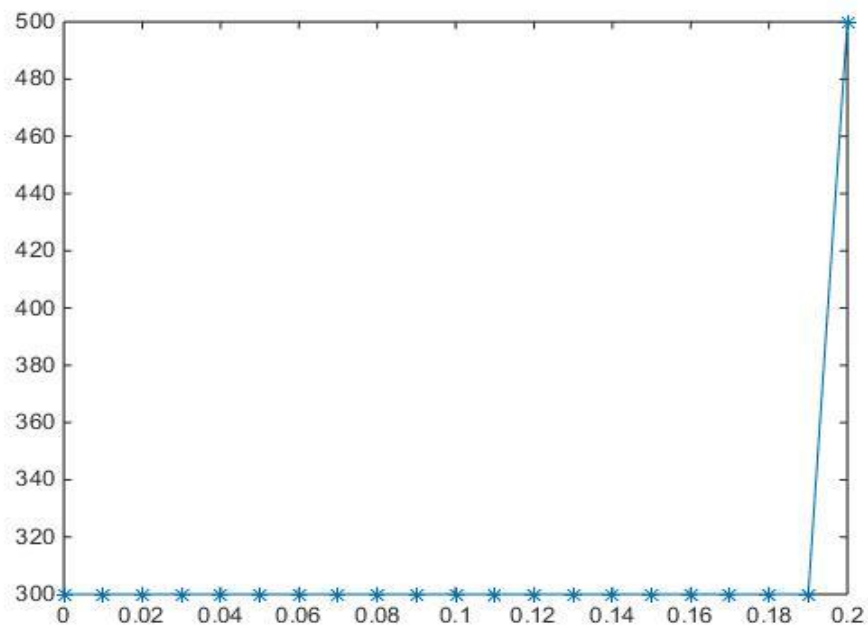
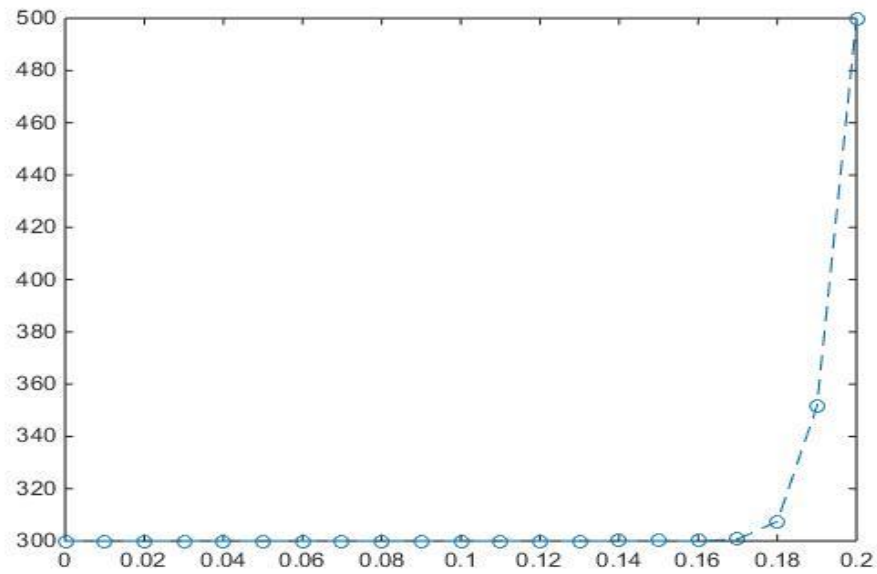


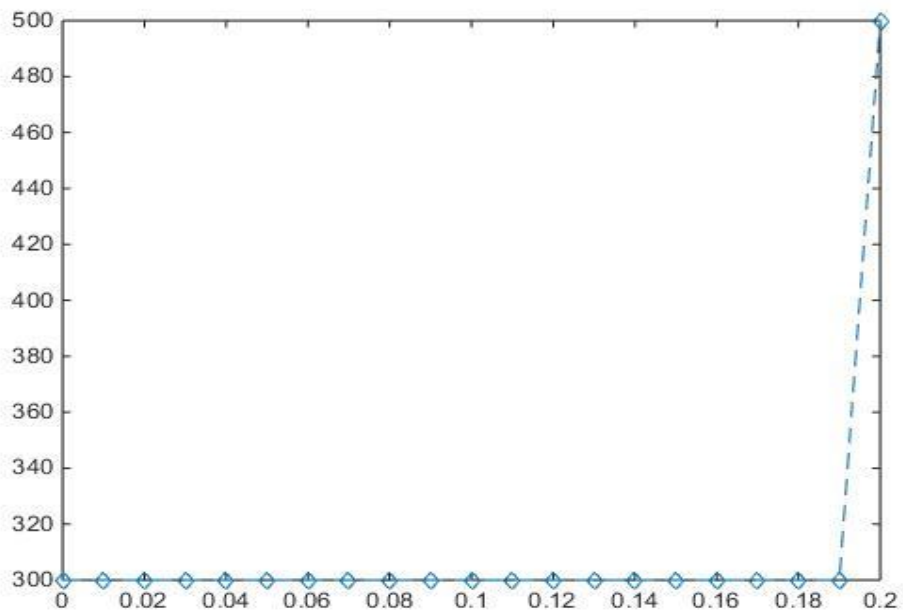
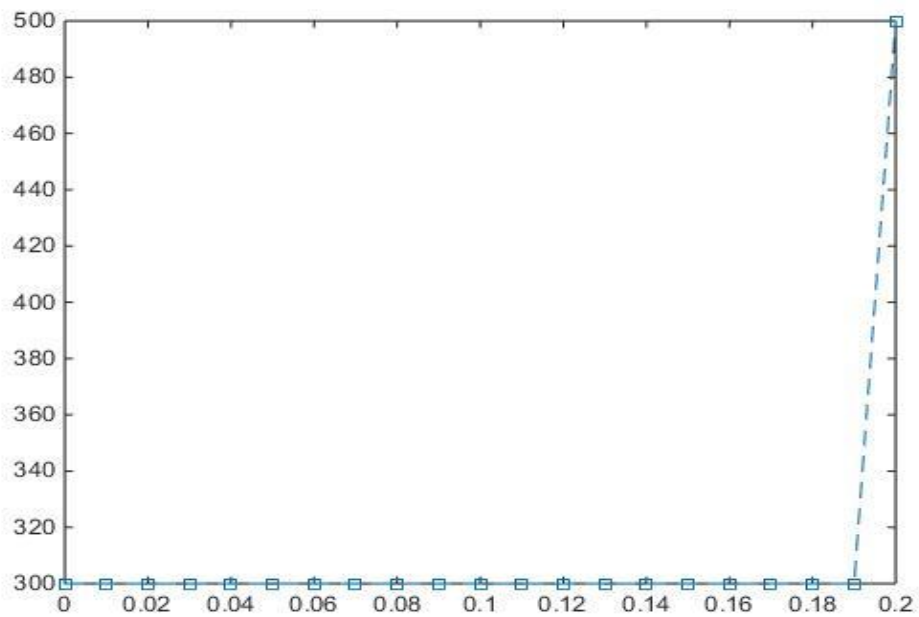
## Assignment 8

120100093

$dt = 1$  and  $dy = .01$

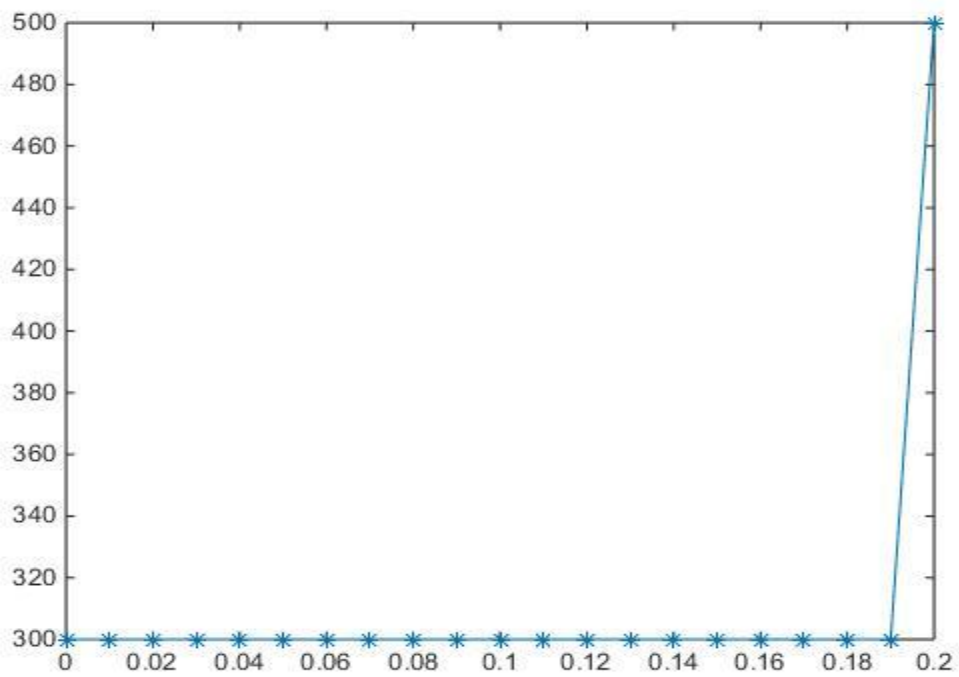
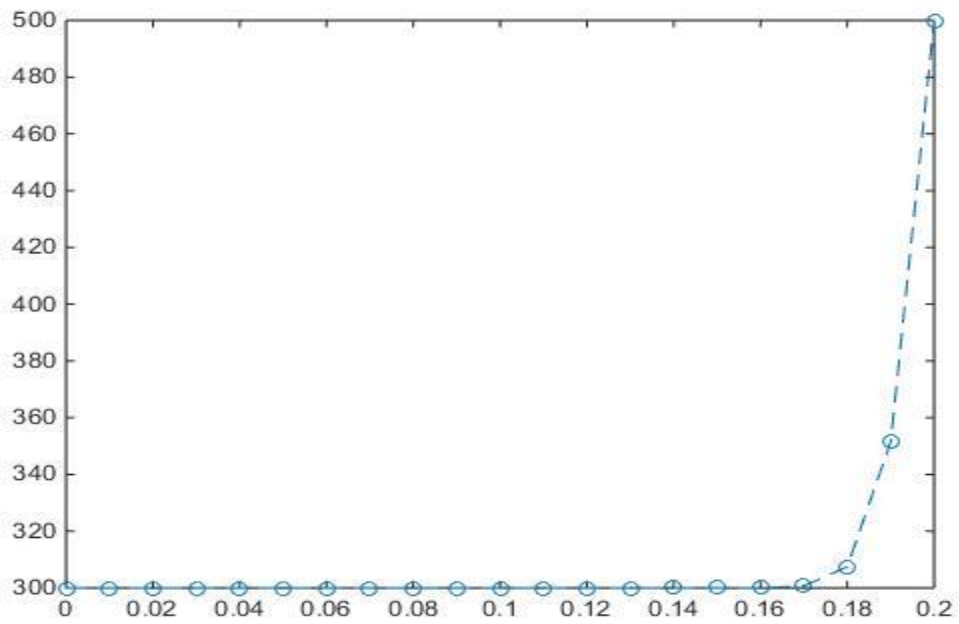
First Boundary Condition

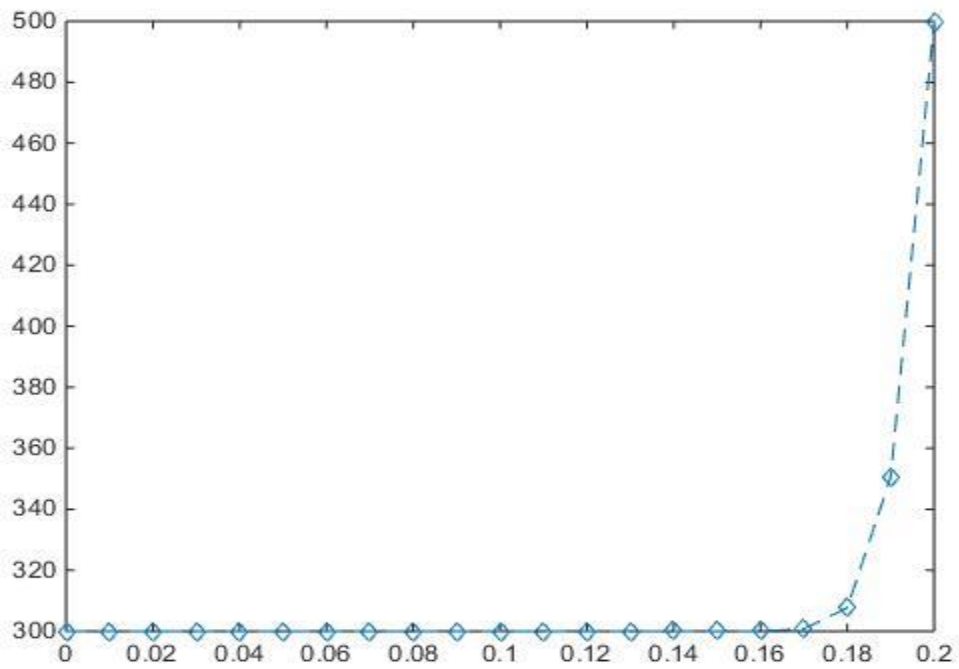
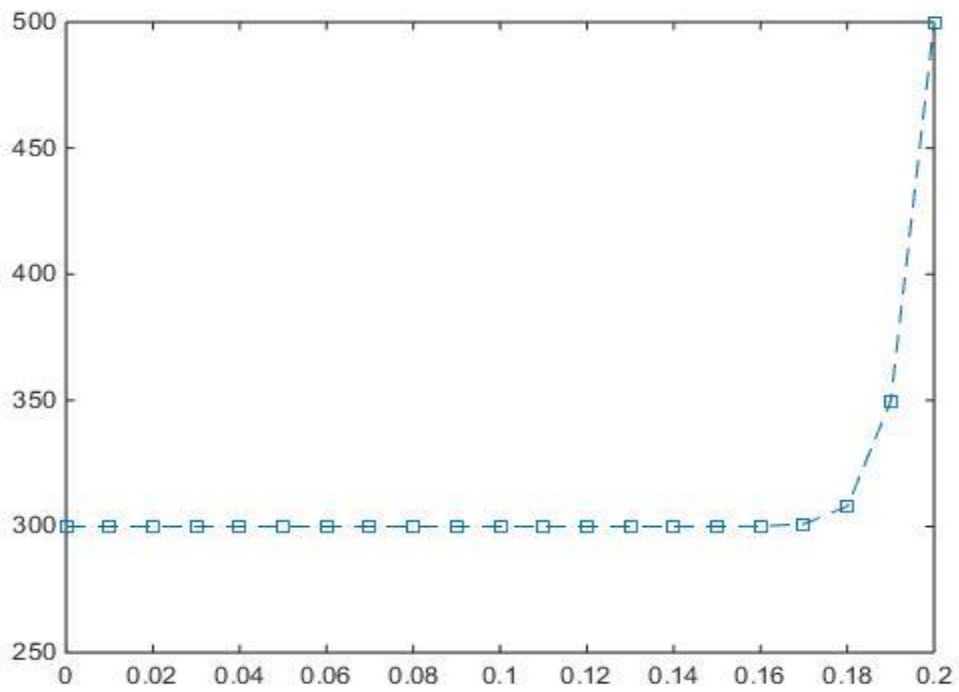




