

Application of C.V:

$$C.V = \frac{\sigma}{\bar{x}} \cdot 100;$$

$\sigma = \text{standard deviation}; \bar{x} = \text{mean}$

Calculating C.V for company A:

Xi	d_i $= \frac{x_i - A}{c}$	d_i^2				
315	-50	2500				
320	-45	2025				
350	-15	225				
340	-25	625				
360	-5	25				
365(A)	0	0				
355	-10	100				
370	5	25				
372	7	49				
378	13	169				
410	45	2025				
390	25	625				
	$\sum_{i=1}^n d_i$ $= -55$	$\sum d_i^2$ $= 8393$				

$$\bar{x} = A + \frac{\sum_{i=1}^n d_i}{N} \cdot c$$

$$= 365 + \frac{-55}{12} \cdot 1 = 360.41$$

$A = \text{approximate mean}$

$$\begin{aligned}\sigma &= \sqrt{\left[\frac{\sum d_i^2}{n} - \left(\frac{\sum_{i=1}^n d_i}{N} \right)^2 \right]} \cdot c \\ &= \sqrt{\left[\frac{8393}{12} - \left(\frac{-55}{12} \right)^2 \right]} \cdot 1 \\ &= 26.038\end{aligned}$$

$$C.V = \frac{\sigma}{\bar{x}} \cdot 100 = \frac{26.038}{360.41} \cdot 100 = 7.22\%$$

Mean deviation:

The **average** of **absolute deviation** of each observation from their mean is called mean deviation

Absolute deviation = $|x_i - \bar{x}|$; \bar{x} = mean

$$M.D = \frac{\sum_{i=1}^n f_i |x_i - \bar{x}|}{N}$$

Problem: Calculate mean deviation from the following frequency distribution:

Marks	No. of students(f_i)	x_i	$f_i x_i$	$ x_i - \bar{x} $	$f_i x_i - \bar{x} $
0-10	5	5	25	22.6	113
10-20	12	15	180	12.6	151.2
20-30	8	25	200	2.6	20.8
30-40	15	35	525	7.4	111
40-50	10	45	450	17.4	174
Total	N=50		$\sum f_i x_i$ = 1380		$f_i x_i - \bar{x} $ = 570

$$M.D = \frac{\sum_{i=1}^n f_i |x_i - \bar{x}|}{N} = \frac{570}{50} = 11.4;$$

$$\bar{x} = \frac{\sum f_i x_i}{N} = \frac{1380}{50} = 27.6$$

Next: Calculating missing frequency, quartile deviation