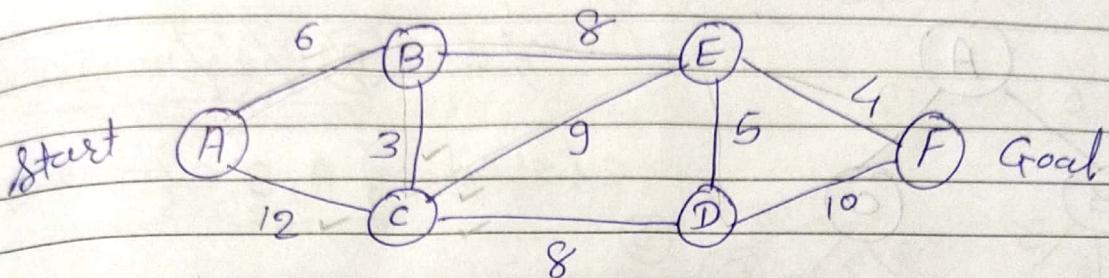


Assignment - 1Task - 1① Breadth first Search :- (FIFO)

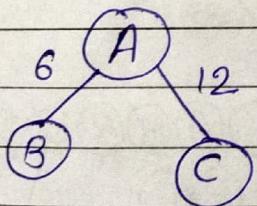
~~Step 1~~ → Here, starting node is (A) and goal node is ~~(F)~~

→ In BFS, first we adding the starting node to the fringe, so,

$$\text{fringe} = \overline{(A)}$$

$$\text{closed set} = \{ \} = \text{empty}$$

~~Step 2~~ → now, expand node (A). Add other node to the fringe so (A) will be pop and added to the closed set.

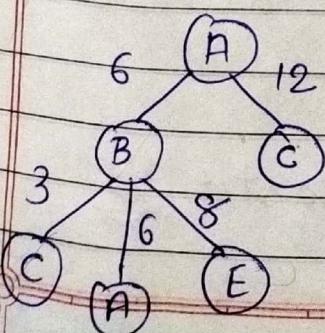


$$\text{fringe} = \overline{(A)(B)(C)}$$

$$\text{closed} = \{ A \}$$

A is popped

~~Step 3~~ → Now, expanding (B) node. add the successor nodes to the fringe and ~~(B)~~ will be pop and added to the closed set.



$$\text{fringe} = \overline{(A)(B)(C)(E)(C)(A)}$$

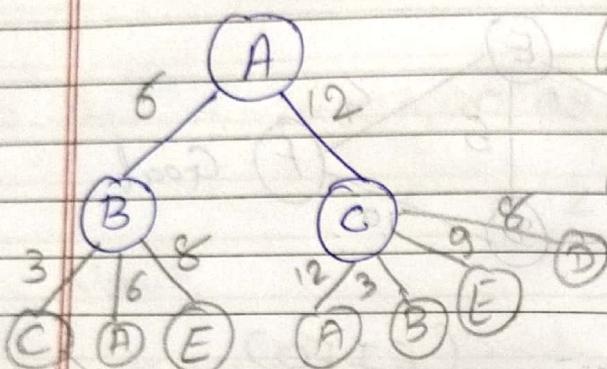
$$\text{closed} = \{ A, B \}$$

B is popped.

Step-4

Expanding node \textcircled{C} in the graph.

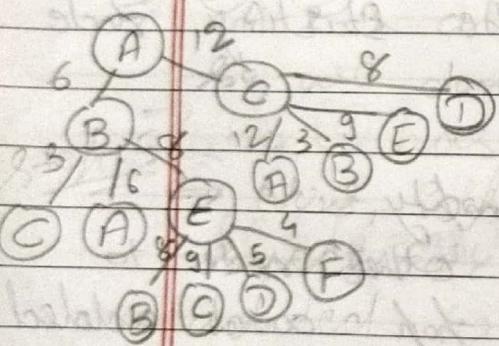
Add the successor for node \textcircled{C} and \textcircled{C} will be popped and added to the closed set.



Fringe = $\textcircled{A} \textcircled{B} \textcircled{C} \textcircled{D} \textcircled{E} \textcircled{F} \textcircled{A} \textcircled{B} \textcircled{C} \textcircled{D} \textcircled{E} \textcircled{F}$

Closed = {A, B, C} c is popped

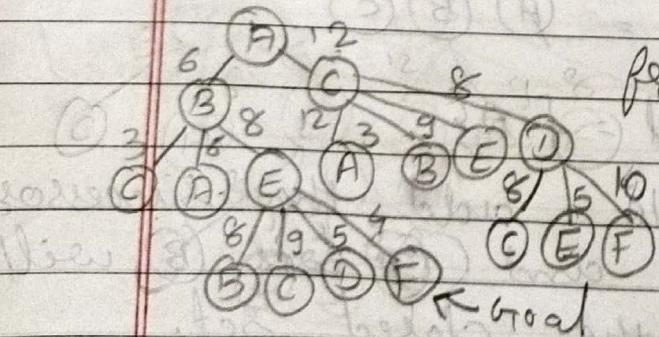
Step-5 \Rightarrow Expanding \textcircled{E} , Add successor to fringe and pop \textcircled{E} node and add to closed set.



