

demo2.R

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```
# Part I: Use NCI60 data of ISLR2 package and page 540 of ISLR2 book to do as follows in R Studio
# to knit PDF output:

# Define nci labels (NCI$labs) as nci.labs and nci data (NCI$data) and nci.data
# Check dimension of nci.data object and interpret it carefully
# Check first four cancer types using nci.labs object
# Fit principal component analysis (PCA) on nci.data with scale = TRUE argument as pr.out object
# Create a plot showing first three PCA components with three different colors
# Get summary of pr.out object and interpret it carefully
# Plot pr.out object and interpret it carefully
# Create custom scatterplots with principal components in x-axis and proportion variance explained
# (PVE) in y-axis for the first plot and cumulative PVE in the y-axis for the second plot
# and interpret them carefully
# Perform PCA with varimax rotation and compare it with the PCA result obtained above
# Write summary of the results and conclusion based on your findings

# a. Define nci labels (NCI$labs) as nci.labs and nci data (NCI$data) as nci.data

library(ISLR2)
nci.labs <- NCI60$labs
nci.data <- NCI60$data

# b. Check dimension of nci.data object and interpret it carefully
dim(nci.data)# The data has 64 rows and 6,830 columns.

## [1] 64 6830

# c. Check first four cancer types using nci.labs object
nci.labs[1:4]

## [1] "CNS" "CNS" "CNS" "RENAL"

table(nci.labs)

## nci.labs
## BREAST CNS COLON K562A-repro K562B-repro LEUKEMIA
## 7 5 7 1 1 6
## MCF7A-repro MCF7D-repro MELANOMA NSCLC OVARIAN PROSTATE
## 1 1 8 9 6 2
## RENAL UNKNOWN
## 9 1
```

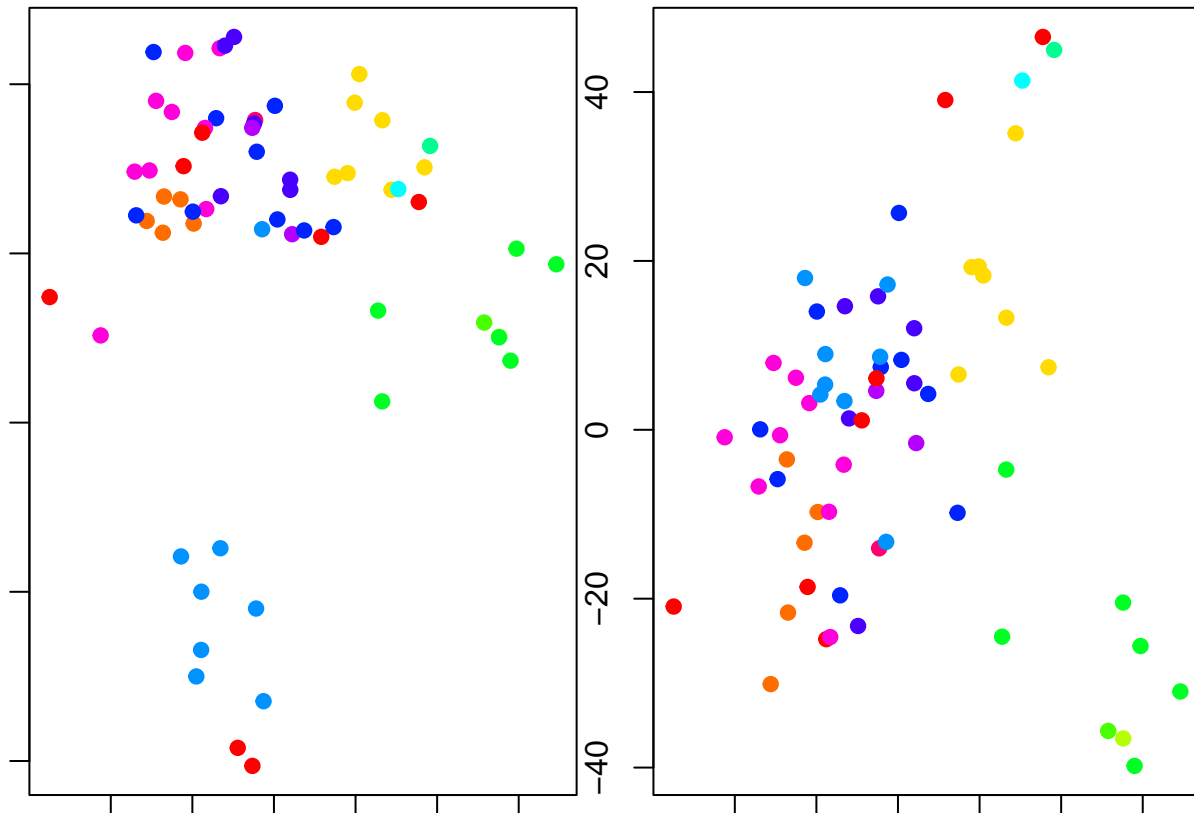
```

# d. Fit principal component analysis (PCA) on nci.data with scale = TRUE argument as
# pr.out object
pr.out <- prcomp(nci.data, scale = TRUE)

# e. Create a plot showing first three PCA components with three different colors
Cols <- function(vec) {
  cols <- rainbow(length(unique(vec)))
  return(cols[as.numeric(as.factor(vec))])
}

# Adjusting figure margins
par(mar = c(1, 1, 1, 1))
par(mfrow = c(1, 2))
plot(pr.out$x[, 1:2], col = Cols(nci.labs), pch = 19,
     xlab = "Z1", ylab = "Z2")
plot(pr.out$x[, c(1, 3)], col = Cols(nci.labs), pch = 19,
     xlab = "Z1", ylab = "Z3")

```



