. In many countries "informal loans" co-exist alongside regular bank loans. Such loans are provided by credit cooperatives, non-bank moneylenders and traders. According to Germidis, Kessler and Meghir (1991), and Hoff and Stiglitz (1998) such lenders account for more then 50% of the small loan markets in several Asian countries. The result is a segmented market for such loans. The institutional structure of retail credit in developing countries has been explored also by Bell, Srinivasan and Udry (1997) and Jain (1999). They model informal lenders as competitors to conventional banks. We consider a similar structure of two competitors in the retail credit market. The driving force of the present model is the interplay between two different constrains that lenders face: price and quality. We also allow for the possibility of credit rationing even under monopolistic competition without asymmetric information.

The other main branch of the literature concentrates on competition within the banking sector. A way to categorize the literature is offered by Boot and Thakor (2000). When they survey the literature on oligopolistic rent generation, they find three relevant branches used for analyzing bank competition. These are spatial models, models of monopolistic competition and ex-post generations of rent by the creation of banking relationships. This last form of competition received a lot of attention recently.

An important branch of the financial literature that analyzes competition within the banking sector deals with the implications of borrower-bank relationship to bank profitability. Peterson and Rajan (1994); Boot and Thakor (2000) and Longhofer and Santos (2000), among others, noted that the propriety information produced due to the relationship between a bank and a borrower can create monopoly rents for the bank.[1] Eventually, however, other banks tend to reduce these rents by competition. Theses models focus on the impact of the resulting inter-temporal pattern of loan prices.

[1]The interaction between the bank and the borrower have also been discussed in the literature that deals with the design of financial systems and financial contracts. Instructive examples include Berlin and Mester (1992), Gompers and Lerner (1996) and Thakor (1996).

Our paper differs from other contributions about the behavior of financial intermediaries in three ways: First, unlike many important contributions, we are not concerned with loan contact design. We focus on how markets are shared between suppliers of credit when the contracts structure is simple and the customers have different measures of quality. Second, most of the literature focuses on ex-post market segmentation. Many papers, such as Melnik and Plaut (1998) analyze shifts in market segmentation without addressing the competitive decision of rival suppliers of credit. The competitive decisions of credit providers are the central element of our model. Third, we focus on loans to retail customers and not on lending relationship with borrowing companies.

In a broad sense, our paper is linked to the literature that relates profit levels to quality differentiation in oligopolistic markets. This literature can be traced back to Shaked and Sutton (1982) who investigate why two different qualities are offered by two rival firms and both can still earn a profit. In their analysis, customers possess different quality preferences that depend on their initial endowments. Similar models in that literature show how the profitability of firms, in an oligoplistic setting, is linked to the quality attributes of the product that they sell. However, Shaked and Sutton (1982) do not consider oligopolistic competition of the type that we introduce here.[2] We use a different approach. In the following model, borrowers (customers) have identical preferences but posses heterogeneous credit risk (quality levels). We focus not the variety of products to be offered in an equilibrium, but rather on the choice of price and quality pairs made by competing banks.

3. A Single Loan-Making Institution

Consider a market where a single loan-making institution acting as a monopoly, is facing a continuum of potential borrowers. The borrowers are indexed by a quality

[2]Our model is also related to the literature that analyzes lenders incentives to screen borrowers in different market structures such as mentioned by Houswald and Marques (2003).

parameter ρ on the interval $[0, 1]$ with a uniform density of n borrowers per type. Therefore, the total number of potential borrowers equals to n.

Following Lazear (1986), the market for loans is such that the retail prices (interest rates) are always uniform per period and there is no haggling. This is also the observed behavior in the banking sector. Lazear (1986) noted that in most retail markets, the seller agrees implicitly to sell to any person who is willing to pay the posted price. Ordinarily, no price bargaining occurs in such markets. Prices may change over time, but at any given period they are the same for all customers. Lazear (1986) reports that are two reasons why a seller, when faced with many potential customers, would choose a strict retail pricing over some form of haggling. First, haggling may encourage strategic behavior on the part of the customers. Such behavior is absent when a standard retail price is used. Second, haggling is costly to the owners of the firm, because it requires delegation of authority (permission to offer discounts) to employees. To avoid this adverse selection, of employees, the firm may decide to announce a rigid price each period. Haggling is likely to occur when the owner, who sets the price, is also the sales agent in the firm. This is not the type of market considered in this paper.

3.1 Borrowers

Each borrower wishes to borrow \$1 in order to buy an income-producing asset (investment). The return on this investment is random, so that the return on a one-dollar investment by a type ρ borrower, $0 \leq \rho \leq 1$, is

$$R_\rho \stackrel{\text{def}}{=} \begin{cases} V & \text{with probability } \rho \\ 0 & \text{with probability } 1-\rho. \end{cases} \tag{1}$$

The parameter $V > 1$ is the gross return on \$1 investment if it does not fail. If it fails, the entire invested amount is lost. Thus, the expected gross return is ρV, which

means that borrowers indexed by higher values of ρ have higher expected returns on this investment.

For the sake of simplicity, potential borrowers do not have any funds of their own.[3] Therefore, the only way in which they can finance their investment is by borrowing. Let r denote the endogenously-determined nominal interest rate, set by the lending institution. Utility of a borrower, of type ρ, depends on the income from the individual's project net of the cost of the loan. We define the utility of a given borrower by

$$U_\rho \stackrel{\text{def}}{=} \begin{cases} V - (1+r) & \text{with probability } \rho \\ 0 & \text{with probability } 1-\rho. \end{cases} \tag{2}$$

The utility function (2) implies that a type ρ borrower is bankrupt with probability $1-\rho$, in which case the borrower must default on his loan by not paying back to the bank the interest and the principal on this loan. We will therefore refer to a borrower's index number ρ as a borrower's *quality* parameter, as this parameter reflects the probability of paying back a loan with interest. Alternatively, we will also refer to ρ as a borrower's *credit rating*. We do not assume that borrowers have information advantage over lenders about their own creditworthiness. Instead we assume that this credit rating is public knowledge, say, because quality information can be obtained at a low cost from credit rating institutions.

