

POIR 613: Measurement Models and Statistical Computing

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Today

1. Solutions for last week's challenge
2. Deadline: YESTERDAY for descriptive statistics
3. Next: first full draft on November 17
4. Other announcements:
 - ▶ Guest lecture November 14: **Franziska Keller** (Hong Kong University of Science and Technology, UCSD), social network analysis of Chinese elites
 - ▶ Talk, November 29: **Dean Knox** (MSR/Princeton) & **Chris Lucas** (Harvard), audio as data
 - ▶ No class on November 21st
 - ▶ Office hours 4-5.30pm only tomorrow
5. Today:
 - ▶ Latent variable models
 - ▶ Collecting social media data

Collecting Facebook data

Facebook only allows access to public pages' data through the [Graph API](#):

1. Posts on public pages and groups
2. Likes, reactions, comments, replies...

Some public user data (gender, location) was available through previous versions of the API (not anymore)

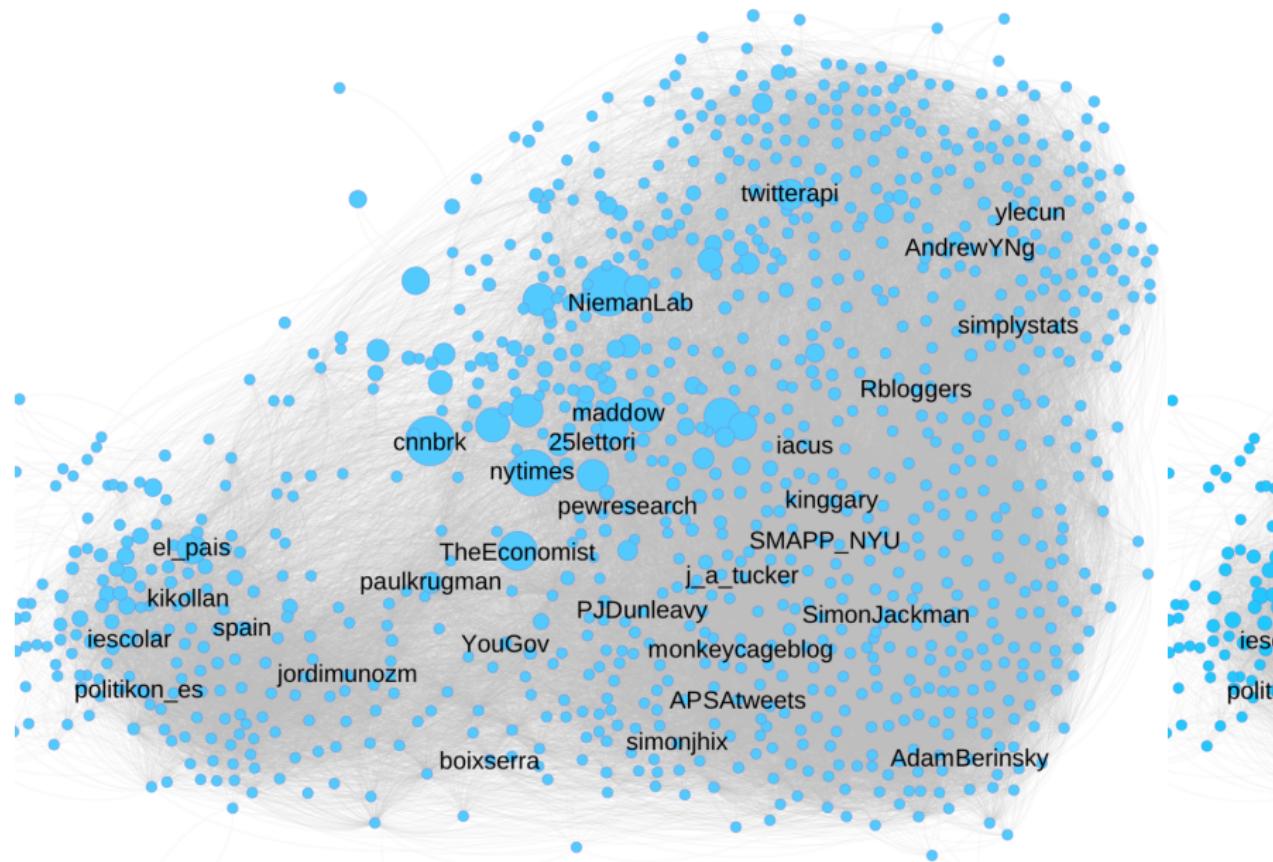
Aggregate-level statistics available through the FB Marketing API. See the code by [Connor Gilroy \(UW\)](#)