Fringe = $\textcircled{A} \textcircled{B} \textcircled{C} \textcircled{D} \textcircled{E} \textcircled{F} \textcircled{A} \textcircled{B} \textcircled{C} \textcircled{D} \textcircled{E} \textcircled{F}$

Closed = {A, B, C, E} E is popped.

Step-6 \Rightarrow Expanding \textcircled{D} , Add successor to fringe and pop \textcircled{D} node and add to closed set.



Fringe = $\textcircled{A} \textcircled{B} \textcircled{C} \textcircled{D} \textcircled{E} \textcircled{F} \textcircled{A} \textcircled{B} \textcircled{C} \textcircled{D} \textcircled{E} \textcircled{F}$

$\textcircled{C} \textcircled{E} \textcircled{F}$

Closed = {A, B, C, E, D}

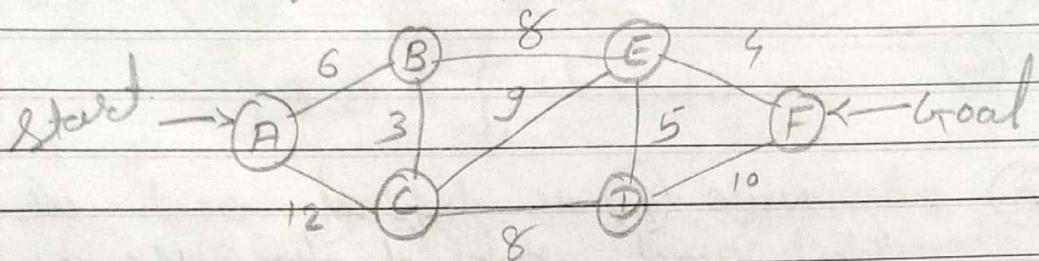
Goal

D is

pop.

\Rightarrow The no. of nodes expanded to reach the goal = {A, B, C, E, D}

\Rightarrow $A \xrightarrow{6} B \xrightarrow{8} E \xrightarrow{5} F \xrightarrow{10} D$, cost = 18

(b) depth - first search:-

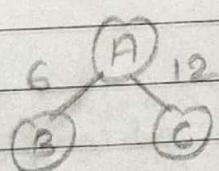
step 1 Adding A to the fringe as starting node of graph.

$$\text{fringe} = \underline{\underline{A}}$$

$$\text{closed} = \{\} \rightarrow \text{empty}$$

step 2

Expanding A node and adding successors of A to the fringe and pop out A and add to closed set



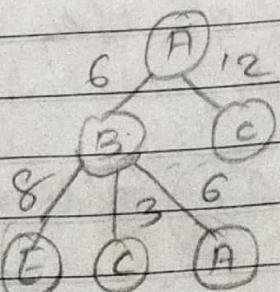
$$\text{fringe} = \underline{\underline{B \ C}}$$

$$\text{closed} = \{A\}$$

step 3

Expanding B node and adding successors to the fringe and pop out B and adding to closed set.

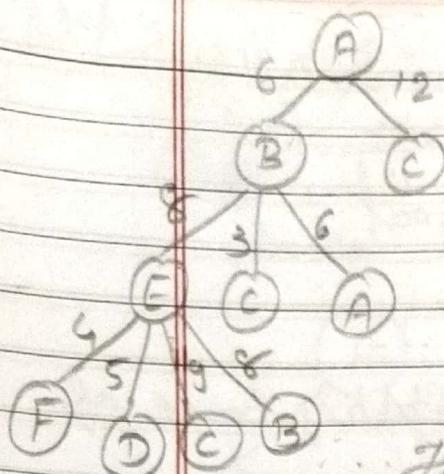
$$\text{fringe} = \underline{\underline{E \ C \ A \ C}}$$



$$\text{closed} = \{A, B\}$$

step 4

Expanding E node and adding successors to the fringe and pop out E and adding to closed set.

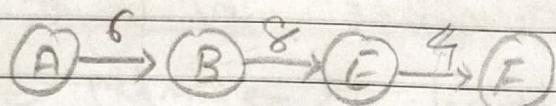


Fringe = F D C B C A G

Closed = {A, B, E}

\therefore Node F is left out as goal and added to the closed set $\{A, B, E, F\}$

\therefore The no. of nodes expanded to search the goal



\therefore The total cost to reach the goal = $6 + 8 + 4 = \underline{\underline{18}}$

