

School of Computer Science and Engineering Winter Semester 2023-24

Continuous Assessment Test – II

Slot: E1 + TE1

Course Name & code: Cryptography and Network Security & BCSE309L

Class Number: Common to all batches

Exam Duration: 90 mins Maximum Marks: 50

Answer all the Questions.

Q.N 0.	Questions	Max Marks	СО	BL
1.	Alice and Bob want to exchange the key using the Diffie Hellman approach. They both agree on the prime number $p=17$ and the generator $g=7$. Alice and Bob choose their private key as $Xa=5$ and $X_b=4$. Meanwhile, an attacker named Darth intercepts their communication with the private keys $X_{DA}=4$ and $X_{DB}=8$ to break the communication between Alice and Bob. Calculate and analyze the procedure by which the attacker generates the identical key to gather the information from Alice and Bob.	10	CO2	BL4
2.	Consider that two communicating parties, UserA and B, agreed to use the Elgamal cryptosystem to secure their conversation. The values used are as follows: A prime number $q=17$ and the generator value $\alpha=11$. Suppose that User A chose his private key X_A as 6, and User B chose the random integer k as 5. Show the steps involved in key generation, encryption, and decryption for the message M=7.	10	CO2	BL6
3.	Apply the ECC algorithm to secure the communication for the plain text point P_m = (9, 7). The global public elements used by the user are as follows: Elliptic curve $E_{23}(1,1)$, G = (3,10), and the private key n_A =2, and the secret integer k = 2. Compute the ciphers C1 and C2. (Show the complete calculation.)	10	CO2	BL3
4.	 a. Determine the number of padding bits, total length and number of blocks used in HMAC for the hash functions SHA 512 and MD5 if the input message to be sent is M= 1011011100011110 and the key K = 10111011. (5 Marks) b. Evaluate the value of Ch (e, f, g), Maj (a, b, c), of SHA512 algorithm for the buffers 'a', 'b', 'c', 'e', 'f', and 'g' that contain the hexa-decimal values as follows: 1111777700001111, FFFF2222222221111, BBBB999911112222, CCCC2222222220000, 1111DDDD222221111, and 33331111AAAAFFFF, respectively. (5 Marks) 	10	CO3	BL4
5.	Person A wants to send a message to Person B. Both agreed to use SHA1 for obtaining the message digest. Let the generated message digest for the message be 4. Both agree on the public key components {p, q, h} as {23, 11, 7}. Person A selects his private key as 3. Let the pseudorandom integer k be 5. Demonstrate the step-by-step calculation for the following: • Generate the digital signature using DSS. • Signature Verification	10	CO3	BL3

1. Man in the Middle Altack

$$k_{A} = y_{DA} \mod p$$

$$= 4 \mod 17$$

a sold tony - soling

$$X^{DB} = 8$$

PAJAMA PADHAI'

Elganal Cryptosystem. prime number q = 17 Generalor value & = !! User A private key XA = 6 Message = 7 = In = K moda public key of luser B = 116 mod 17 JA = 8 : public key 29, d, 4, 7, 3 = 817, 11, 8} Encryption by Bob User B with User A public key. Calculate $K = (J_A)^k \mod q$ =1/8, mod 17 [K=9] Calculate C1 = X mod q AMACIPIADHAI

Calculate C2 = KM mod q = 9 * 7 mod 17 C2 = 12

Ciphertext (C1, C2) = (10,12)

plain Text
$$M = (C_2 K^{-1}) \mod q$$

$$= 12 \times 9 \mod 17$$

$$= (12 \times 2) \mod 17$$

$$= 24 \mod 17$$

$$= 7$$

Plaintext Pm = (9,7)