```

# On the whole, cell lines corresponding to a single cancer type do tend to have similar
# values on the first few principal component score vectors. This indicates that cell
# lines from the same cancer type tend to have pretty similar gene expression levels.
# f. Get summary of pr.out object and interpret it carefully
summary(pr.out)

```

Importance of components:

	PC1	PC2	PC3	PC4	PC5	PC6	
## Standard deviation	27.8535	21.48136	19.82046	17.03256	15.97181	15.72108	
## Proportion of Variance	0.1136	0.06756	0.05752	0.04248	0.03735	0.03619	
## Cumulative Proportion	0.1136	0.18115	0.23867	0.28115	0.31850	0.35468	
	PC7	PC8	PC9	PC10	PC11	PC12	
## Standard deviation	14.47145	13.54427	13.14400	12.73860	12.68672	12.15769	
## Proportion of Variance	0.03066	0.02686	0.02529	0.02376	0.02357	0.02164	
## Cumulative Proportion	0.38534	0.41220	0.43750	0.46126	0.48482	0.50646	
	PC13	PC14	PC15	PC16	PC17	PC18	
## Standard deviation	11.83019	11.62554	11.43779	11.00051	10.65666	10.48880	
## Proportion of Variance	0.02049	0.01979	0.01915	0.01772	0.01663	0.01611	
## Cumulative Proportion	0.52695	0.54674	0.56590	0.58361	0.60024	0.61635	
	PC19	PC20	PC21	PC22	PC23	PC24	
## Standard deviation	10.43518	10.3219	10.14608	10.0544	9.90265	9.64766	
## Proportion of Variance	0.01594	0.0156	0.01507	0.0148	0.01436	0.01363	
## Cumulative Proportion	0.63229	0.6479	0.66296	0.6778	0.69212	0.70575	
	PC25	PC26	PC27	PC28	PC29	PC30	PC31
## Standard deviation	9.50764	9.33253	9.27320	9.0900	8.98117	8.75003	8.59962
## Proportion of Variance	0.01324	0.01275	0.01259	0.0121	0.01181	0.01121	0.01083
## Cumulative Proportion	0.71899	0.73174	0.74433	0.7564	0.76824	0.77945	0.79027
	PC32	PC33	PC34	PC35	PC36	PC37	PC38
## Standard deviation	8.44738	8.37305	8.21579	8.15731	7.97465	7.90446	7.82127
## Proportion of Variance	0.01045	0.01026	0.00988	0.00974	0.00931	0.00915	0.00896
## Cumulative Proportion	0.80072	0.81099	0.82087	0.83061	0.83992	0.84907	0.85803
	PC39	PC40	PC41	PC42	PC43	PC44	PC45
## Standard deviation	7.72156	7.58603	7.45619	7.3444	7.10449	7.0131	6.95839
## Proportion of Variance	0.00873	0.00843	0.00814	0.0079	0.00739	0.0072	0.00709
## Cumulative Proportion	0.86676	0.87518	0.88332	0.8912	0.89861	0.9058	0.91290
	PC46	PC47	PC48	PC49	PC50	PC51	PC52
## Standard deviation	6.8663	6.80744	6.64763	6.61607	6.40793	6.21984	6.20326
## Proportion of Variance	0.0069	0.00678	0.00647	0.00641	0.00601	0.00566	0.00563
## Cumulative Proportion	0.9198	0.92659	0.93306	0.93947	0.94548	0.95114	0.95678
	PC53	PC54	PC55	PC56	PC57	PC58	PC59
## Standard deviation	6.06706	5.91805	5.91233	5.73539	5.47261	5.2921	5.02117
## Proportion of Variance	0.00539	0.00513	0.00512	0.00482	0.00438	0.0041	0.00369
## Cumulative Proportion	0.96216	0.96729	0.97241	0.97723	0.98161	0.9857	0.98940
	PC60	PC61	PC62	PC63	PC64		
## Standard deviation	4.68398	4.17567	4.08212	4.04124	1.951e-14		
## Proportion of Variance	0.00321	0.00255	0.00244	0.00239	0.000e+00		
## Cumulative Proportion	0.99262	0.99517	0.99761	1.00000	1.000e+00		

```
# g. Plot pr.out object and interpret it carefully
```

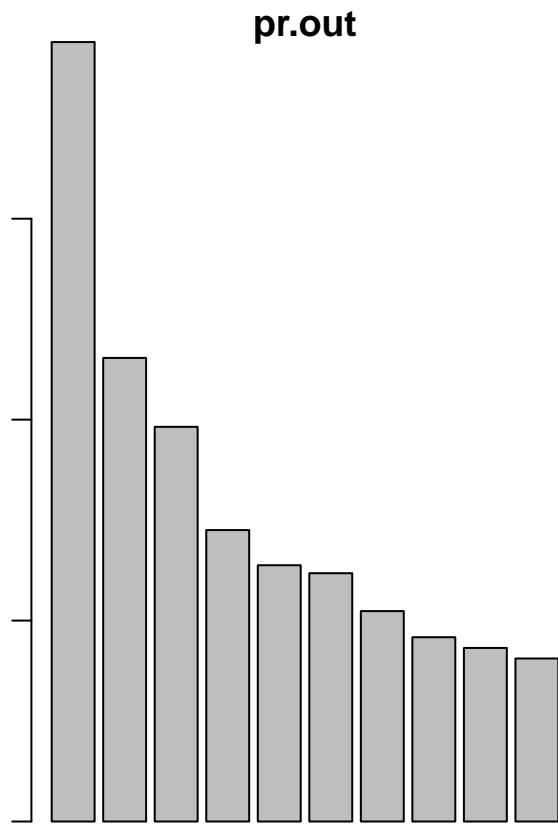
```
plot(pr.out)
```