3.2 Loan-making institution

We now model a risk neutral profit-maximizing loan-making institution, which we call the *lender* in what follows. The lender has sufficient funds to lend to each of the n potential borrowers. The lender determines the interest rate, r, and sets a minimum

[3] In our model, borrowers do not have any other assets as well. Unlike Manove, Padilla, and Pagano (2001), we do not consider the role of collateral. In their model of "lazy banks" high-quality borrowers post collateral, in competitive market, to distinguish themselves from low-quality borrowers. When borrowers' type is revealed in this way, it may induce the lending bank to forgo monitoring.

credit rating, which we denote by $\hat{\rho}$, for loan eligibility. Essentially, each borrower has to demonstrate a minimum quality level in order to be eligible for obtaining a loan. Since borrowers are arranged according to their probability of repaying loans, the debt market is partitioned as illustrated in Figure 1.

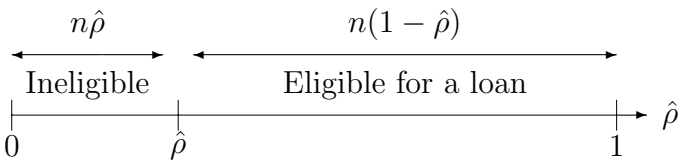

Figure 1: Eligible borrowers.

In order to define the lender's profit function consider an arbitrary type ρ borrower who is eligible for a \$1 loan. The lender will then collect an amount of $1+r$ (principal plus interest) with probability ρ for the \$1 it lends. Thus, the lender chooses both $\hat{\rho}$ and r to maximize expected profit given by

$$\max_{\hat{\rho},\, r} \pi^m = n(1+r) \int_{\hat{\rho}}^{1} \rho \, d\rho - n(1-\hat{\rho}). \tag{3}$$

The first term indicates the expected gross return collected from all eligible borrowers; i.e., those indexed by $\hat{\rho} \leq \rho \leq 1$. The second term indicates the total amount of money that the lender provides to all borrowers.

3.3 Equilibrium minimum credit rating and interest rate

Inspecting borrowers' utility functions given by (2) reveals that *all* potential borrowers will benefit from a loan as long as $r \leq V - 1$. Thus, the monopoly lender would set $r^m = V - 1$. Substituting $r = V - 1$ into (3), the lender chooses a minimum rating, ρ^m, that solves

$$\max_{\hat{\rho}} \pi^m = nV \int_{\hat{\rho}}^{1} \rho \, d\rho - n(1-\hat{\rho}) = \frac{n}{2}\left[V(1-\hat{\rho}^2) - \hat{\rho}^2 + 2\hat{\rho} - 1\right], \tag{4}$$

which is the total return on a portfolio of loans to all eligible borrowers. The first- and second-order condition for a maximum are

$$0 = \frac{\partial \pi^m}{\partial \hat{\rho}} = n(1 - V\rho^m), \quad \text{and} \quad \frac{\partial^2 \pi^m}{\partial \hat{\rho}^2} = -nV < 0.$$

Therefore, the monopoly lender's interest rate, the minimum credit rating eligible for a loan, and the resulting expected profit are

$$r^m = V - 1, \quad \rho^m = \frac{1}{V}, \quad \text{and} \quad \pi^m = \frac{n(V-1)^2}{2V}. \tag{5}$$

Figure 2 illustrates this equilibrium outcome.

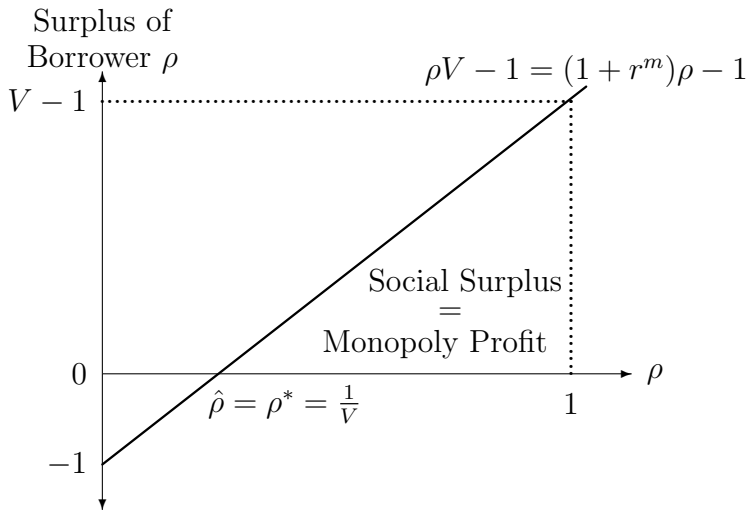

Figure 2: Eligible borrowers.

Figure 2 shows the expected surplus generated by each borrower's project, as a function of their quality type: $\rho V - 1$. If the lender chooses an interest rate r^m, then

the profit from lending to borrower type ρ is $\rho(1 + r^m) - 1$. Clearly, by choosing $r^m = V - 1$, this single lender can extract all the surplus. Thus, our assumption that the interest rate charged to all borrowers is the same turns out to be not restrictive. This is so because, when they succeed, all borrowers have the same project outcome, and it is only their probabilities of success that vary.

Following this outcome we can state the following implications.