\rightarrow depth + level

(c). Iterative - Deepening search:-

~~step-1~~ Adding starting node A to fringe

fringe =

A/0

A/0

closed = {} \rightarrow empty

~~step-2~~ Expanding node A and adding the successor to the fringe and closing node A

fringe = A/0 | B/1, C/1

A/0

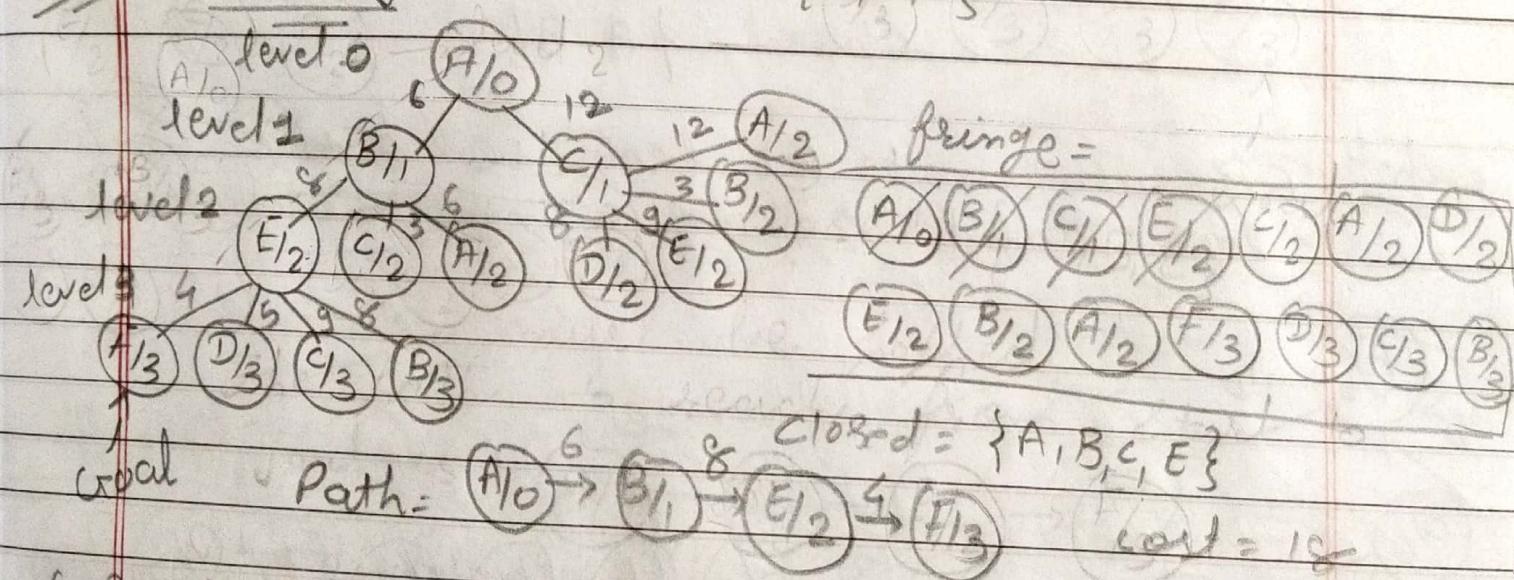
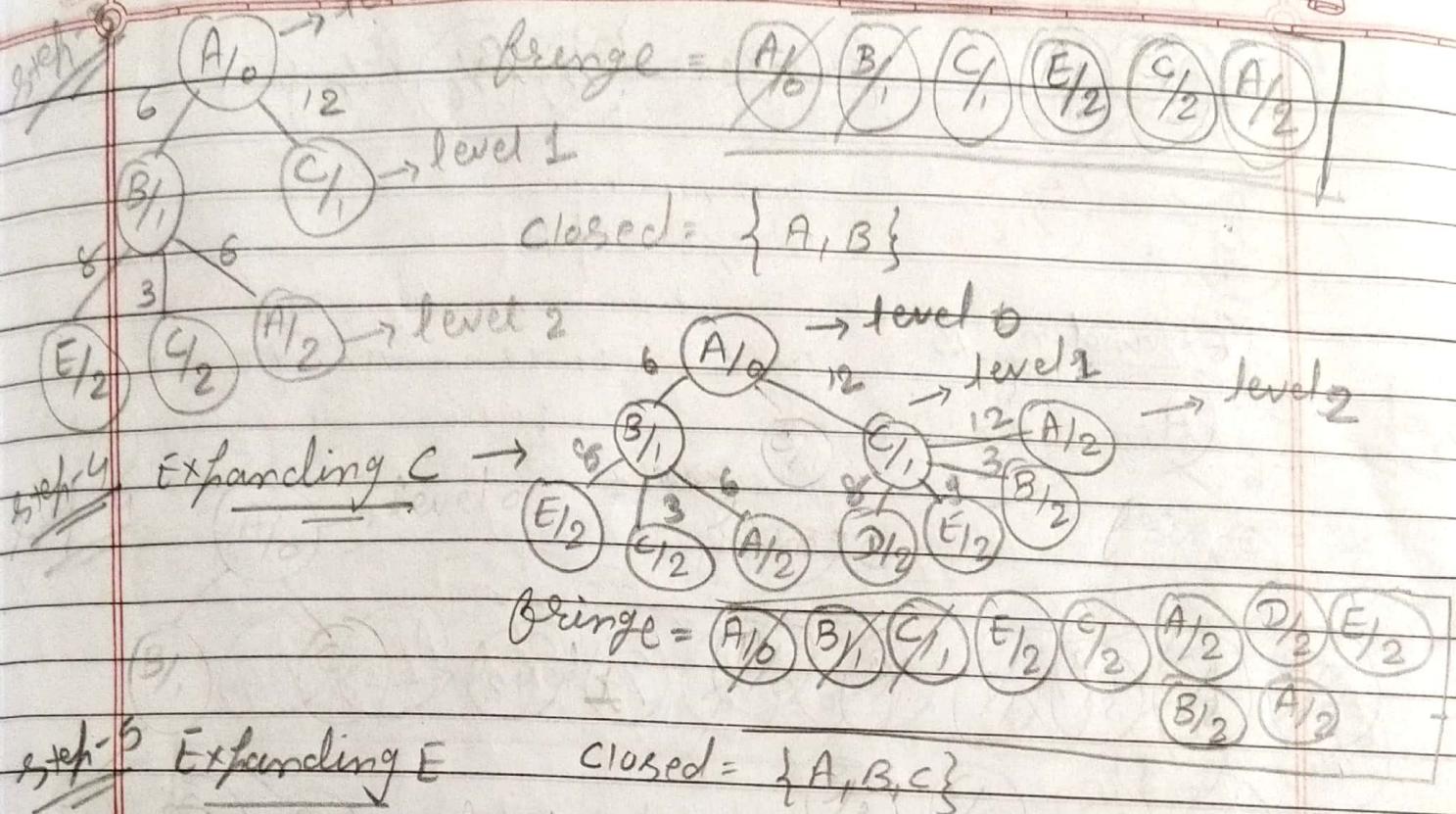
\rightarrow level 0

