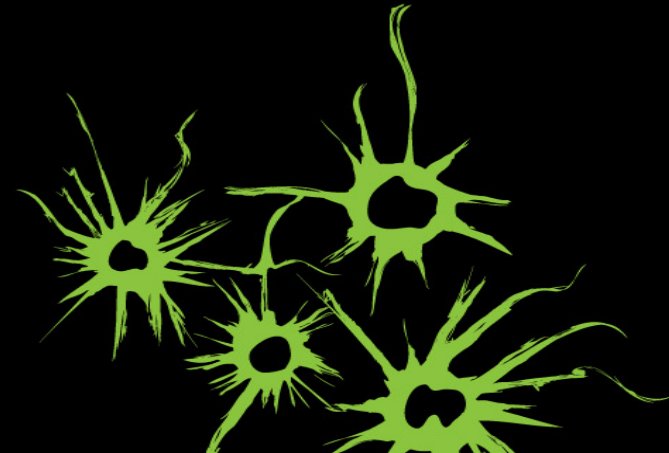
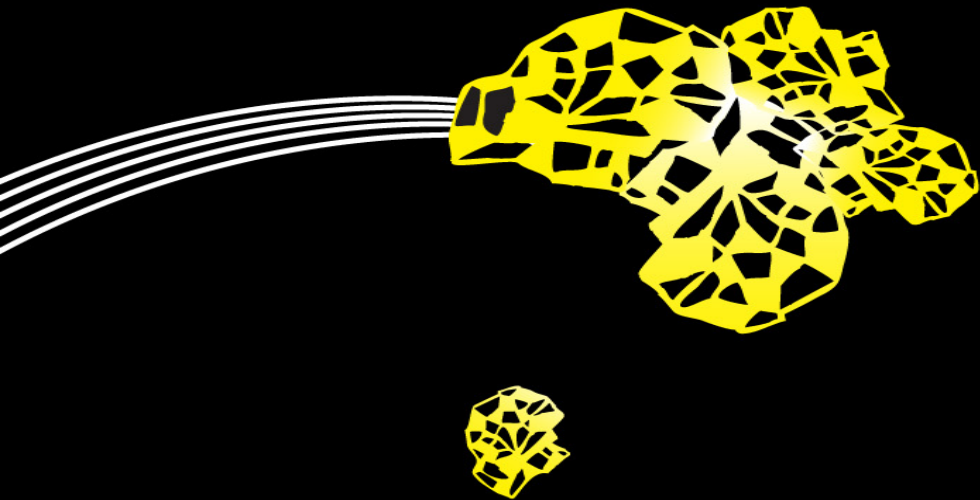
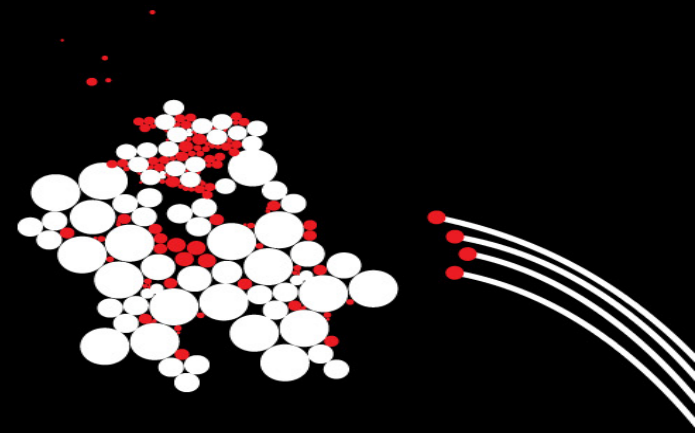
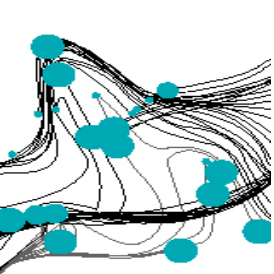


RANDOM FOREST

ADVANCED COURSE ON MACHINE LEARNING





RANDOM FORESTS

L. BREIMAN (MACHINE LEARNING 2001)

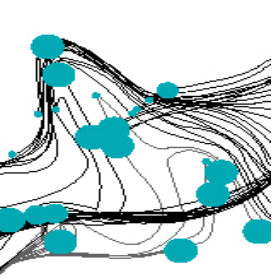


Procedure:

1. Select beforehand a number m much smaller than the dimensionality M of the data.
2. For each new tree draw a new training set, with replacement, for the original training set. This is called *bagging* or *bootstrapping*.
3. In the tree construction select for each node at random m features and split on the best one.
4. After constructing *sufficient* trees the majority vote over the ensemble is the classification of a new datapoint.