```
# the height of each bar in the bar plot is given by squaring the corresponding  
# element of pr.out$sdev.
```

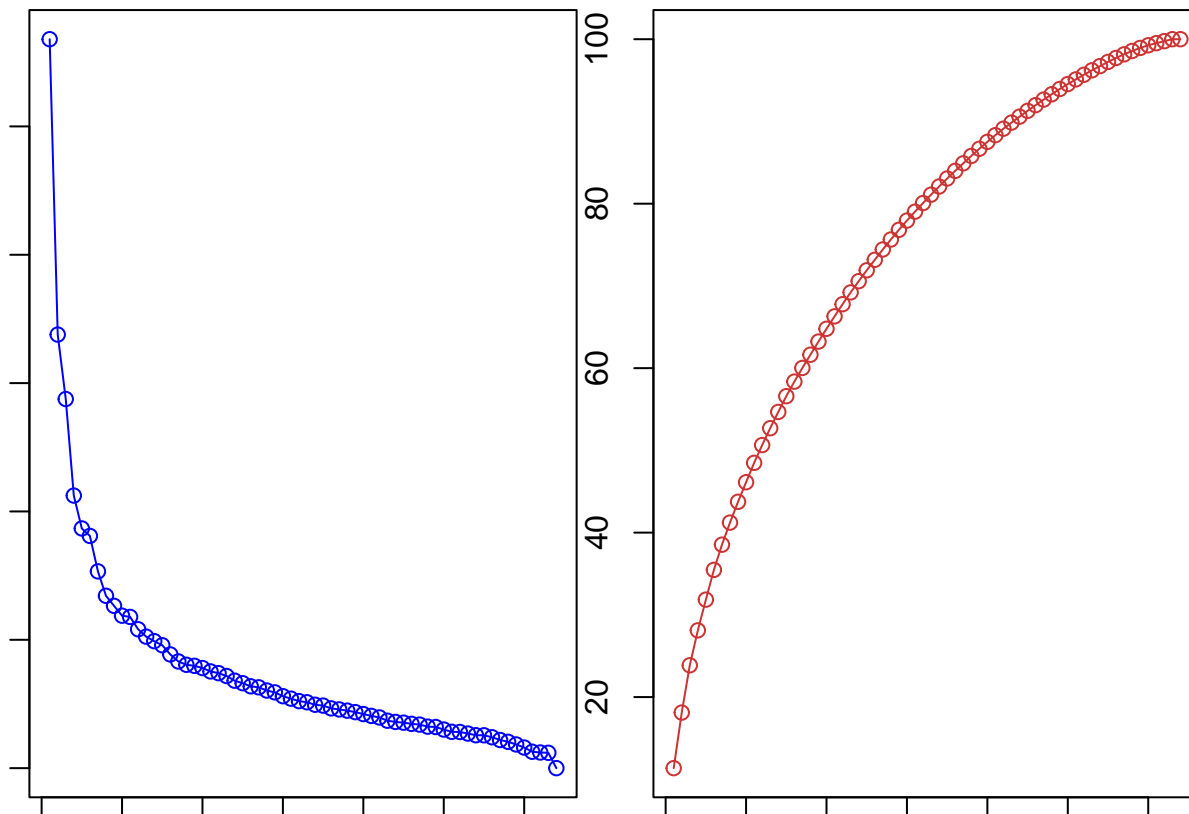
```
# h. Create custom scatter plots with principal components in x-axis and proportion  
# variance explained (PVE) in y-axis for the first plot and cumulative PVE in the y-axis  
# for the second plot and interpret them carefully
```

```
pve <- 100 * pr.out$sdev^2 / sum(pr.out$sdev^2)
```

```
par(mfrow = c(1, 2))
```



```
plot(pve, type = "o", ylab = "PVE",  
     xlab = "Principal Component", col = "blue")  
plot(cumsum(pve), type = "o", ylab = "Cumulative PVE",  
     xlab = "Principal Component", col = "brown3")
```



*# Interpretation: We see that together, the first seven principal components explain
 # around 40 % of the variance in the data. This is not a huge amount of the variance.
 # However, looking at the scree plot, we see that while each of the first seven principal
 # components explain a substantial amount of variance, there is a marked decrease in
 # the variance explained by further principal components. That is, there is an elbow in
 # the plot after approximately the seventh principal component. This suggests that there
 # may be little benefit to examining more than seven or so principal components (though
 # even examining seven principal components may be difficult).*

```
# i. Perform PCA with varimax rotation and compare it with the PCA result obtained above
# library(psych)
#
# pca.varimax <- principal(nci.data, nfactors = 7, rotate = "varimax", scores = TRUE)
# pca.varimax
```

*# Comparing PCA with varimax rotation to the original PCA results:
 # Varimax rotation maximizes the sum of the variance of the squared loadings, making
 # the interpretation easier.
 # However, it does not change the amount of variance explained by the components.*

j. Write summary of the results and conclusion based on your findings
Summary:
1. The NCI60 data set contains gene expression levels for 64 cancer cell lines and
6,830 genes.
2. PCA was performed on the data, revealing that the first few principal components
explain a substantial amount of variance.

```

# 3. A scree plot and cumulative PVE plot indicate that the first seven principal
# components account for around 40% of the variance in the data.
# 4. The first three principal components were visualized, showing that cell lines fr
# om the same cancer type tend to cluster together.
# 5. PCA with varimax rotation was also performed for comparison, confirming the
# interpretability of rotated components without changing the variance explained.

# Conclusion:
# PCA is a valuable tool for reducing dimensionality and identifying patterns in high
# -dimensional data such as gene expression levels. The results suggest that a few
# principal components capture significant patterns in the data, and varimax rotation aids
# in interpretability. Further analysis can be conducted to understand the biological
# significance of these patterns.

# Part II: Use the distance between 10 US cities provided below in R Studio to knot
# PDF output:

# a. Get dissimilarity distance as city.dissimilarity object
# Step 1: Define the distance matrix
# Distance matrix for 10 US cities

city_distances <- matrix(c(
  0, 587, 1212, 701, 1936, 604, 748, 2139, 2182, 543,
  587, 0, 920, 940, 1745, 1188, 713, 2182, 2234, 597,
  1212, 920, 0, 879, 1949, 1726, 1631, 949, 1021, 1494,
  701, 940, 879, 0, 2394, 968, 1420, 2420, 2442, 597,
  1936, 1745, 1949, 2394, 0, 2300, 1645, 347, 403, 2339,
  604, 1188, 1726, 968, 2300, 0, 781, 2372, 2420, 1121,
  748, 713, 1631, 1420, 1645, 781, 0, 1923, 1960, 688,
  2139, 2182, 949, 2420, 347, 2372, 1923, 0, 214, 2571,
  2182, 2234, 1021, 2442, 403, 2420, 1960, 214, 0, 2534,
  543, 597, 1494, 597, 2339, 1121, 688, 2571, 2534, 0),
  nrow = 10, byrow = TRUE)

