Transition into Probability

What have you learned?

- > Manipulating, visualizing, generating data
 > Contingency Tables summoniting > Contingency Tables
- > sampling theory
- Prior to the midterm
 - > continuous To be clear, depending on
 - the abstract nature of > Discrette a variable, there is a
 - DATA TYPES:

nguyan

BMI categories

ordinal

categorical

You also learned about STUDY DESIGN and

natural answer.

BMI Values/#'s

continuous

Quantitative

SAMPLING METHODS. We design studies and sample in certain ways all to properly capture

information about the group we are interested in.

Population Sample

we can take many many samples to build what is

called a SAMPLING DISTRIBUTION.

(Talked about in Lab 3)

Estimates about POPULATION PARAMETERS will be more precise with "large enough" and number of samples taken total.

Really quick, analogy: sample : statistic ju is population mean. And definition: vs the sample mean X (capital) is a RANDOM VARIABLE, abstract placeholder x (lowercase) is what you observe (realization) As motivation, we are aiming to go down the yellow brick road of statistics. Build up use the language usp to formalle language of tools based off chance probability theory of the ...

devoloped of the theory (Probability) funderstand how samples can (statistical behave as n -> 00) Testing) (summanze) recall that we know how to explore and visuality data by now. Thus is called EXPLORATORY DATA ANALYSIS. After knowing you have quality data, FDA is the step you take to motivate some sort of statistical testing. YOU ARE HERE.

Now we are pivoting into the world of probability. welcome. We have rules. RULE $0 \le P(A) \le 1$ where (A) is any event Imagine that A = The event you are today. Ac = The event you have not These two events belong to a SAMPLE SPACE. S= SA, Acz They are also DISJOINT/ Because you cannot have done A and Ac MUTUALLY FX CLUSIVE $P(A \cap B) = 0$ they are also [P(A/B) = 0 DEPENDENT .. P(B)0)=0 $P(A) \neq P(A|B)$ RULF PLA) + PLAC) = 1 But wait... what is independence? In math: INDEPENDENCE P(A) = P(A | B) (Thus may be a bit of a reach...) In words? Imagine: A = The event you are self-actualized. happy, and stable B = The event you are in love WHETHER OR NOT YOU ARE IN LOVE OR NOT the chance you are A vs the same!

These notes shop over density curves.

we will return to those when we start seeing unit theorems. Probability between 2 events can be BEAUTIFULLY visualited with venn diagrams. > See Sarah Johnson's stides! wow! (*) when you read about probability. PROBABILITY -PROPORTION OF same COLUMN OF O'S /1'S value carculated RISK (*) CATEGORICAL DATA are represented in contingency tables. They show counts GIVEN certain catégorical characterístics. Recall dodged histograms can be displayed like: A В Total Total From these tables, we can use counts to ealculate CONDITIONAL PROBABILITIES. (Lab 4)