Elliptic cueve E23(1,1)

private key nA = 2

Secret integer k=2

$$S_{AB}$$
 S_{AB}
 S_{A

$$= \frac{3 \times 3^2 + 1}{3 \times 10} \mod 3$$

$$\frac{71498}{26}$$
 mod 23 = $\frac{7}{5}$ mod 23 = (7×14) mod 23 = $6/$

$$23 = 2^2 - 2 - 2 \mod p$$
 $= 6^2 - 3 - 3 \mod 23$
 $= 36 - 6 \mod 23$
 $= 30 \mod 23$
 $= 30 \mod 23$
 $= 6(3-7) - 10 \mod 23$
 $= 6(4) - 10 \mod 23$
 $= -24 - 10 \mod 23$
 $= -34 \mod 23$
 $= -$

choore (plxs) =

$$\lambda = \frac{3x^2 + a}{3y} \mod p = \frac{3x^2 + 1}{d \times 12} \mod 23$$

$$= \frac{14x}{d \times 12} \mod 23$$

$$= (37 \times 6) \mod 23$$

$$= (37 \times 4) \mod 23$$

$$= (37$$

Now Compute

$$(9,7) + (17,3)$$

$$2 = \left(\frac{4^{2} - 4^{1}}{32 - 2^{1}}\right) \mod p = \left(\frac{3 - 7}{17 - 9}\right) \mod p$$

$$= \frac{-4}{8} \mod p = 23$$

9 bon [1-8] = 9 bon | 18 x H) = x

Key is padded to losy bits, by adding original message length. Ib Total message length.

1024+1b = 1040 => Total message length.

For \$414512

MU = 89b mod 1024

1040 = 89b mod 1024

16 + 89b

17 - 880 bits shd be padded.

MD5

key is padded to 512 bits.

Original mersage length. Ib

o o 512 + 16 = 528 > Total message length

FOR MD5

ml = 448 mod 512

528 = 448 mod 512

16 = HAB

432 bits shd be padded.

No of blocks needed = 2

Maj(a,b,c) = (a and b) (i) (a and c) (b and c) 1111111111111111001000100010001000100010001000100010001000100010 BBBB333300001111 (Not e and (hee,sig) = (e and f) (f) 0000 2222 0000 FFFF DDDD DDDD FFFF 8888 (note and g) = 333 797F AAAA (e and f) (not early) = 3333 1111

hach value H(M) = 4public Components = $\{p, q, h\} = \{23, 11, 7\}$ pseudorandom integer k = 5.

Private key x = 3

Soln

D'key Generation (P-1)/4

Calculate $g = h \mod p$ $= \frac{(23-1)}{11} \mod 2.3$ $= 7^2 \mod 2.3$ = 3/4Calculate $y = g^{21} \mod p$

Calculate $y = g^{1} \mod p$ $= 3 \mod 23$ $= 27 \mod 23$ = 4/1

2) Signature Generation.

 $r = (g^k \mod p) \mod q$ = $(3^5 \mod 23) \mod 11$ = $(243 \mod 23) \mod 1$

= (243 mod 23) mod 11 = 13 mod 11 = 2/1

 $S = [K'(H(M) + 2x)] \mod q$ $= 5^{-1} (4 + 3x2)] \mod 11$ $= [5^{-1} * 10] \mod 11$ $= (9 * 10) \mod 11$ $= 90 \mod 11 = 2$

(r,s) = (2,2)

3) Signature Verification co = sil mod q = 2 mod 11 Lost stevies = 611 u1 = [H(m1) w] mod q or them is full of = [4 x 6] mod q to debuti) = 24 mod !! u2 = (x') w mod 9, = (2 * 6) mod 11 = 12 mod 11 $V = \left[\left(q^{u_1}, y^{u_2} \right) \mod p \right] \mod q$ = [(3 x 4) mod 23] mod 11 =[(9 x 4) mod 23] mod 11 = 13 mod 11 A J=2/1 A bont shoot HAI 11 hoen st Plan ((e e + (NOH) M) =

11 hand ((exc 1 1) 1-2

Whom Care