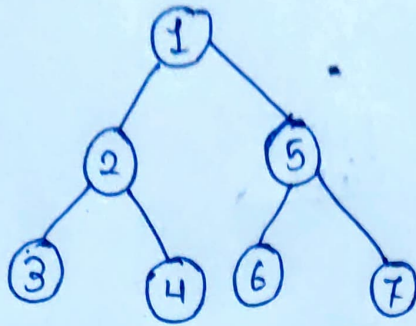


→ Palash Mishra  
2018172

**Jaypee University of Engineering and Technology**  
**18B11CI311- Data Structures**  
**B.Tech -3<sup>rd</sup> Semester**  
**Tutorial - 9 (Tree)**

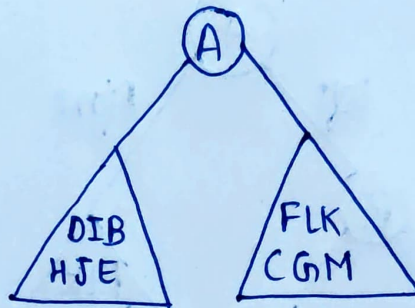
- ✓ 1. Consider the following nested representation of binary trees: (X Y Z) indicates Y and Z are the left and right sub stress, respectively, of node X. Note that Y and Z may be NULL, or further nested. Which of the following represents a valid binary tree?  
(A) (1 2 (4 5 6 7)) (B) (1 (2 3 4) 5 6) 7) (C) (1 (2 3 4)(5 6 7)) (D) (1 (2 3 NULL) (4 5))
- ✓ 2. Construct a binary tree for the following pre-order and in-order traversals:  
In-order sequence: DIBHJEAFLKCGM  
Pre-order sequence: ABDIEHJCFKLGM
- ✓ 3. For the obtained Tree in Que-2 , Write the orders of the nodes visited in:  
A. In-order traversal  
B. Pre-order traversal  
C. Post-order traversal
- ✓ 4. What is the result of pre-order traversal of tree whose post-order traversal is :  
5,2,10,6,11,12,7,3,8,9,4,1 and in-order is traversal is 5,2,1,10,6,3,11,7,12,8,4,9.
- ✓ 5. The output of in-order and post-order traversal of some binary tree is given, what is the output of its preorder traversal  
In-order: c a f h g i e b d  
Post-order: c h i g f e d b a
- ✓ 6. The pre-order traversal of a certain Binary Search Tree (BST) is 10, 5, 3, 2, 15, 12, 20.  
Construct BST with the help of above pre-order sequence. Perform following operations sequentially on constructed BST (show each step clearly):  
(a) Add new node with key value 23  
(b) Delete node 10  
(c) Delete node 15
- ✗ Draw the Huffman Tree for the following set of tokens:  
**Eerie eye seen near the lake.**
- ✗ Suppose that we have numbers between 1 and 1000 in a BST and want to search for the number 363. Which of the following sequences could not be the sequence of nodes examined?  
(A) 2, 252,401,398,330,344,397,363 (B) 924,220,911,244,898,258,362,363  
(C) 925,202,911,240,912,245,363 (D) 2,399,387,219,266,382,381,278,363

$$(1) \quad (1(234)(5,67))$$


(2) In order Sequence: DIBH JEAFLKCGM

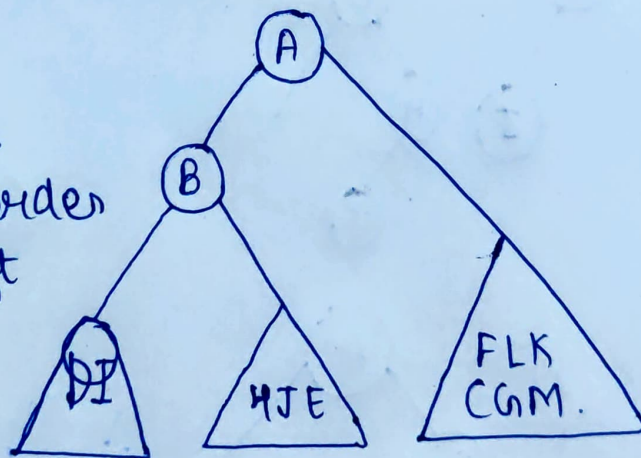
Pre Order Sequence: A B D I E H J C F K L G M.