Result 1. *An increase in borrowers' expected return on their investment, V, will increase the interest rate, r^m, and the number of eligible borrowers, $1 - \rho^m$, as well as the profit of a single loan-making institution, π^m.*

For example, (5) implies that if the stochastic return equals twice the \$1 investment (i.e., $V = 2$), then the lender will make a loan to half of the borrowers (i.e., $\rho^m = 1/2$). Similarly, if $V = 3$, $\rho^m = 1/3$ meaning that the lender makes loans to 2/3 of the potential borrowers, and so on.[4] If we interpret V as a measure of the condition of the economy, then this example shows that the market expands as the economy improves. In other words, when the the return on private investment increase, fewer potential borrowers are excluded.

Observe that the reason why the monopoly lender limits the qualified credit ratings to $\rho \geq 1/V$ is that the investments made by these borrowers bear nonnegative returns since $\rho V - 1 \geq \rho^m V - 1 = 0$.

3.4 Social optimum

To determine the minimum credit rating that maximizes social welfare, we define the social welfare function as the sum of borrowers' utilities and industry profit, given by

[4]Fluctuations in lending due to changes in economic conditions confirm this type of behavior. Oliner and Rudebusch (1996) argue that banks do not uniformly call in loans during contractions, but lenders uniformly flee to high quality borrowers when they lend during recessions. Their flight to quality argument is based on the assumption that there is a stronger impact on the choice of loans during recessions than in booms. Similar results have been found by Lang and Nakamura (1995).

(2) and (3), respectively. Formally,

$$\begin{aligned} W &= \int_{\rho^*}^{1} U_\rho \, d\rho + \pi^m \qquad (6) \\ &= n \int_{\rho^*}^{1} \rho[V - (1+r)] \, d\rho + n(1+r) \int_{\rho^*}^{1} \rho \, d\rho - n(1-\rho^*) = \int_{\rho^*}^{1} (\rho V - 1) \, d\rho. \end{aligned}$$

Following the practice of Prescott (2004), the interest rate r cancels out in the social welfare function since it is merely a transfer from borrowers to lenders. Maximizing (6) with respect to the socially-optimal minimum credit requirement yields

$$\rho^* = \frac{1}{V} \quad \text{hence} \quad W^* = \frac{n(V-1)^2}{2V}, \qquad (7)$$

where W^* is the corresponding maximal social welfare level. Comparing (7) with (5) yields the result.

Result 2. *A monopoly lending institution sets the socially-optimal minimum credit requirement and extracts the entire surplus from borrowers.*

Result 2 demonstrates an old idea attributed to Swan (1970a,b) where a monopoly firm that can freely set its price has no incentives to distort other choice variables such as quality and durability. In the present case, the monopoly lender is able to raise the interest to the monopoly level. Hence it has no incentive to choose any minimum credit requirement other than the socially-optimal level.

4. Duopoly Market for Loans

Consider now an entry of a second loan-making institution. Thus, we analyze a transition from a monopoly to a duopoly loan-making industry, where we denote by A the incumbent institution, and by B the entering institution. Note however that the borrowers do not change their behavior. That is, each borrower takes at most one loan from one of the banks.[5] Formally, we analyze the following two-stage

[5]For an empirical model that considers the possible of multiple loans from several banks see Farinha and Santos (2002).

game. Section 6 analyzes a two-stage simultaneous moves environments and lists the differences and similarities with the sequential moves model analyzed in this section. During the first stage, lender A simultaneously chooses the interest rate, r_A, and the minimum credit rating eligible for a loan, ρ_A. In the second stage, lender B simultaneously chooses r_B and ρ_B taking r_A and ρ_A as given.

We look for a subgame-perfect equilibrium (SPE) for this game and therefore proceed by solving the game backwards.

4.1 Stage II: Lender B

Let r_A and ρ_A be given. The two options facing lender B are:

(a) Sharing the market with lender A by charging a higher interest than A thereby serving the borrowers with a lower credit rating than the borrowers served by A.

(b) Undercutting lender A by offering a lower interest than A, thereby leaving A with no borrowers.

Figure 3 illustrates the two option available for lender B.

Of course, one could think of a third option available to lender B which is to set its minimum credit rating requirement higher than that of lender A, that is $\rho_B > \rho_A$. However, as it turns out, this option is a special case of the "undercutting" option which is solved in (10) below.

4.1.1 "Sharing" ($r_B \geq r_A$)

When lender B sets $r_B \geq r_A$, Figure 3 (Top) illustrates that all borrowers indexed on $[\rho_A, 1]$ will borrow from A (lowest interest on loans). Borrowers indexed on $[\rho_B, \rho_A)$ are forced to borrow from B and would therefore pay a higher interest since their credit ratings make them ineligible for taking loans from lender A.

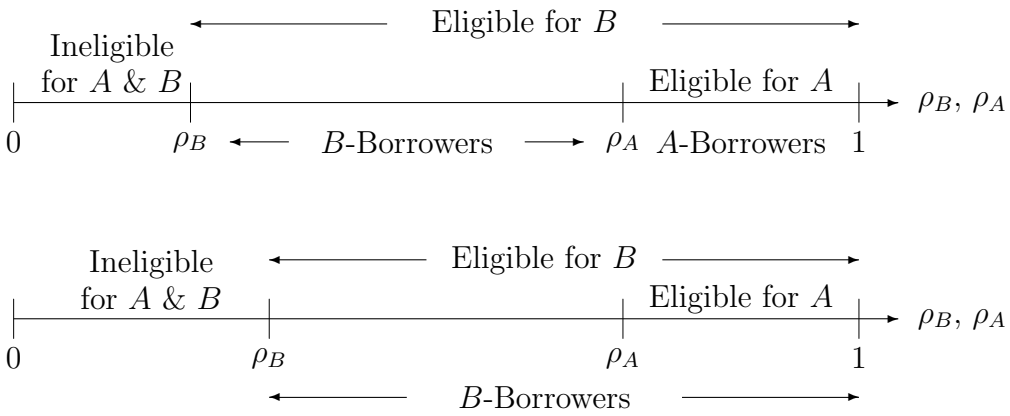

Figure 3: Possible market shares of two competitors in the loan market.
Top: B "shares" the market with A ($r_B \geq r_A$).
Bottom: B "undercuts" A ($r_B < r_A$).