1) FTCS    2)Du Fort Frenkel    3)Implicit Method    4)Crank Nicholson

## Second Boundary Condition

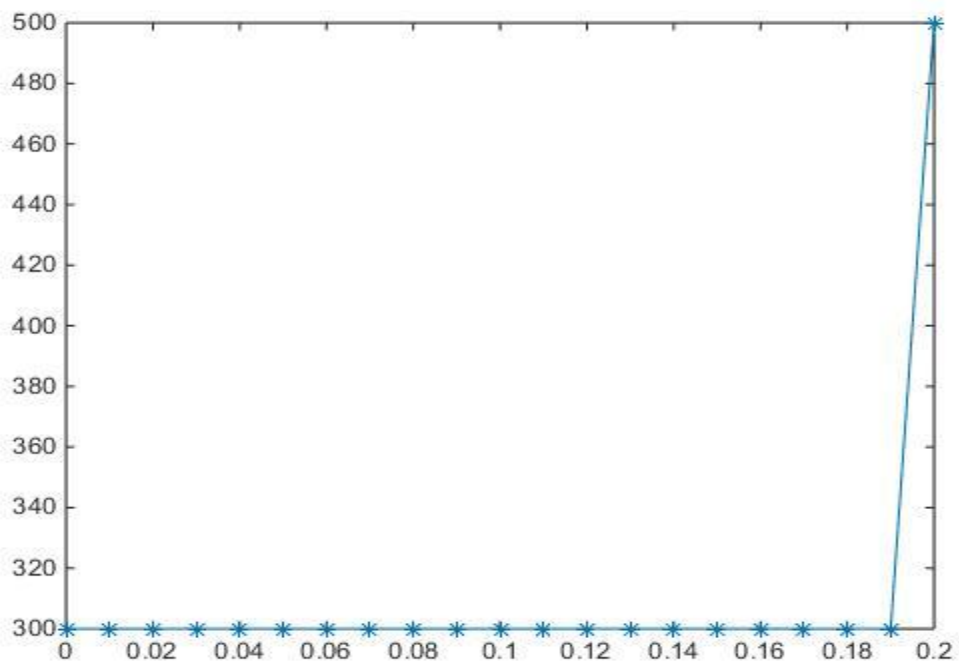
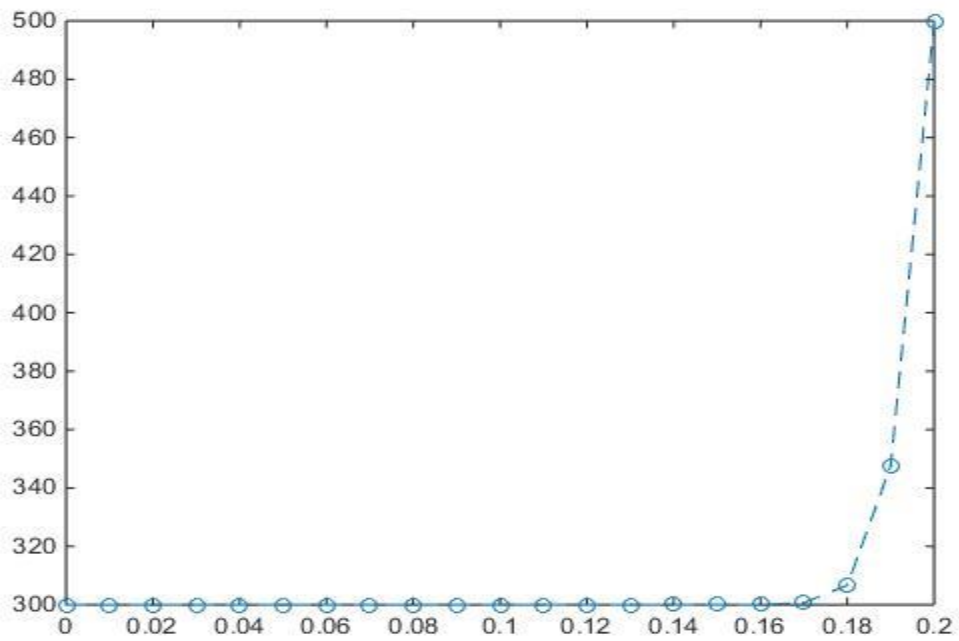


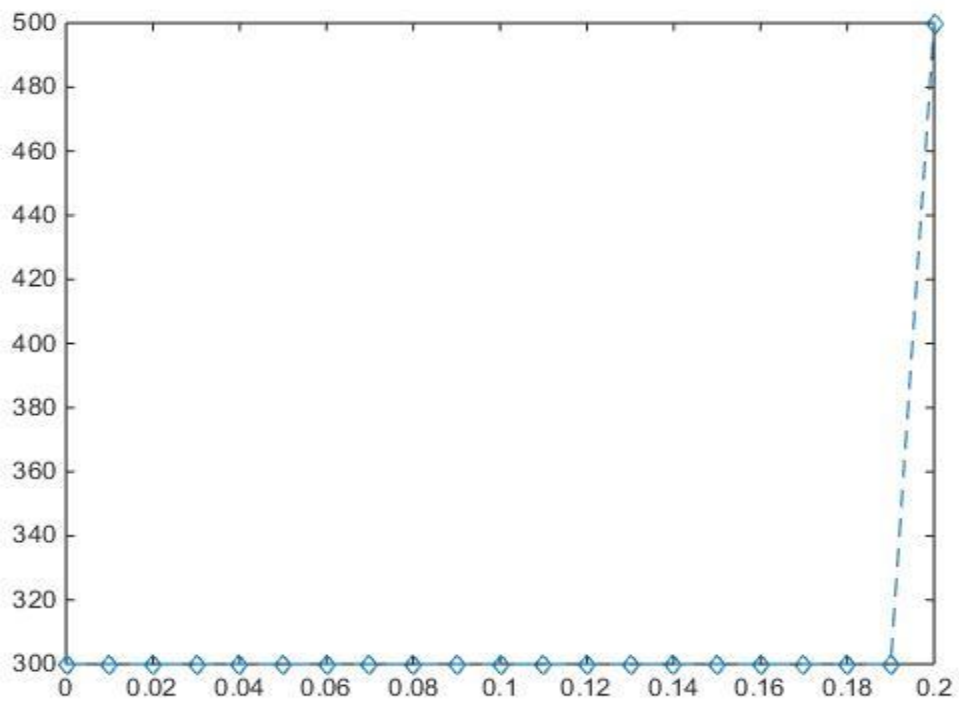
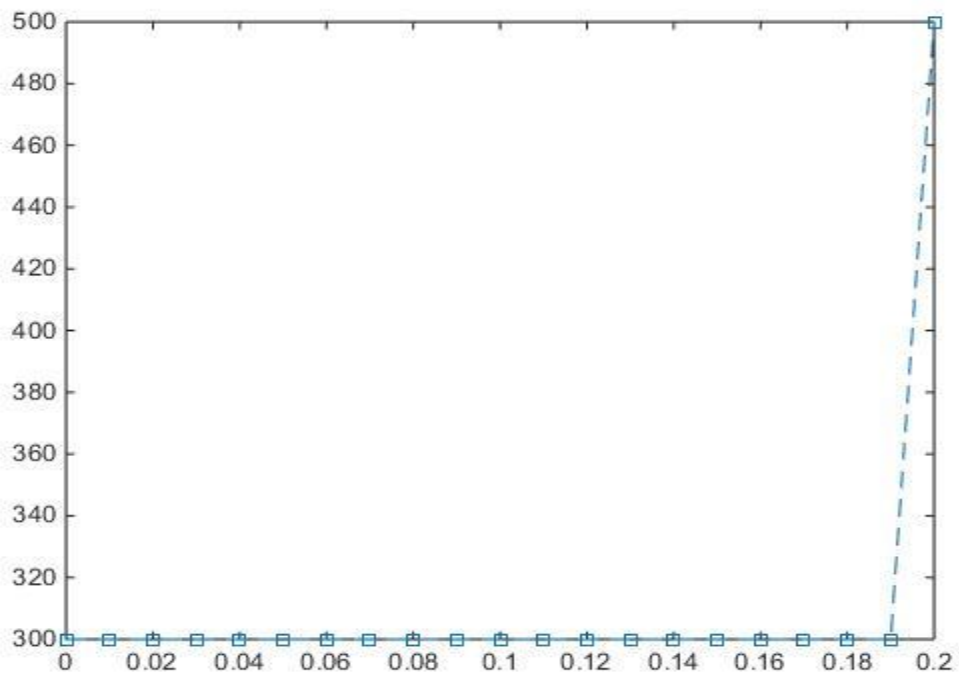


- 1) FTCS    2) Du Fort Frenkel    3) Implicit Method    4) Crank Nicholson

$dt = 0.1$  and  $dy = .01$

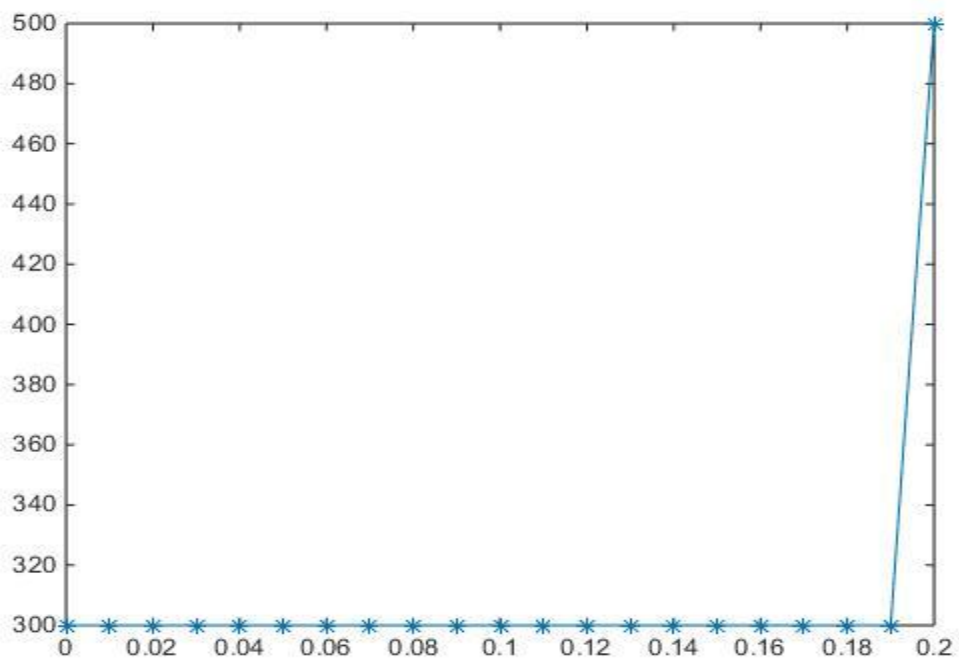
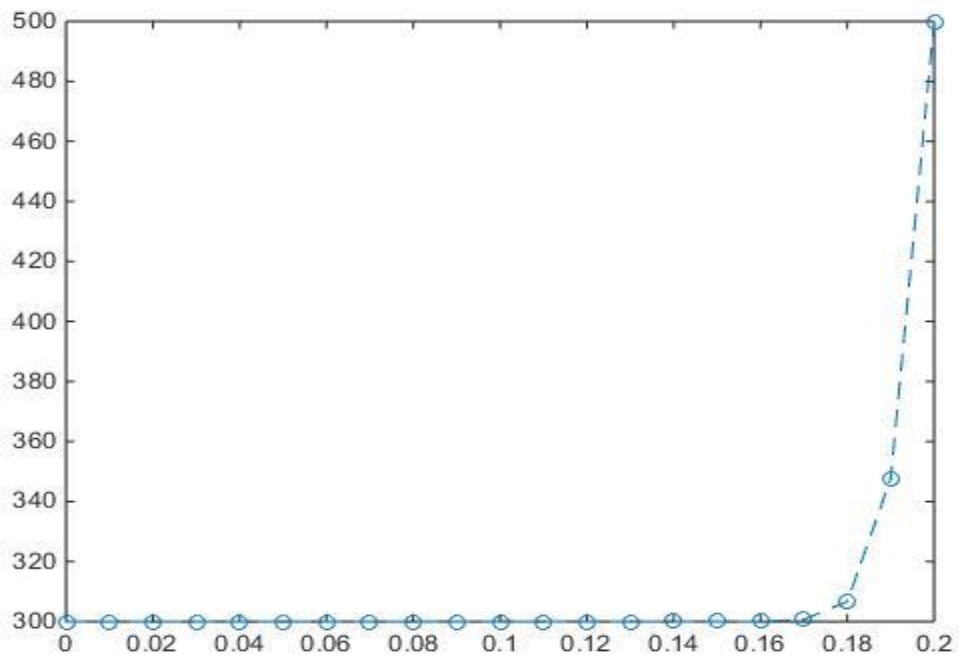
First Boundary Condition

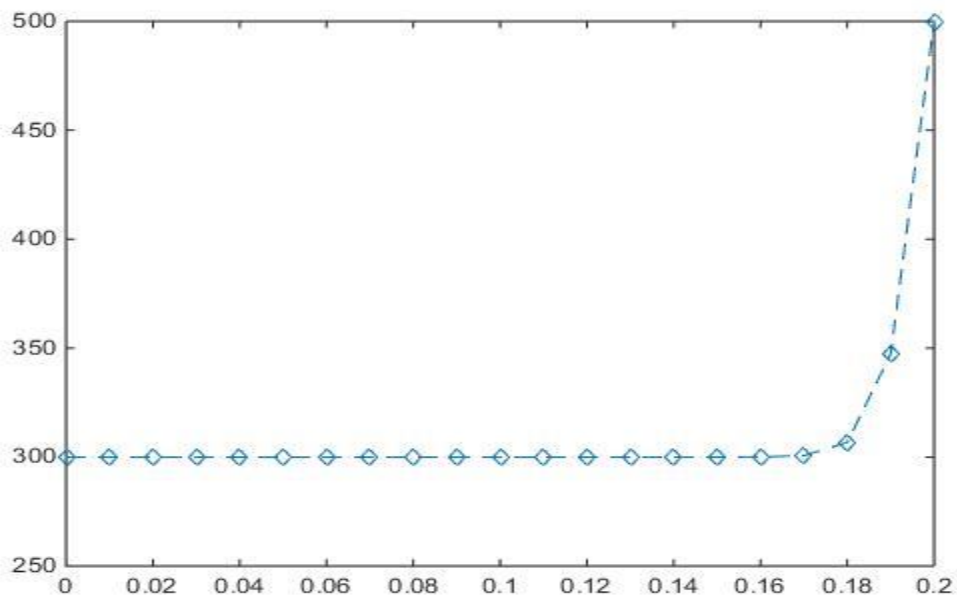
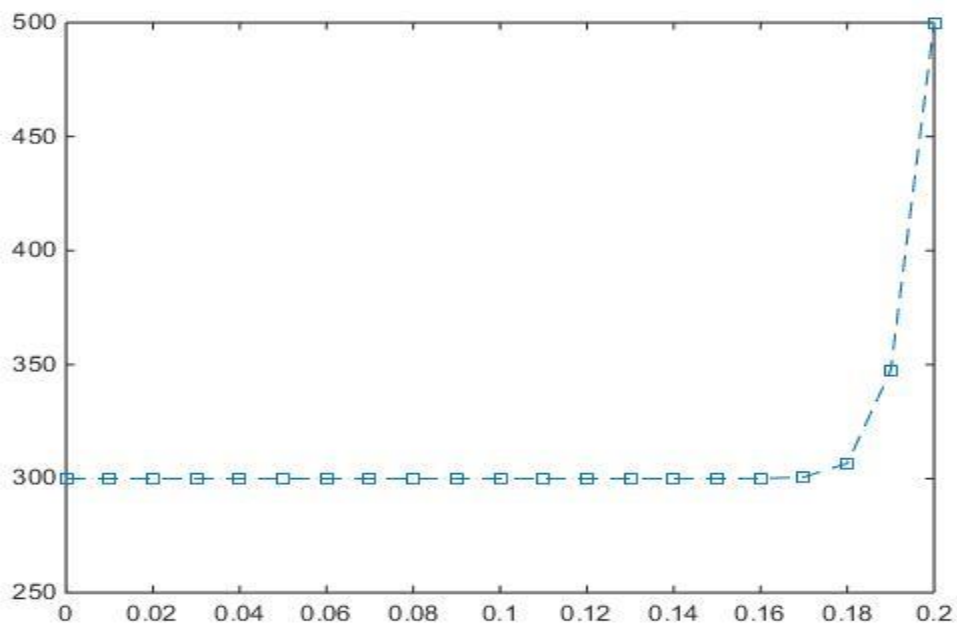