first element of  
pre order is  
root

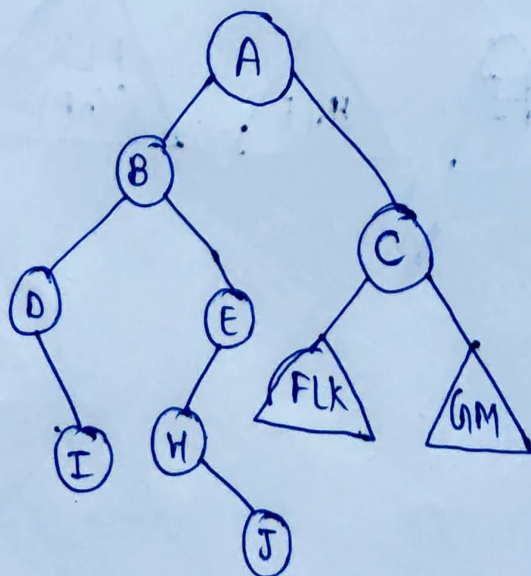
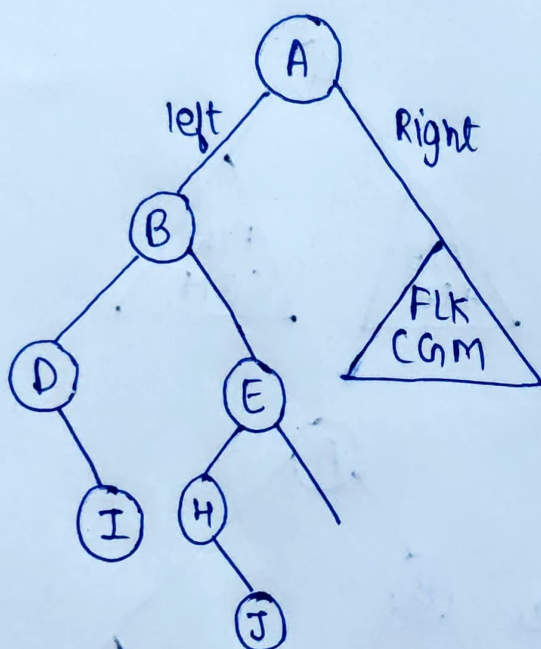
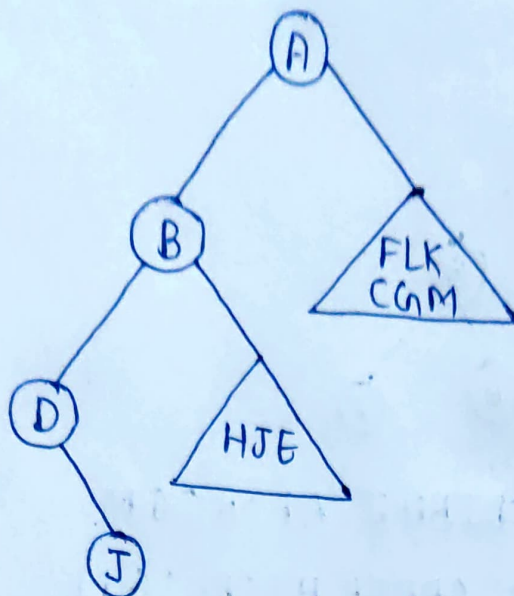


