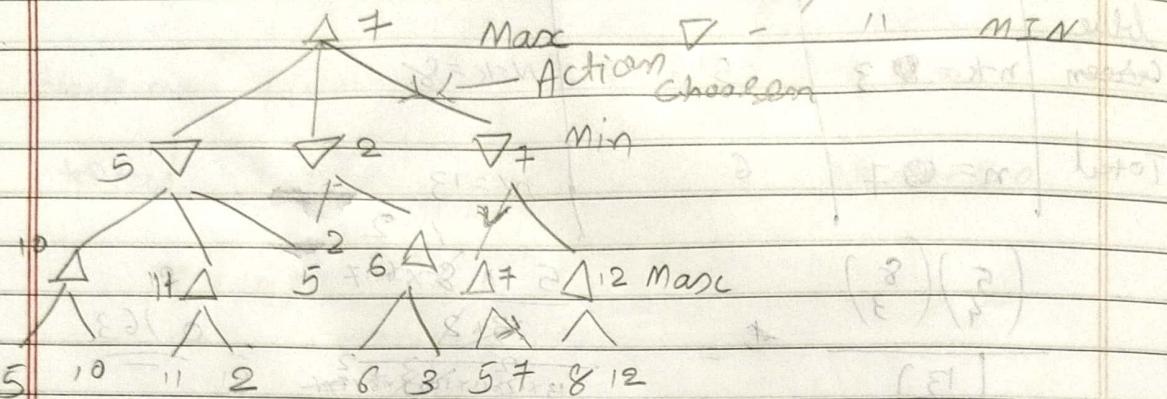
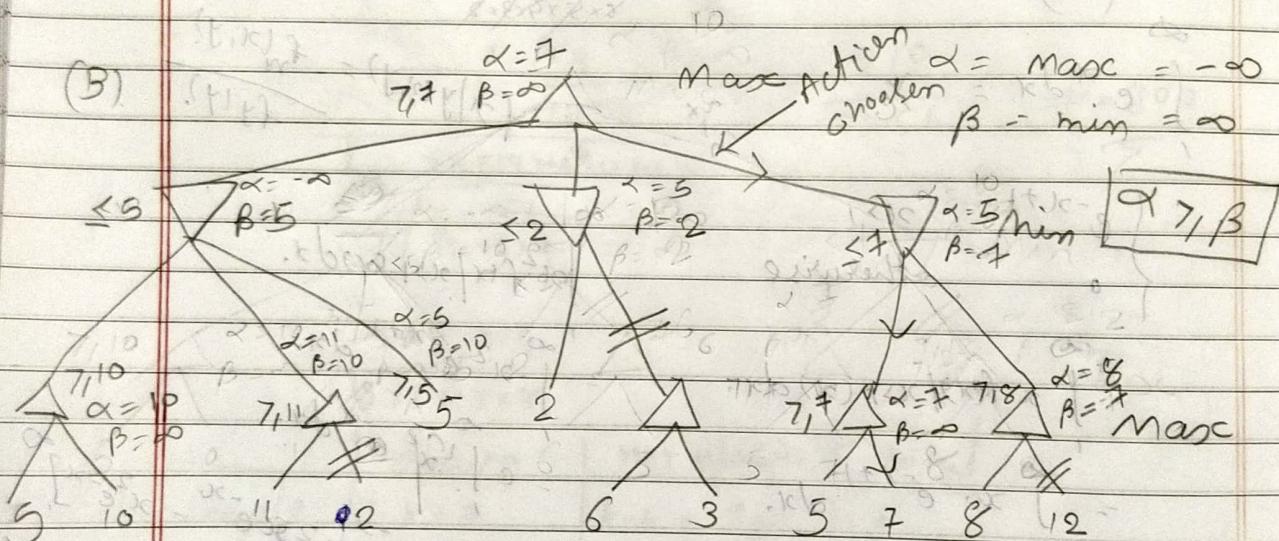


* Task-1

(A)