# City names
city_names <- c("Atlanta", "Chicago", "Denver", "Houston", "Los Angeles", "Miami",
  "New York", "San Francisco", "Seattle", "Washington")
# Assign row and column names to the distance matrix
rownames(city_distances) <- city_names
colnames(city_distances) <- city_names
# Convert to a distance object
(city.dissimilarity <- as.dist(city_distances))

```

```

##           Atlanta Chicago Denver Houston Los Angeles Miami New York
## Chicago           587
## Denver          1212      920
## Houston           701      940      879
## Los Angeles      1936     1745     1949     2394
## Miami             604     1188     1726      968          2300
## New York          748      713     1631     1420          1645      781
## San Francisco     2139     2182      949     2420          347     2372      1923
## Seattle           2182     2234     1021     2442          403     2420      1960

```

```
## Washington      543      597    1494      597      2339    1121      688
##                San Francisco Seattle
## Chicago
## Denver
## Houston
## Los Angeles
## Miami
## New York
## San Francisco
## Seattle          214
## Washington      2571    2534
```

```
# b. Fit a classical multidimensional model using the city.dissimilarity object
city_mds <- cmdscale(city.dissimilarity, eig = TRUE, k = 2)
# c. Get the summary of the model and interpret it carefully
# Get the MDS coordinates
mds_coordinates <- city_mds$points
# Print the summary of the model
summary(city_mds)
```

```
##           Length Class  Mode
## points  20      -none- numeric
## eig      10      -none- numeric
## x         0      -none-  NULL
## ac        1      -none- numeric
## GOF       2      -none- numeric
```

```
# Interpretation: The summary includes the eigenvalues, which indicate the amount of
# variance captured by each dimension.
# eigenvalues <- city_mds$eig
# variance_explained <- eigenvalues / sum(eigenvalues) * 100
# variance_explained
```

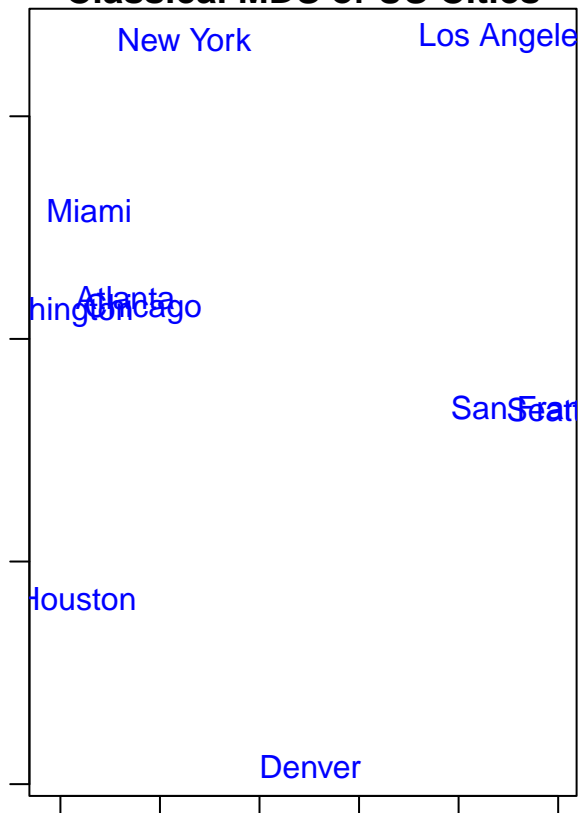
```
# d. Get the bi-plot of the model and interpret it carefully
# Plot the MDS result
plot(mds_coordinates, type = "n", xlab = "Coordinate 1", ylab = "Coordinate 2",
     main = "Classical MDS of US Cities")
text(mds_coordinates, labels = rownames(mds_coordinates), col = "blue")
```

```
# Part III: Part I: Use NCI60 data of ISLR2 package and page 543 of ISLR2 book to
# do as follows in R Studio to knit PDF output:
```

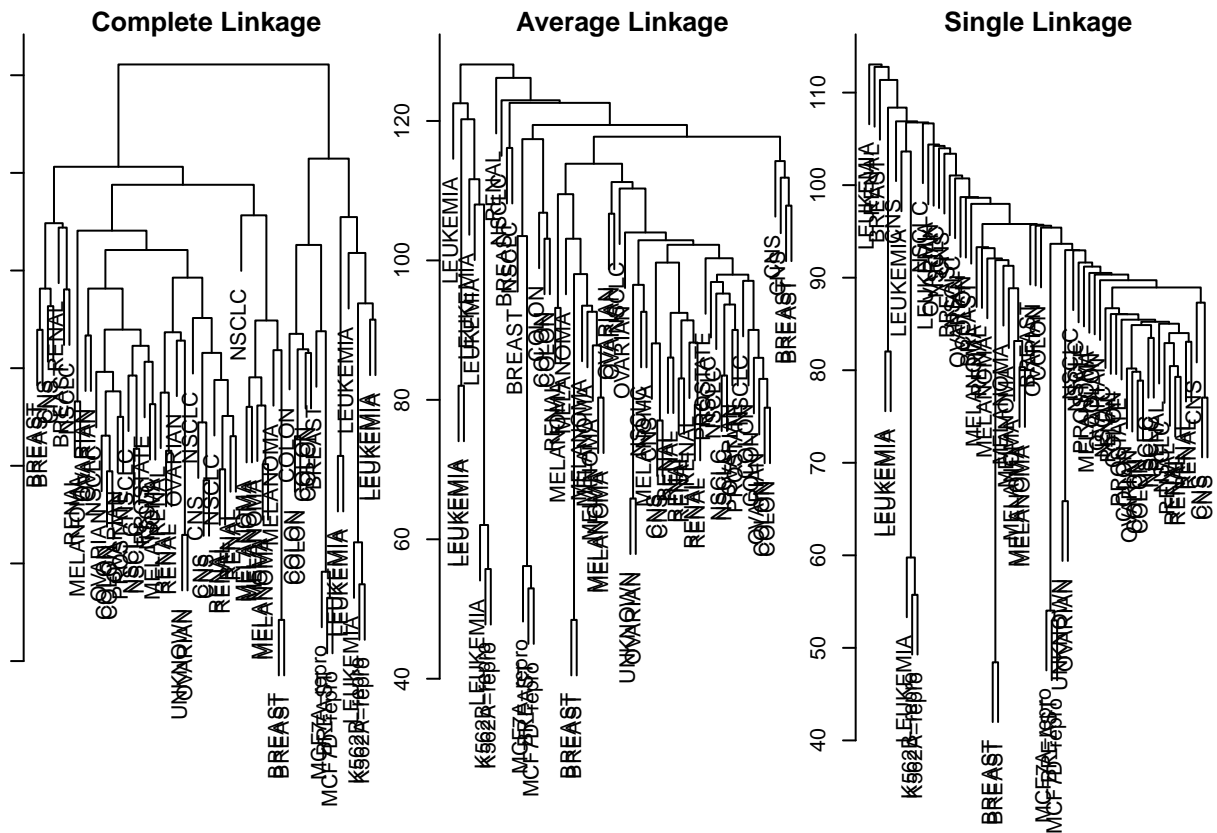
```
# a. Scale the nci.data as sd.data object
sd.data <- scale(nci.data)
```