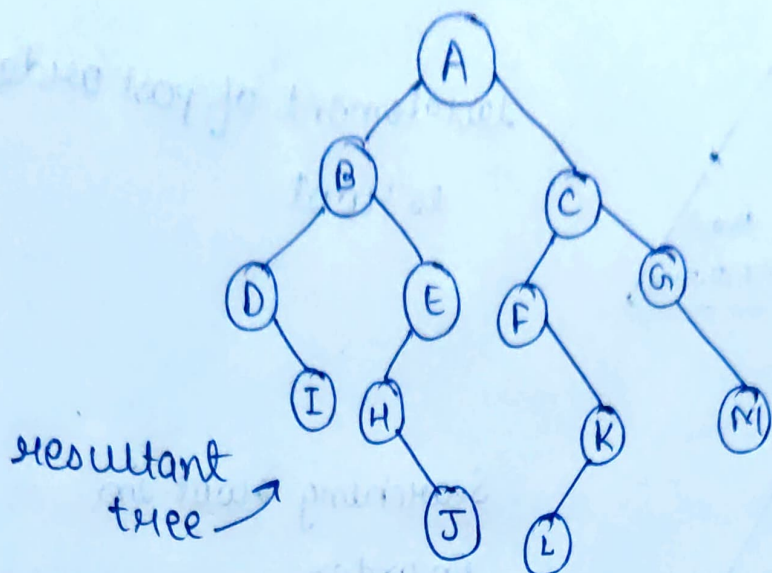
Now for root node  
in inordere

all the elements are  
coming in left in order  
will be there in left  
subtree  
similarly for right









③ Using above tree  
↳ In order traversal

D I B H J E A F L K C G M

↳ Post order traversal

I D J H E B L K F M G C A

↳ Pre order traversal

A B D I E H J C F K L G M.

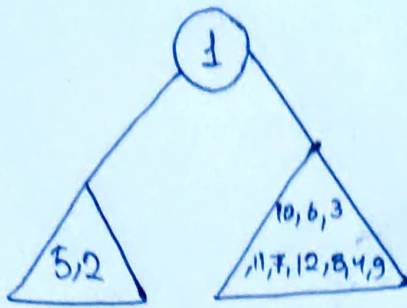
④ Post order traversal is :