Since all borrowers indexed by $\rho < \rho_A$ are not eligible for loans from A, in view of the utility function (2), lender B raises the interest rate to the monopoly level $r_B = V - 1$. Thus, similar to (3), lender B chooses ρ_B^s ("s" stands for "sharing") that solves

$$\max_{\rho_B} \pi_B = nV \int_{\rho_B}^{\rho_A} \rho \, d\rho - n(\rho_A - \rho_B) = nV \left(\frac{\rho_A^2}{2} - \frac{\rho_B^2}{2} \right) - n(\rho_A - \rho_B). \tag{8}$$

The first- and second-order conditions for a maximum are

$$0 = \frac{\partial \pi_B}{\partial \rho_B} = n(1 - V\rho_B), \quad \text{and} \quad \frac{\partial^2 \pi_B}{\partial \rho_B^2} = -nV < 0.$$

Hence,

$$r_B^s = V - 1, \quad \rho_B^s = \frac{1}{V}, \quad \text{and} \quad \pi_B^s = \frac{n(V^2\rho_A^2 - 2V\rho_A + 1)}{2V}, \tag{9}$$

where superscript "s" stands for sharing. Notice that, similar to the earlier case, comparing (9) and (5) reveals that in both market structures some credit rationing prevails.

4.1.2 "Undercutting" ($r_B < r_A$)

When lender B sets $r_B < r_A$, Figure 3 (Bottom) illustrates that all borrowers indexed on $[\rho_B, 1]$ will borrow from B and no one would borrow from A who charges a higher interest. Under $r_B = r_A - \epsilon$, (where ϵ is a small number) lender B chooses ρ_B^u that solves

$$\max_{\rho_B} \pi_B \approx n(1+r_A) \int_{\rho_B}^{1} \rho \, d\rho - n(1-\rho_B) = \frac{n}{2}\left[r_A(1-\rho_B^2) - \rho_B^2 + 2\rho_B - 1\right]. \quad (10)$$

The first- and second-order condition for a maximum are given by

$$0 = \frac{\partial \pi_B}{\partial \rho_B} = n(1 - \rho_B - r_A\rho_B), \quad \text{and} \quad \frac{\partial \pi_B}{\partial \rho_B} = -n(1+r_A) < 0.$$

Hence,

$$r_B^u \approx r_A, \quad \rho_B^u = \frac{1}{1+r_A} \quad \text{and} \quad \pi_B^u = \frac{n r_A^2}{2(1+r_A)}, \quad (11)$$

where superscript "u" stands for undercutting.

4.1.3 Equilibrium strategy for lender B

We now determine the conditions under which lender B will find it more profitable to share the market with lender A rather than to undercut lender A and grab its entire market. Comparing (9) with (11) yields that sharing is profitable if

$$\pi_B^s \geq \pi_B^u \quad \text{if and only if} \quad \rho_A \geq \frac{\sqrt{1+r_A} + \sqrt{V} r_A}{V\sqrt{1+r_A}}. \quad (12)$$

Figure 4 illustrates how lender A's choice of interest rate, r_A, and minimum credit rating, ρ_A affect lender B's choice of whether to share the market or to undercut lender A.

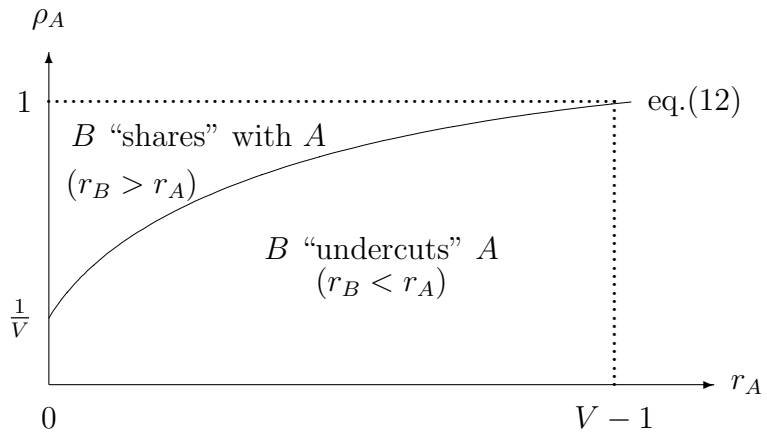

Figure 4: B's response to A's choice of r_A and ρ_A .

4.2 Stage I: Lender A

Lender A does not earn any profit if lender B undercuts in stage II. Figure 4 and equation (12) reveal that lender A can avoid being undercut if he sets ρ_A sufficiently high, relative to the interest rate r_A, thereby specializing in giving loans to borrowers with sufficiently-high credit rating. Therefore, lender A can avoid being undercut by choosing any pair of (r_A, ρ_A) satisfying (12) which is plotted on Figure 4. Thus, lender A chooses the combination (r_A, ρ_A) that solves

$$\max_{r_A,\rho_A} \pi_A = n(1+r_A)\int_{\rho_A}^{1} \rho\, d\rho - n(1-\rho_A) = \frac{n}{2}\left[r_A(1-\rho_A^2) - (1-\rho_A)^2\right], \qquad (13)$$

subject to (12). Although we are not able to display an explicit solution for (13) we now prove the following lemma.