Access to other (anonymized) data used in published studies requires permission from Facebook or from users

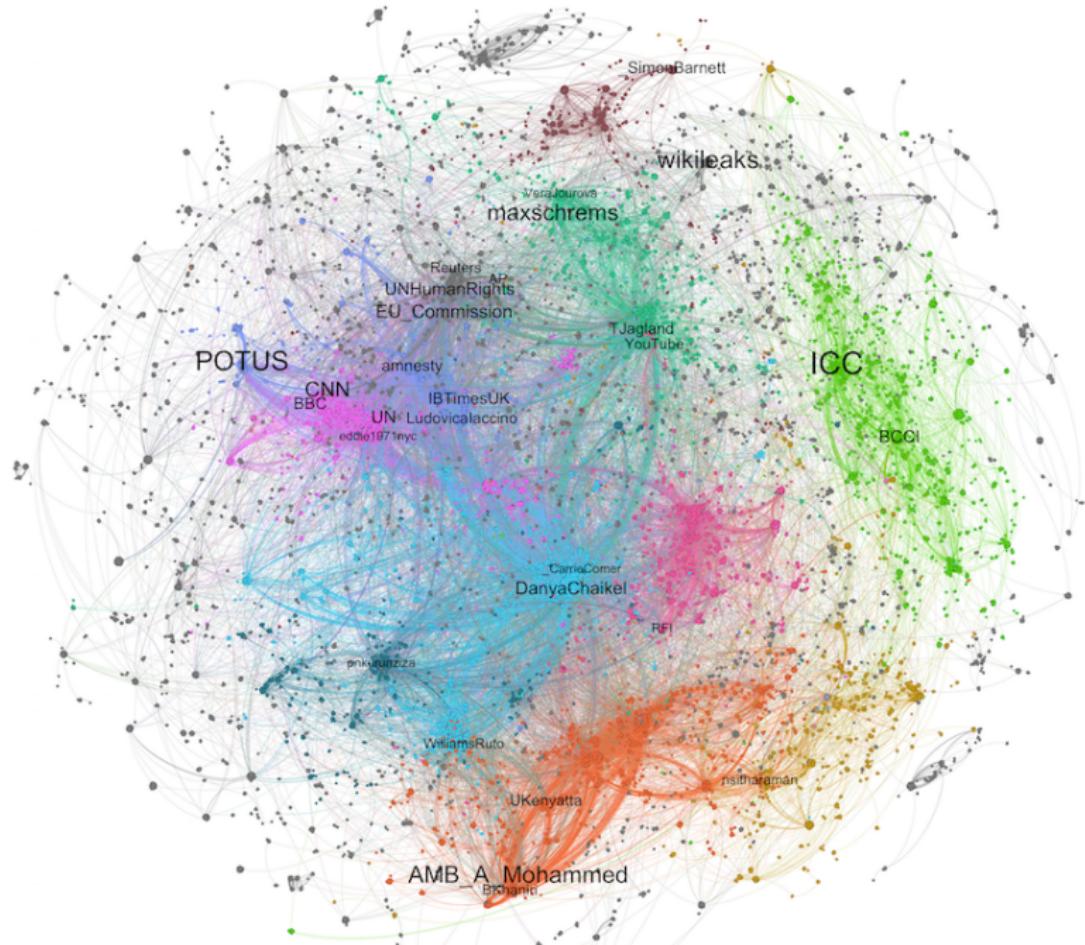
R library: [Rfacebook](#)

Discovery in large-scale networks

Latent structure of social networks



The dreaded *hairball*



Discovery in large-scale networks

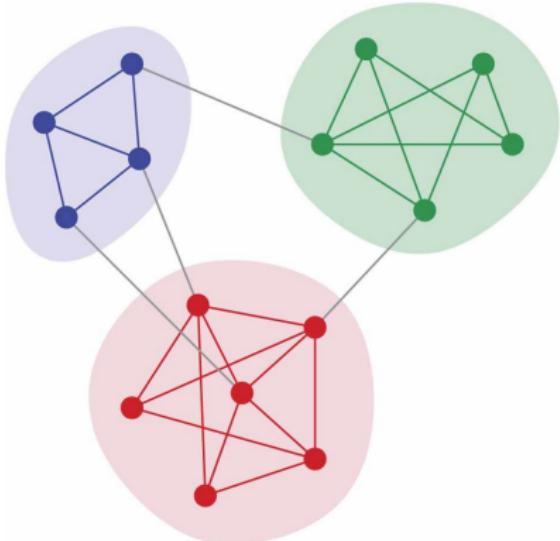
How to understand the structure of large-scale networks?

