

Tarea 1

1. Calculate the total time required to transfer a 1000-KB file in the following cases, assuming an RTT of 50 ms, a packet size of 1 KB data, and an initial $2 \times \text{RTT}$ of “handshaking” before data is sent:

- a. The bandwidth is 1.5 Mbps, and data packets can be sent continuously.

$$\text{packet size} = 1 \text{ KB} \quad \text{RTT} = 50 \text{ ms} \quad \text{file size} = 1000 \text{ KB} \quad \text{bandwidth} = 1.5 \text{ Mbps}$$

$$\text{Propagation Delay} = \frac{\text{RTT}}{2} = \frac{50 \text{ ms}}{2} = 25 \text{ ms} \left(\frac{1 \text{ s}}{1000 \text{ ms}} \right) = 0.025 \text{ s}$$

$$\text{Transmission time} = \frac{\text{file size}}{\text{bandwidth}} = \frac{1000 \text{ KB}}{1.5 \text{ Mbps}} = \frac{1000 \text{ KB} \times 8 \times 1024 \text{ bits}}{1.5 \times 10^6 \text{ bps}} = 5.461 \text{ s}$$

$$\text{Handshaking} = 2 \times \text{RTT} = 2 \times 50 \text{ ms} = 100 \text{ ms} \left(\frac{1 \text{ s}}{1000 \text{ ms}} \right) = 0.1 \text{ s}$$

$$\text{Total Time} = \text{handshaking} + \text{propagation delay} + \text{transmission time}$$

$$\text{Total Time} = 0.1 \text{ s} + 0.025 \text{ s} + 5.461 \text{ s}$$

$$\text{Total Time} = 5.586 \text{ seconds}$$

- b. The bandwidth is 1.5 Mbps, but after we finish sending each data packet, we must wait one RTT.

$$\text{Initial Handshaking} = 2 \times \text{RTT} = 2 \times 50 \text{ ms} = 100 \text{ ms} \left(\frac{1 \text{ s}}{1000 \text{ ms}} \right) = 0.1 \text{ s}$$

1000 packets, waits for 999 RTTs

$$\text{Handshaking} = \text{RTT} = 50 \text{ ms} = 50 \text{ ms} \left(\frac{1 \text{ s}}{1000 \text{ ms}} \right) = 0.05 \text{ s}$$

$$\text{Total Time} = 5.586 \text{ s} + 999 \times \text{RTT}$$

$$\text{Total Time} = 5.586 \text{ s} + 999 \times 0.1 \text{ s}$$

$$\text{Total Time} = 105.486 \text{ seconds}$$

- c. The bandwidth is “infinite”, meaning that we take transmit time to be zero, and up to 20 packets can be sent per RTT.

1 RTT \rightarrow 20 packets

$$1000 \text{ packets transmitted (only 20 per RTT)} = \frac{1000}{20} = 50 \text{ RTT}$$

\rightarrow last RTT transmission is 0 = 49 RTT total

$$\text{Propagation Delay} = \frac{RTT}{2} = \frac{49 \text{ RTTs}}{2} = 24.5 \text{ ms} \left(\frac{1 \text{ s}}{1000 \text{ ms}} \right) = 0.0245 \text{ s}$$

$$\text{Initial Handshaking} = 2 \times RTT = 2 \times 50 \text{ ms} = 100 \text{ ms} \left(\frac{1 \text{ s}}{1000 \text{ ms}} \right) = 0.1 \text{ s}$$

Total Time = initial handshaking + propagation delay + 49 RTTs

$$\text{Total Time} = 0.1 \text{ s} + 0.0245 \text{ s} + 49 \text{ RTTs} \times 0.05 \text{ s}$$

$$\text{Total Time} = 2.574 \text{ seconds}$$

- d. The bandwidth is infinite, and during the first RTT we can send one packet, during the second RTT we can send two packets, during the third we can send four, and so on.