1) FTCS    2)Du Fort Frenkel    3)Implicit Method    4)Crank Nicholson

## Second Boundary Condition



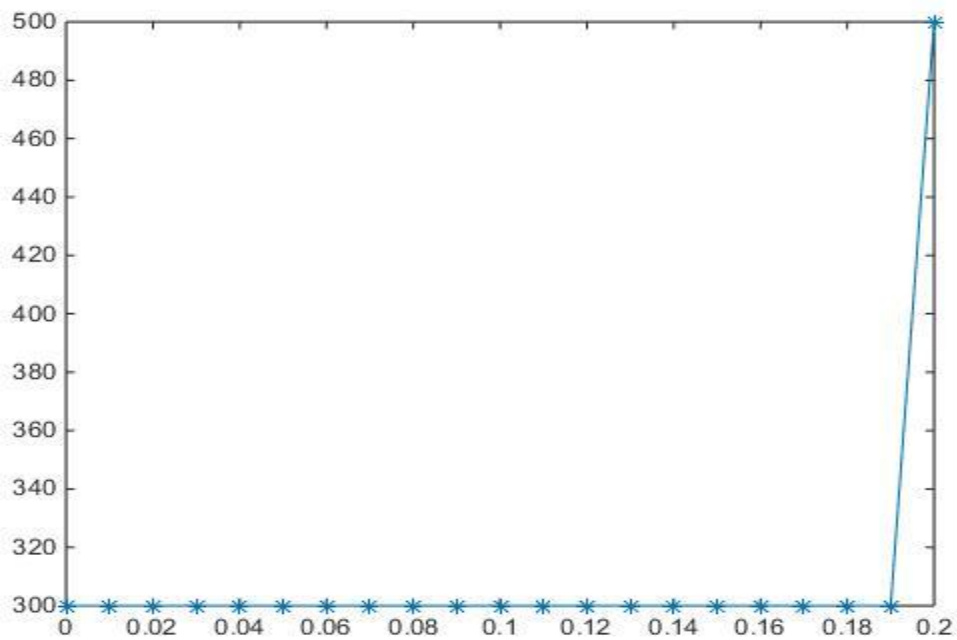
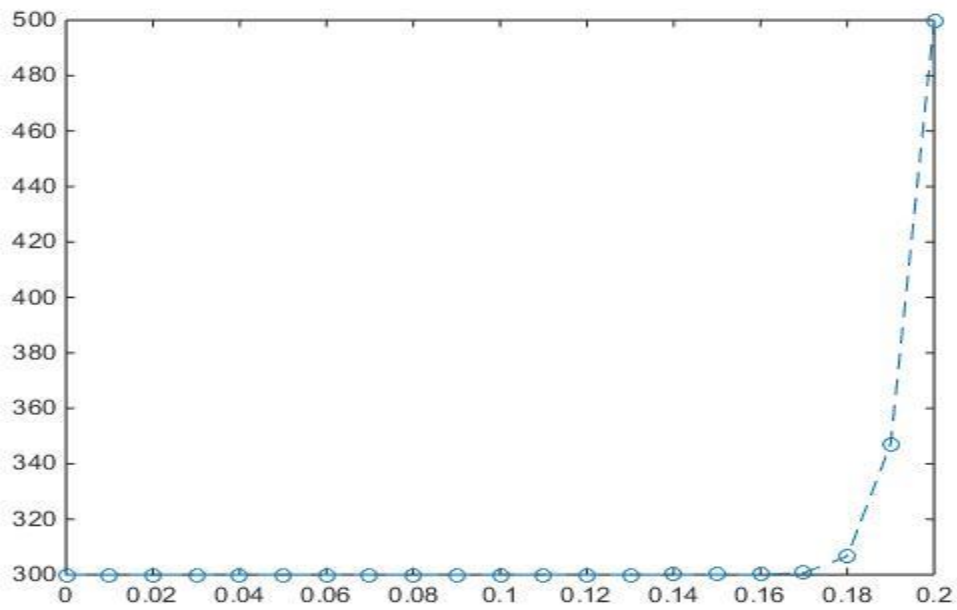


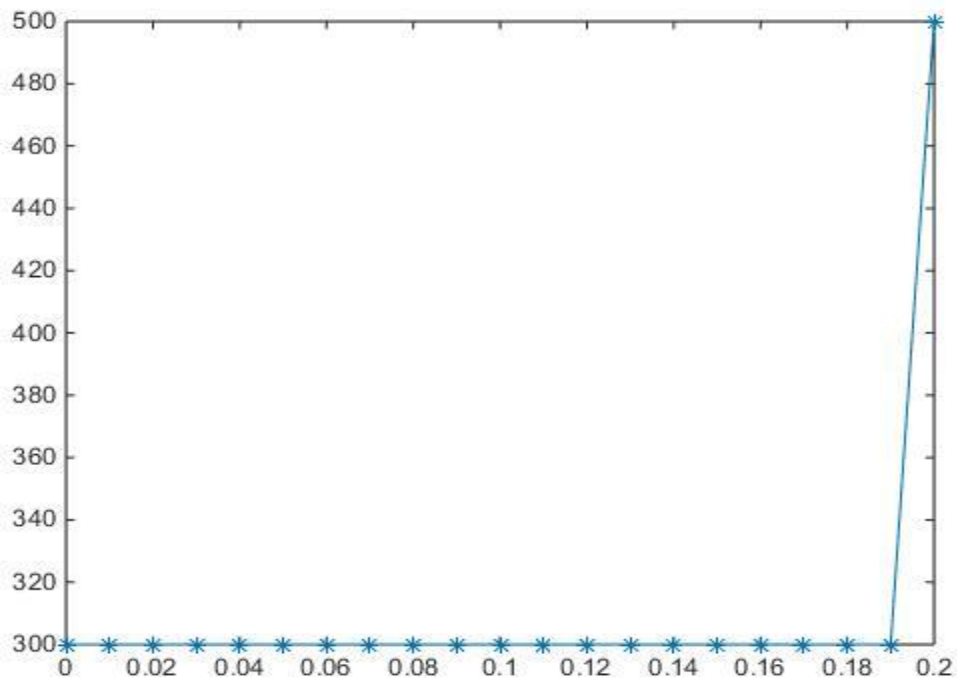
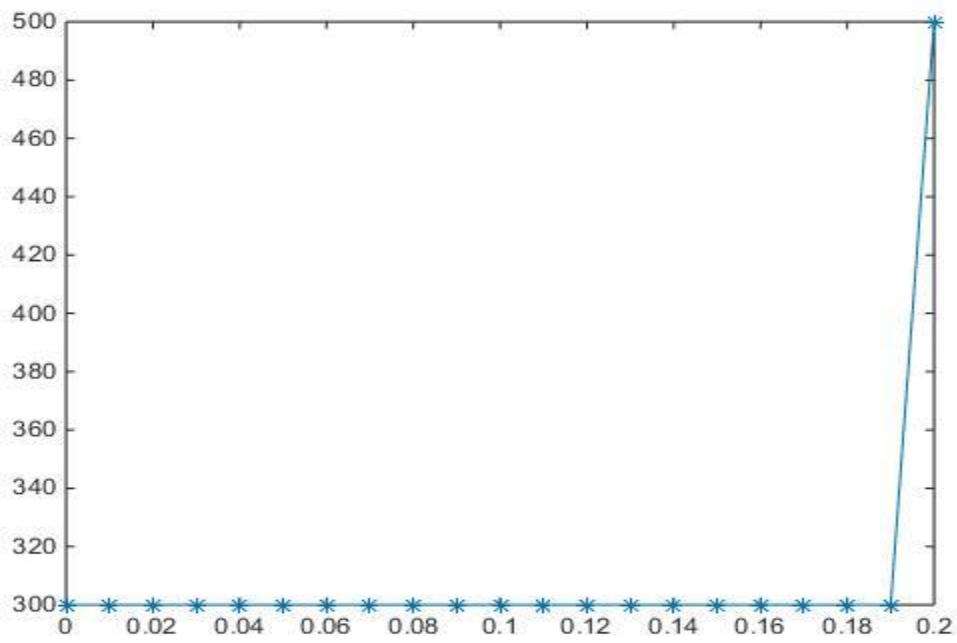
1) FTCS    2)Du Fort Frenkel    3)Implicit Method    4)Crank Nicholson



$dt = 0.01$  and  $dy = .01$

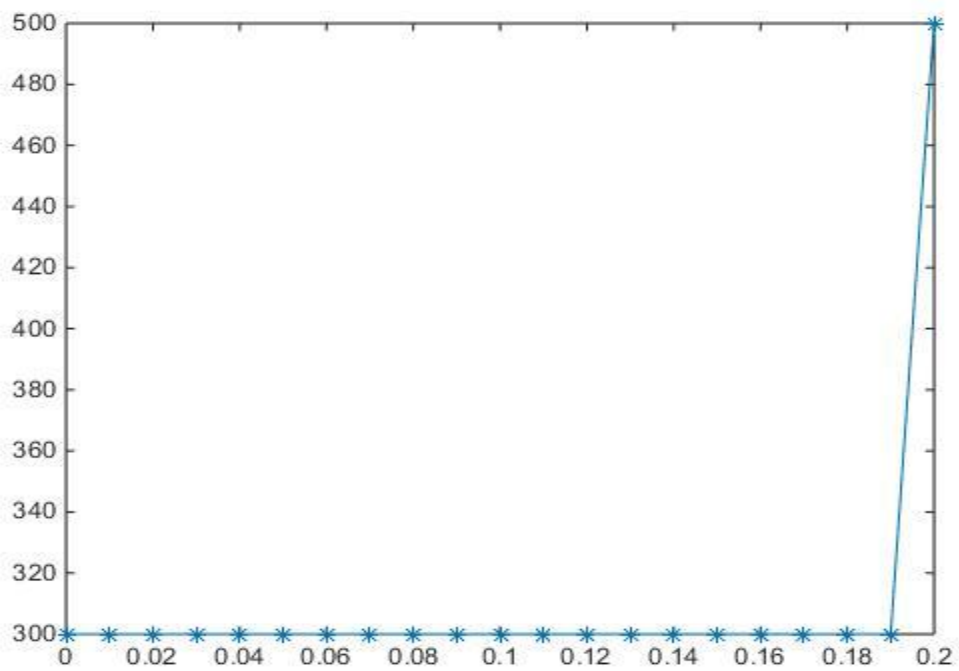
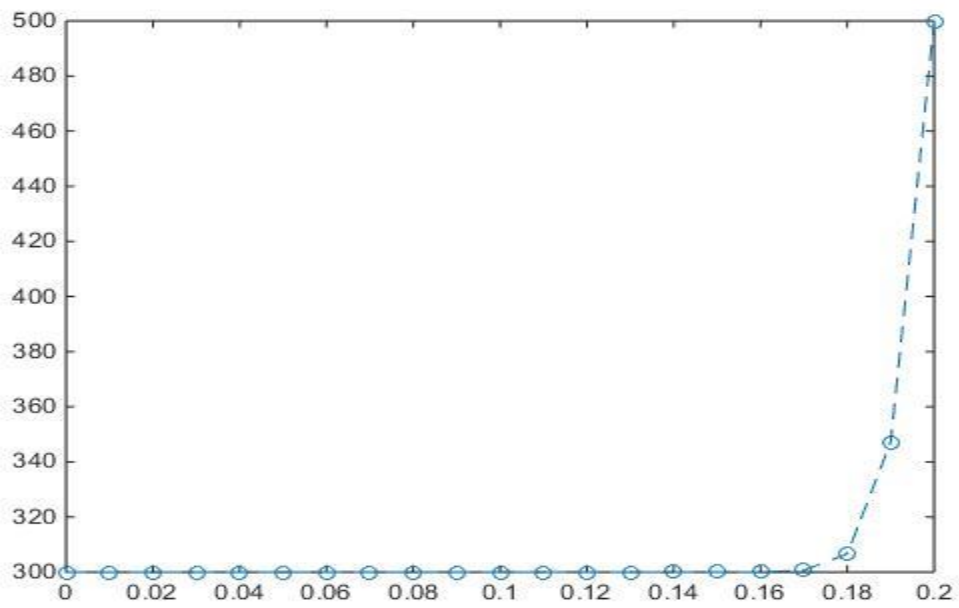
First Boundary Condition

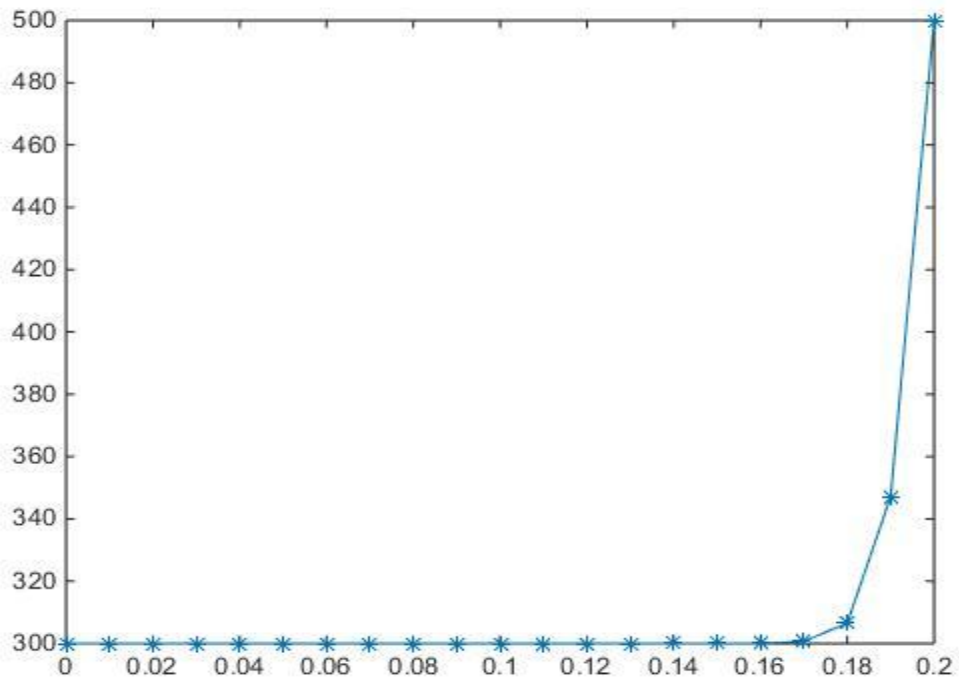
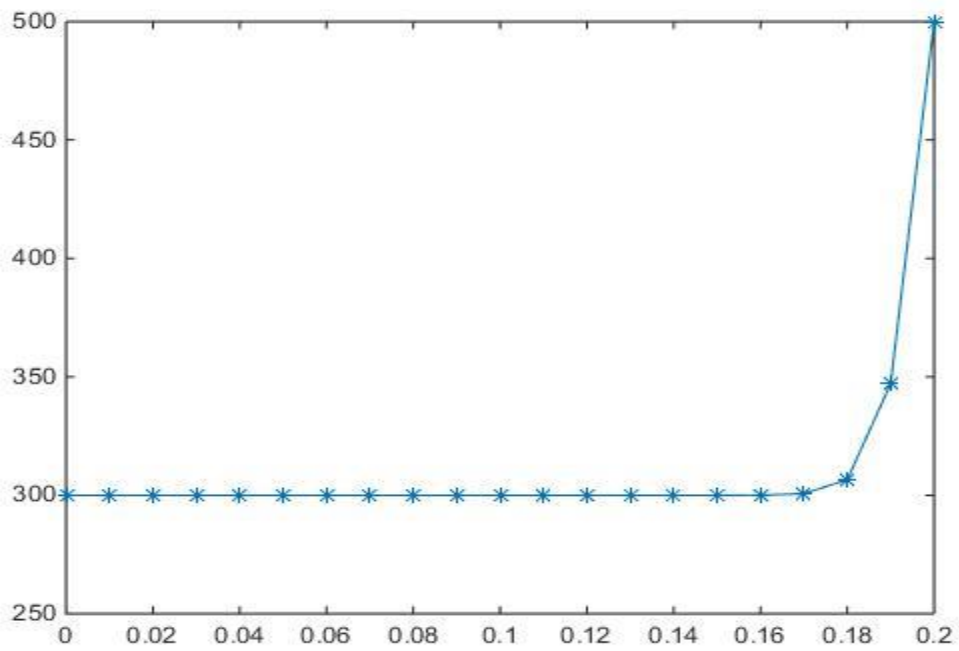