- ▶ Latent communities or clusters
 - ▶ **Community detection algorithms**
 - ▶ Finding groups of nodes that densely connected internally, more so than to the rest of the networks
 - ▶ Overlap with shared visible or latent similarities (homophily)
 - ▶ Also hierarchy: core-periphery detection
- ▶ Locating nodes on latent spaces
 - ▶ **Latent space models of networks**
 - ▶ Proximity on latent space (ideology) predicts existence of edges
 - ▶ Inference about latent positions based on multidimensional scaling of the adjacency matrix

Community detection

Community structure:

- ▶ Network nodes often cluster into tightly-knit groups with a **high density of within-group edges** and a **lower density of between-group edges**
- ▶ **Modularity score**: measures clustering of nodes compared to random network of same size
- ▶ Many different **community detection algorithms** based on different assumptions

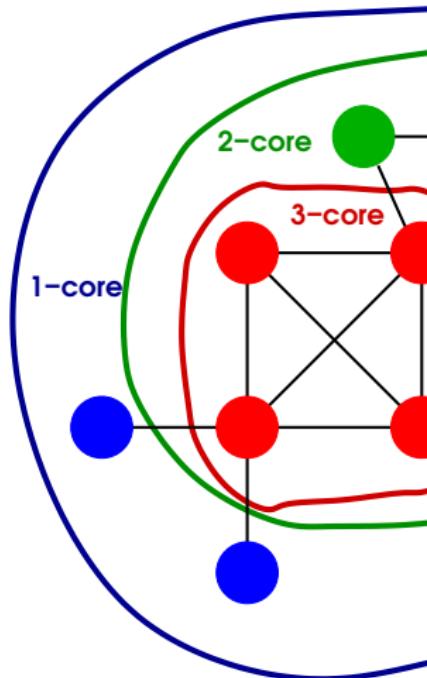
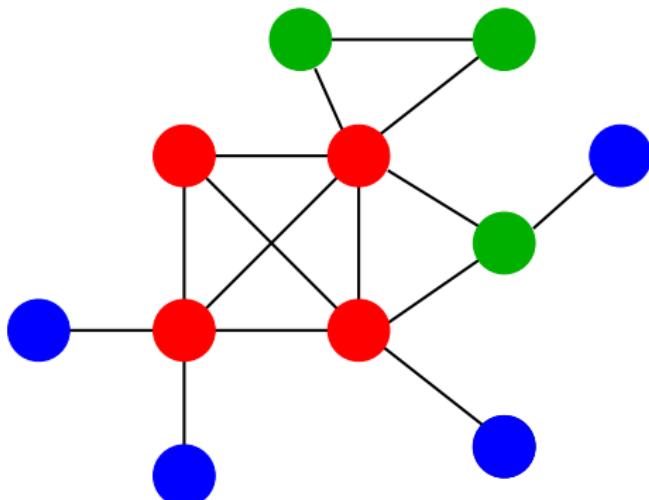


Source: Newman (2012)