Lemma 1. *There exist a unique duopoly equilibrium. Formally, the profit maximization problem (13) has a unique solution.*

Proof. From (13), lender A's iso-profit curves are given by

$$r_A = \frac{2\pi_A + n(1-\rho_A)^2}{n(1-\rho_A^2)}. \tag{14}$$

Applying the Implicit-Function Theorem on (13), the slope of (14) is

$$\frac{\mathrm{d}r_A}{\mathrm{d}\rho_A} = \frac{1-\rho_A^2}{2(r_A\rho_A + \rho_A - 1)} \geq 0 \Longleftrightarrow \rho_A \leq \frac{1}{1+r_A}. \tag{15}$$

The *inverse* of the iso-profit (14) is plotted in Figure 5.

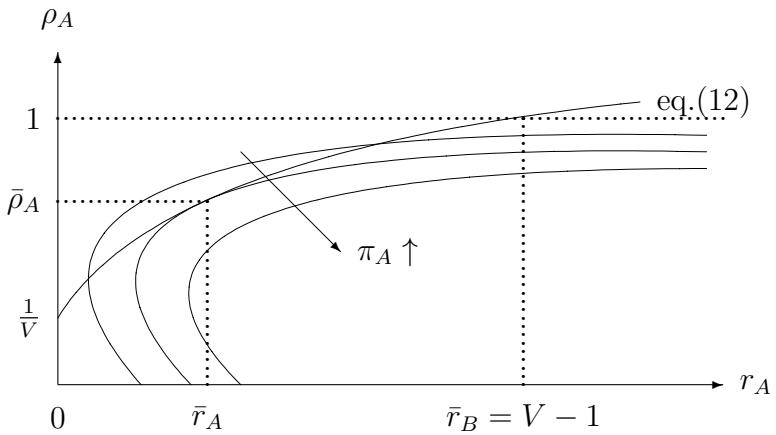

Figure 5: Lender A's iso-profit curves.
Note: Bars over variables denotes equilibrium values.

Figure 5 demonstrates that lender A's profit increases in the south-east direction (higher interest and higher market share). (14) implies that $r_A \to \infty$ as $\rho_A \to 1$. (15) implies that the slope of these iso-profit curves may be negative for low values of ρ_A, but must turn positive for higher values. Hence, a unique solution of the maximization problem (16) exists. □

4.3 Equilibrium with two lenders

Substituting (12) into (13), lender A solves

$$\max_{r_A} \pi_A = \frac{n(V-1-r_A)\left[2r_A\sqrt{V} - \sqrt{1+r_A}\,(V-1-Vr_A)\right]}{2V^2\sqrt{1+r_A}}. \tag{16}$$

We solve A's problem by simulations. Our simulations proceed as follows. For each value of V, the "computer" determines the value of r_A which maximizes (16). Then, substituting r_A into (12) yields ρ_A. Substituting into (16) yields π_A. Finally, r_B, ρ_B, and π_B are then determined by (9). Table 1 exhibits the equilibrium values for $V = 1.5, 1.8, 2$, and 3.

	Bank A			Bank B			Market shares	
V	r_A	ρ_A	π_A	r_B	ρ_B	π_B	$1-\rho_A$	$\rho_A-\rho_B$
1.5	0.312	0.889	$0.026n$	$\frac{1}{2}$	$\frac{2}{3}$	$0.037n$	0.111	0.222
1.8	0.485	0.852	$0.055n$	$\frac{4}{5}$	$\frac{5}{9}$	$0.555n$	0.147	0.297
2	0.603	0.835	$0.077n$	1	$\frac{1}{2}$	$0.112n$	0.165	0.335
3	1.135	0.782	$0.196n$	2	$\frac{1}{3}$	$0.302n$	0.218	0.449

Table 1: Duopoly equilibrium values under sequential entry.

Table 1 demonstrates that both interest rates and profit levels rise with V, since a higher expected return on borrowers' investments enables lending institutions to extract higher surpluses from the borrowers. However, with the improvement in financial conditions of the borrowers (higher return on their investment, captured by V) more of them become eligible for loans. Therefore, fewer borrowers are excluded from the loan market when competition among lenders prevail. In addition, lenders' profits increase with an increase in the borrowers' population size n.

Table 1 also reveals that bank B, that lends to lower-quality borrowers, earns a higher profit compared with bank A that lends to high-quality borrowers. Evidently, the interest charged by bank B more than compensates for the low quality of its

customers. In addition, bank B maintains a significantly larger market share than bank A. Table 1 reveals the following result.

Result 3. *In a subgame-perfect equilibrium, both lending institutions increase their market shares by lowering their minimum credit rating eligible for loans, when borrowers' investment return increases. Formally, both* $1 - \rho_A$ *and* $\rho_A - \rho_B$ *increase as* V *increases.*

As expected, the increase in the degree of competition in the loan market is beneficial to borrowers. This is illustrated in Figure 6. Figure 6 illustrates how the surplus is divided between borrowers and the two lending institutions. The