Initial	1 packet
1 st RTT	2 packets
2 nd RTT	4 packets
3 rd RTT	8 packets
4 th RTT	16 packets
5 th RTT	32 packets
6 th RTT	64 packets
7 th RTT	128 packets
8 th RTT	256 packets
9 th RTT	489 packets

$$\text{Handshaking time} = 2 \times RTT = 2 \times 50 \text{ ms} = 100 \text{ ms} \left(\frac{1 \text{ s}}{1000 \text{ ms}} \right) = 0.1 \text{ s}$$

$$\text{Propagation Delay} = \frac{RTT}{2} = \frac{50 \text{ RTTs}}{2} = 25 \text{ ms} \left(\frac{1 \text{ s}}{1000 \text{ ms}} \right) = 0.025 \text{ s}$$

Total Time = handshaking time + propagation delay + 9 RTTs

$$Total\ Time = 0.1\ s + 0.025\ s + 9\ RTTs \times 0.05\ s$$

$$Total\ Time = 0.575\ seconds$$

- 2. One property of addresses is that they are unique; if two nodes had the same address it would be impossible to distinguish between them. What other properties might be useful for network addresses to have? Can you think of any situations in which network addresses might not be unique?**

Implementar una jerarquía de direcciones, este esquema puede organizar la red en grupos lógicos dependiendo del nivel de importancia, lo que manejar y escalar se vuelve más eficiente.

Designar direcciones administrativas para identificar el host de la red en lugar de permitir la dirección asignada de fábrica (identificador).

Otra característica importante son la longitud fija frente a la longitud de variable y la variable absoluta frente a la relativa.

Un ejemplo donde las direcciones de red pueden no ser únicas, es cuando se hace una llamada a un número gratuito para una empresa grande, es posible que todas las llamadas tengan la misma dirección (que ya no es única).

Otro ejemplo de una dirección no única es cuando se necesitan para alcanzar servidores equivalentes.

- 3. For each of the following operations on a remote file server, discuss whether they are more likely to be delay sensitive or bandwidth sensitive:**

a. Open a file.

Abrir un archivo es delay sensitive ya que la cantidad de intercambio de datos es menor durante la operación.

b. Read the contents of a file.

Leer el contenido de un archivo puede ser de los dos tipos: delay sensitive o bandwidth sensitive. Va a depender del tamaño del archivo, si el archivo es más grande entonces va a ser bandwidth sensitive, y si el archivo es pequeño es más probable que sea delay sensitive.

c. List the content of a directory.

La lista del contenido de un directorio es delay sensitive debido a la cantidad de subdirectorios (tamaño pequeño), pero si el tamaño es más grande puede llegar a ser bandwidth sensitive.

d. Display the attributes of a file.

La visualización de los atributos de un archivo es delay sensitive porque el tamaño de todos los atributos es relativamente pequeño.

4. Suppose that a certain communications protocol involves a per-packet overhead of 100 bytes for headers. We send 1 million bytes of data using this protocol; however, when one data byte is corrupted, the entire packet containing it is lost. Give the total number of overheads + loss bytes for packet data sizes of 1000, 5000, 10000, and 20000 bytes. Which of these sizes is optimal?

$$\text{packet number} = \frac{1 \times 10^6}{\text{data size}}$$

$$\text{total overhead} = 100 \text{ bytes} \times \text{packet number}$$

$$\text{total overhead} = 100 \text{ bytes} \times \frac{1 \times 10^6}{\text{data size}}$$

$$\text{loss} = \text{data size}$$

$$\text{total size} = \text{total overhead} + \text{loss}$$

$$\text{total size} = 100 \text{ bytes} \left(\frac{1 \times 10^6}{\text{data size}} \right) + \text{data size}$$

1000 bytes:

$$\begin{aligned} \text{total size} &= \frac{1 \times 10^8}{1000} + 1000 \\ \text{total size} &= 1.01 \times 10^5 \end{aligned}$$

5000 bytes:

$$\begin{aligned} \text{total size} &= \frac{1 \times 10^8}{5000} + 5000 \\ \text{total size} &= 2.5 \times 10^4 \end{aligned}$$