How to estimate m and how to determine *sufficient*?





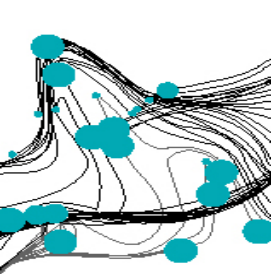
OUT OF BAG ERROR RATE

ADVANTAGE OF BAGGING.

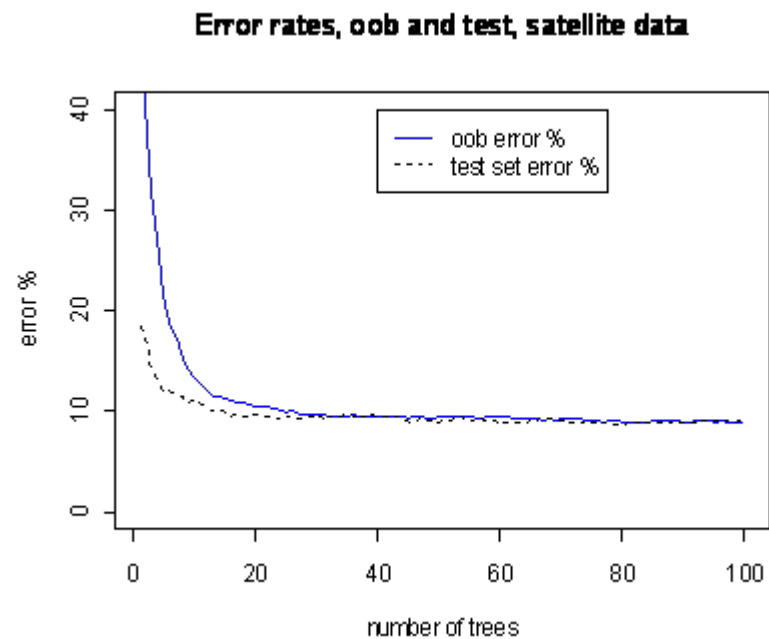


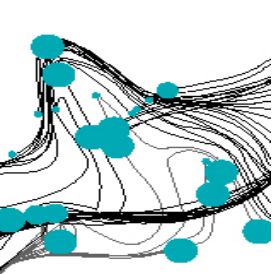
- Due to bagging/bootstrapping approximately 1/3 of the training data is not used for training a tree in the random forest.
- For each data point \mathbf{x} calculate the majority vote over all trees which did not use \mathbf{x} for training (approximately 1/3 of the trees). This is the predicted class label for \mathbf{x} .
- Calculate the average error rate over the total training set. This is called the out of bag (oob) error rate.
- This oob error rate is a good estimator of the generalization performance of the random forest.
- This implies that random forests do not overfit.





EXAMPLE OF OOB ERROR RATE AND TEST SET ERROR RATE.



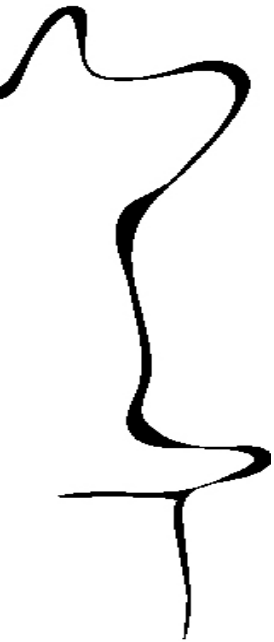


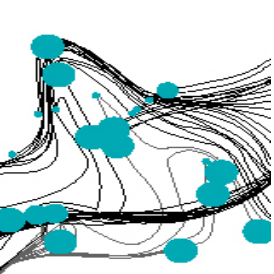
HOW TO DETERMINE m ?

The out-of-bag error rate is used to select m .

Here's how:

1. Start with $m = \sqrt{M}$. M the dimensionality of the data.
2. Run a few trees, recording the out-of-bag error rate.
3. Increase m , decrease m , until you are reasonably confident you've found a value with minimum out-of-bag error rate.





HOW TO DETERMINE **sufficient**?

- Once again record the OOB error rate and stop generating trees when it does not decrease anymore.