1) FTCS    2)Du Fort Frenkel    3)Implicit Method    4)Crank Nicholson

## Second Boundary Condition

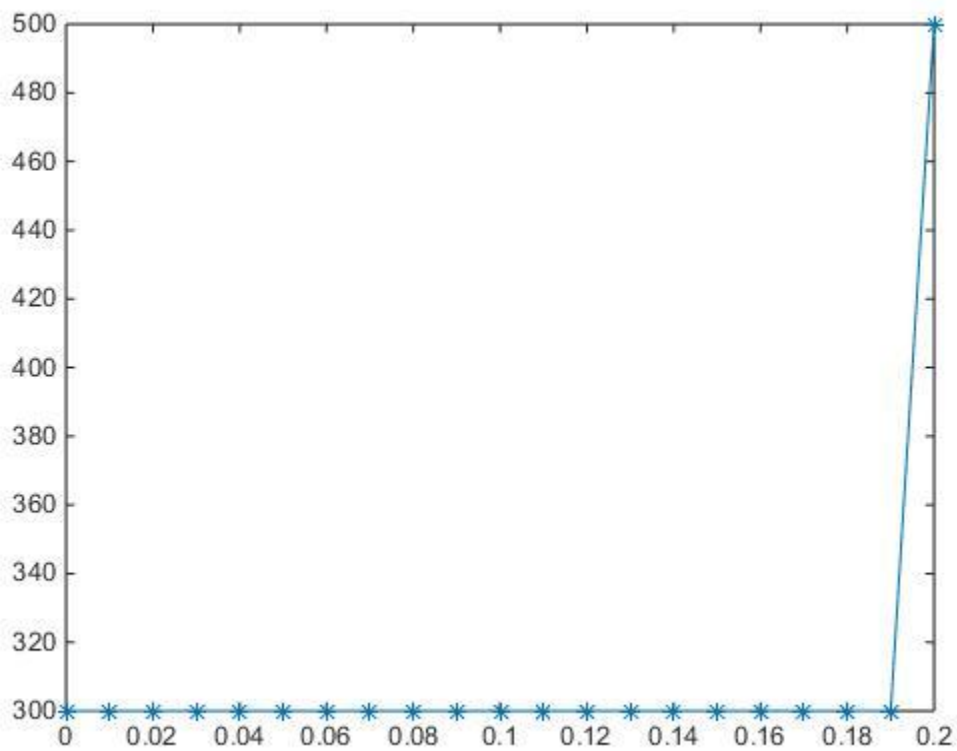
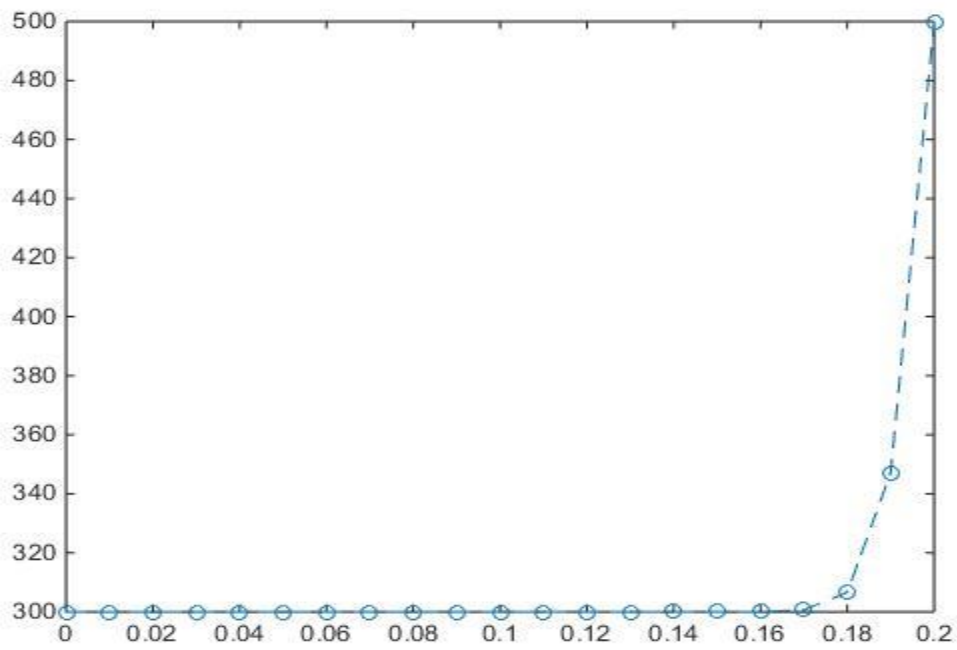


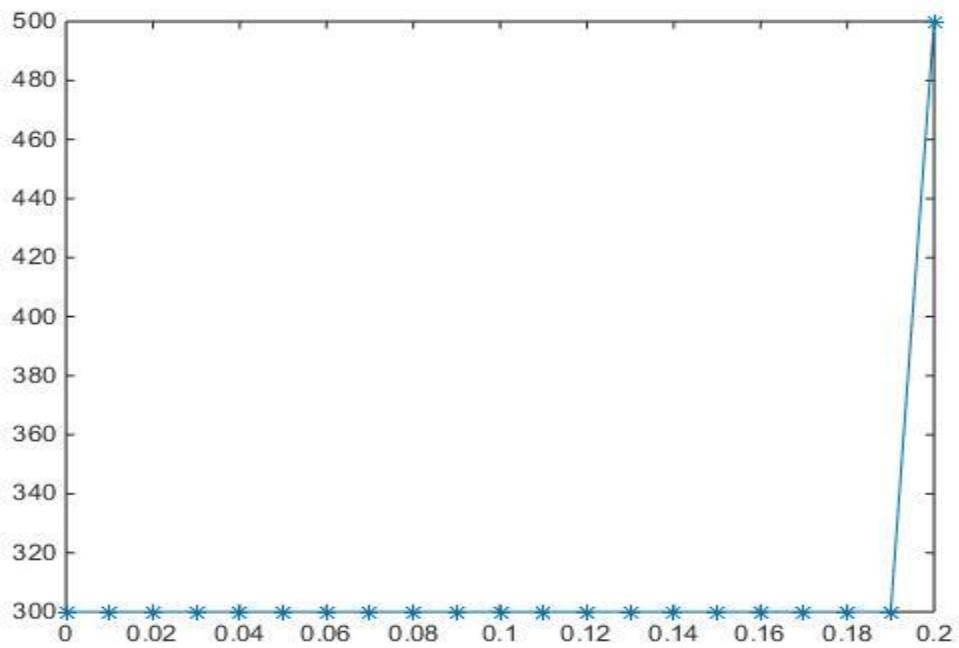
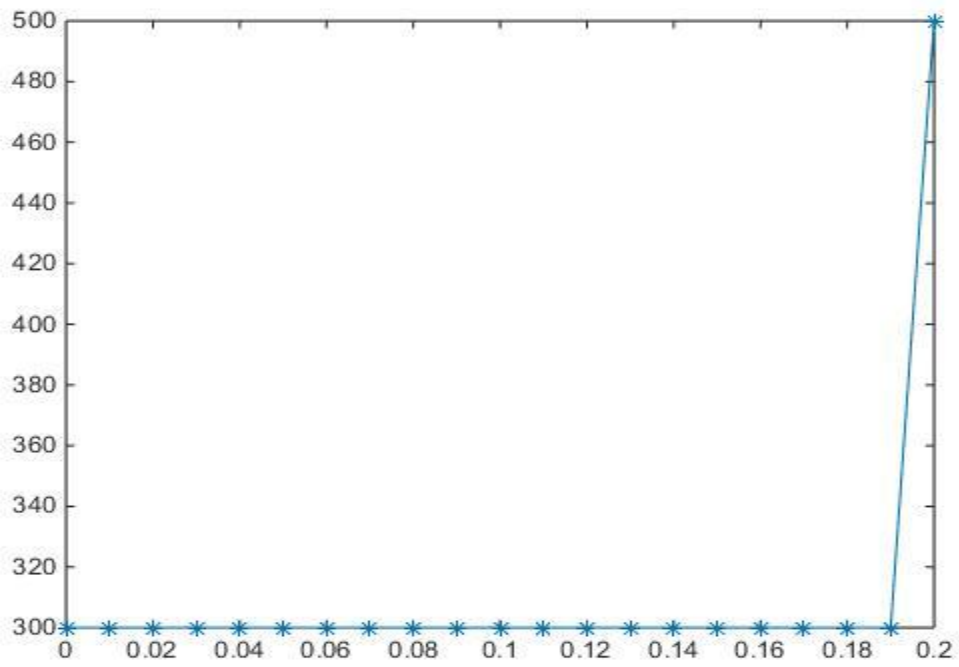


1) FTCS    2)Du Fort Frenkel    3)Implicit Method    4)Crank Nicholson

$dt = 0.001$  and  $dy = .01$

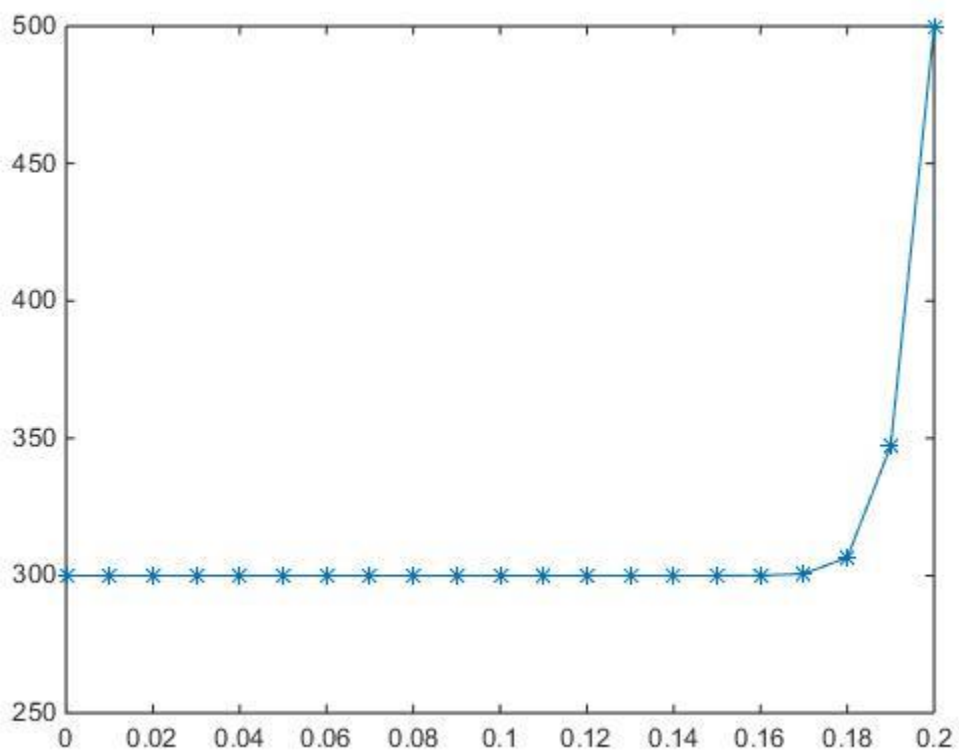
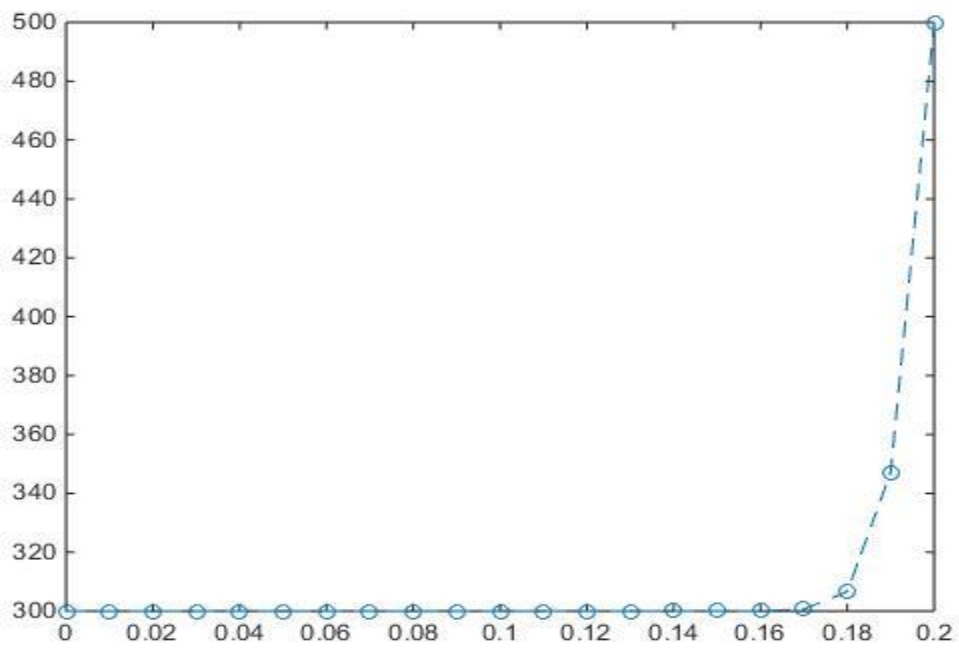
First Boundary Condition

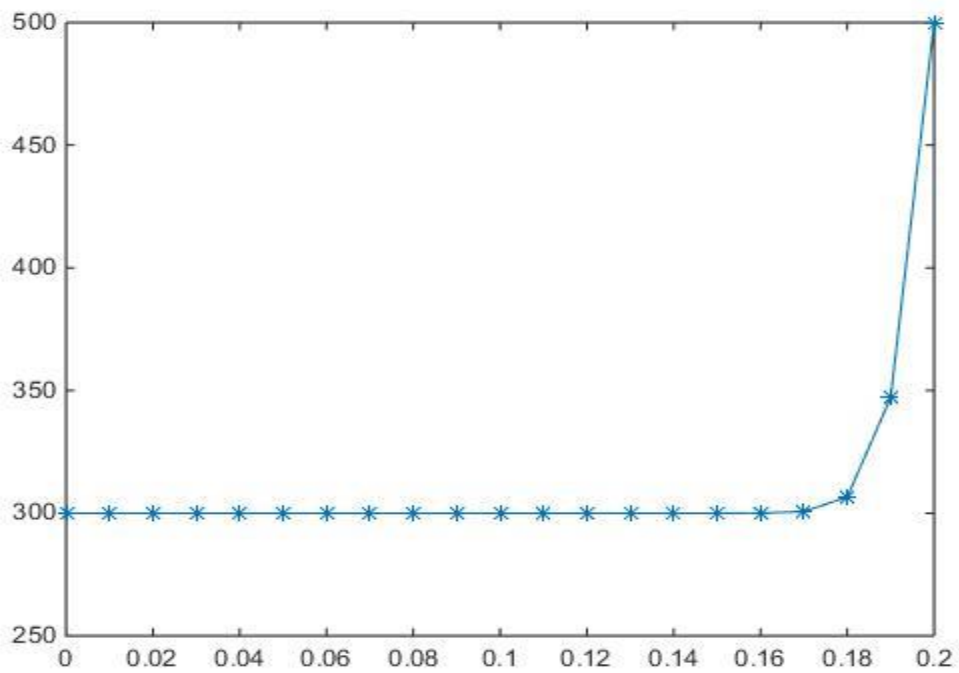
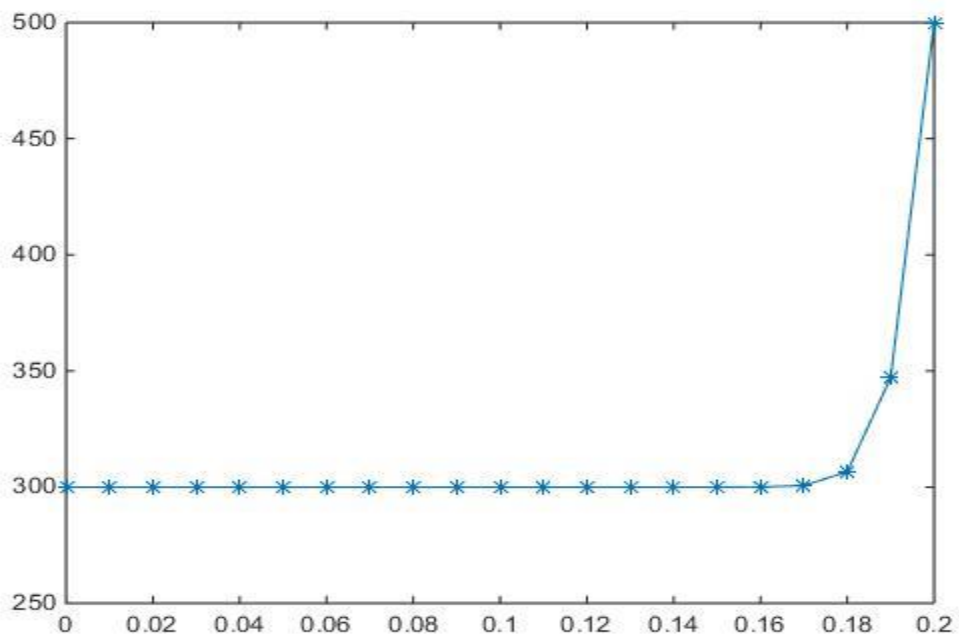