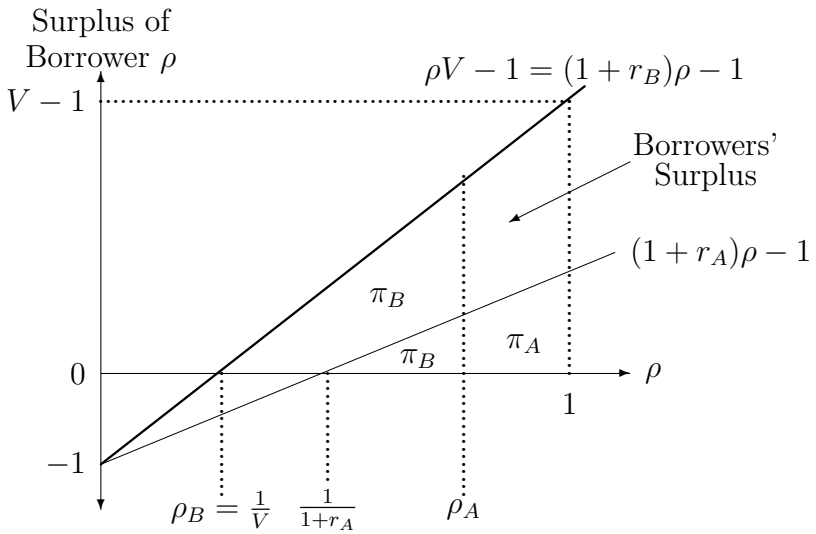

Figure 6: Division of surplus about borrowers and lending institutions.

maximal extractable total surplus of a set of consumers is the area under the steeper (upper) line. The upper line reveals that lender B extracts the entire surplus from borrowers indexed on $[\rho_A, \rho_B]$. In contrast, the lower line demonstrates that lender A shares the surplus with its borrowers who are indexed on $[\rho_A, 1]$ as it cuts through the area below the upper line (hence surplus is divided between lender A and the

borrowers). Comparing Figure 6 with Figure 2 reveals that the entry of lender B into the market is beneficial to borrowers with high credit ratings, who after entry gain strictly positive surplus from taking loans.

5. Regulated Interest Rate

Suppose now that the regulating authority imposes a uniform interest rate in the market for loans, which we denote by $\bar{r}$.[6] However, suppose that each lending institution can freely set its minimum credit rating which makes borrowers eligible for loans. Our analysis maintains the same order of moves (stage I, and II) as in the previous sections. That is, lender A sets ρ_A in stage I, and lender B sets ρ_B in stage II. Clearly, the regulator must set $\bar{r} < V - 1$, as otherwise the utility function (2) implies that no borrower would find it beneficial to borrow and invest.

5.1 Market consequences

The profit of a loan-making institution, from making a loan to a borrower with credit rating of ρ, is $\rho(1 + \bar{r}) - 1$. This is the expected payment of the principal plus the interest rate minus the \$1 loaned to the borrower. Therefore,

Result 4. *When a uniform interest rate is mandated, no institution would lend to customers whose credit rating is below* $\hat{\rho} = 1/(1 + \bar{r})$.

Proof. The profit made on borrower ρ is nonnegative only if $\rho(1 + r) - 1 \geq 0$, hence if $\rho \geq 1/(1 + \bar{r})$. □

Thus, the regulator can maintain an indirect control over which type of borrowers are excluded from the loan market by varying the mandated interest rate. By setting a

[6] Of course, interest determination is only one form of bank regulation that could be considered. Other common measures include capital adequacy requirements, restrictions on banks' ownership of non-financial firms, reserved requirements, implicit or explicit deposit insurance and various restrictions on asset and liability structures. See Demigruc-Kunt and Kane (2002), Gual (1999) and Sironi (2002) for discussions of regulatory measures in the banking sector that can affect competitive outcomes.

lower $\bar{r}$, the regulator increases the number of borrowers who are ineligible to obtain loans from any institution. In contrast, by setting the highest-possible interest rate, $\bar{r} = V - 1$, the regulator lowers the exclusion level to $\bar{\rho} = 1/V$ which is the same level as maintained under monopoly given in equation (5).

5.2 Equilibrium under a regulated interest rate

Given a mandated uniform interest rate, in stage I lender A sets its minimum credit rating, ρ_A, and in stage II lender B sets ρ_B. Since both lending institutions now charge the same interest rate, we wish to specify how borrowers are allocated between the lending institutions in the case that they are eligible to borrow from both institutions.

ASSUMPTION 1. *If the n borrowers with a credit rating of ρ are eligible to borrow from both institutions and if both institutions charge the same interest rate, the n borrowers are equally divided between the lending institutions.*

Here we adopt a simple formulation that captures the symmetry between an incumbent lender and a new entrant. Note that Assumption 1 was not needed in Section 4 where lenders could freely set both interest rates and minimum credit ratings, since in Section 4 lenders end up setting different interest rates.

In the second stage, given $\rho_A \geq 1/(1+\bar{r})$ (see Result 4), lender B sets a low credit requirement given in Result 4, thereby monopolizing over borrowers indexed on $[1/(1+\bar{r}), \rho_A]$ and sharing with lender A borrowers indexed on $[\rho_A, 1]$. Thus, by Assumption 1, since lender A equally shares the market with lender B, lender A maximizes its profit (market size) by also setting $\rho_A = 1/(1+\bar{r})$. Therefore,

Result 5. *When lending institutions are forced to charge a regulated uniform interest rate, they will all set the same minimum credit rating required from borrowers. Formally, the unique equilibrium minimum credit ratings are $\rho_A = \rho_B = 1/(1+\bar{r})$.*

Comparing Table 1 with Result 5 reveals that the mandated interest rate policy *eliminates* the incentives of lenders to differentiate themselves by lending to different groups of borrowers.