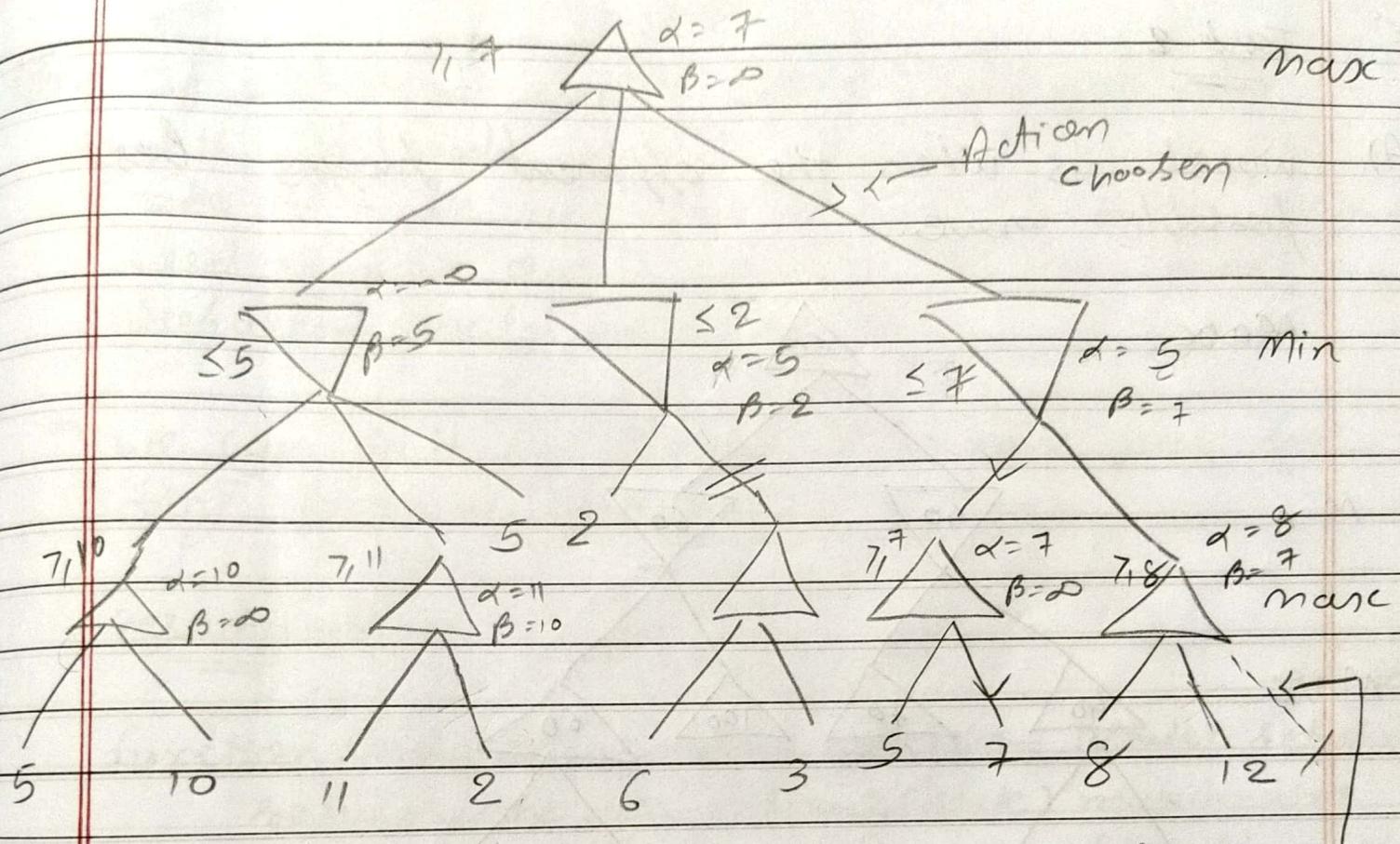
(B)



\Rightarrow No, ans is same.

