

# The Tennis Unity Environment with Multi Agent Deep Deterministic Policy Gradient (MADDPG)

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## 1 Introduction to Multi Agents environment

If within an environment we have multiple agents it's possible to follow two different approaches

**Independents agents** each agent observe its own environment and it learns its own policy regardless the existence of other agents. All the agents learn simultaneously (in parallel) and independently. Since each agent has a different description of the environment, this approach could lead to a non stationary description of the environment.

**Interacting agents** in this case a single policy is learned for all agents, in addition each agent observe the same environment and return a single reward

$$\pi : \mathcal{S} \rightarrow \mathcal{A}_1 \times \dots \times \mathcal{A}_n \quad (1)$$

$$R : \mathcal{S} \times \mathcal{A}_1 \times \dots \times \mathcal{A}_n \rightarrow \mathbb{R}; \quad (2)$$

However, in this approach, the joint action space will increase exponentially as the number of agents increases.

If in an environment there are multiple agents, two different scenario can be observed

**Competition** when two or more agents are trained to maximize their own reward

**Cooperation** when two or more agents are trained to maximize a common reward,

in some context we could have a mixture of these two opposite scenario.

MADDPG [1] tries to fix the aforementioned issues by adapting the DDPG algorithm [2] for multiple agents. In the paper the team of OpenAI successfully trained both competitive and cooperative environment and the mixed ones too.

## 2 The MADDPG algorithm

The main idea of MADDPG is to split learning in two steps: the centralized training with the decentralized execution. In this framework we have many

actors  $\pi_i$  (as the number of agents) which, by interacting with their own observation space  $O_i$ , they give a deterministic action  $a_i$  (as in the original DDPG paper [2]). Always as in DDPG we have many critics  $Q_i$  (always as the number of agents) which give the action-value function. However, differently from DDPG, at training time each critic take as input the information given by the policies of all agents.

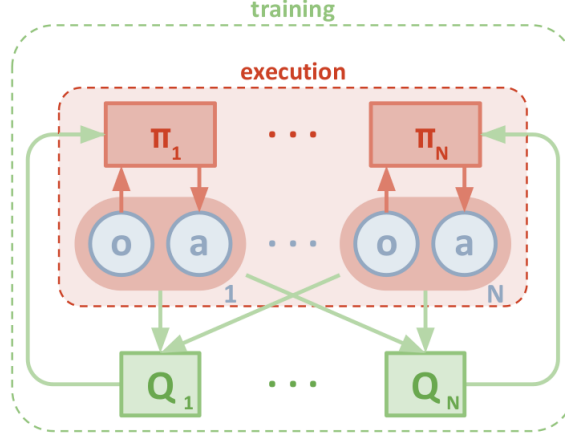


Figure 1: The general learning schema of MADDPG [1]

Exactly as in DDPG, in MADDPG are used the same key optimizations, namely the use of a softly updated target networks, a replay buffer and exploration with noise.

Let's indicate

- $Q_i$  and  $Q'_i$  the  $i$ th critic network and critic target network respectively
- $\theta_{Q_i}$  and  $\theta'_{Q_i}$  the parameters of the critic network and target networks
- $\mu_i$  and  $\mu'_i$  the deterministic policy actor network and actor target network
- $\theta_{\mu_i}$  and  $\theta'_{\mu_i}$  the parameters of the critic network and target networks
- $a = (a_1, \dots, a_N)$  the actions of the  $N$  agents
- $s = (s_1, \dots, s_N)$  the observations of the  $N$
- $B$  the memory buffer

with this notation the loss function in MADDPG reads as

$$\mathcal{L}(\theta_{Q_i}) = \mathbb{E}_{(s,a,r,s') \sim U(B)} \left[ Q(s, a_1, \dots, a_N | \theta_{Q_i})|_{a_i = \mu_i(s_i)} - y_i \right]^2 \quad (3)$$

where the symbol  $\mathbb{E}_{(s,a,r,s') \sim U(B)}$  indicates the expected value calculated on a batch of experiences  $(s, a, r, s')$  uniformly sampled from the buffer memory  $B$  and  $y_i$  indicates the target values

$$y_i = r_i + \gamma Q'_i(s', a'_1, \dots, a'_N | \theta'_{Q_i})|_{a'_i = \mu'_i(s_i)} \quad (4)$$