```
# b. Fit hierarchical cluster analysis on the sd.data using complete, average and single
# linkage methods, show the results with dendrogram and interpret them carefully
par(mfrow = c(1, 3))
```

Classical MDS of US Cities



```
data.dist <- dist(sd.data)
plot(hclust(data.dist), xlab = "", sub = "", ylab = "",
     labels = nci.labs, main = "Complete Linkage")
plot(hclust(data.dist, method = "average"),
     labels = nci.labs, main = "Average Linkage",
     xlab = "", sub = "", ylab = "")
plot(hclust(data.dist, method = "single"),
     labels = nci.labs, main = "Single Linkage",
     xlab = "", sub = "", ylab = "")
```

Interpretation: The choice of linkage certainly does affect the results obtained.
 # Typically, single linkage will tend to yield trailing clusters: very large clusters
 # onto which individual observations attach one-by-one. On the other hand, complete and
 # average linkage tend to yield more balanced, attractive clusters. For this reason,
 # complete and average linkage are generally preferred to single linkage. Clearly cell lines
 # within a single cancer type do tend to cluster together, although the clustering is
 # not perfect. We will use complete linkage hierarchical clustering for the analysis that follows
 # We can cut the dendrogram at the height that will yield a particular number of clusters, say four.

c. Find the best number for clusters using "cutree" function with best distance value
 # Let's use the complete linkage method for this example

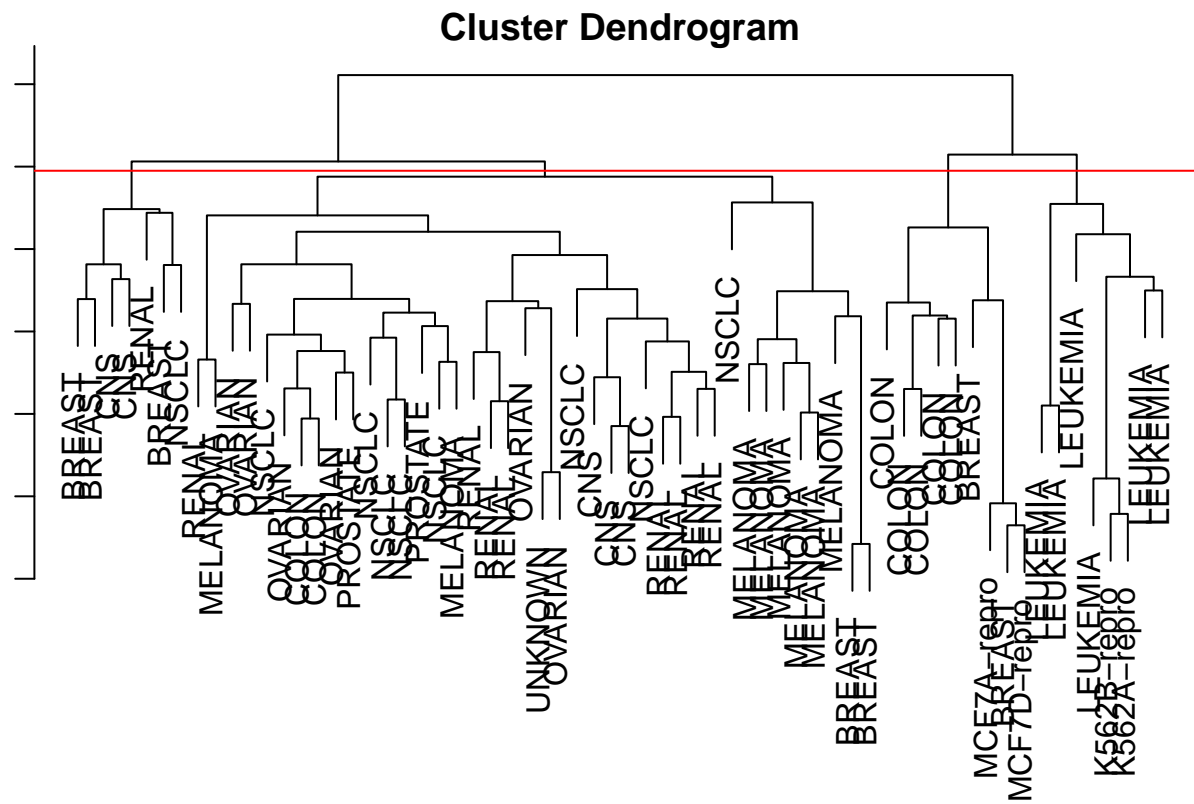
```
hc.out <- hclust(dist(sd.data))
hc.clusters <- cutree(hc.out, 4)
table(hc.clusters, nci.labs)
```