(C) max. utility 12 }
min " 2 }

\Rightarrow Than means we can stop exploring a max node after we find child of it returning a value of 12. Similarly, we can stop exploring a min node after we find a child of it returning a value of ~~12~~ 2.



for α - β pruning,
we maximize α
minimize β
also, if $\alpha \geq \beta$ we prune

(Pruned if
any would be
present!)

$$\left. \begin{array}{l} \text{Given } \alpha \leq 12 \\ \beta \geq 2 \end{array} \right\}$$

Task-2

* If we knew exactly what DeepGreen will do with Min node in the search tree, do not take to have all the successors. They only need to have one successor for the move. DeepGreen would have made

⇒ we can do it by regular min-max just by doing few modifications.

Pseudocode:-

function modified-Minimax-Decision (state) returns ^{an action}
return the a in Actions(state) maximizing

Min-value (Result, a , state))

function Max-value (state) returns a utility value

if Terminal-Test (state) the return Utility (state)

$v \leftarrow -\text{Infinity}$

for a, s in successors (state) do $v \leftarrow \text{Max}(v,$

min-value (s))

return v

function Min-value (state) returns a utility value

if Terminal-Test (state) the return Utility (state)

return Max-value (DeepGreenMove (state))

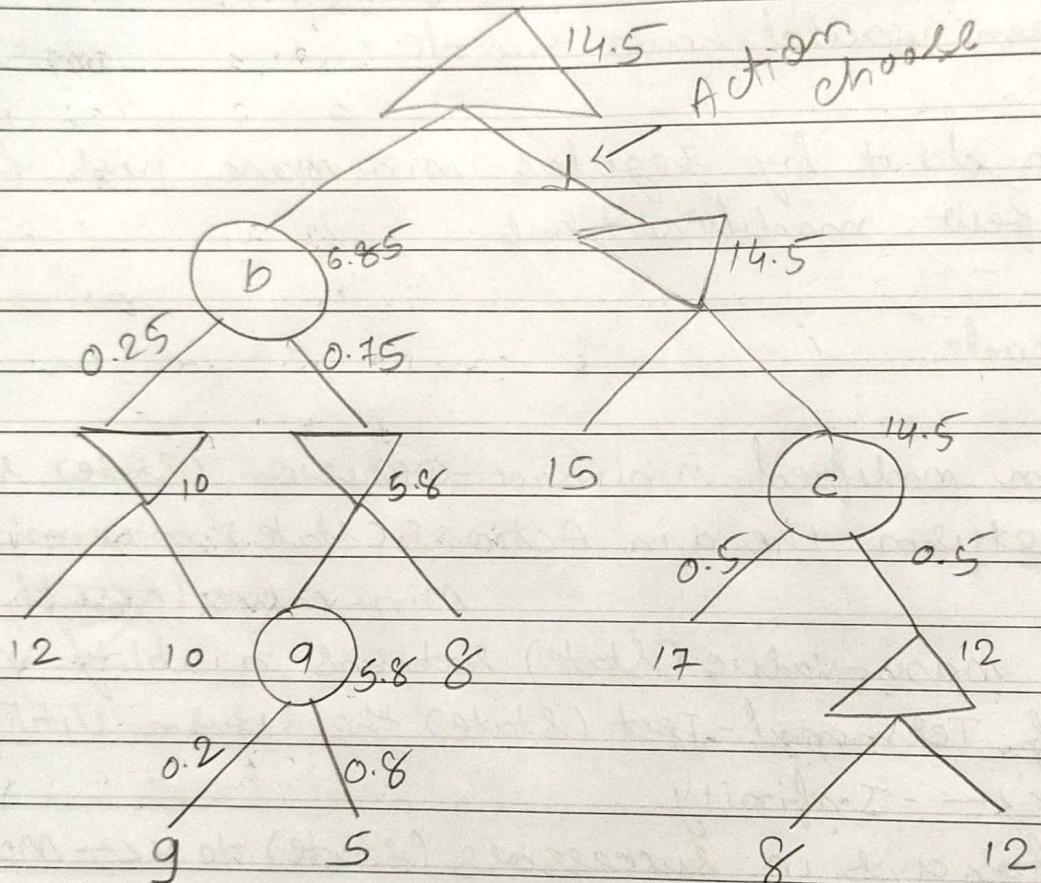
Optimality:-

⇒ If DeepGreen always select optimal move for any state, this will return the exact same move as regular minmax else it will return move that will result in higher payoff. This will explore fewer nodes as every MIN node will have only one successor

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\Rightarrow So, the optimality can't be stated unless we know exact Deep Green.