As in [1] the algorithm to train the agent in Tennis Unity Environment reads as

<p><b>Algorithm 1: MADDPG [1]</b></p> <p>Initialize buffer memory <math>B</math> to capacity <math>N</math>  Initialize all the critic <math>Q_i(s, a \theta_{Q_i})</math> and actor <math>\mu_i(s_i \theta_{\mu_i})</math> networks with random weights <math>\theta_{Q_i}</math> and <math>\theta_{\mu_i}</math>  Initialize target networks <math>Q'_i</math> and <math>\mu'_i</math> with weights <math>\theta'_{Q_i} = \theta_{Q_i}</math> and <math>\theta'_{\mu_i} = \theta_{\mu_i}</math>  <b>for</b> episode <math>i = 1</math> <b>to</b> Env Solved <b>do</b>      Reset Tennis Unity Environment and set the input state of the first step <math>s^{(1)}</math>      Initialize the random noise <math>\mathcal{N}</math>      <b>for</b> time-step <math>t = 1</math> <b>to</b> <math>T</math> <b>do</b>          For each agent select action by actor networks          <math>a_i^{(t)} = \mu_i(s_i^{(t)} \theta_{\mu_i}) + \mathcal{N}^{(t)}</math>          The agents executes action <math>a^{(t)} = (a_1^{(t)}, \dots, a_N^{(t)})</math> and record          <math>r^{(t)} = (r_1^{(t)}, \dots, r_N^{(t)})</math> and next state <math>s^{(t+1)} = (s_1^{(t+1)}, \dots, s_N^{(t+1)})</math>          Store the experience <math>(s^{(t)}, r^{(t)}, s^{(t+1)})</math> in the buffer memory <math>B</math>          <b>for</b> agent <math>i = 1</math> <b>to</b> <math>N</math> <b>do</b>              Sample random mini-batch of size <math>D</math> experiences from <math>B</math>              Update the <math>i</math>th critic network parameters <math>\theta_{Q_i}</math> by minimizing the loss function <math>\mathcal{L}(\theta_{Q_i})</math> in (3)              Update the <math>i</math>th actor network parameters <math>\theta_{\mu_i}</math> by maximizing <math>Q_i(s, \mu_1(s_1 \theta_{\mu_1}), \dots, \mu_N(s_N \theta_{\mu_N}) \theta_{Q_i})</math> with gradient ascent          <b>end</b>          Perform the soft update of each agents    <div style="text-align: center;"> <math display="block">\theta'_{Q_i} \leftarrow \tau \theta_{Q_i} + (1 - \tau) \theta'_{Q_i}</math> <math display="block">\theta'_{\mu_i} \leftarrow \tau \theta_{\mu_i} + (1 - \tau) \theta'_{\mu_i}</math> </div>           Set <math>s_t = s_{t+1}</math>      <b>end</b>  <b>end</b></p>
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### 3 The Tennis Unity Environments

In this environment, two agents control rackets to bounce a ball over a net. If an agent hits the ball over the net, it receives a reward of +0.1. If an agent lets a ball hit the ground or hits the ball out of bounds, it receives a reward of -0.01.

The state space of each agent has dimensions 24 and contains the position and the velocity of the ball and the racket. For each agent two continuous actions are available, corresponding to movement toward (or away from) the net, and jumping.

The task is episodic, and in order to solve the environment, the agents must get an average score of +0.5 (over 100 consecutive episodes, after taking the maximum over both agents). Specifically after each episode, we add up the rewards that each agent received (without discounting), to get a score for each agent. This yields 2 (potentially different) scores. We then take the maximum

of these 2 scores. The environment is considered solved, when the average (over 100 episodes) of those scores is at least +0.5.

## 4 The hyperparameters of the algorithm and the outcome

### 4.1 The hyper parameters for both networks

**Discount factor**  $\gamma = 0.99$

**Buffer memory size**  $N = 1 \times 10^5$

**Batch size for random sampling**  $D = 128$

**Parameter of soft update**  $\tau = 6 \times 10^{-2}$

**Kind of optimizer:** Adam (adaptive moment estimation)

**Learning rate of Adam optimizer**  $= 1 \times 10^{-4}$

**Input layer**  $= 24$  (the state space size)

### 4.2 The actor network

The actor network is a fully forward connected neural network with

**first hidden layer**  $= 256$  nodes with ReLU activation function

**second hidden layer**  $= 128$  nodes with ReLU activation function

**output layer**  $= 2$  (the number of action) with tanh activation function (since each actions has to be a value in a range  $(-1, +1)$ )

### 4.3 The critic network

The critic network has a slightly different architecture

**first hidden fully connected layer**  $= 256$  nodes with ReLU activation function

**first hidden layer (not connected to the input layer)**  $= 2$  nodes (they take as input the action given by the actor network)