closed = {A}

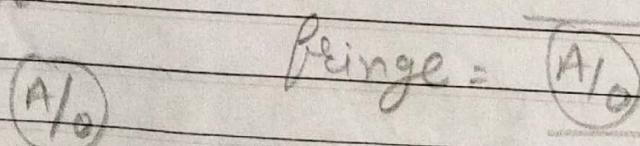
B/1

C/1

\rightarrow level 1



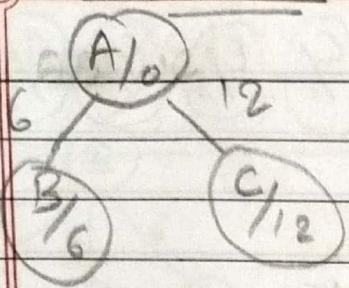
②) Uniform cost search: \rightarrow cost.



Closed = {} → empty

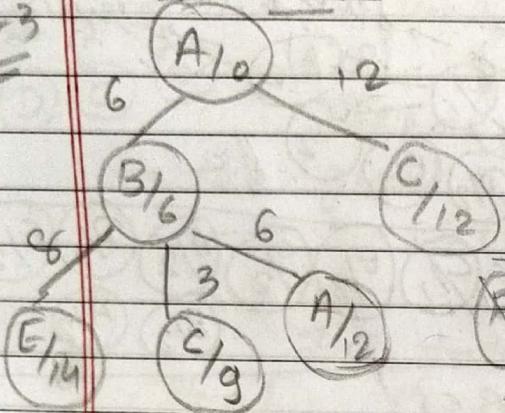
Expanding A:-

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Fringe = $\{ \cancel{A1/0}, B1/6, C1/12 \}$

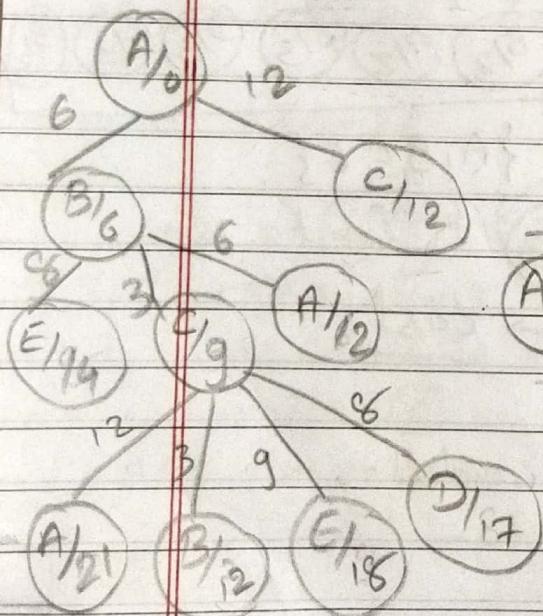
Closed = { A }

Expanding B

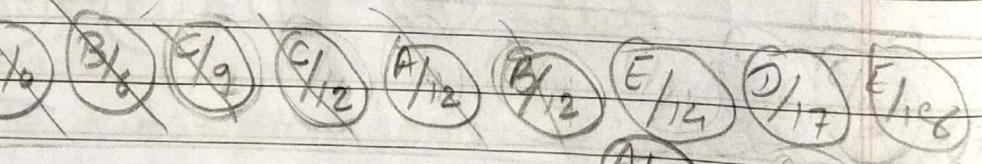
Fringe = $\{ A1/0, B1/6, C1/12, E1/14 \}$