Network hierarchy

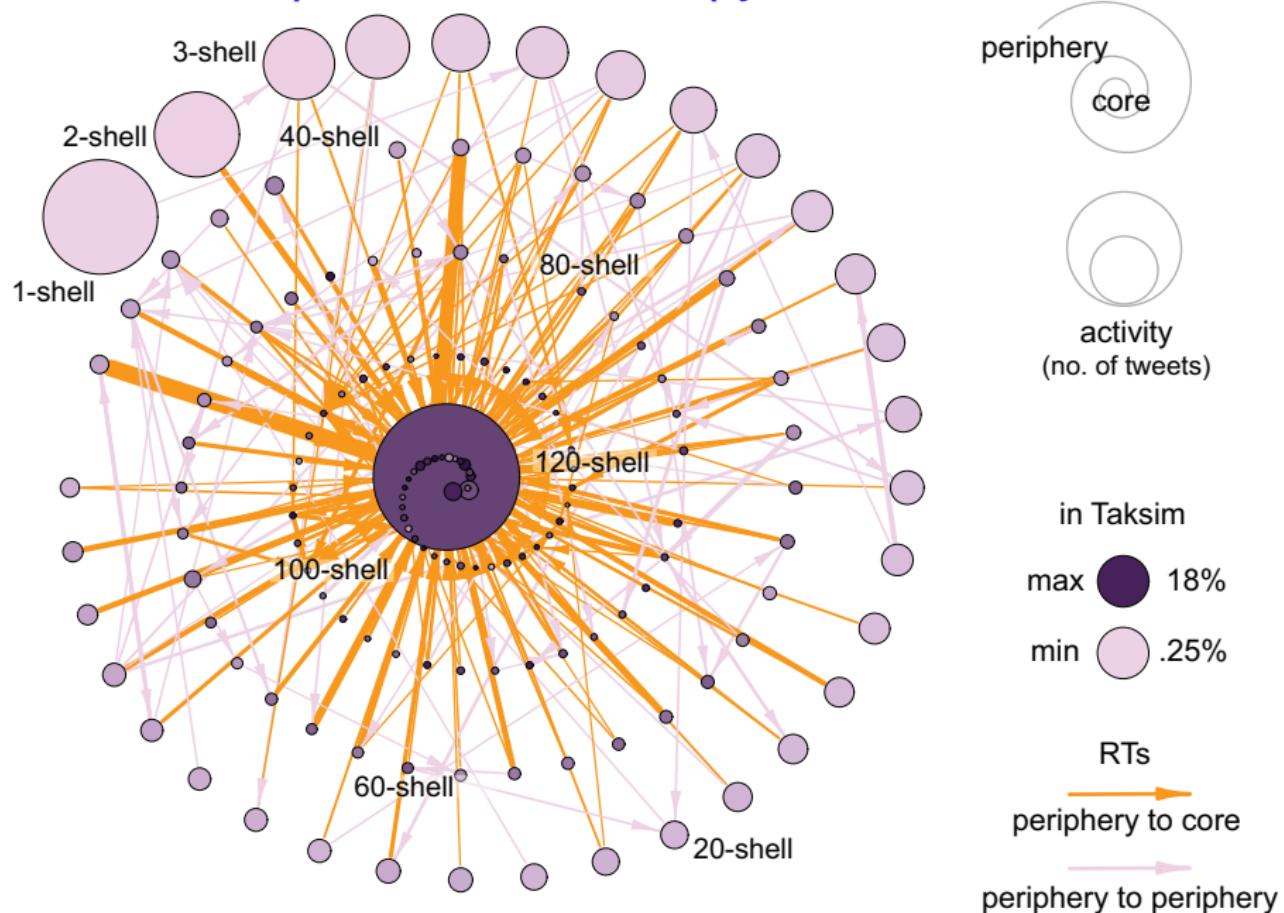
- ▶ **Intuition**
 - ▶ Large-scale networks have hierarchical properties
- ▶ **Network core:**
 1. *Centrality*: high relative importance in network
 2. *Connectivity*: many possible distinct paths between individuals
(not captured by simple topological measures)
- ▶ **k-core decomposition**
 - ▶ Algorithm to partition a network in nested shells of connectivity
 - ▶ The k -core of a graph is the maximal subgraph in which every node has at least degree k
 - ▶ Many applications; scales well to large networks: $\mathcal{O}(n + e)$

k-core decomposition



Source: Alvarez-Hamelin et al, 2005

k-core decomposition of #OccupyGezi network



Latent space models

Spatial models of social ties (Enelow and Hinich, 1984; Hoff *et al*, 2012):

- ▶ Actors have unobserved positions on latent scale
- ▶ Observed edges are costly signal driven by similarity