5, 2, 10, 6, 11, 12, 7, 3, 8, 9, 4, 1

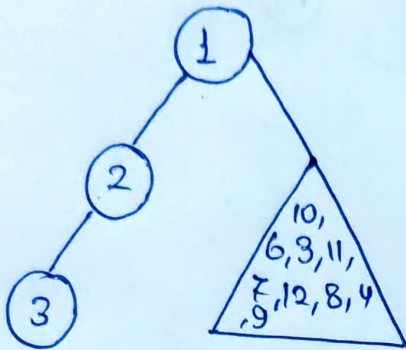
In order traversal is

5, 2, 1, 10, 6, 3, 11, 7, 12, 8, 4, 9

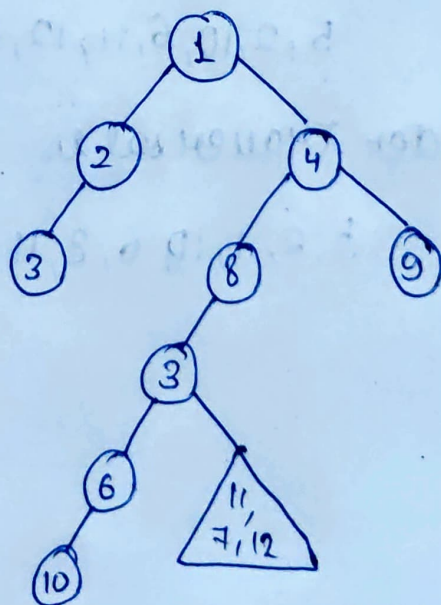
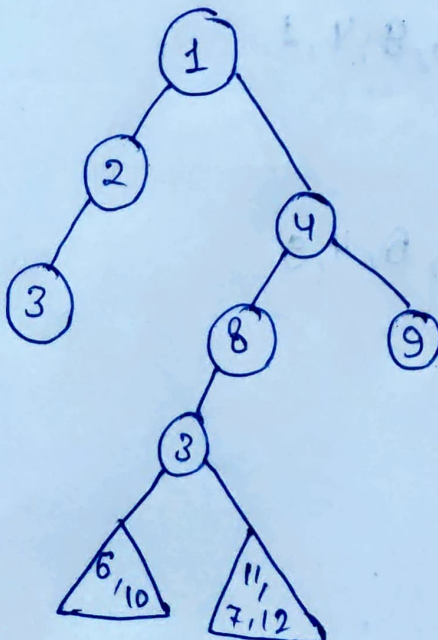
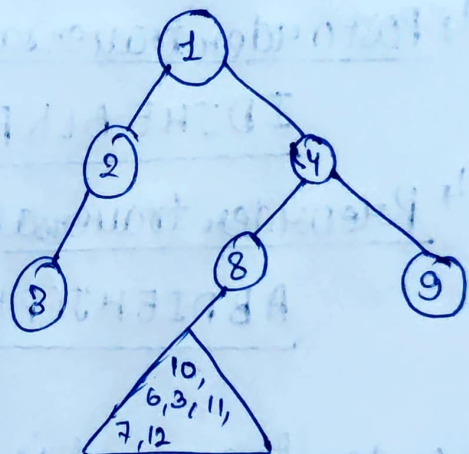
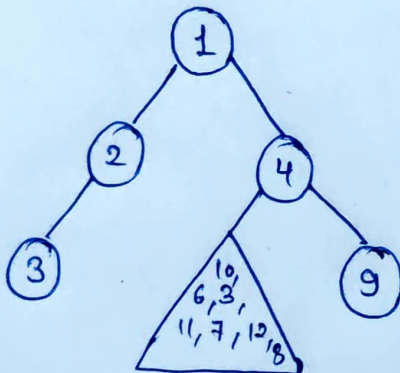