* Task-3



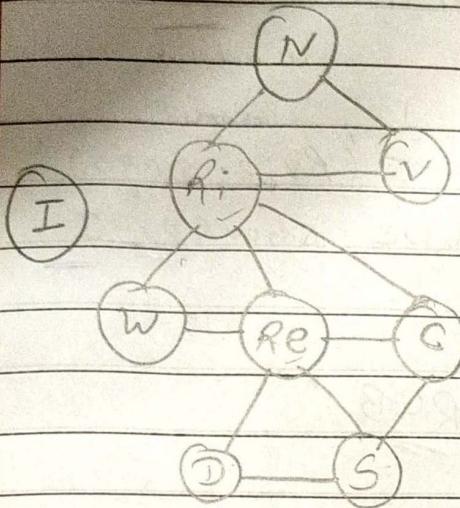
$$\therefore a = (0.2)(9) + (0.8)(5) = 5.8$$

$$\therefore b = (0.25)(10) + (0.75)(5.8) = 6.85$$

$$\therefore c = (0.5)(17) + (0.5)(12) = 14.5$$

Task-4

(A). Constraint Graph



(B).

Step-1

<u>N (MRV: 3</u>	Deg 2)
<u>Ri (MRV: 3</u>	Deg 5)
<u>V (MRV: 3</u>	Deg 2)
<u>W (MRV: 3</u>	Deg 2)
<u>Re (MRV: 3</u>	Deg 5)
<u>C (MRV: 3</u>	Deg 3)
<u>D (MRV: 3</u>	Deg 2)
<u>S (MRV: 3</u>	Deg 3)
<u>I (MRV: 3</u>	Deg 0)

⇒ we choose Ri, because it has highest degree (5)

Step-2

N (MRV: 2 Deg 2)V (MRV: 2 Deg 2)W (MRV: 2 Deg 2)Re (MRV: 2 Deg 5)C (MRV: 2 Deg 3)D (MRV: 3 Deg 2)S (MRV: 3 Deg 3)I (MRV: 3 Deg 0)⇒ Choose Re, because

highest degree (5)

Step-3

V (MRV: 2 Deg 2)W (MRV: 1 Deg 2)C (MRV: 1 Deg 3)D (MRV: 2 Deg 2)S (MRV: 2 Deg 3)I (MRV: 3 Deg 0)

⇒ we choose C, because it has highest degree (3)

Step-4

N (MRV: 2 Deg 2)V (MRV: 2 Deg 2)W (MRV: 1 Deg 2)D (MRV: 1 Deg 2)I (MRV: 3 Deg 0)

⇒ we choose W, because it has highest degree (2)

N (MRV: 2 Deg 2)V (MRV: 2 Deg 2)W (MRV: 1 Deg 2)D (MRV: 2 Deg 2)S (MRV: 1 Deg 3)I (MRV: 3 Deg 0)

⇒ we choose S, because it has highest degree.

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~~Step-6~~

N(MRV: 2 Deg 2)

V(MRV: 2 Deg 2)

D(MRV: 1 Deg 2)

I(MRV: 3 Deg 0)

⇒ we choose D~~Step-7~~

N(MRV: 2 Deg 2)

V(MRV: 2 Deg 2)

I(MRV: 3 Deg 0)

⇒ we choose N~~Step-8~~~~highest degree.~~

V(MRV: 1 Deg 2)

I(MRV: 3 Deg 0)

~~Step-9~~

I(RV: 3 Deg 0)

we choose I⇒ we choose V

(C). valid solution is :-

RGB

R → Red

G → Green RGBB → Blue RGBC → Blue RGBS → Red RGBD → Blue RGBN → Green RGBV → Blue RGBI → Red RGBRGBRGBRGBRGBRGBRGBRGBRGB

(A)

(B)

yes, we can use structure of problem to make solving

more efficient consider R & V. removing this will
convert the given problem into a tree structure constraint
specific problem which can be solved via cut set conditioning
By eliminating loop in a graph, it becomes a tree
structure which is easier to solve.⇒ "I" can be solved as it's own independent
subproblem as it is not connected to other nodes.

