

Pablo Blanco | A01637761  
Diego Velázquez | A01632240  
Sebastián Rojas | A01637557

#### 4.1 Give context-free grammars generating the following sets. [ a, b ]

The set of palindromes (strings that read the same forward as backward) over the alphabet {a,b}.

$G=(N,E,S,P)$

$N=\{S\}$

$E=\{a,b\}$

$S \rightarrow$  símbolo inicial

$P:\{$

$S \rightarrow aSa,$

$S \rightarrow bSb,$

$S \rightarrow b,$

$S \rightarrow a,$

$S \rightarrow \lambda$  (carácter vacío)

$\}$

The set of all strings over alphabet  $\{a,b\}$  with exactly twice as many a's as b's.

$G=(N,E,S,P)$

$N=\{S\}$

$E=\{a,b\}$

$S \rightarrow$  simbolo inicial

$P=\{$

$S \rightarrow SaSbSaS,$

$S \rightarrow SaSaSbS,$

$S \rightarrow SbSaSaS,$

$S \rightarrow \lambda$  (*carácter vacío*)

$\}$

#### 4.8 Let G be the grammar. [ a, b, c ]

$S \rightarrow aB | bA$

$A \rightarrow a | aS | bAA$

$B \rightarrow b | bS | aBB$

for the string aaabbabbba find a

a) leftmost derivation

b) rightmost derivation

c) parse tree

a)

$S \rightarrow a[B] \rightarrow aa[B]B \rightarrow aaa[B]BB \rightarrow aaab[B]B \rightarrow aaabb[B] \rightarrow aaabba[B]B \rightarrow aaabbab[B]$   
 $\rightarrow aaabbabb[S] \rightarrow aaabbabbb[A] \rightarrow aaabbabbba$

b)

$S \rightarrow a[B] \rightarrow aaB[B] \rightarrow aaBb[S] \rightarrow aaBbb[A] \rightarrow aa[B]bba \rightarrow aaaB[B]bba \rightarrow aaaBb[S]bba$   
 $\rightarrow aaaBba[B]bba \rightarrow aaa[B]babbbba \rightarrow aaabbabbb$

c)