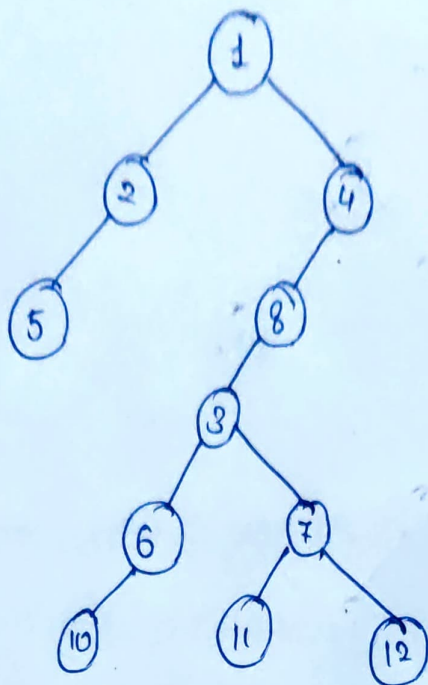


last element of post order  
is root

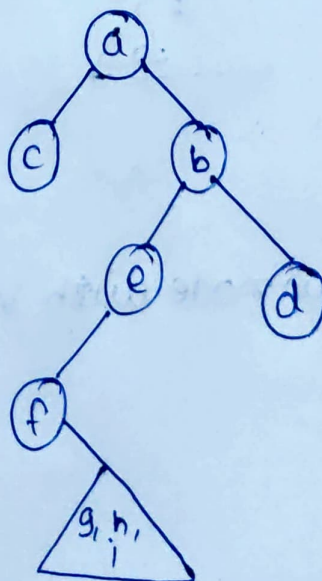
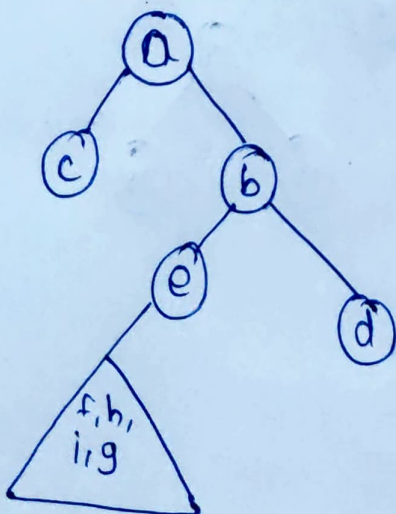
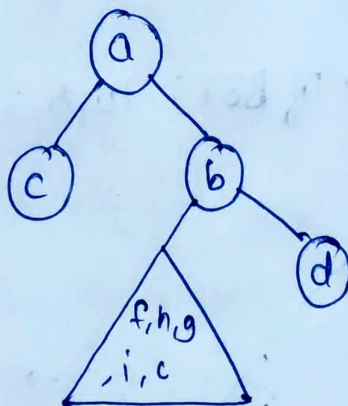
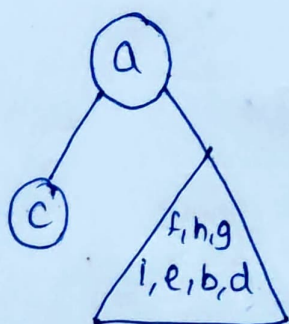


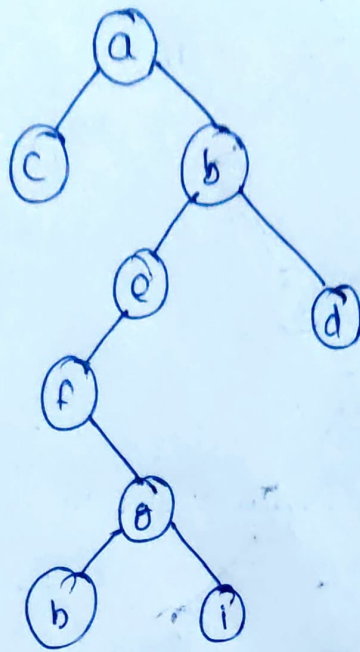
Searching root in  
in order  
shift left and right order





⑤ Inorder: c a f h g i e b d  
 postorder: c h i g f e d b a.