1) FTCS    2)Du Fort Frenkel    3)Implicit Method    4)Crank Nicholson

## Second Boundary Condition



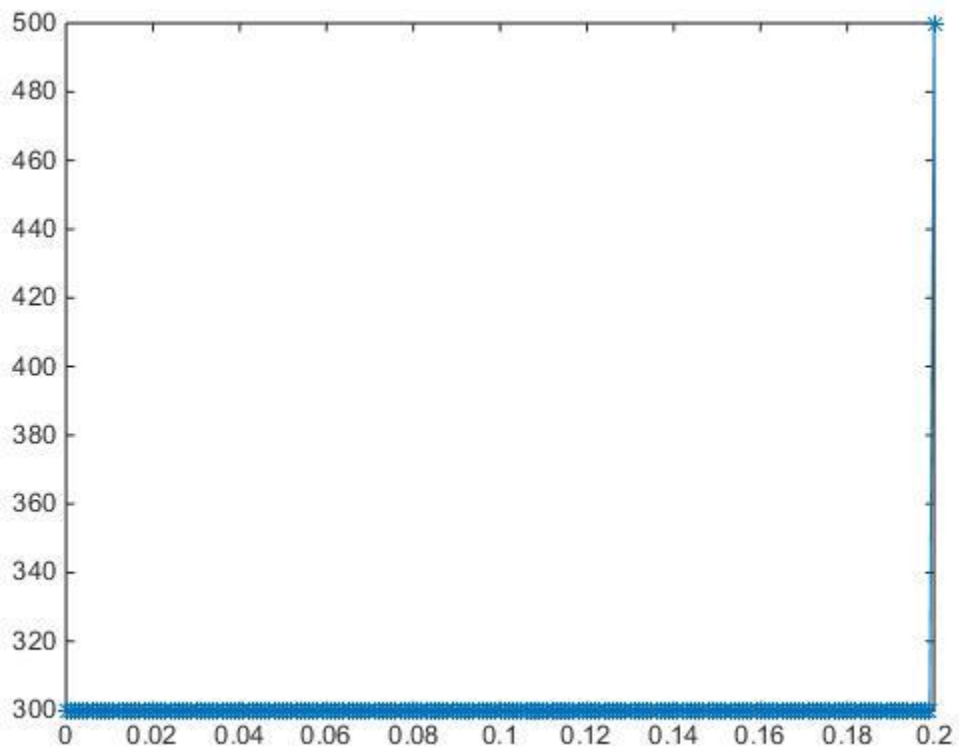
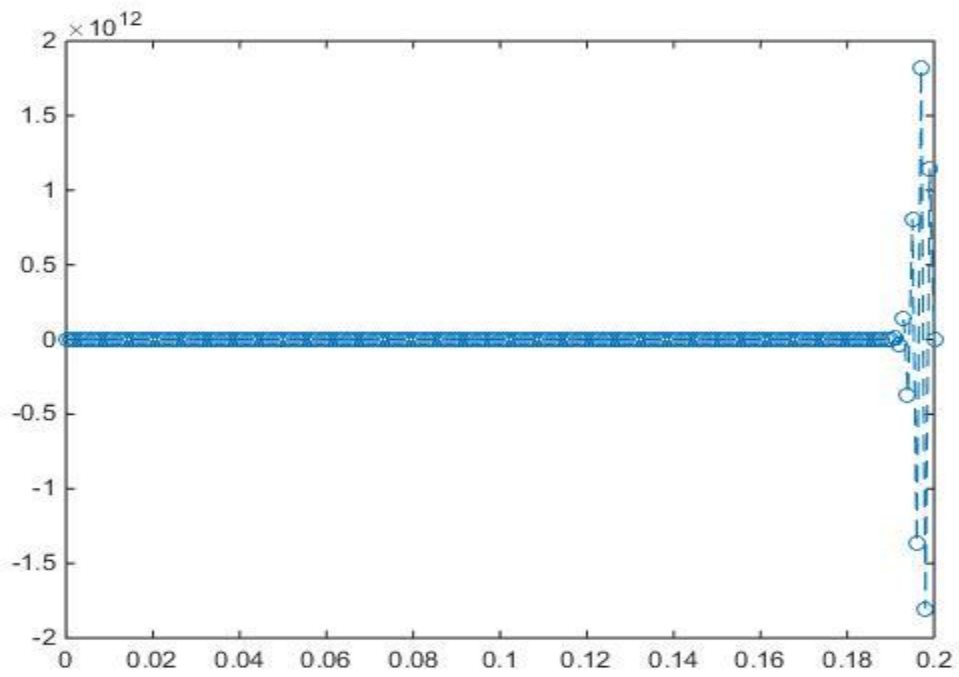


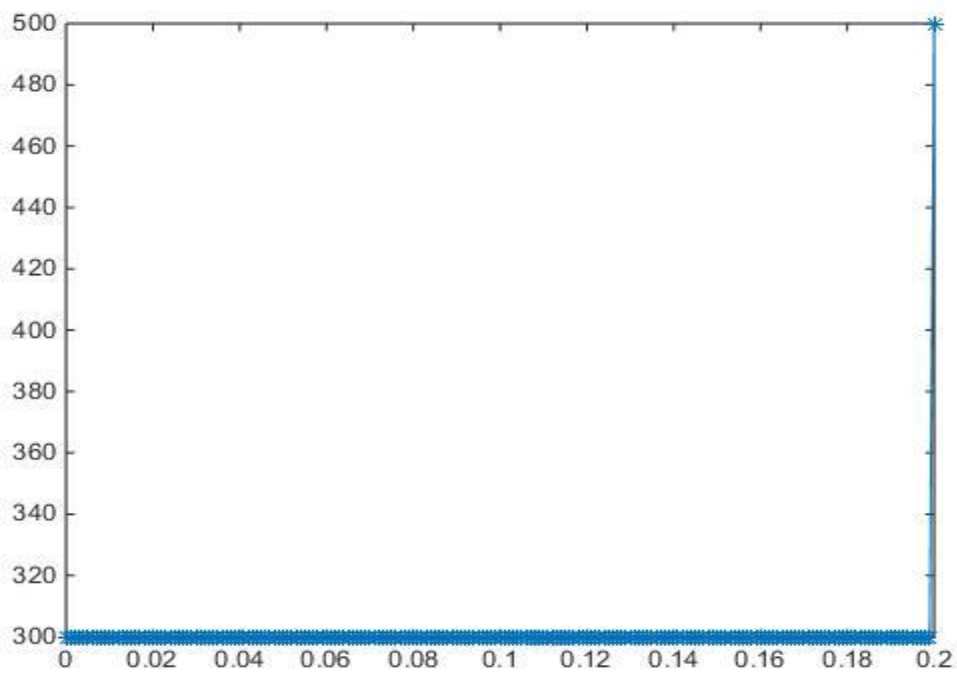
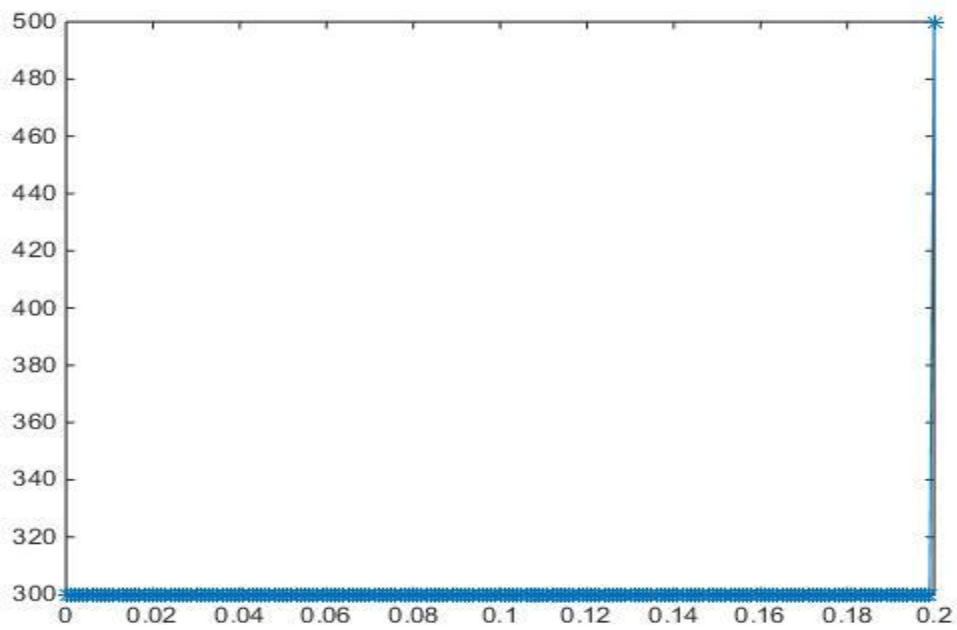
1) FTCS    2)Du Fort Frenkel    3)Implicit Method    4)Crank Nicholson



$dt = 1$  and  $dy = .001$

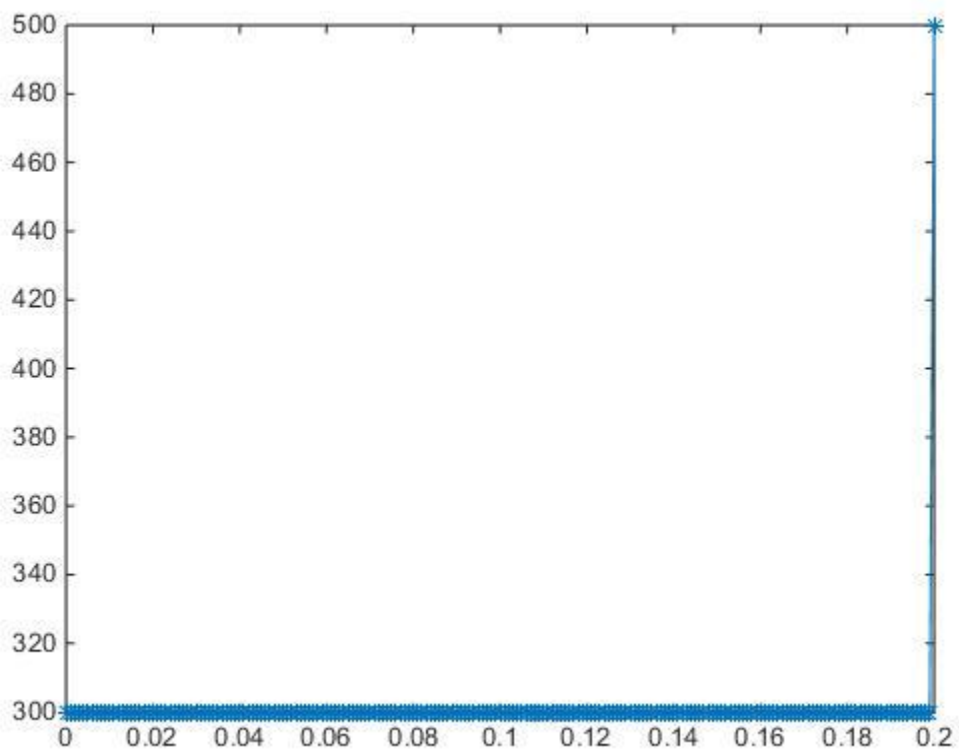
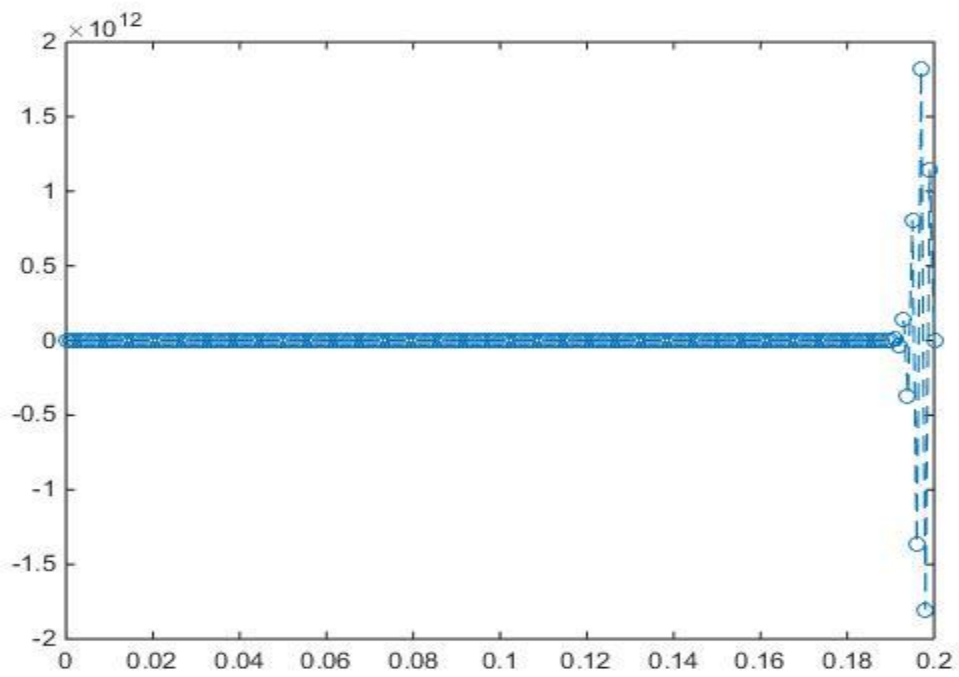
First Boundary Condition

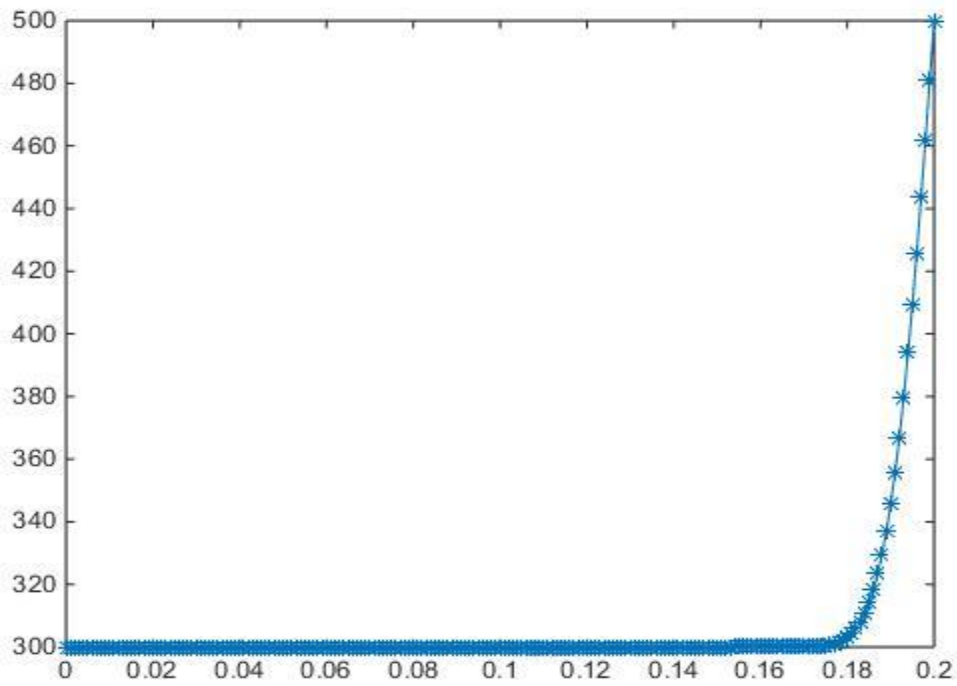
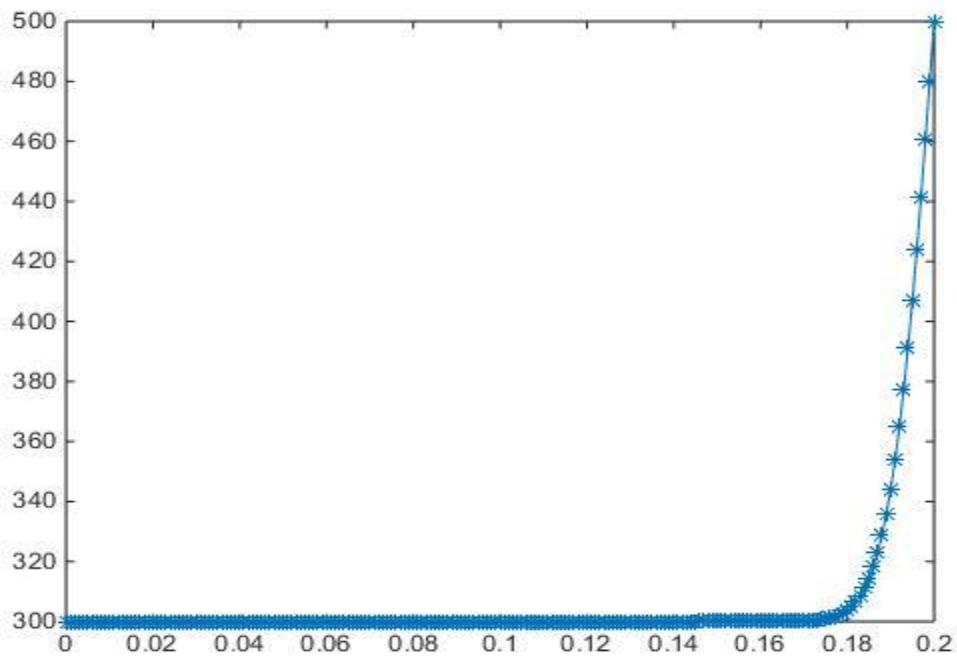