```
##          nci.labs
## hc.clusters BREAST CNS COLON K562A-repro K562B-repro LEUKEMIA MCF7A-repro
##          1      2  3      2          0          0          0          0
##          2      3  2      0          0          0          0          0
##          3      0  0      0          1          1          6          0
##          4      2  0      5          0          0          0          1
##          nci.labs
## hc.clusters MCF7D-repro MELANOMA NSCLC OVARIAN PROSTATE RENAL UNKNOWN
##          1          0          8      8          6          2      8          1
##          2          0          0      1          0          0      1          0
```

```
##          3          0          0          0          0          0          0          0
##          4          1          0          0          0          0          0          0
```

*# There are some clear patterns. All the leukemia cell lines fall in cluster 3, while
the breast cancer cell lines are spread out over three different clusters. We can plot
the cut on the dendrogram that produces these four clusters:*

```
par(mfrow = c(1, 1))
plot(hc.out, labels = nci.labs)
abline(h = 139, col = "red")
```



Printing the output of hclust
hc.out

```
##
## Call:
## hclust(d = dist(sd.data))
##
## Cluster method   : complete
## Distance         : euclidean
## Number of objects: 64
```

*# d. Use your roll number as set.seed and perform k-means clustering on sd.data with
the best number of clusters/distance value with nstart=20*

```
set.seed(30)
km.out <- kmeans(sd.data, 4, nstart = 20)
km.clusters <- km.out$cluster
table(km.clusters, hc.clusters)
```

```
##          hc.clusters
## km.clusters  1  2  3  4
##           1  9  0  0  0
##           2  0  0  8  0
##           3 20  7  0  0
##           4 11  0  0  9
```

Interpretation: The four clusters obtained using hierarchical clustering and Kmeans clustering are somewhat different. Cluster 2 in K-means clustering is identical to cluster 1 in hierarchical clustering. However, the other clusters differ: for instance, cluster 3 in K-means clustering contains a portion of the observations assigned to cluster 4 by hierarchical clustering, as well as all of the observations assigned to cluster 3 by hierarchical clustering. Rather than performing hierarchical clustering on the entire data matrix, we can simply perform hierarchical clustering on the first few principal component score vectors, as follows:

```
# e. Get summary of the k-means clustering and interpret them carefully
summary(km.out)
```

```
##          Length Class  Mode
## cluster          64 -none- numeric
## centers        27320 -none- numeric
## totss              1 -none- numeric
## withinss          4 -none- numeric
## tot.withinss       1 -none- numeric
## betweenss          1 -none- numeric
## size              4 -none- numeric
## iter              1 -none- numeric
## ifault            1 -none- numeric
```

```
# f. Plot this k-means results using base r plot and cluster package and interpret them carefully
par(mfrow = c(1, 2))
plot(sd.data, col = km.out$cluster, main = "K-means Clustering Results", pch = 20)
points(km.out$centers, col = 1:4, pch = 8, cex = 2)
par(mfrow=c(1,1))
```

*# Part IV: Use "Groceries" data available in the "datasets" package to do as follows
in R Studio to knit PDF output*

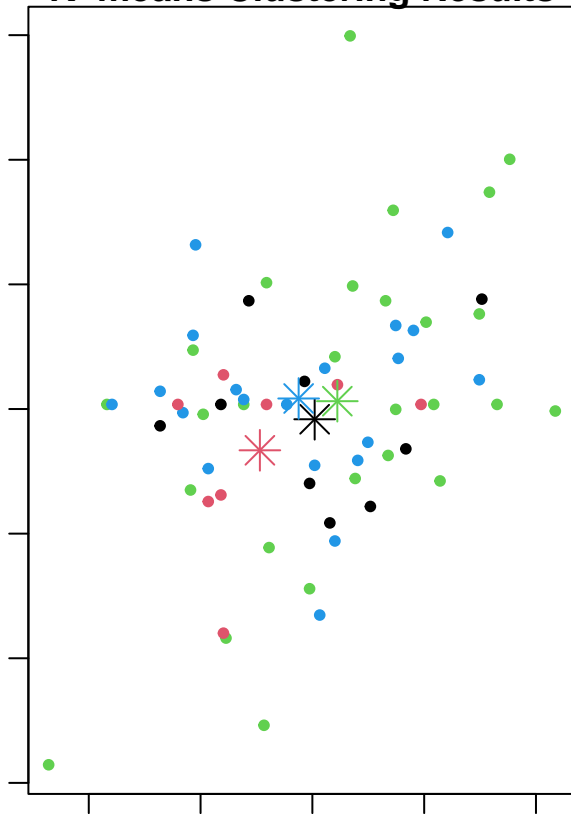
```
# a. Load "arules" and "arulesViz" libraries
library(arules)
```

```
## Loading required package: Matrix
```

```
##
## Attaching package: 'arules'
```

```
## The following objects are masked from 'package:base':
##
## abbreviate, write
```

K-means Clustering Results



```
library(arulesViz)
# b. Load "Groceries" data, check its structure and interpret it carefully
data("Groceries")
str(Groceries)