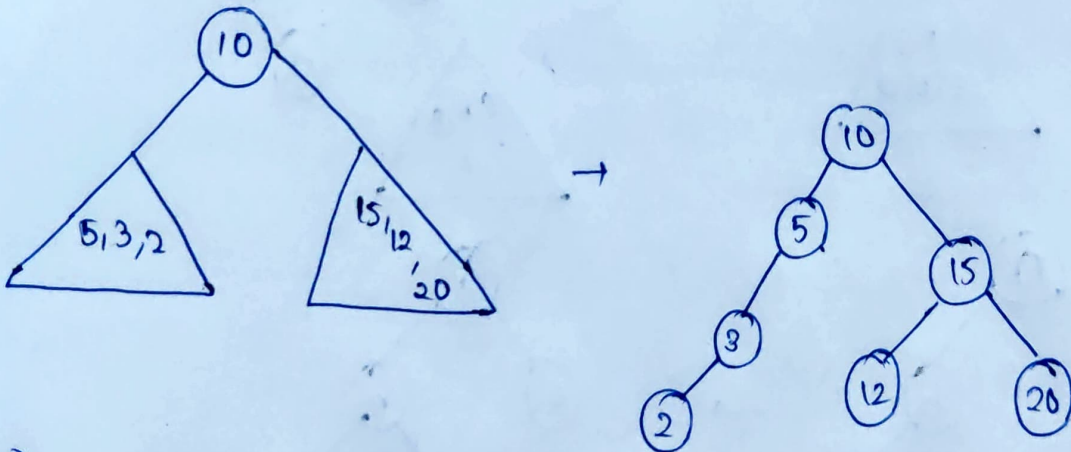


Inorder : c a f h g i e b d

Postorder : c h i g f e d b a

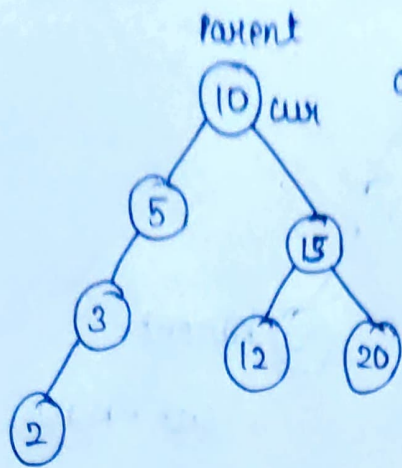
Preorder : a c b e f g h i d

⑥ Preorder of BST: 10, 5, 3, 2, 15, 12, 20



① add new node with value 23

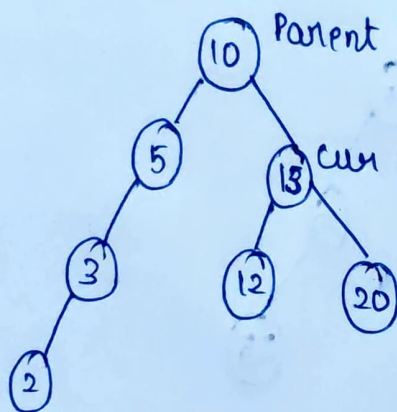




currently start on root is pointing here.

Currently root is smaller than 23 i.e key so we have to move in right sub tree.