5.3 Welfare consequences

In the economy that we consider there is a continuum of heterogeneous potential borrowers and two loan-making institutions. Looking first on how the imposition of a uniform interest rate affects borrowers, we can see that such a policy affects different borrowers in different ways. First, there are borrowers who gain since the mandated interest rate is lower than the market-determined rate (e.g., borrowers who pay an interest $r = V - 1$ under market competition, but a lower one when the rate is mandated). In contrast, Result 4 implies that a lower mandated interest rates increases the number of borrowers who are excluded by the lending institutions. Clearly, borrowers who become excluded as a result of the imposition of a lower interest rate are worse off as a result of this policy. Second, it may happen that for some borrowers, in particular, borrowers with high credit rating who take loans from lender A (at a lower interest rate) also become worse off with the imposition of a uniform interest rate. Thus,

Result 6. *The imposition of a mandated uniform interest rate is Pareto noncomparable to a market equilibrium.*

Next, we define the economy's social-welfare function as the sum of nonexcluded borrowers' utilities and the profit of the two loan-making institutions. Formally,

$$
\begin{aligned}
W &\stackrel{\text{def}}{=} \int_{\bar{\rho}}^{1} U_\rho \, d\rho + \pi_A + \pi_B \\
&= n \int_{\rho_B}^{\rho_A} \rho[V - (1 + r_B)] \, d\rho + \frac{n}{2} \int_{\rho_A}^{1} \rho[V - (1 + r_B)] \, d\rho + \frac{n}{2} \int_{\rho_A}^{1} \rho[V - (1 + r_A)] \, d\rho \\
&\quad + n \int_{\rho_B}^{\rho_A} [\rho(1 + r_B) - 1] \, d\rho + \frac{n}{2} \int_{\rho_A}^{1} [\rho(1 + r_B) - 1] \, d\rho + \frac{n}{2} \int_{\rho_A}^{1} [\rho(1 + r_A) - 1] \, d\rho \\
&= n \int_{\rho_B}^{1} (\rho V - 1) \, d\rho.
\end{aligned}
\tag{17}
$$

Thus, social welfare is measured by the real investment effect which is the sum of the expected "revenue" (ρV) minus the real cost which is \$1 for each borrower.[7] This outcome should come as no surprise since interest payments constitutes only a transfer from borrowers to lending institutions and therefore must cancel out in the social welfare function. Therefore,

Result 7. *Social welfare is reduced when the regulator mandates a uniform interest rate on loans. Further, social welfare monotonically declines with a decrease in the mandated market uniform interest rate.*

Proof. Maximizing the social welfare function (17) implies that the socially-optimal minimum credit rating eligible for a loan is $\rho^* = 1/V$. However, Result 4 implies that the equilibrium minimum credit rating is $\bar{\rho} = 1/(1 + r) > \rho^*$ for mandated interest $r < V - 1$. Further, $\bar{\rho} - \rho^* = 1/V$ increases when r declines, thus, the number of excluded borrowers beyond the socially-optimal level increases with a decline in r. □

The intuition behind Result 7 is as follows. Interest-rate regulation by itself does not affect aggregate social welfare. But, this regulation does have an indirect effect on social welfare by increasing the exclusion of the number of potential borrowers.

[7] The same idea is expressed in McGrattan and Prescott (2006), Appendix A pp.24–28.

6. Alternative Market Structures

So far, our analysis was conducted under a sequential-entry market structure where lender A had to set its minimum credit requirement and its interest rate before the entry of lender B. A natural question to ask at this point is how robust our results are to changes in the market structure in this market for loans.

In order to investigate this question, in this section we look at an alternative market structure assuming that both lenders coexist from the start, and make decisions in two stages.

Stage I: Each lender i takes the minimum credit rating of lender j, ρ_j, as given and chooses its own minimum credit rating ρ_i, where $i, j = A, B$ and $i \neq j$.

Stage II: Both lenders take ρ_A and ρ_B as given. Then, each lender i takes the interest rate of lender j, r_j, as given and chooses its lending rate ρ_i,

Ideally, we look for a subgame perfect equilibrium for this simultaneous-move two stage game. However, as we now demonstrate such an equilibrium may not exist unless we slightly modify this equilibrium concept.

6.1 Equilibrium interest rates in the second stage

Let ρ_A and ρ_B be given, and suppose with no loss of generality that $\rho_B \leq \rho_A < 1$, as illustrated in Figure 3. By a way of contradiction, suppose that $(\bar{r}_A, \bar{r}_B)$ is a Nash equilibrium (NE in what follows) for the second stage interest rate competition.

Given $\bar{r}_B$, lender A maximizes profit by raising its interest rate to $r_A = \bar{r}_B - \epsilon$ without losing any of its $1 - \rho_A$ borrowers, where ϵ is a small number. However, given $r_A \approx r_B$, lender B can raise its interest to $V - 1$ (monopoly rate) without loosing its monopoly over its $\rho_A - \rho_B$ borrowers. Altogether we have $r_A \approx r_B = V - 1$. However, Figure 4 implies that these interest rates fall in the range where lender B can raise

its profit by undercutting A by setting $r_B = r_A - \epsilon$, which completes a full circle. Hence, $(\bar{r}_A, \bar{r}_B)$ is not a NE.

The nonexistence of a Nash equilibrium is not unique to the present setup and occurs in other "location" type models as reported in d'Aspremont, Gabszewicz, and Thisse (1979). Instead of resorting to a mixed strategy solution, we utilize a simple equilibrium concept in pure actions.

Intuitively, the pair of interest rates $(\bar{r}_A, \bar{r}_B)$ is an *Undercut-proof Equilibrium* (UPE in what follows) if each lender maximizes its interest rate subject to not being undercut by the rival lender. Undercutting occurs when the rival lender sets a lower rate thereby grabbing the entire market, see formal definitions in Shy (2001, 2002). In the present case, since $\rho_B < \rho_A$, lender B is the sole lender to borrowers indexed on $[\rho_B, \rho_A]$ and hence cannot be undercut by lender A. Therefore, as before, (2) implies that r_B is maximized at $r_B = V - 1$.