10000 bytes:

$$\begin{aligned} \text{total size} &= \frac{1 \times 10^8}{10000} + 10000 \\ \text{total size} &= 2.0 \times 10^4 \end{aligned}$$

20000 bytes:

$$\begin{aligned} \text{total size} &= \frac{1 \times 10^8}{20000} + 20000 \\ \text{total size} &= 2.5 \times 10^4 \end{aligned}$$

El tamaño óptimo de los datos del paquete será de 10000 bytes debido a que el número total de sobrecargas + los bytes perdidos son solo 2.0×10^4 .

5. Suppose we want to transmit the message 11001001 and protect it from errors using the CRC polynomial $x^3 + 1$.

a. Use polynomial long division to determine the message that should be transmitted.

a)

$M(x) = 11001001$
 $k = 3$
 $T(x) = 11001001 \underbrace{000}$
se agrega 3 0's por polinomio grado 3°.

$C(x) = 1001$

$\frac{T(x)}{C(x)} \Rightarrow$

	11001001000	
1001		
01011		
1001		
00100		
0000		
01000		
1001		
00011		
0000		
00110		
0000		
01100		
1001		
01010		
1001		
0011		

→ residuo

Se envía mensaje con residuo:
11001001 011

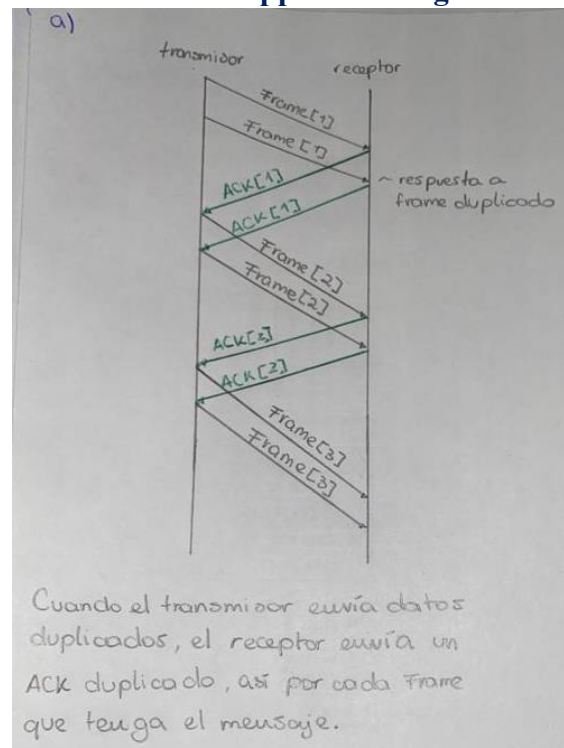
b. Suppose the leftmost bits gets inverted in transit. What is the result of the receiver's CRC calculation?

b) señal recibida = 01001001011 $\Rightarrow T(x)$
 $C(x) = 1001$

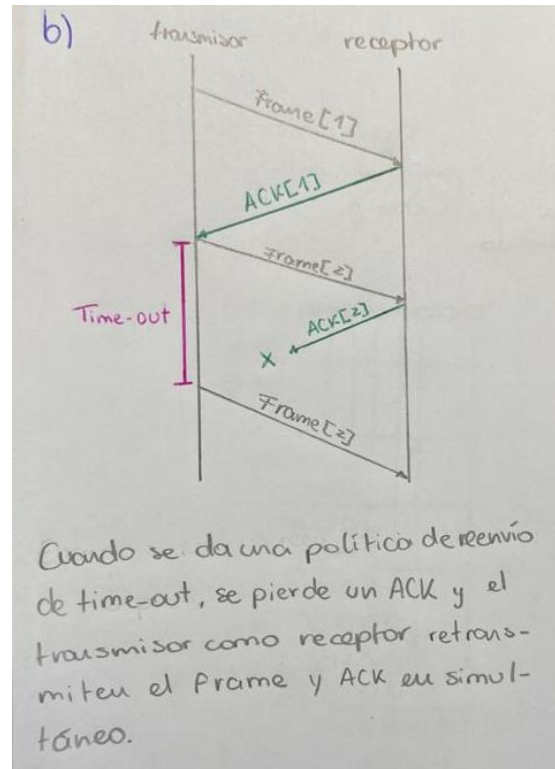
$$\begin{array}{r}
 T(x) \Rightarrow 01001001011 \\
 C(x) \quad 0000 \\
 \hline
 01001 \\
 1001 \\
 \hline
 00000 \\
 -0000 \\
 \hline
 00000 \\
 0000 \\
 \hline
 00001 \\
 0000 \\
 \hline
 00010 \\
 0000 \\
 \hline
 00101 \\
 0000 \\
 \hline
 01011 \\
 1001 \\
 \hline
 0010 \rightarrow \text{residuo}
 \end{array}$$