A - Solution.

R - Green

S - Green

N - Red

V - Blue

D - Blue

I - Green

R - Red

W - Blue

C - Blue

* Task - 5

→ Using TT-ENTAILS As described in slides,

CHECK-EQUIVALENCE (KB_1, KB_2) returns TRUE or FALSE:
 { If ~~return~~ TT-Entails? (KB_1, KB_2) and TT-ENTAILS?
 (KB_2, KB_1)

Return TRUE

Else

Return FALSE

}

(A). For all the rows where KB is True, S_1 is True.

So, $\models KB_1 \vdash S_1$.

(B) For all rows where KB is false [not (KB) is true] check if S_1 is false [not (S_1) is true].

There is at least one row where this is not the case.

So, $\neg KB \neq \neg S_1$.

* Task - 6

⇒ Two cases where knowledge base is false:-

$$\neg(A \wedge \neg B \wedge C \wedge D) \wedge \neg(\neg A \wedge \neg B \wedge C \wedge \neg D)$$

Converting to CNF →

using De Morgan law to substitute 'n' inside
parenthesis to ' \vee '

$$(\neg A \vee \neg(\neg B) \vee \neg C \vee \neg D) \wedge (\neg(\neg A) \vee \neg(\neg B) \vee \neg C \vee \neg(\neg D))$$

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⇒ Applying double negation:-

final

CNF

$$(\neg A \vee B \vee \neg C \vee D) \wedge (A \vee B \vee \neg C \vee D)$$

Task-7

→ To show that this knowledge base entails G

$$A \Rightarrow C$$

$$B \Leftarrow C \Leftrightarrow (B \Rightarrow C) \wedge (C \Rightarrow B)$$

$$D \Rightarrow A$$

$$(B \text{ AND } E) \Rightarrow G$$

$$B \Rightarrow F$$

As we convert to Horn Form

(i). Forward chaining:-

→ Apply modus ponens (MP) to $D \Rightarrow A$, D added A to KB

Apply MP to $A \Rightarrow C$, A added C to KB

Apply MP to $C \Rightarrow B$, C added B to KB

Apply MP to $B \text{ AND } E \Rightarrow G$, B, E added G to KB.

- Thus we show $KB \models G$

Explore list is $\{D, A, C, B, E, G\}$

(ii). Backward chaining:-

→ To show G , we need $B \wedge E$ to be true.
where G is already True.

⇒ we initialize Goal state or GS

GS	G	we get by $B \wedge E \Rightarrow G$.
----	-----	--

GS	B	by $C \rightarrow B$
	E	
	G	

GS	C	by $A \Rightarrow C$
	B	
	E	
	G	

GS	A	by $D \Rightarrow A$
	C	
	B	
	E	
	G	

GS	D	where D is already True.
	A	
	C	
	B	
	E	
	G	

Thus, by using MP, $D \Rightarrow A$ i.e. A is True.
 by using MP, $A \Rightarrow C$ i.e. C is True.
 by using MP, $C \rightarrow B$ i.e. B is True.
 by using MP, $B \wedge E \Rightarrow G$ i.e. G is True.

∴ $FB \models G$ where FB entails G .