Closed = { A, B }

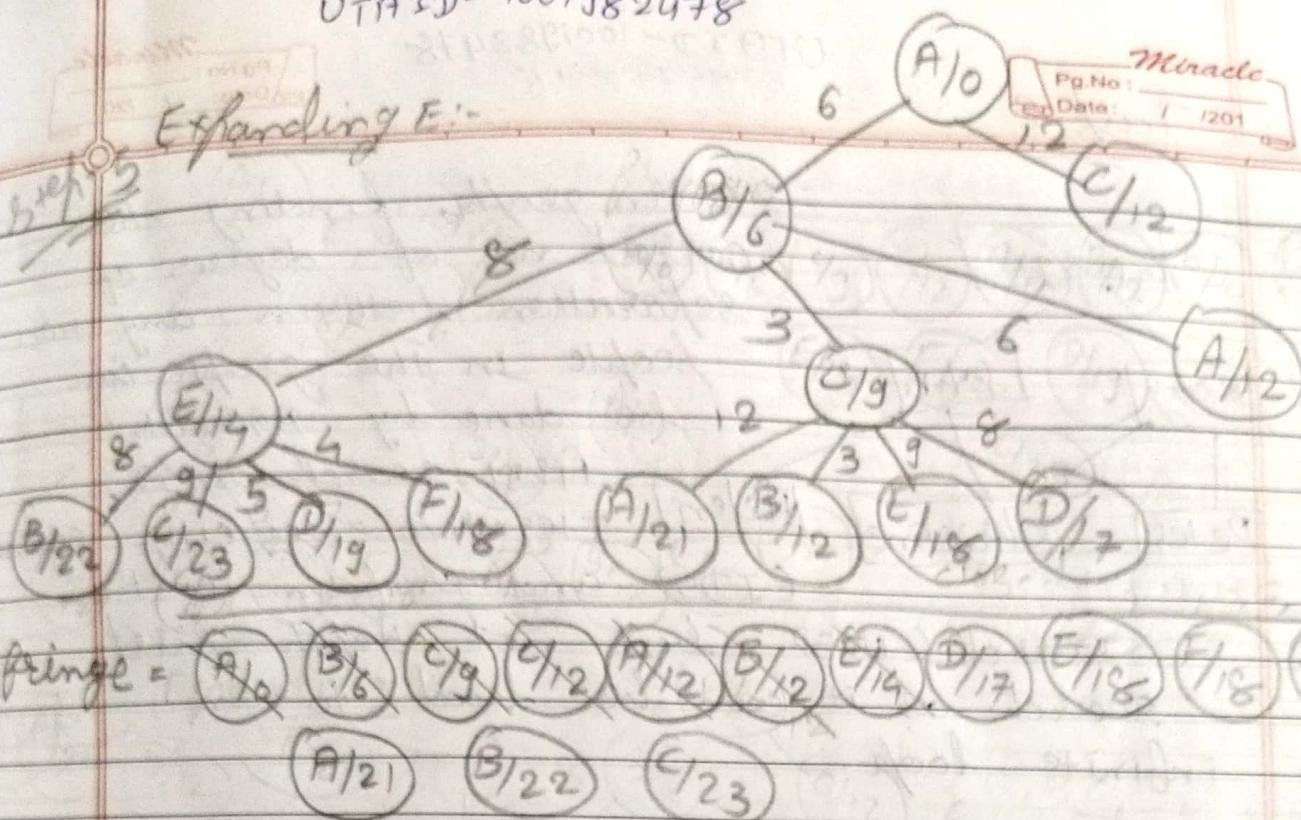
Step-4 Expanding node C because B to C is less and adding C into the closed set.