In an UPE, lender A maximizes r_A subject not to be undercut by lender B. Formally, lender A raises r_A maintaining that (8) is no less than (10), formally

$$r_A \leq \frac{V(\rho_A^2 - \rho_B^2) - 2\rho_A + \rho_B^2 + 1}{1 - \rho_B^2}. \tag{18}$$

6.2 Equilibrium minimum credit requirement in the first stage

We now solve for a Nash equilibrium in minimum credit ratings ρ_A and ρ_B, given (18), meaning that the market is "shared" in the second stage. Since r_A does not appear in B's profit maximization problem (8), its solution still applies, hence $\rho_B = 1/V$. To find A's best response, substituting (18) into (13) for r_A, and then $\rho_B = 1/V$, and maximizing (13) with respect to ρ_A yields first- and second-order conditions given by

$$\frac{\partial \pi_A}{\partial \rho_A} = \frac{n[V^3\rho_A(2\rho_A^2 - 1)V^2\rho_A(2 - 3\rho_A) - V\rho_A + 1]}{1 - V^2} = 0 \tag{19}$$

$$\frac{\partial^2 \pi_A}{\partial \rho_A^2} = \frac{Vn[V^2(6\rho_A^2 - 1) + 2V(1 - 3\rho_A) - 1]}{1 - V^2}.$$

Parallel to Table 1, Table 2 exhibits the equilibrium values for $V = 1.5, 1.8, 2$, and 3. The values of ρ_A and r_A are obtained from (19) and then from (18). Table 3 compares

	Bank A			Bank B			Market shares	
V	r_A	ρ_A	π_A	r_B	ρ_B	π_B	$1-\rho_A$	$\rho_A-\rho_B$
1.5	0.308	0.867	$0.029n$	$\frac{1}{2}$	$\frac{2}{3}$	$0.030n$	0.133	0.200
1.8	0.478	0.827	$0.060n$	$\frac{4}{5}$	$\frac{5}{9}$	$0.066n$	0.172	0.272
2	0.588	0.809	$0.083n$	1	$\frac{1}{2}$	$0.095n$	0.191	0.309
3	1.115	0.760	$0.207n$	2	$\frac{1}{3}$	$0.273n$	0.240	0.427

Table 2: Equilibrium under simultaneous moves

Table 2 with Table 1 and lists the differences between simultaneous and sequential moves lending industries. Table 3 implies the following list of results.

Result 8. *(a) Lender A earns a higher profit, maintains a larger market share, and pays a lower interest under the simultaneous move game compared with being the first mover in a sequential game.*

(b) Lender B earns a lower profit and maintains a smaller market share under the simultaneous move game compared with being the last mover in a sequential game.

Result 8 points out a "first-mover disadvantage" in the market for loans. More precisely, in the sequential-moves game lender A maintains a higher credit requirement (thus, a lower market share) to prevent lender B from undercutting during the second stage. Clearly, this effect is mitigated when both lenders move simultaneously.

Variable	Notation	Simultaneous Moves	Sequential Moves
A's interest	r_A	lower	higher
B's interest	r_B	same	same
A's market	$1-\rho_A$	larger	smaller
B's market	$\rho_A-\rho_B$	smaller	larger
A's profit	π_A	higher	lower
B's profit	π_B	lower	higher

Table 3: Simultaneous versus sequential moves

7. Summary and Discussion

Most loan markets are characterized by borrowers who have to meet some basic quality requirements. This is often the situation in small business markets or in consumer's loan markets, where the lending bank determines not only the interest rate on loans, but also some minimum credit rating that a potential borrower should have in order to be eligible for a loan. In this paper we analyzed an imperfectly-competitive market for loans, where the banks set both the interest rate and minimum credit rating that potential borrowers should posses. We investigated the impact of competition on loan market shares in such an environment. We also analyzed the effect of interest regulation on social welfare.

We used a model in which banks choose how much to lend given the quality of loans. In this setting we modeled specifically the nature of competition between two competing banks. The results helped to identify the quality-cost trade off and its impact on market share. We also showed how the competitive results are influenced by regulation.

Specifically, we found that a single lender, in the loan market, will practice some degree of credit rationing. That is, borrowers whose expected net yield on investment is negative, will be excluded. When a second lender competes in the loan market it may not use outright price competition in order to gain market share. Instead, it is likely to charge a higher interest rate and serve borrowers with a lower credit rating than the incumbent bank. In a sub-game perfect equilibrium, both lending firms increase their market share by lowering their minimum credit rating. Table 4 summarizes our results how social surplus is divided between lenders and borrowers under the analyzed market structures.

We also consider a situation where a financial sector regulator imposes a uniform mandated interest rate in the loan market. We find that in such a situation credit rationing will still prevail. The regulator, however, may reduce the amount of rationing

Project Value	Social Surplus	Monopoly		Duopoly		
V	SW	π^m	CS^m	π_A	π_B	CS^d
1.5	0.083	0.083	0	0.026	0.037	0.020
1.8	0.177	0.177	0	0.060	0.066	0.050
2	0.250	0.250	0	0.077	0.112	0.061
3	0.667	0.667	0	0.196	0.302	0.169

Table 4: Division of social surplus among lenders and borrowers.
Note: All entries should be multiplied by n.

by raising the mandated interest rate. Under interest rate regulation, all borrowers are equally divided between the lending institutions. Since both charge the same regulated rate, they also set the same minimum credit rating requirements. A regulated interest rate essentially eliminates the incentives of lenders to compete by lending to different group of borrowers. Social welfare, however, is reduced when a uniform interest rate is imposed.

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