## Formal class 'transactions' [package "arules"] with 3 slots
##   ..@ data      :Formal class 'ngCMatrix' [package "Matrix"] with 5 slots
##   .. .. ..@ i    : int [1:43367] 13 60 69 78 14 29 98 24 15 29 ...
##   .. .. ..@ p    : int [1:9836] 0 4 7 8 12 16 21 22 27 28 ...
##   .. .. ..@ Dim   : int [1:2] 169 9835
##   .. .. ..@ Dimnames:List of 2
##   .. .. .. ..$ : NULL
##   .. .. .. ..$ : NULL
##   .. .. ..@ factors : list()
##   ..@ itemInfo   :'data.frame': 169 obs. of 3 variables:
##   .. ..$ labels: chr [1:169] "frankfurter" "sausage" "liver loaf" "ham" ...
##   .. ..$ level2: Factor w/ 55 levels "baby food","bags",...: 44 44 44 44 44 44 44 42 42 41 ...
##   .. ..$ level1: Factor w/ 10 levels "canned food",...: 6 6 6 6 6 6 6 6 6 6 ...
##   ..@ itemsetInfo:'data.frame': 0 obs. of 0 variables
```

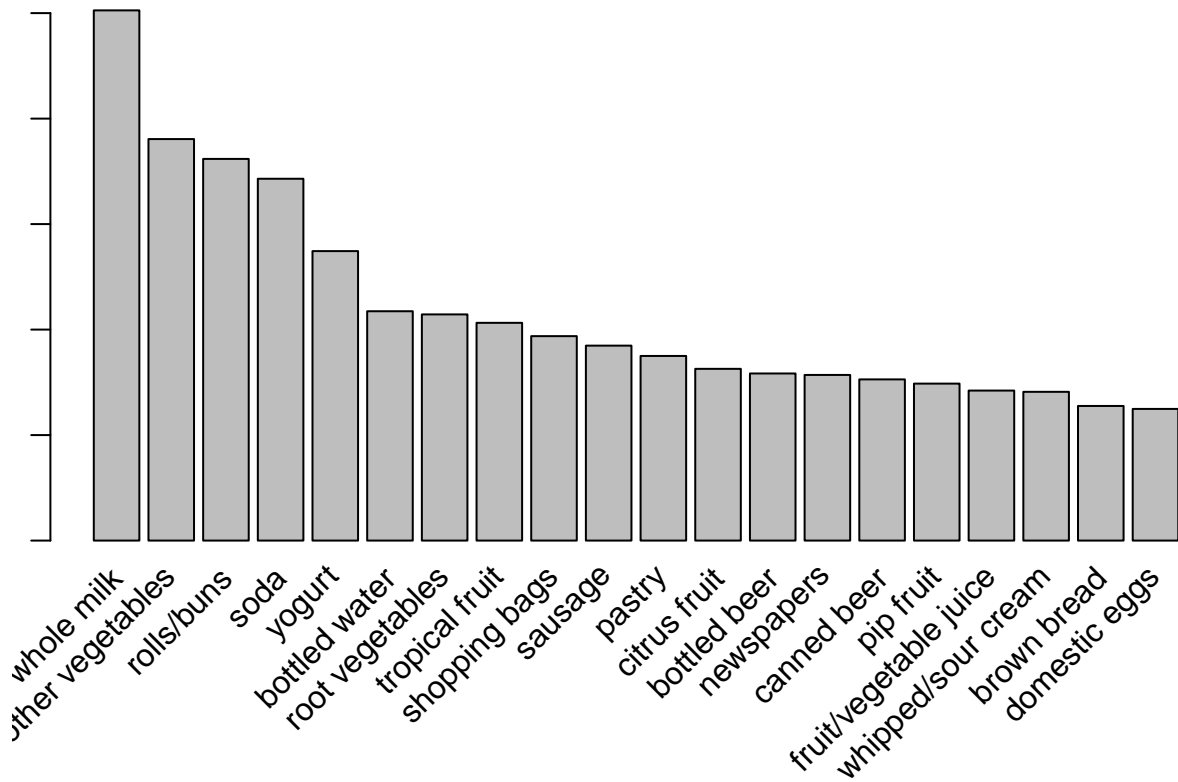
```
summary(Groceries)
```

```
## transactions as itemMatrix in sparse format with
## 9835 rows (elements/itemsets/transactions) and
## 169 columns (items) and a density of 0.02609146
```

```
##
## most frequent items:
##      whole milk other vegetables      rolls/buns      soda
##      2513      1903      1809      1715
##      yogurt      (Other)
##      1372      34055
##
## element (itemset/transaction) length distribution:
## sizes
##      1      2      3      4      5      6      7      8      9     10     11     12     13     14     15     16
## 2159 1643 1299 1005  855  645  545  438  350  246  182  117  78  77  55  46
##      17     18     19     20     21     22     23     24     26     27     28     29     32
##      29     14     14      9     11      4      6      1      1      1      1      3      1
##
##      Min. 1st Qu.  Median      Mean 3rd Qu.      Max.
##      1.000   2.000   3.000   4.409   6.000  32.000
##
## includes extended item information - examples:
##      labels level2      level1
## 1 frankfurter sausage meat and sausage
## 2      sausage sausage meat and sausage
## 3  liver loaf sausage meat and sausage
```

Interpretation: The Groceries dataset is a sparse matrix of transactions, where each row represents a transaction and each column represents an item. The summary gives an overview of the number of transactions, the number of items, and some basic statistics.
c. Get Frequent Item frequencies using itemFrequencyPlot function and interpret it carefully.

```
itemFrequencyPlot(Groceries, topN = 20, type = "absolute")
```



Interpretation: This plot shows the absolute frequencies of the top 20 items. Items like "whole milk" and "other vegetables" are among the most frequently purchased items

d. Set a priori rule with support = 0.001 and confidence = 0.8 and interpret the output carefully
`rules <- apriori(Groceries, parameter = list(support = 0.001, confidence = 0.8))`

```
## Apriori
##
## Parameter specification:
## confidence minval smax arem aval originalSupport maxtime support minlen
##      0.8      0.1      1 none FALSE          TRUE          5  0.001      1
## maxlen target  ext
##      10  rules TRUE
##
## Algorithmic control:
## filter tree heap memopt load sort verbose
##    0.1 TRUE TRUE  FALSE TRUE     2    TRUE
##
## Absolute minimum support count: 9
##
## set item appearances ...[0 item(s)] done [0.00s].
## set transactions ...[169 item(s), 9835 transaction(s)] done [0.01s].
## sorting and recoding items ... [157 item(s)] done [0.00s].
## creating transaction tree ... done [0.00s].
## checking subsets of size 1 2 3 4 5 6 done [0.01s].
## writing ... [410 rule(s)] done [0.00s].
## creating S4 object ... done [0.00s].
```

`summary(rules)`