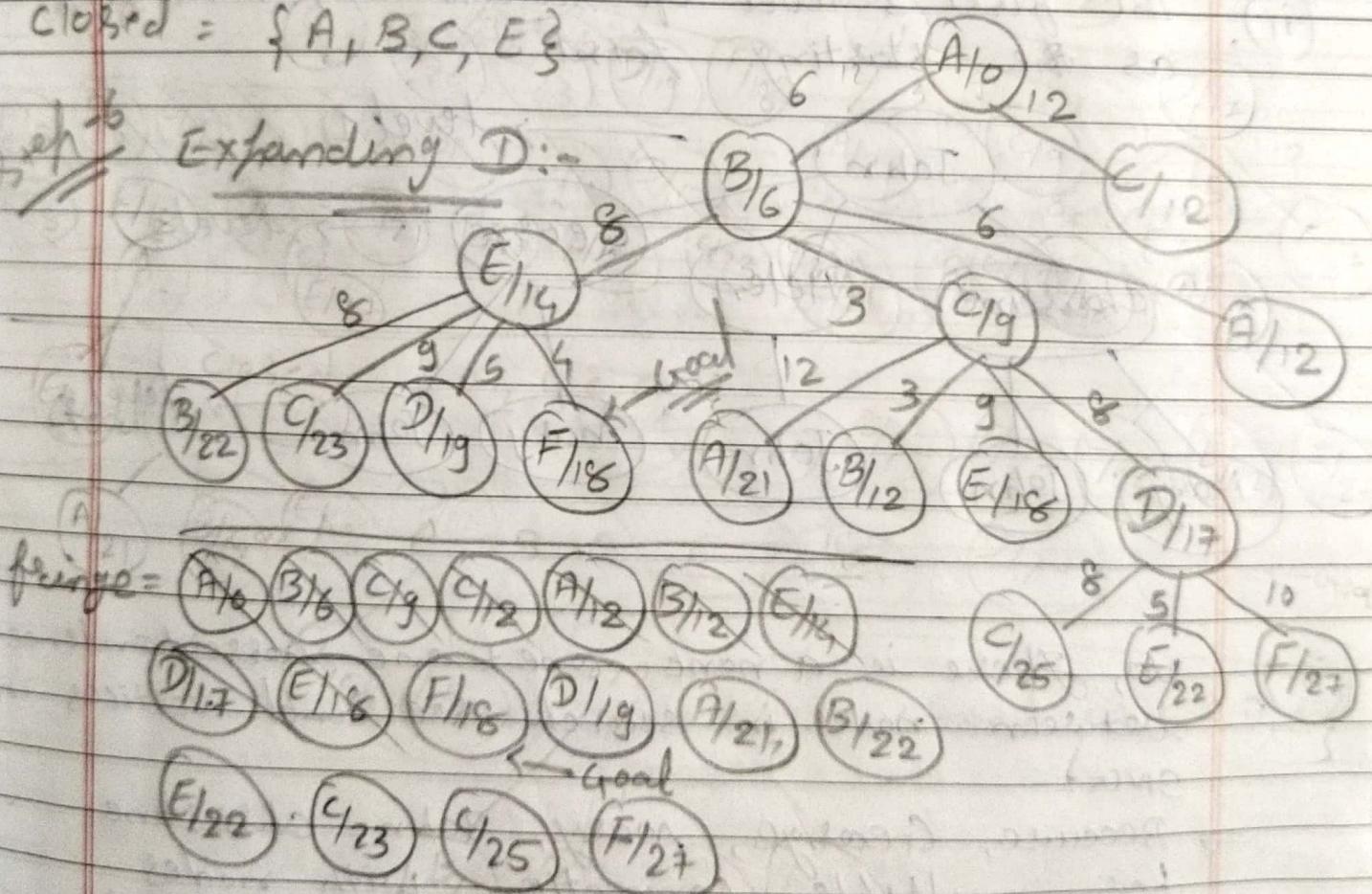
Fringe =



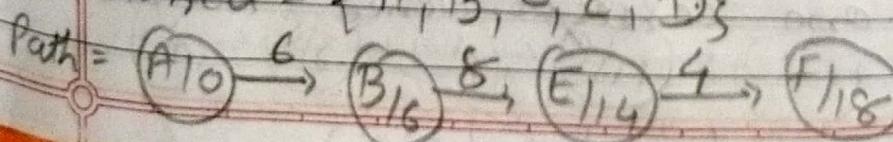
Closed = { A, B, C }

Expanding E:-

$$\text{closed} = \{A, B, C, E\}$$

Expanding D:-

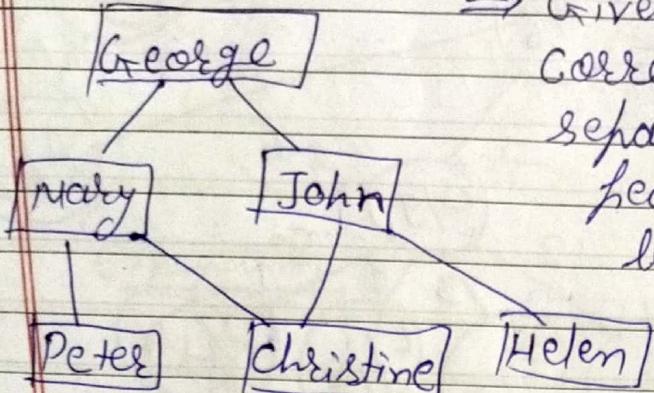
$$\text{closed} = \{A, B, C, E, D\}$$



$$\text{cost} = \underline{\underline{18}}$$

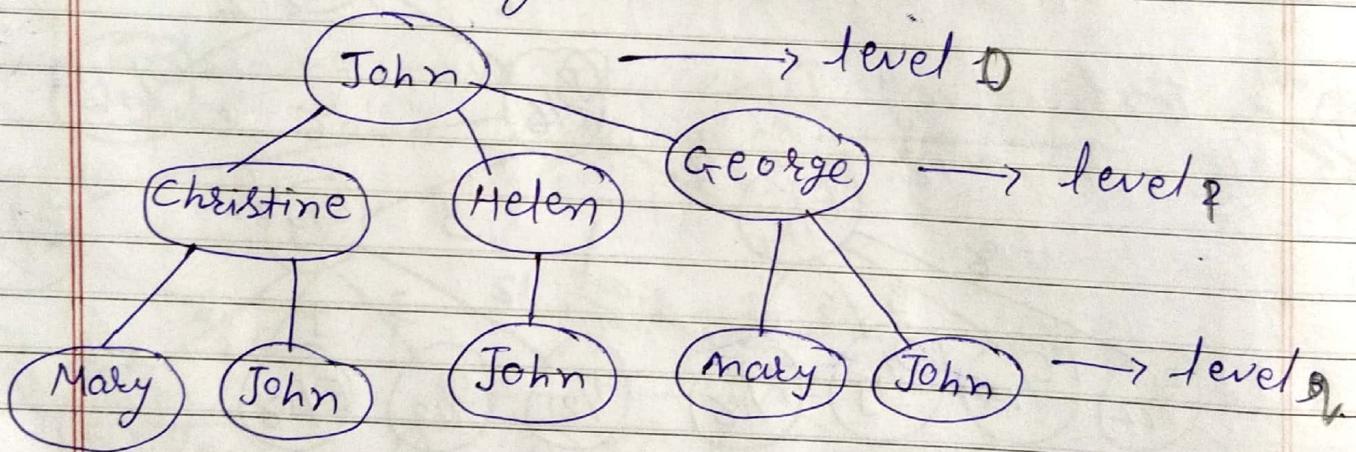
Task-2

(i).



Given graph, finding the correct no. of degrees of separation between any two people in the graph can be done by Breadth-first search (BFS), Iterative-deepening search (IDS) and uniform cost search (UCS) but not depth first search as it can lead to an infinite loop.

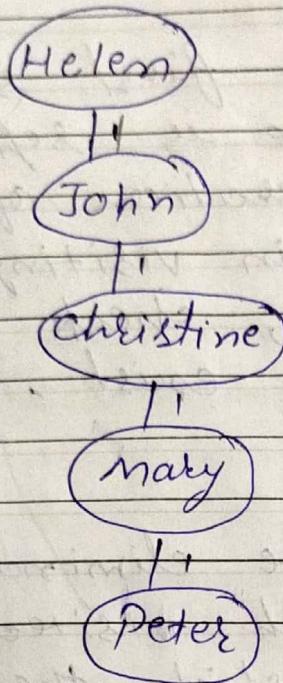
(ii). The first 3-level of search tree, with John as the starting point



(iii). No, There is a none one-to-one correspondence between nodes in search tree and vertices in GNG.

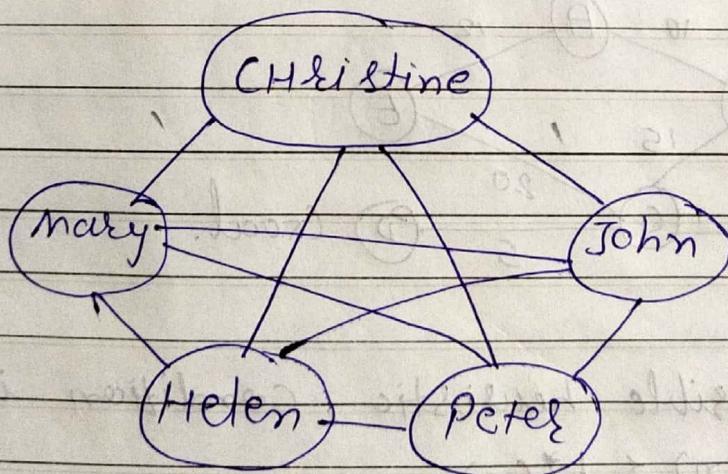