1) FTCS    2)Du Fort Frenkel    3)Implicit Method    4)Crank Nicholson

## Second Boundary Condition

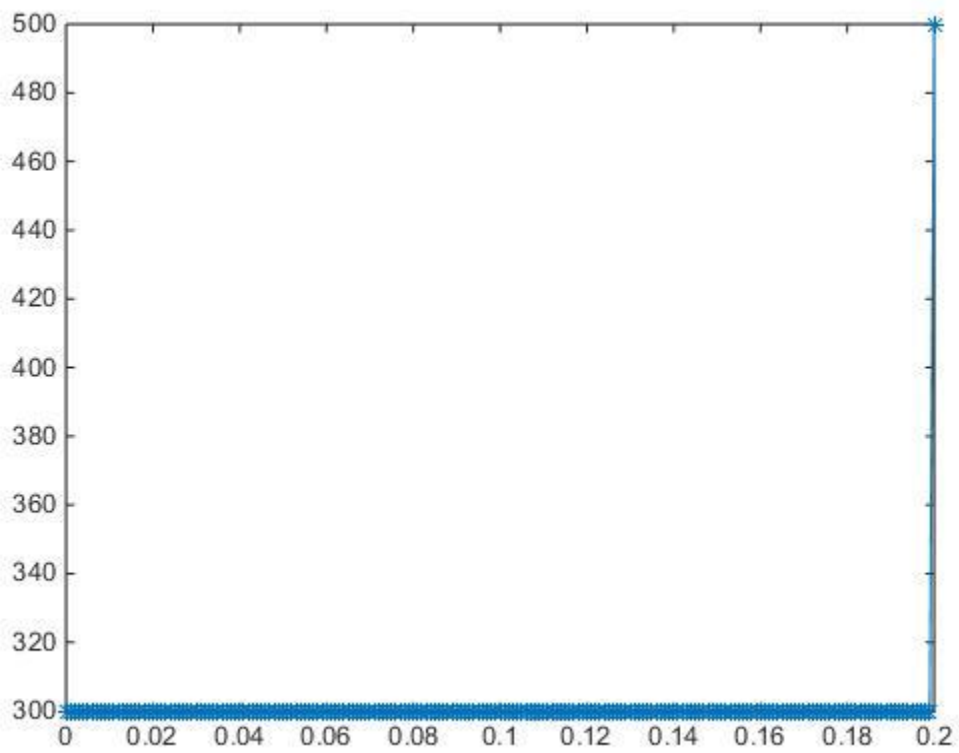
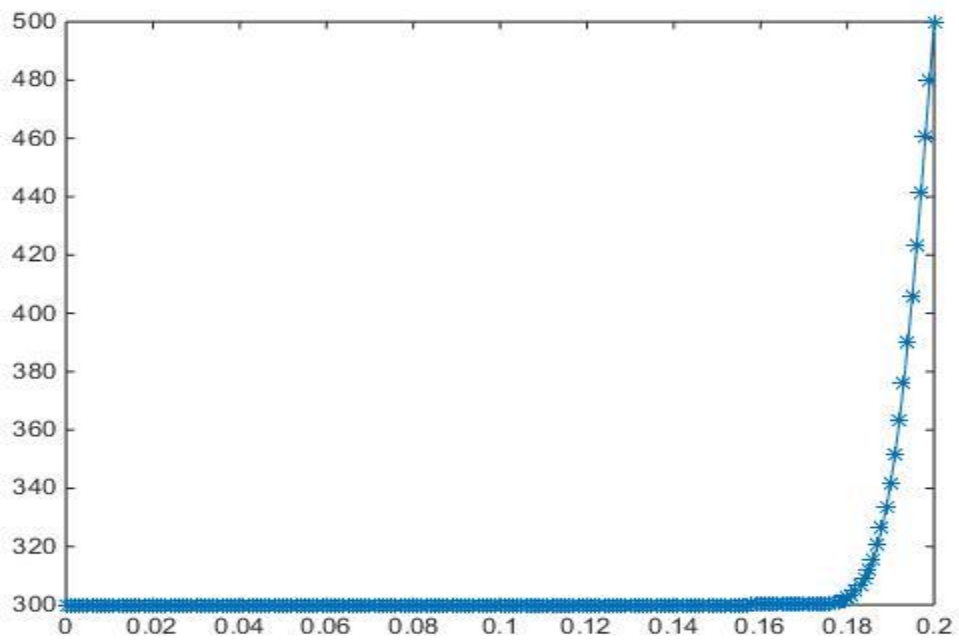


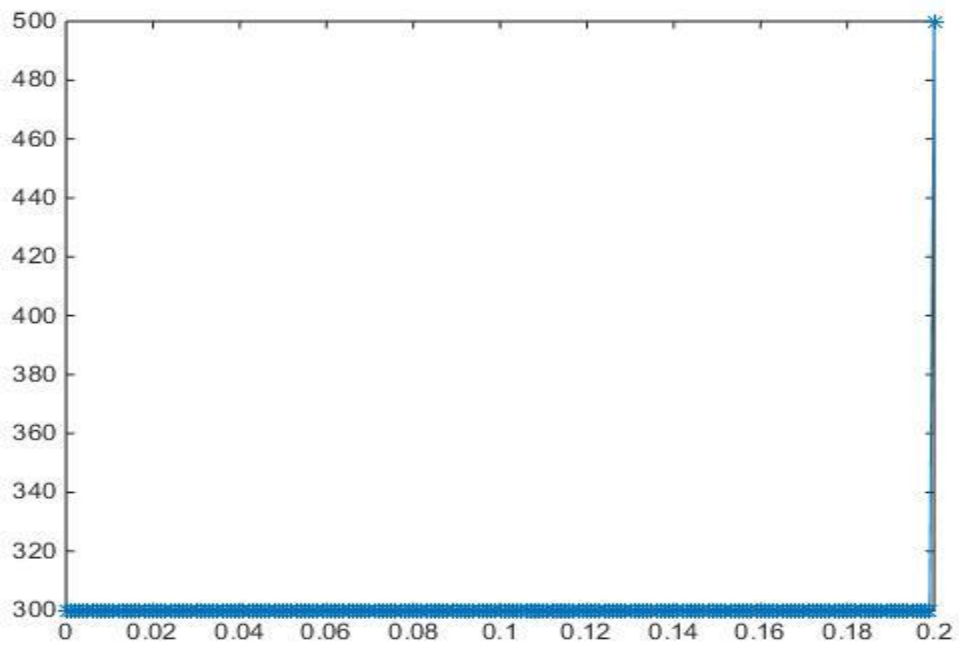
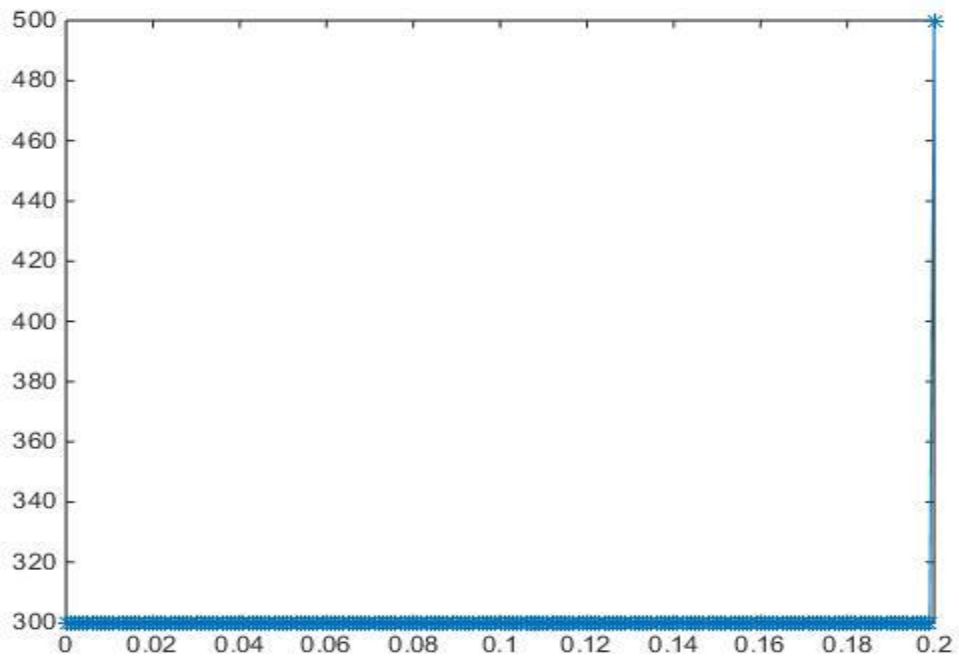


1) FTCS    2) Du Fort Frenkel    3) Implicit Method    4) Crank Nicholson

$dt = 0.1$  and  $dy = .001$

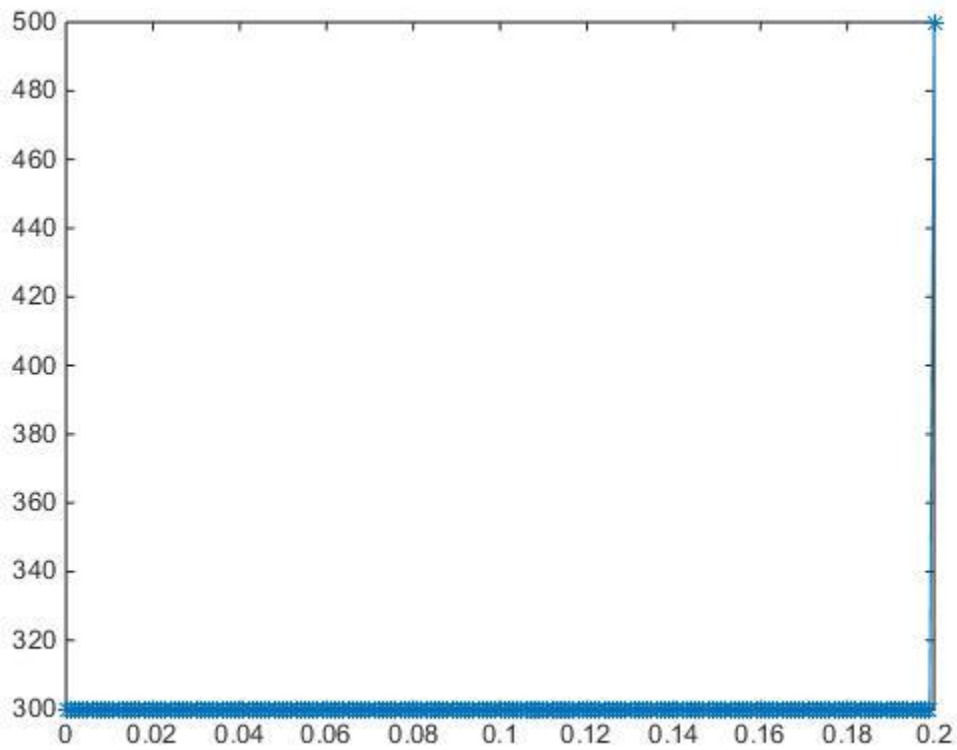
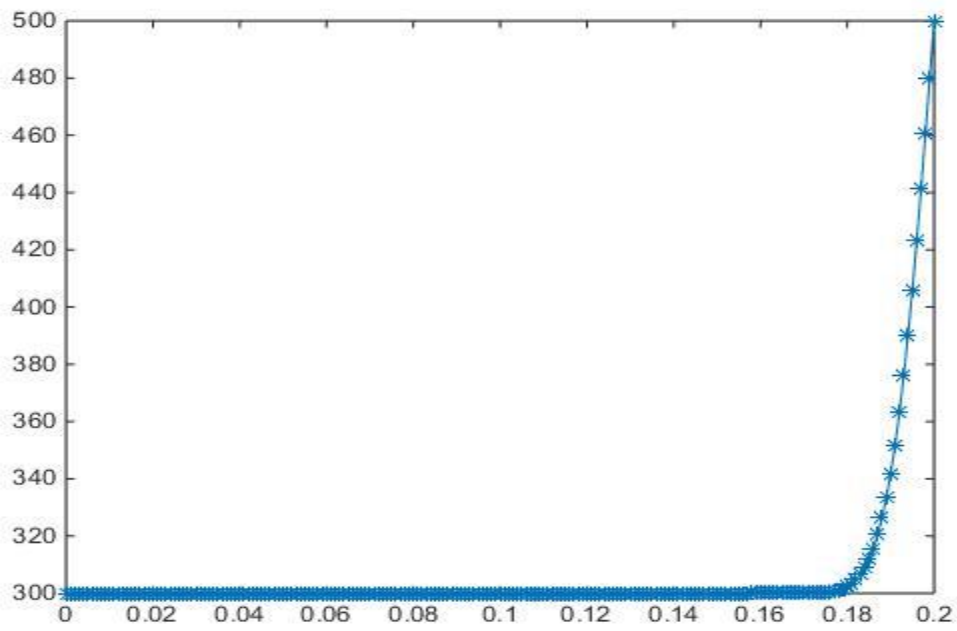
First Boundary Condition

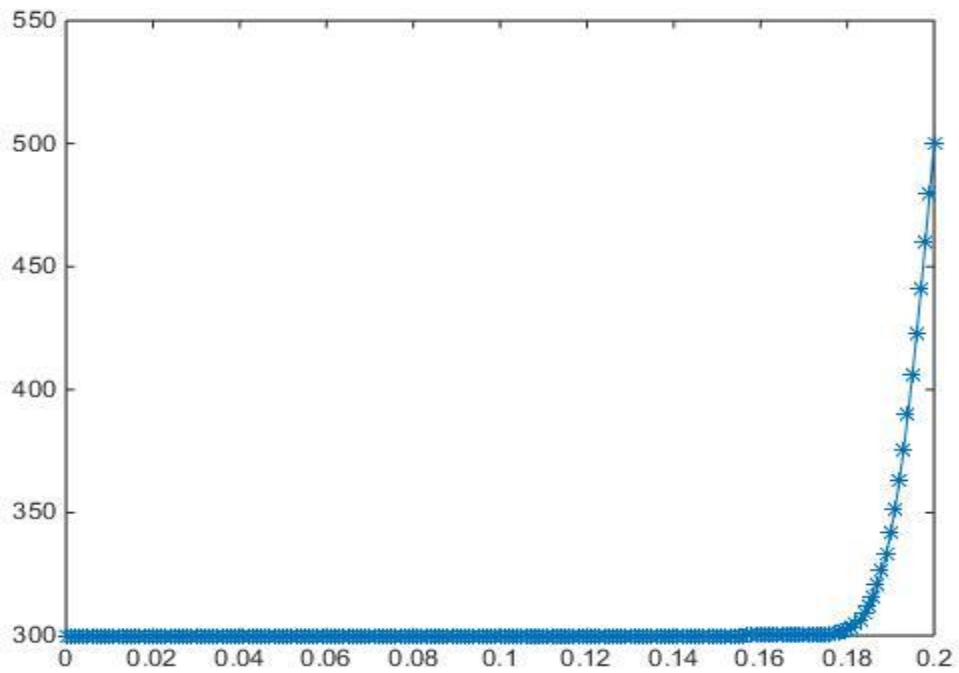
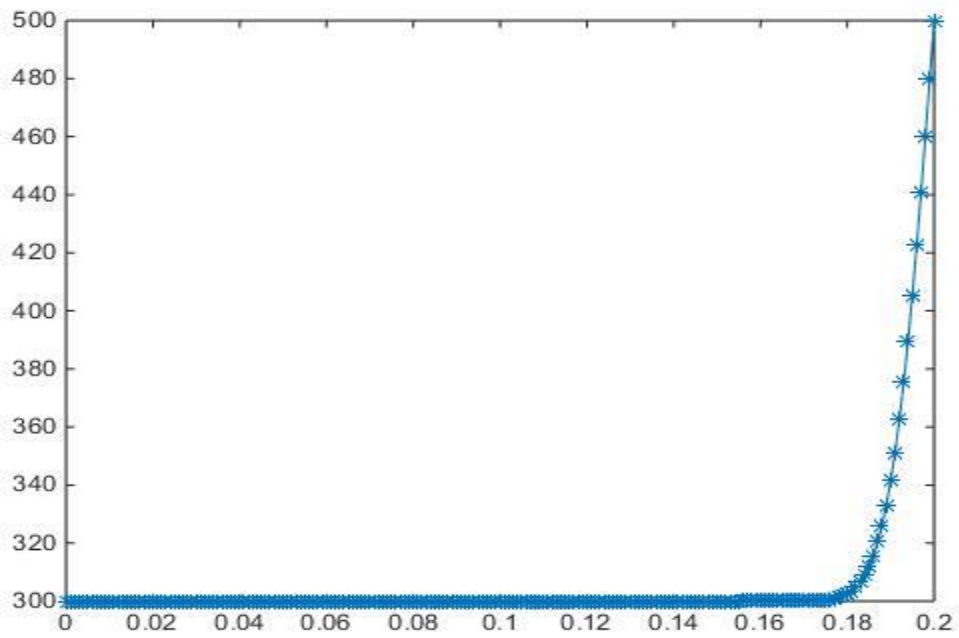