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(iii). Resolution:-

\Rightarrow Resolution Algo. is $\vdash B \wedge \neg A$
 It's unsatisfiable

$$(A \Rightarrow C) \wedge (B \Leftrightarrow C) \wedge (D \Rightarrow A) \wedge [(B \wedge E) \Rightarrow G] \wedge (B \Rightarrow F)$$

$$\wedge \neg E \wedge \neg D \wedge \neg G$$

Convert to CNF:

$$(A \Rightarrow C) \wedge (B \Rightarrow C) \wedge (C \Rightarrow B) \wedge (D \Rightarrow A) \wedge \neg E \wedge (B \wedge E) \Rightarrow G$$

$$\wedge (B \Rightarrow F) \wedge \neg E \wedge \neg D \wedge \neg G$$

∴ eliminate " \Rightarrow " $\alpha \Rightarrow \beta \vdash \neg \alpha \vee \beta$.

$$(\neg A \vee C) \wedge (\neg B \vee C) \wedge (\neg C \vee B) \wedge (\neg D \vee A) \wedge [\neg E \vee (\neg B \wedge E) \vee G]$$

$$\wedge (\neg B \vee F) \wedge \neg E \wedge \neg D \wedge \neg G$$

Move ' \neg ' inside by De Morgan's law.

$$(\neg A \vee C) \wedge (\neg B \vee C) \wedge (\neg C \vee B) \wedge (\neg D \vee A) \wedge (\neg B \vee \neg E \vee G)$$

$$\wedge (\neg B \vee F) \wedge \neg E \wedge \neg D \wedge \neg G$$

 $\neg A$ $\neg B \vee \neg E \vee G$ $\neg B \vee \neg E$ $\neg B \vee \neg E \quad \neg C \vee \neg B$ $\neg E \vee \neg C$ $\neg E \vee \neg C \quad \neg A \vee \neg C$ $\neg E \vee \neg A$

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7E07A 8→ A7A 7DUA→ D7D D

$\boxed{\text{L}} \rightarrow$ empty clause.

So, $KB \vdash G$.

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* Task-8

(A). constants:- John, Mary, Monday.

\$ \$ \$

Predict:

$\left\{ \begin{array}{l} \text{Give100}(x, y) - x \text{ gives } y \text{ a check for } 100 \$ \text{ on} \\ \quad \text{Tuesday.} \\ \text{Rain}(x) - \text{If rains on } x \\ \text{now}(x) - x \text{ mows lawn on wednesday} \end{array} \right.$

The contact:-

$\text{Rain}(\text{Monday}) \rightarrow \text{Give100}(\text{John}, \text{Mary})$

$\text{Give100}(\text{John}, \text{Mary}) \rightarrow \text{now}(\text{Mary})$

(B). what really happened:-

It did not rain on monday $\rightarrow \text{Rain}(\text{Monday})$

John gave Mary a check for 100\$ $\rightarrow \text{Give100}(\text{John},$
 $\quad \quad \quad \text{on Tuesday}$ Mary)

Mary mowed the lawn on wednesday $\rightarrow \text{now}(\text{Mary})$

logical statement:-

$\neg \text{Rain}(\text{Monday}) \wedge \text{Give100}(\text{John}, \text{Mary}) \wedge$
 $\quad \quad \quad \text{now}(\text{Mary})$

(C). The symbols are:-

$s_1 : \text{Rain}(\text{John})$

$s_2 : \text{Give100}(\text{John}, \text{John})$

$s_3 : \text{Rain}(\text{Mary})$

$s_4 : \text{Give100}(\text{John}, \text{Mary})$

$s_5 : \text{Rain}(\text{Monday})$

$s_6 : \text{Give100}(\text{John}, \text{Monday})$

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- $s_7: \text{Give100(mary, John)}$ $s_{12}: \text{Give100(monday, mary)}$
 $s_8: \text{Give100(mary, mary)}$ $s_{13}: \text{now(John)}$
 $s_9: \text{Give100(mary, monday)}$ $s_{14}: \text{now(mary)}$
 $s_{10}: \text{Give100(monday, monday)}$ $s_{15}: \text{now(monday)}$
 $s_{11}: \text{Give100(monday, John)}$

The contract in propositional logic

$$s_3 \Rightarrow s_5$$

$$s_5 \Rightarrow s_{14}$$

\Rightarrow So, truly happened events in propositional logic

$$\underline{\underline{s_3 \wedge s_5 \wedge s_{14}}}$$

- (d). As there is no scenario where the events are true and the contract is false, we can say that the contract is not violated. which means that, for all the scenarios where the events are true, the contract is also true. i.e. Events F contract. Hence, the contract is not violated.