Because, George, Mary, John, Christine has multiple connection with nodes but Peter and Helen doesn't satisfy the one-to-one correspondence between the nodes.

- (iv). A SNG with exactly 5 people where atleast two people has 4 degree of separation between them considering.



\Rightarrow So, the degree of separation between Helen and Peter is 4.

- (V). A SNG with exactly 5 people and each having 1 degree of separation can be done by Christine, Mary, John, Helen, Peter.



\Rightarrow So, all the nodes have 1 degree of separation between them as they are directly connected to each other.

(vi). Given problem statement we know that a single node is 1KB and 1 million KB is equal to 1GB. using

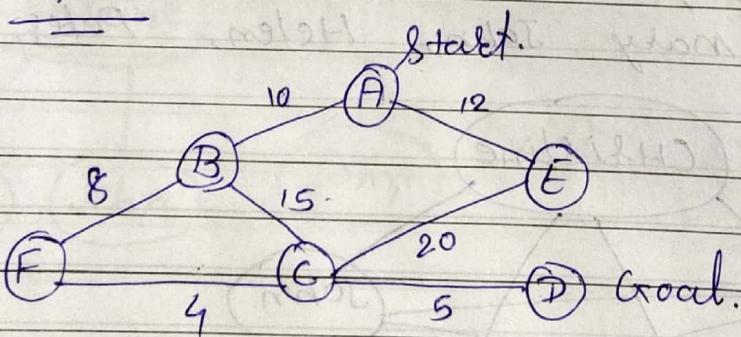
graph search \Rightarrow so, we can use Breadth-first search (CBFS) where any visited node is separated and reduce the generation of duplicate nodes and stored in visiting list.