1) FTCS    2)Du Fort Frenkel    3)Implicit Method    4)Crank Nicholson

Second BC



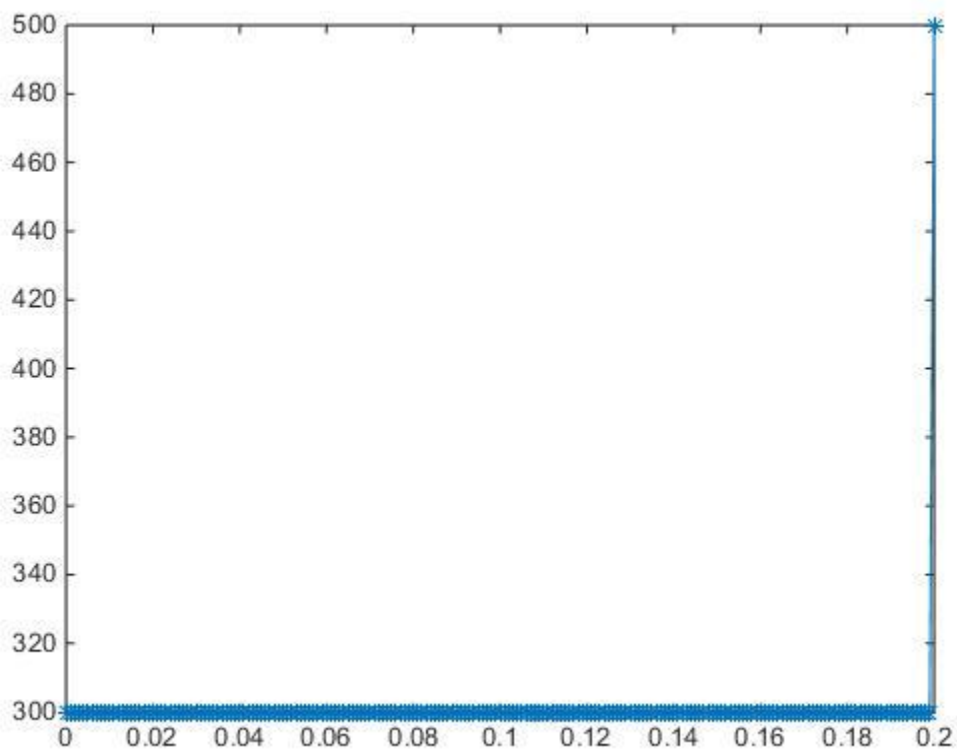
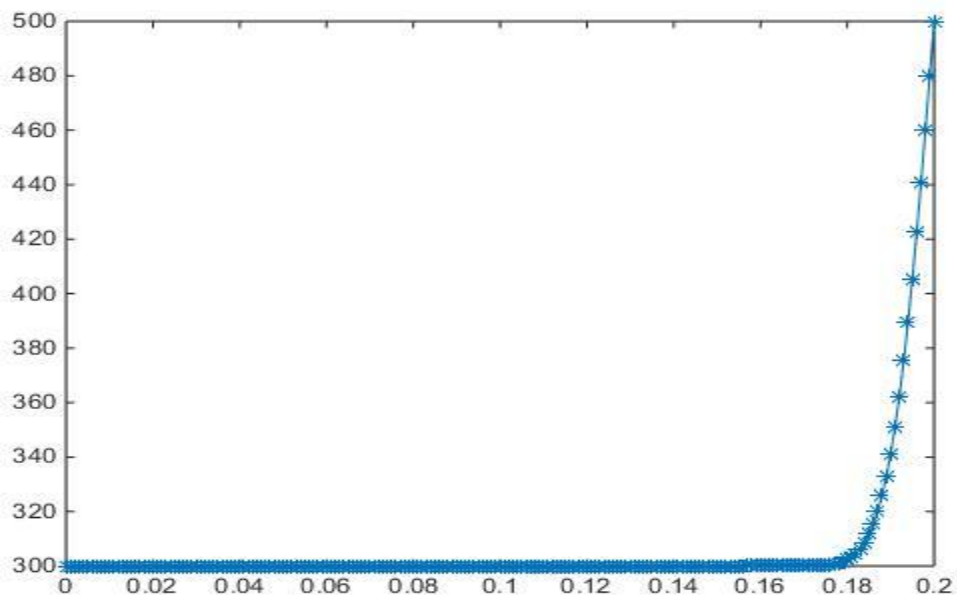


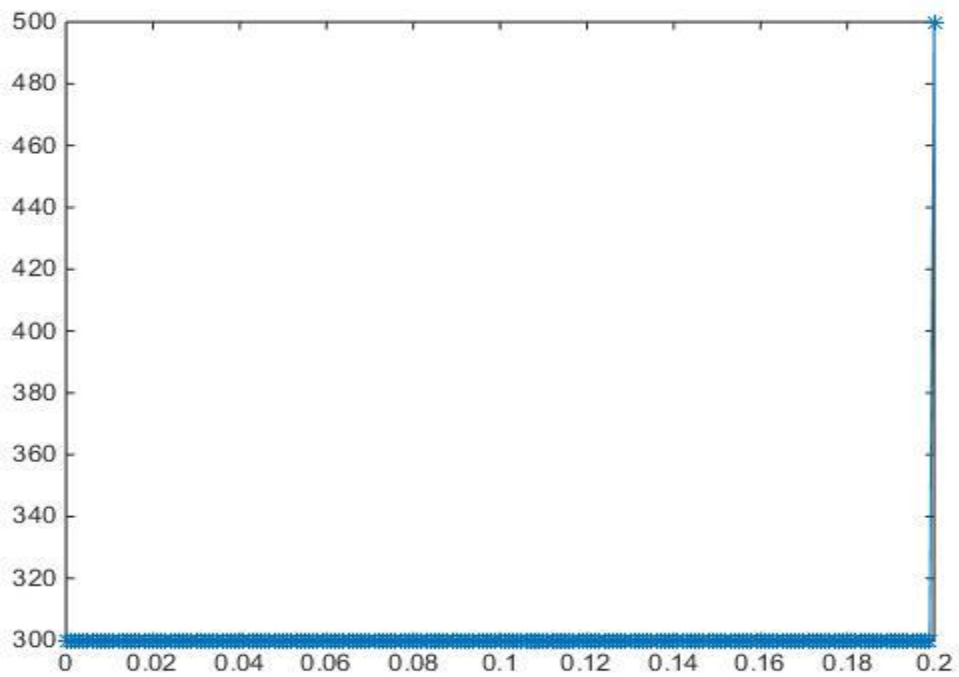
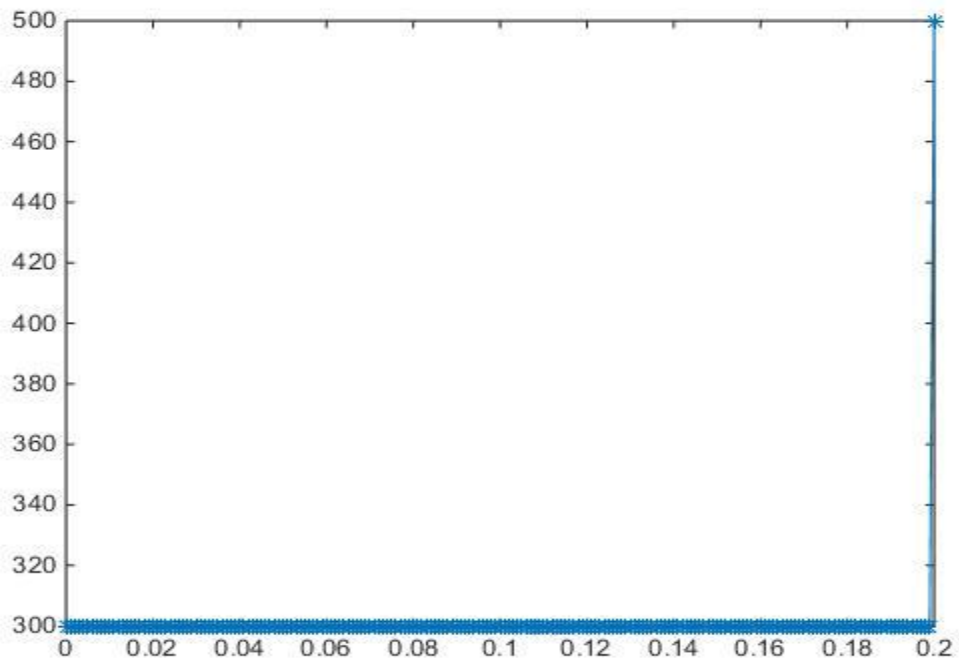
1) FTCS    2) Du Fort Frenkel    3) Implicit Method    4) Crank Nicholson



$dt = 0.01$  and  $dy = .001$

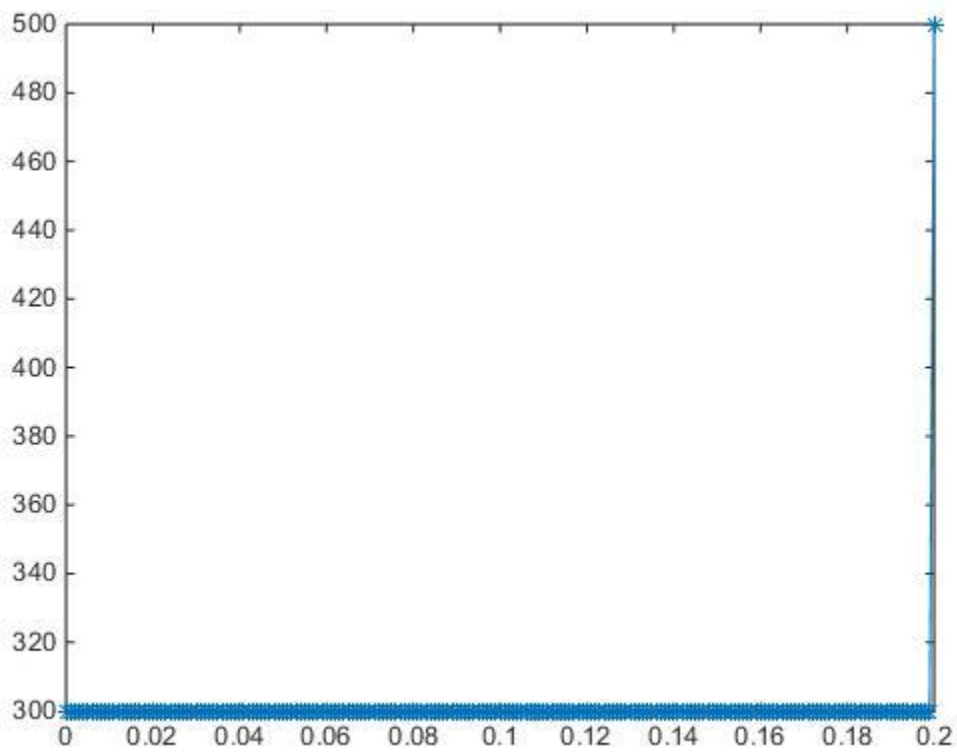
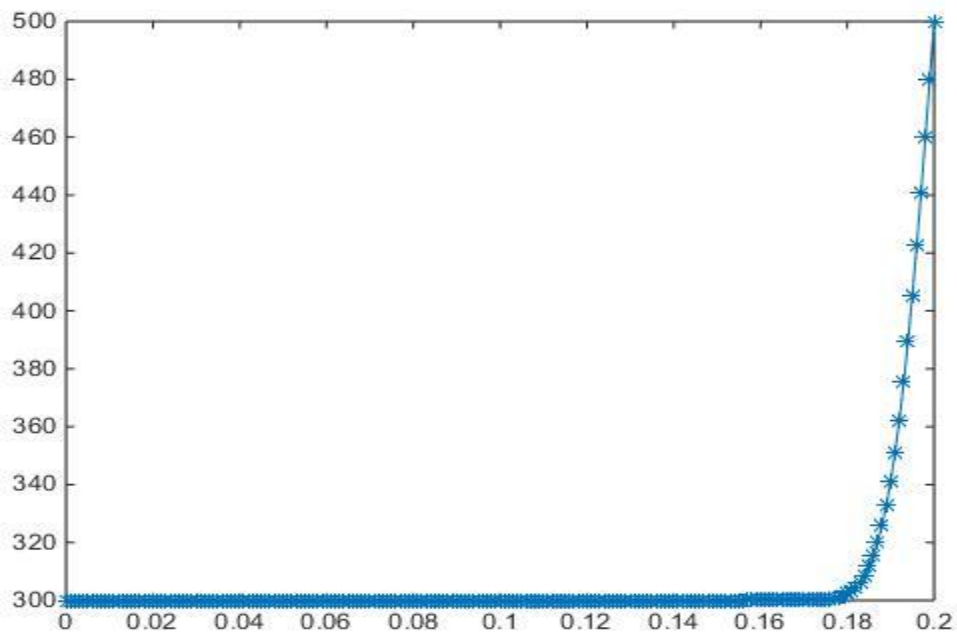
First Boundary Condition

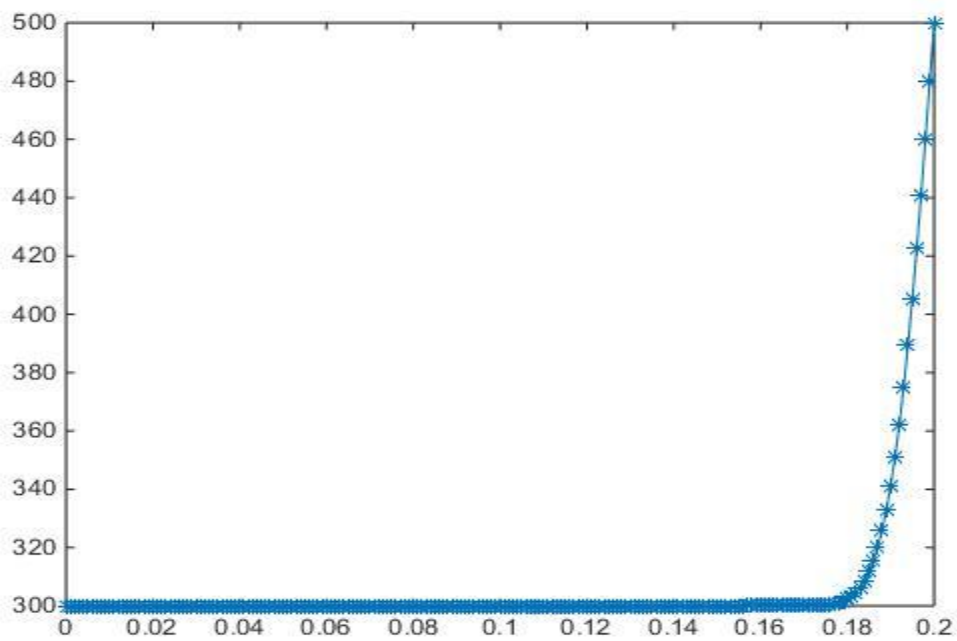
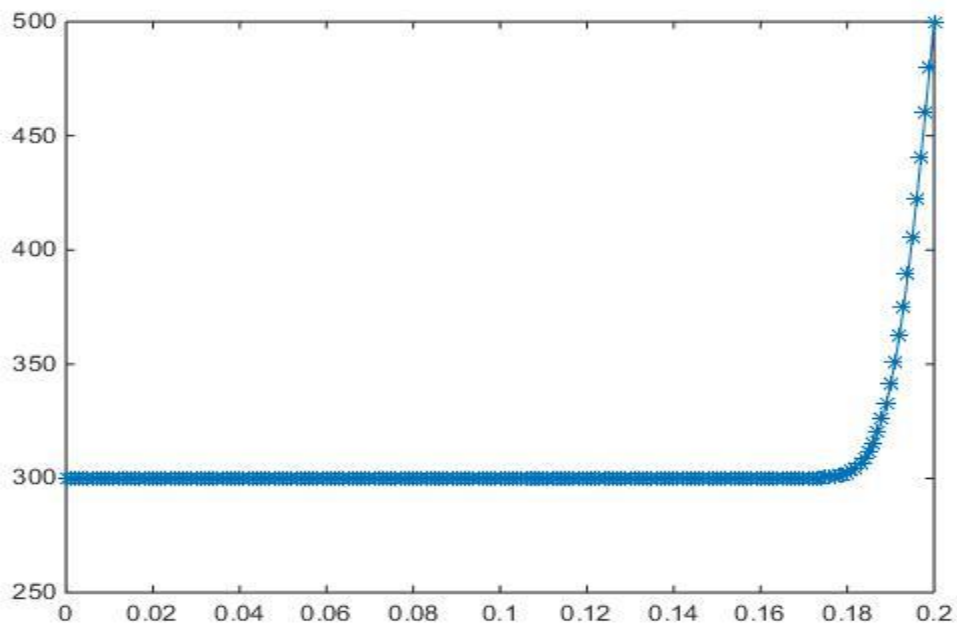