```
## set of 410 rules
##
## rule length distribution (lhs + rhs):sizes
##    3    4    5    6
##  29 229 140   12
##
##      Min. 1st Qu.  Median      Mean 3rd Qu.      Max.
##    3.000  4.000   4.000   4.329   5.000   6.000
##
## summary of quality measures:
##      support      confidence      coverage      lift
## Min.      :0.001017  Min.      :0.8000  Min.      :0.001017  Min.      : 3.131
## 1st Qu.:0.001017  1st Qu.:0.8333  1st Qu.:0.001220  1st Qu.: 3.312
## Median :0.001220  Median :0.8462  Median :0.001322  Median : 3.588
## Mean      :0.001247  Mean      :0.8663  Mean      :0.001449  Mean      : 3.951
## 3rd Qu.:0.001322  3rd Qu.:0.9091  3rd Qu.:0.001627  3rd Qu.: 4.341
## Max.      :0.003152  Max.      :1.0000  Max.      :0.003559  Max.      :11.235
##      count
## Min.      :10.00
## 1st Qu.:10.00
## Median :12.00
## Mean      :12.27
```

```
## 3rd Qu.:13.00
## Max. :31.00
##
## mining info:
##      data ntransactions support confidence
## Groceries      9835    0.001      0.8
##
##                                     call
## apriori(data = Groceries, parameter = list(support = 0.001, confidence = 0.8))

# Interpretation: The apriori algorithm generates association rules based on the specified
# minimum support and confidence. The summary provides the number of rules generated
# and basic statistics like minimum, maximum, and average support and confidence.

# e. Show the top five rules using inspect and round the results to two digits
inspect(head(rules, 5))
```

```
##      lhs                                rhs      support  confidence
## [1] {liquor, red/blush wine} => {bottled beer} 0.001931876 0.9047619
## [2] {curd, cereals}          => {whole milk}  0.001016777 0.9090909
## [3] {yogurt, cereals}        => {whole milk} 0.001728521 0.8095238
## [4] {butter, jam}            => {whole milk} 0.001016777 0.8333333
## [5] {soups, bottled beer}    => {whole milk} 0.001118454 0.9166667
##      coverage lift count
## [1] 0.002135231 11.235269 19
## [2] 0.001118454  3.557863 10
## [3] 0.002135231  3.168192 17
## [4] 0.001220132  3.261374 10
## [5] 0.001220132  3.587512 11
```

```
# f. Sort the rule by confidence in decreasing order
rules <- sort(rules, by = "confidence", decreasing = TRUE)
inspect(head(rules, 5))
```

```
##      lhs                                rhs      support confidence  coverage lift count
## [1] {rice,
##      sugar}          => {whole milk} 0.001220132          1 0.001220132 3.913649 12
## [2] {canned fish,
##      hygiene articles} => {whole milk} 0.001118454          1 0.001118454 3.913649 11
## [3] {root vegetables,
##      butter,
##      rice}          => {whole milk} 0.001016777          1 0.001016777 3.913649 10
## [4] {root vegetables,
##      whipped/sour cream,
##      flour}          => {whole milk} 0.001728521          1 0.001728521 3.913649 17
## [5] {butter,
##      soft cheese,
##      domestic eggs}  => {whole milk} 0.001016777          1 0.001016777 3.913649 10
```

```
# g. Use "whole milk" as target item and show the items in "lhs" with decreasing order
# of confidence and show the top five rules
```

```
rules_lhs <- subset(rules, lhs %pin% "whole milk")
```

```
rules_lhs <- sort(rules_lhs, by = "confidence", decreasing = TRUE)
inspect(head(rules_lhs, 5))
```

	lhs	rhs	support	confidence	coverage	lift	count
## [1]	{tropical fruit, grapes, whole milk, yogurt}	=> {other vegetables}	0.001016777	1.0000000	0.001016777	5.168156	10
## [2]	{ham, tropical fruit, pip fruit, whole milk}	=> {other vegetables}	0.001118454	1.0000000	0.001118454	5.168156	11
## [3]	{whole milk, rolls/buns, soda, newspapers}	=> {other vegetables}	0.001016777	1.0000000	0.001016777	5.168156	10
## [4]	{root vegetables, whole milk, yogurt, oil}	=> {other vegetables}	0.001423488	0.9333333	0.001525165	4.823612	14
## [5]	{citrus fruit, tropical fruit, root vegetables, whole milk, yogurt}	=> {other vegetables}	0.001423488	0.9333333	0.001525165	4.823612	14

*# h. Use "whole milk" as target item and show the items in "rhs" with decreasing order
of confidence and show the top five rules*

```
rules_rhs <- subset(rules, rhs %pin% "whole milk")
rules_rhs <- sort(rules_lhs, by = "confidence", decreasing = TRUE)
inspect(head(rules_rhs, 5))
```

	lhs	rhs	support	confidence	coverage	lift	count
## [1]	{tropical fruit, grapes, whole milk, yogurt}	=> {other vegetables}	0.001016777	1.0000000	0.001016777	5.168156	10
## [2]	{ham, tropical fruit, pip fruit, whole milk}	=> {other vegetables}	0.001118454	1.0000000	0.001118454	5.168156	11
## [3]	{whole milk, rolls/buns, soda, newspapers}	=> {other vegetables}	0.001016777	1.0000000	0.001016777	5.168156	10
## [4]	{root vegetables, whole milk, yogurt, oil}	=> {other vegetables}	0.001423488	0.9333333	0.001525165	4.823612	14
## [5]	{citrus fruit, tropical fruit, root vegetables, whole milk,						


```
##      yogurt}          => {other vegetables} 0.001423488  0.9333333 0.001525165 4.823612    14
```

```
# i. Write summary and conclusion based on your findings above  
# Based on the analysis, the "Groceries" data reveals several interesting associations:  
# 1.Frequent Items: Items like "whole milk" and "other vegetables" are among the most  
# frequently purchased.  
# 2. Association Rules: Setting a minimum support of 0.001 and confidence of 0.8, we  
# generated a significant number of rules, indicating strong associations among items.  
# 3. Top Rules: By inspecting the top rules, we can see high-confidence associations,  
# such as items frequently bought together with "whole milk."  
# 4. Targeted Rules: When "whole milk" is the target item in the LHS or RHS, the rule  
# s show high confidence and lift, highlighting items that are commonly bought with "whole milk."  
# Overall, the analysis provides valuable insights into customer purchasing behavior,  
# which can be leveraged for marketing strategies and inventory management.
```