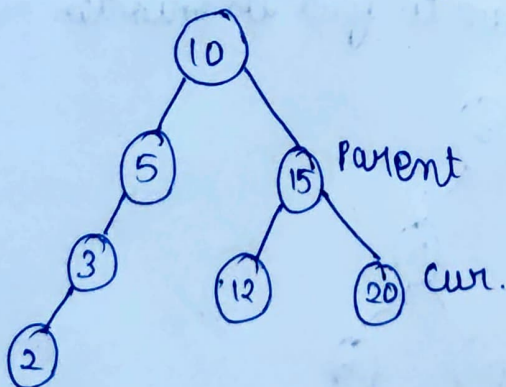
$cur = cur \rightarrow right$



Again same situation

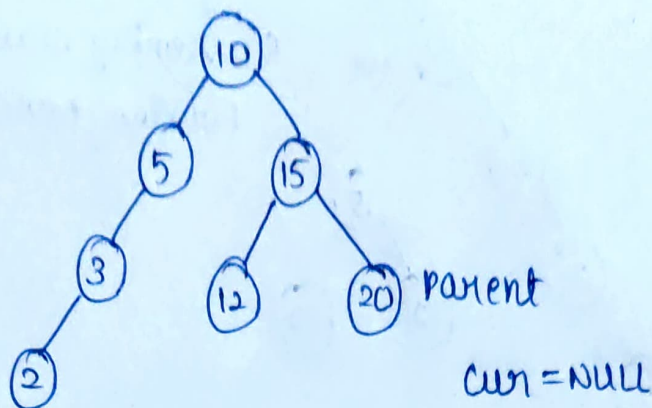
$cur = cur \rightarrow right$

$parent = parent \rightarrow right$

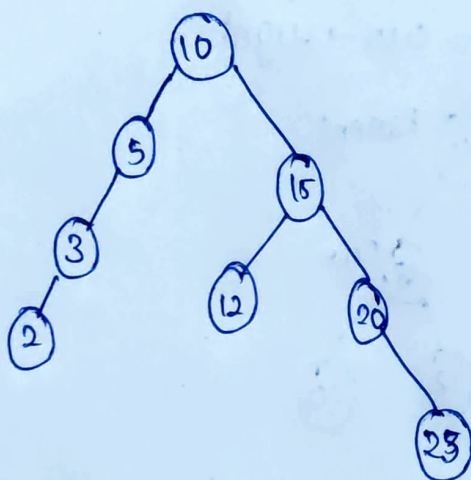


Again same situation



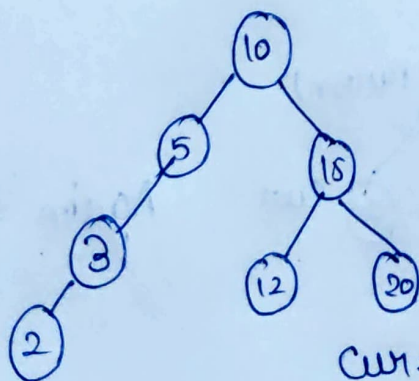


Now, key is greater, so key will be inserted in the right of parent.

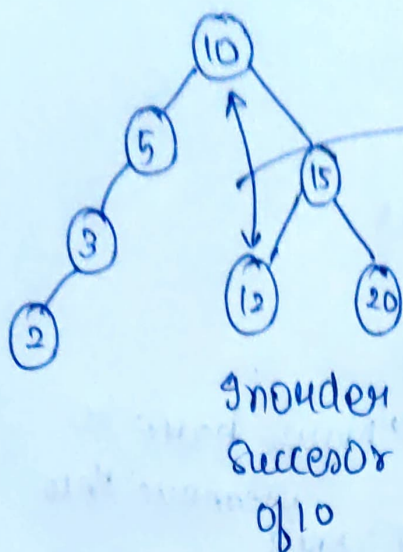


ii) Now node 10

Since, we have to delete the root with 2 children. so we have to find its inorder successor

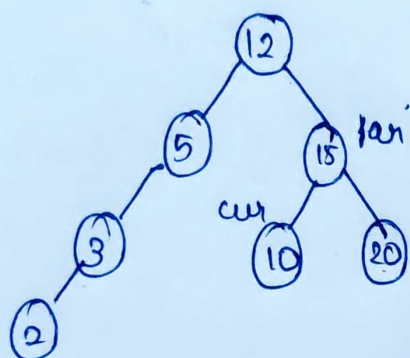


cur = cur - right  
while (cur != NULL)  
cur = cur - left;



we have to swap the data of root and its inorder successor

After swapping.

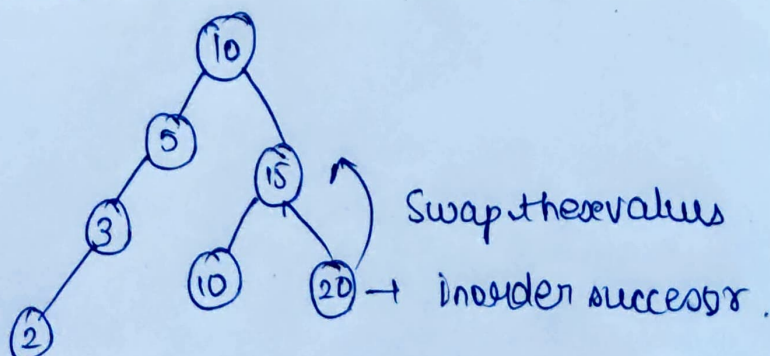


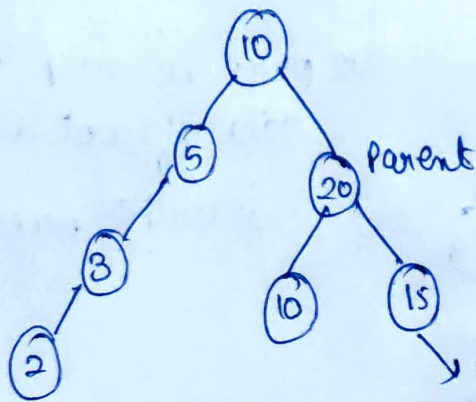
Now we have to delete 10, which have 0 child,

So, the only update is left child of should point to NULL  
 $par \rightarrow left = NULL$ .

③ Delete node 15.

we have to delete node with value 15 having 2 children so we have to find its inorder successor





Now we have to  
remove this  
parent + right = NULL.