Como residuo no es 0, el mensaje fue corrompido.

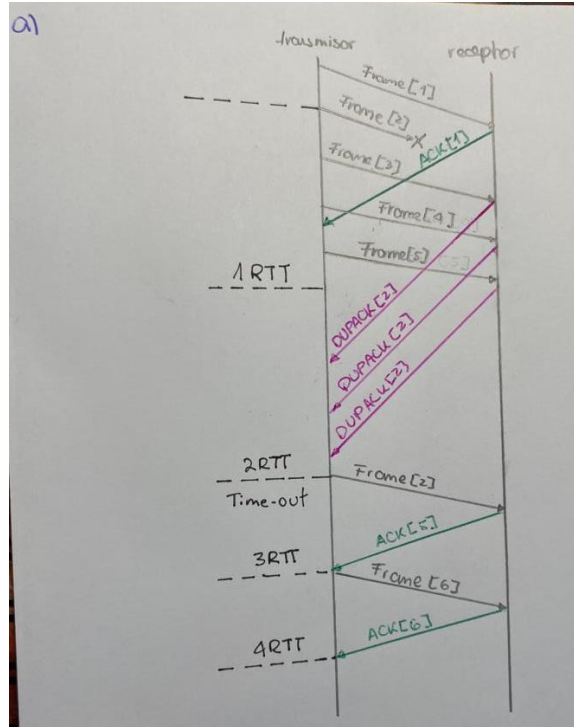
6. In stop-and-wait transmission, suppose that both sender and receiver retransmit their last frame immediately on receipt of duplicate ACK or data frame; such a strategy is superficially reasonable because receipt of such a duplicate is most likely to mean the other side has experienced a timeout.
- a. Draw a timeline showing what will happen if the first data frame is somehow duplicated, but no frame is lost. How long will the duplications continue? This situation is known as the Sorcerer's Apprentice bug.



- b. Suppose that, like data, ACKs are retransmitted if there is no response within the timeout period. Suppose also that both sides use the same timeout interval. Identify a reasonable likely scenario for triggering the Sorcerer's Apprentice bug.



7. Draw a timeline diagram for the sliding window algorithm with $SWS = RWS = 4$ frames for the following two situations. Assume the receiver sends a duplicates acknowledgement if it does not receive the expected frame. For example, it sends **DUPACK[2]** when it expects to see **FRAME[2]** but receives **FRAME[3]** instead. Also, the receiver sends a cumulative acknowledgement after it receives all the outstanding frames. For example, it sends **ACK[5]** when it receives the lost frame **FRAME[2]** after it already received **FRAME[3]**, **FRAME[4]**, and **FRAME[5]**. Use a timeout interval of about $2 \times RTT$.
- a. Frame 2 is lost. Retransmission takes place upon timeout (as usual).



- b. Frame 2 is lost. Retransmission takes place either upon receipt of the first DUPACK or upon timeout. Does this scheme reduce the transaction time? Note that some end-to-end protocols (e.g., variants of TCP) use a similar scheme for fast retransmission.