**second hidden fully connected layer**  $= 128$  nodes with ReLU activation function

**output layer**  $= 1$  the action value function  $Q(s, a)$

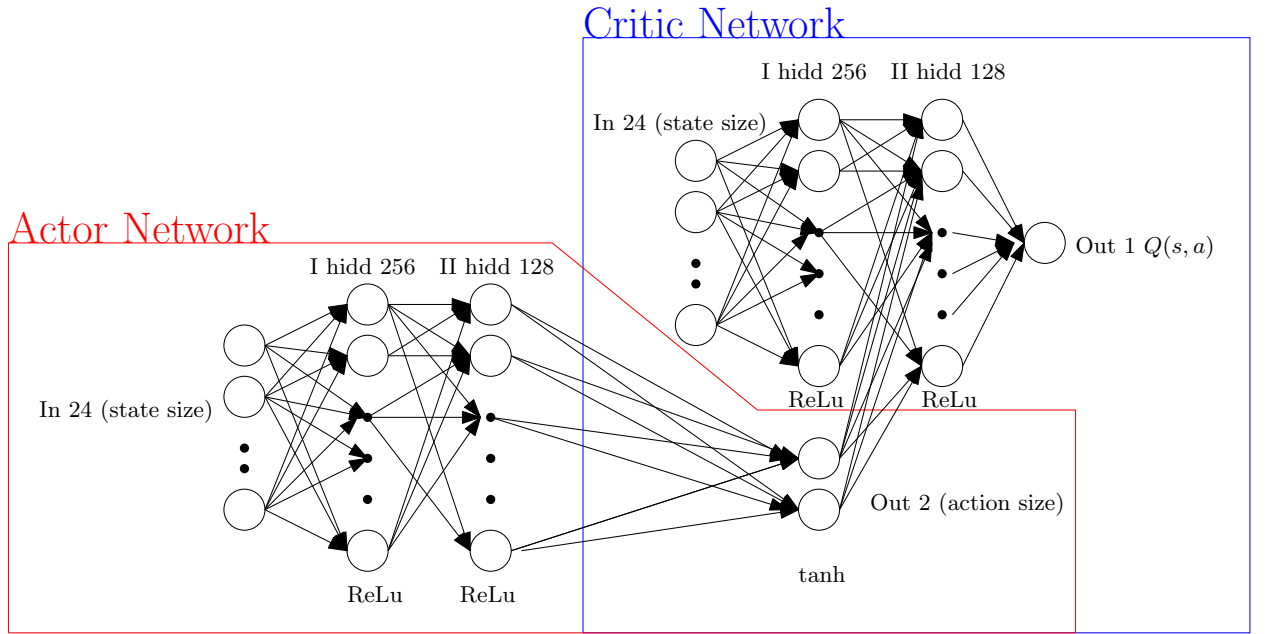


Figure 2: The Actor-Critic network

#### 4.4 The outcome

As we can see in figure 3, by the aforementioned hyper-parameters, the agent solved the game at episode 1566, which means that the average score from episode 1567 to 1668 (included) of the max score of the 2 agents was greater than +0.5.

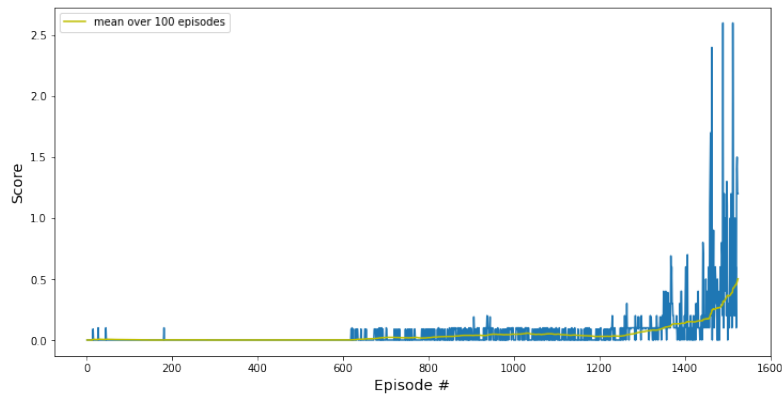


Figure 3: In this test the agent solved the environment at episode 1566 with an average score of 0.502.

## 5 Insights for future work

Since MADDPG share a similar architecture of DDPG, almost the same improvements and insights can be proposed. For instance we could prioritize the experiences in memory buffer as in Prioritized Experience Replay (PER) [3]. Alternative multi actor-critic agents can be proposed as in Advantage Actor-Critic (A2C) or Asynchronous Advantage Actor-Critic (A3C) [4]. True policy gradient methods could work well in this context as well. We could mention the original Proximal Policy Optimization (PPO) [5] or Trust Region Policy Optimization (TRPO) [6]. Recently the team of OpenAI has started to defeat amateur human teams at Dota 2 with their [Open AI 5](#).

## References

- [1] Ryan Lowe, Yi Wu, Aviv Tamar, Jean Harb, Pieter Abbeel, and Igor Mordatch. Multi-agent actor-critic for mixed cooperative-competitive environments. [arXiv preprint arXiv:1706.02275](#), 2017.
- [2] Timothy P Lillicrap, Jonathan J Hunt, Alexander Pritzel, Nicolas Heess, Tom Erez, Yuval Tassa, David Silver, and Daan Wierstra. Continuous control with deep reinforcement learning. [arXiv preprint arXiv:1509.02971](#), 2015.
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