1) FTCS    2)Du Fort Frenkel    3)Implicit Method    4)Crank Nicholson

Second BC

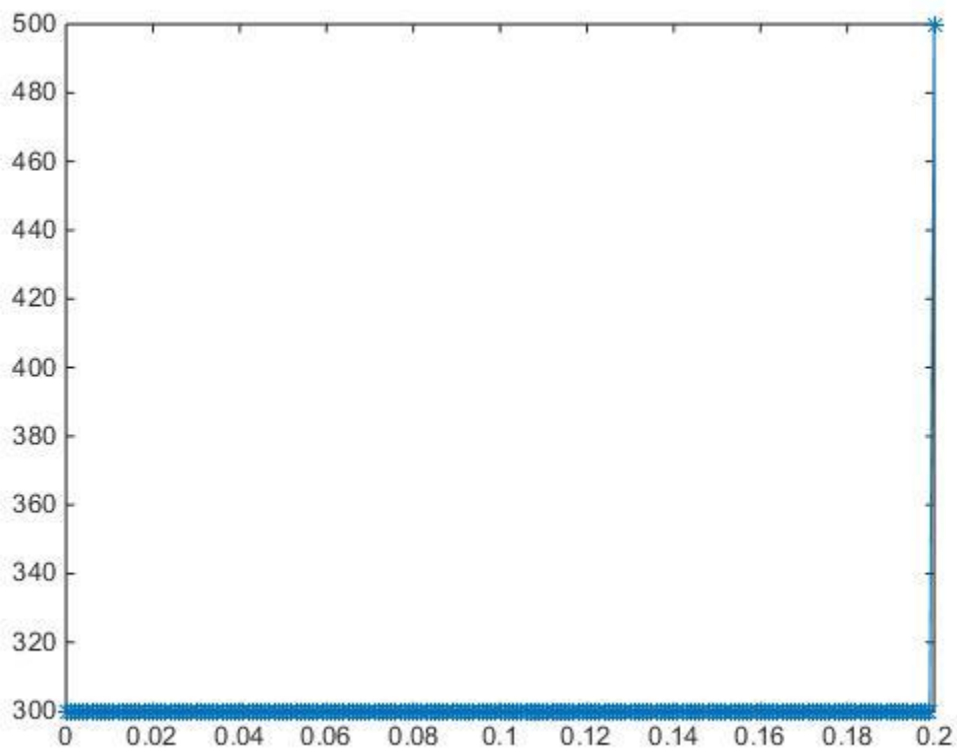
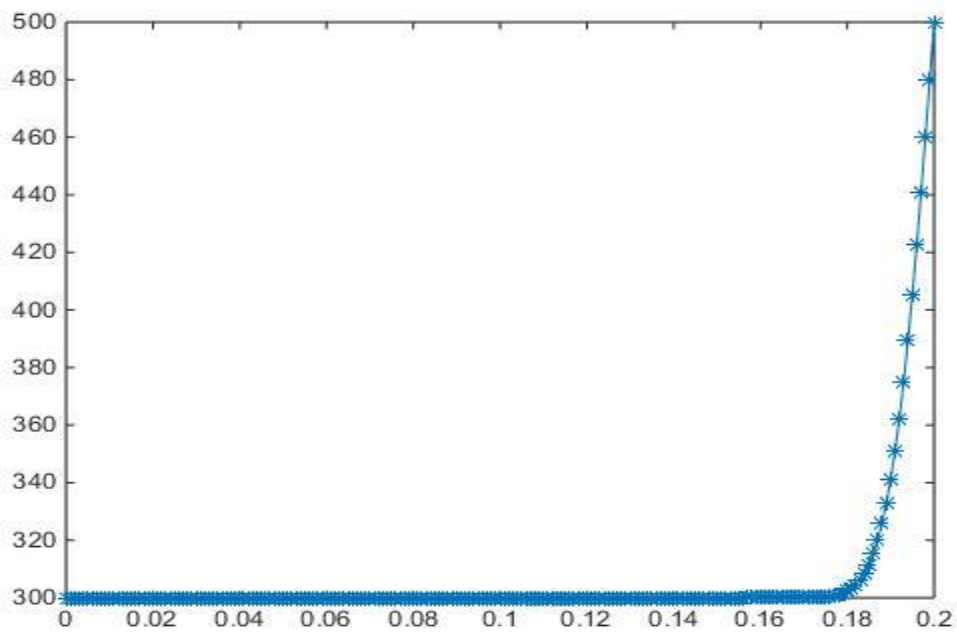


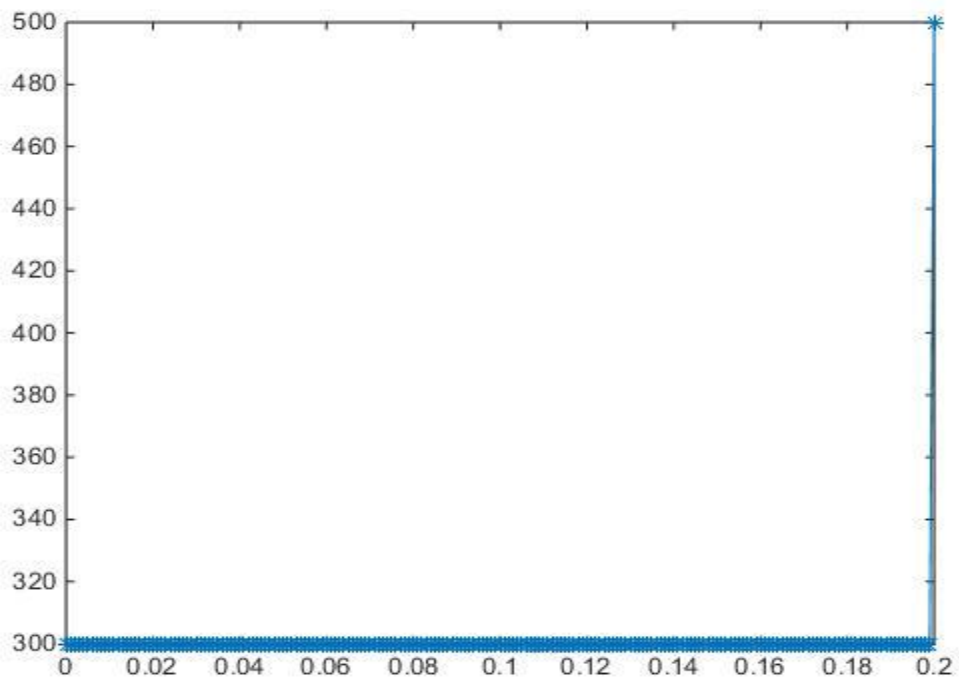
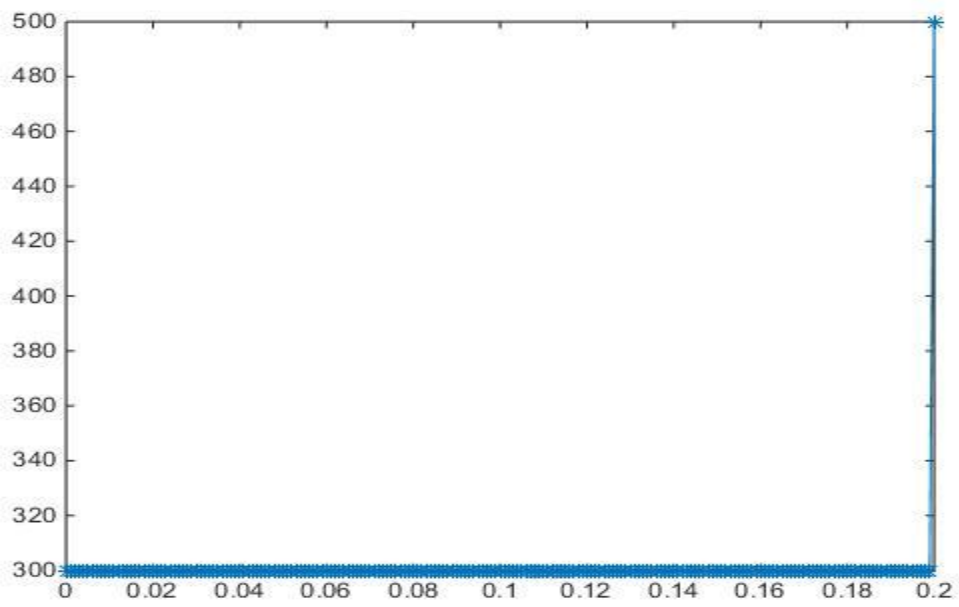


1) FTCS    2)Du Fort Frenkel    3)Implicit Method    4)Crank Nicholson

$dt = 0.001$  and  $dy = .001$

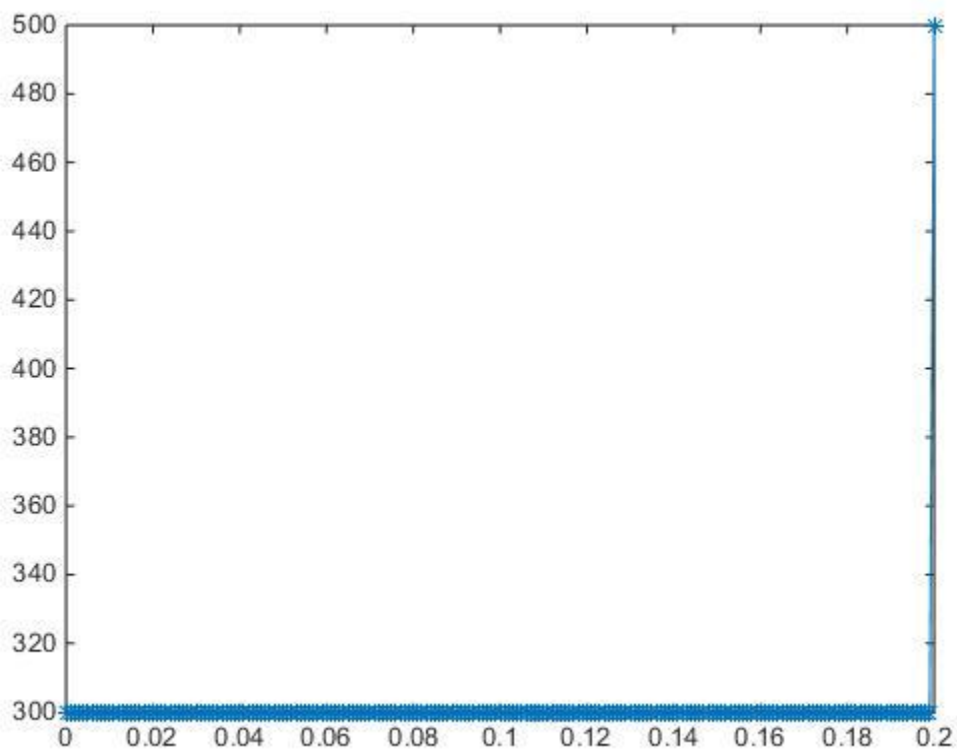
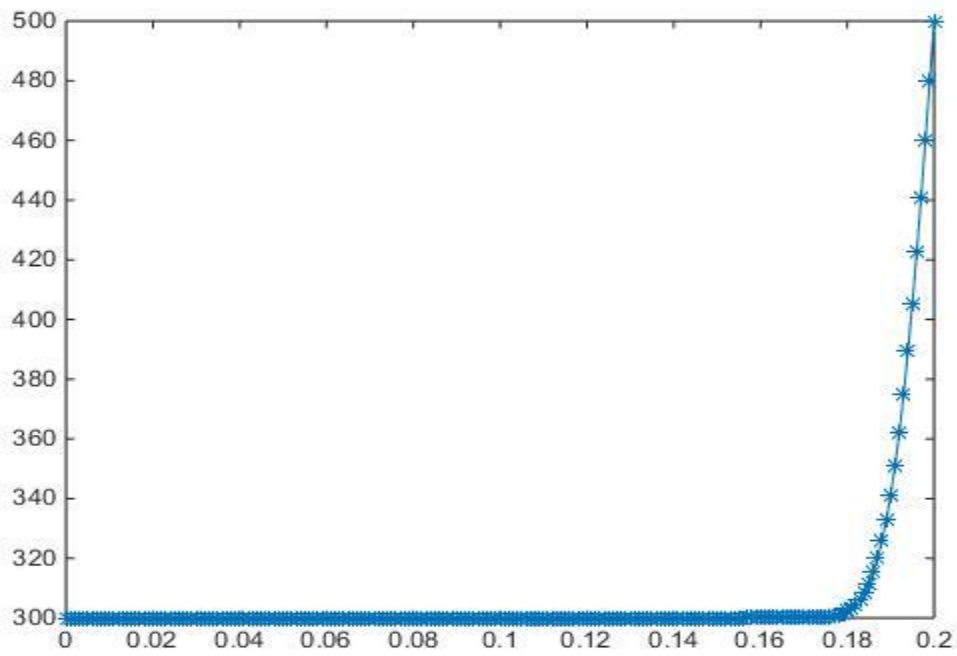
First Boundary Condition

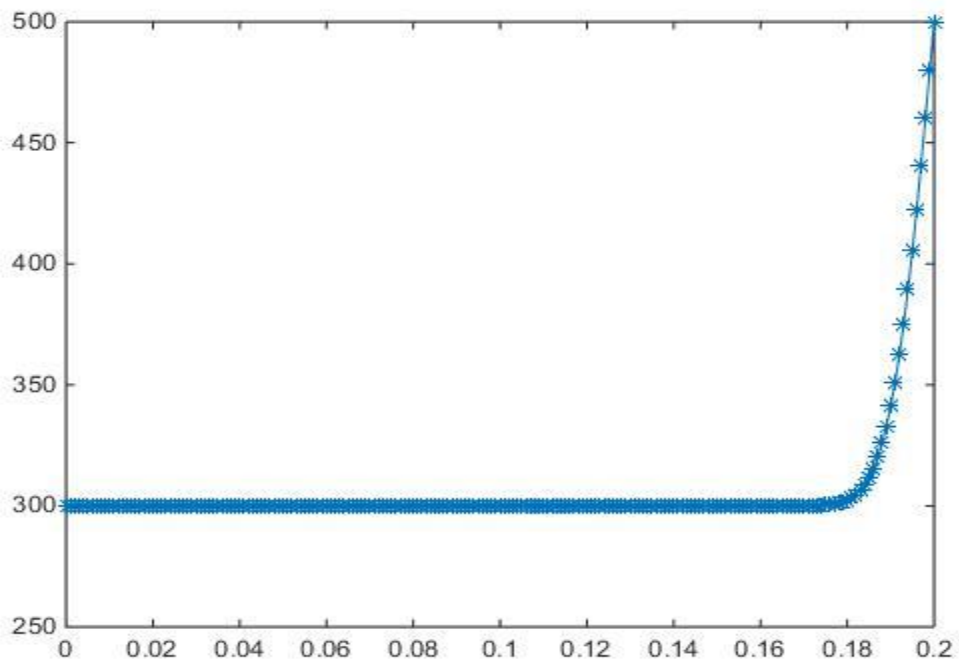
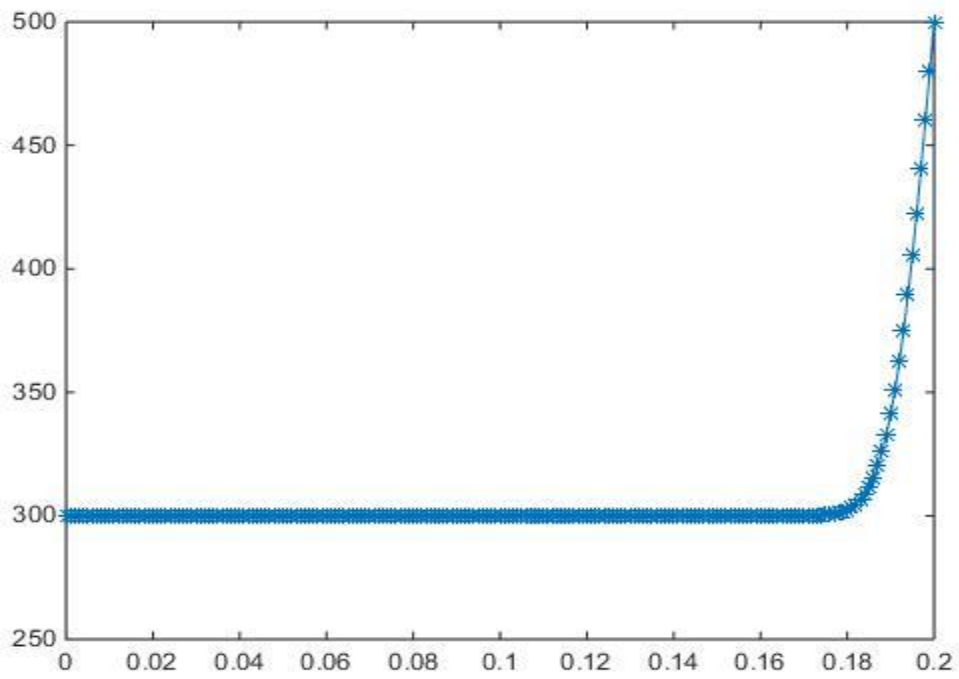




1) FTCS    2)Du Fort Frenkel    3)Implicit Method    4)Crank Nicholson

Second BC





1) FTCS    2)Du Fort Frenkel    3)Implicit Method    4)Crank Nicholson



## Conclusions

- All the methods give similar solutions as seen from the graph
- As the value of  $\Delta y$  increases the graph becomes smoother as we are able to capture the gradients in a better manner
- The explicit methods satisfies the stability criterion for all the cases except for the combination  $\Delta y = 0.001$  and  $\Delta t = 1$   
( $\alpha \Delta t / (\Delta y)^2 > 0.5$  for this case)
- The implicit method and the Crank Nicholson method always gave stable solutions irrespective of values of  $\Delta t$  and  $\Delta y$