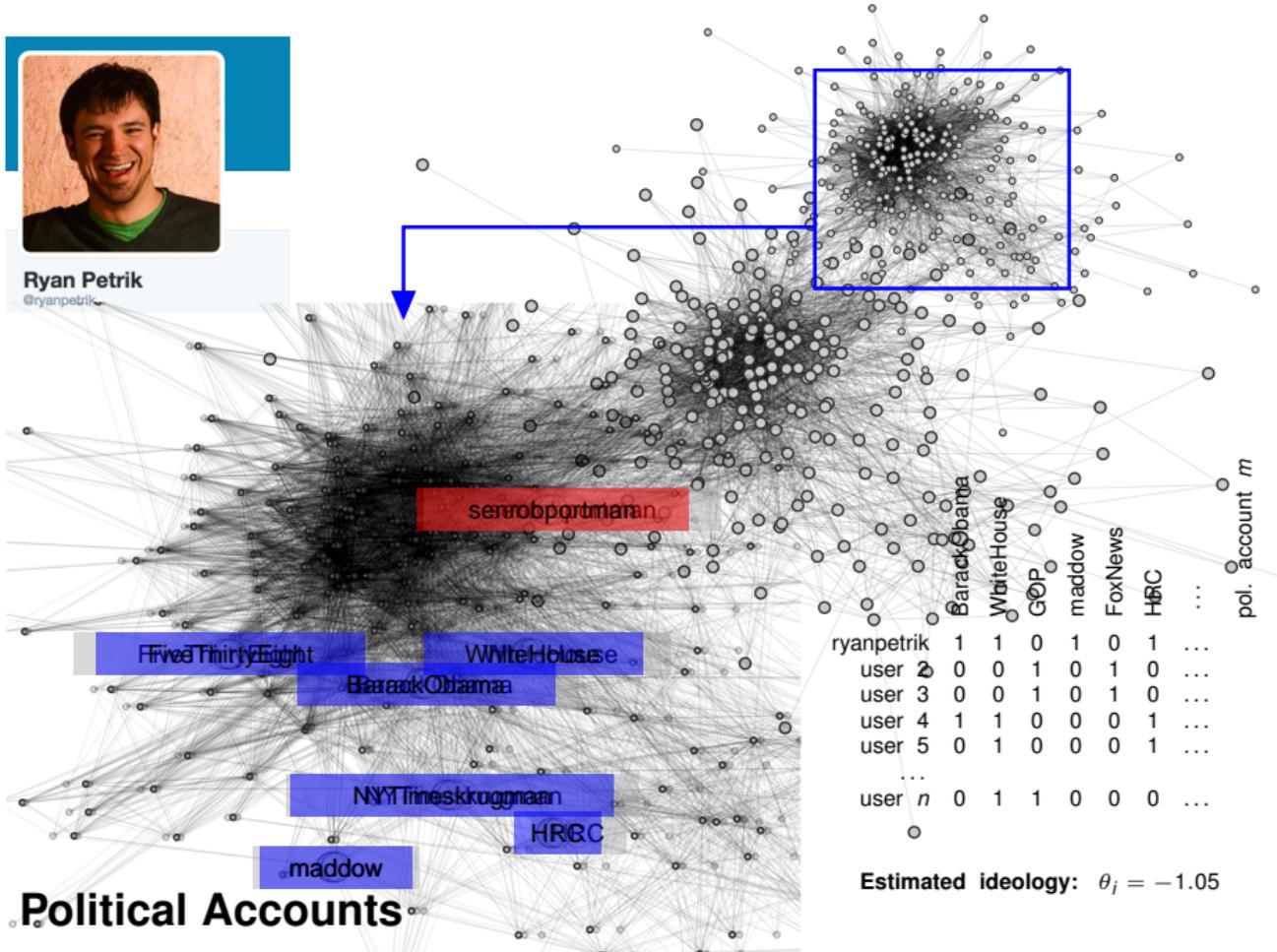
Spatial *following* model:

- ▶ **Assumption:** users prefer to *follow* political accounts they perceive to be *ideologically close* to their own position.
- ▶ Following decisions contain information about allocation of scarce resource: *attention*
- ▶ **Selective exposure:** preference for information that reinforces current views
- ▶ Statistical model that builds on assumption to estimate positions of *both individuals and political accounts*



Ryan Petrik

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Spatial following model

- ▶ Users' and political accounts' ideology (θ_i and ϕ_j) are defined as latent variables to be estimated.
- ▶ Data: "following" decisions, a matrix of binary choices (\mathbf{Y}).
- ▶ Probability that user i follows political account j is

$$P(y_{ij} = 1) = \text{logit}^{-1} \left(\alpha_j + \beta_i - \gamma(\theta_i - \phi_j)^2 \right) ,$$

- ▶ with latent variables:
 - θ_i measures *ideology* of user i
 - ϕ_j measures *ideology* of political account j
- ▶ and:
 - α_j measures *popularity* of political account j
 - β_i measures *political interest* of user i
 - γ is a normalizing constant