If it's visited again, check that list and if it's already exist, the node is terminated.

\Rightarrow Duplicate nodes can be eliminated by using BFS. in which visited and unvisited nodes by which the memory capacity will not exceed 1GB memory.

\Rightarrow so, Convert the search tree into graph tree.

* Task - 3



\Rightarrow For Admissible heuristic, condition is

$$h(n) \leq h^*(n)$$

$\begin{matrix} \downarrow \\ \text{assumed cost} \end{matrix}$
 \rightarrow Actual cost.

From the graph,

$$h^*(A) = 10 + 15 + 5 \Rightarrow 10 + 8 + 4 + 5 = 27$$

$$h^*(B) = 15 + 5 = 20 \quad 8 + 4 + 5 = 17$$

$$h^*(C) = 5$$

$$h^*(D) = 0 \quad (\text{Goal})$$

$$h^*(E) = 20 + 5 = 25$$

$$h^*(F) = 4 + 5 = 9$$

\Rightarrow Heuristic 1:- $h(n) \leq h^*(n)$

$$h(A) = 5$$

$$h^*(A) = 27 \quad \text{Not satisfied}$$

$$h(B) = 20$$

$$h^*(B) = 17 \quad \text{Not satisfied}$$

$$h(C) = 15$$

$$h^*(C) = 5 \quad \text{Not satisfied}$$

$$h(D) = 0$$

$$h^*(D) = 0$$

$$h(E) = 10$$

$$h^*(E) = 25 \quad \text{Not satisfied}$$

$$h(F) = 0$$

$$h^*(F) = 9$$

\Rightarrow In order to make it heuristic admissible the value of $h(C)$ must be less than or equal to 5 and $h(B)$ and 17.

\Rightarrow Heuristic 2:-

$$h(A) = 40$$

$$h^*(A) = 27 \quad \text{Not satisfied.}$$

$$h(B) = 40$$

$$h^*(B) = 17 \quad \text{Not satisfied}$$

$$h(C) = 40$$

$$h^*(C) = 5$$

$$h(D) = 40$$

$$h^*(D) = 0$$

$$h(E) = 40$$

$$h^*(E) = 25$$

$$h(F) = 40$$

$$h^*(F) = 9$$

} Not satisfied.
"
"

\Rightarrow we need to modify $h(A), h(B), h(C), h(D), h(E), h(F)$ to make it heuristic admissible. value.



Heuristic :- 3

$$h(A) = 10 \quad h^*(A) = 27$$

$$h(B) = 15 \quad h^*(B) = 17$$

$$h(C) = 0 \quad h^*(C) = 5$$

$$h(D) = 0 \quad h^*(D) = 0$$

$$h(E) = 25 \quad h^*(E) = 25$$

$$h(F) = 5 \quad h^*(F) = 9$$

It is admissible heuristic value.



Heuristic 4:-

$$h(A) = 0 \quad h^*(A) = 27$$

$$h(B) = 0 \quad h^*(B) = 17$$

$$h(C) = 0 \quad h^*(C) = 5$$

$$h(D) = 0 \quad h^*(D) = 0$$

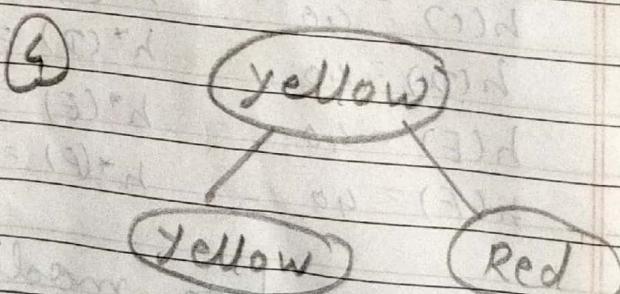
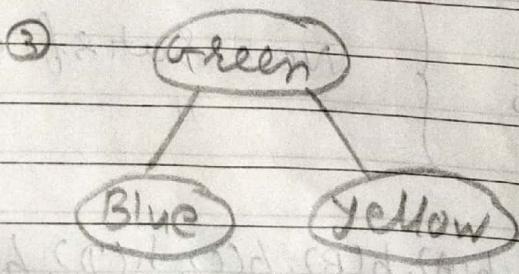
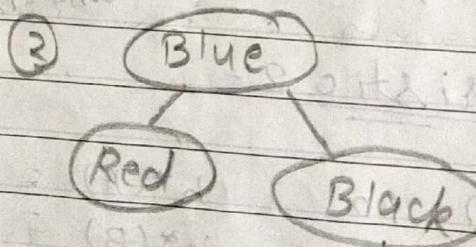
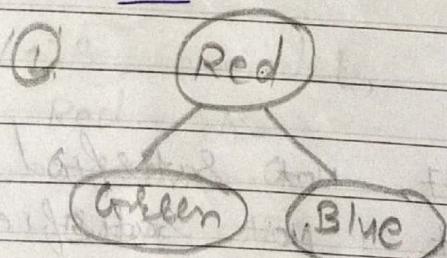
$$h(E) = 0 \quad h^*(E) = 25$$

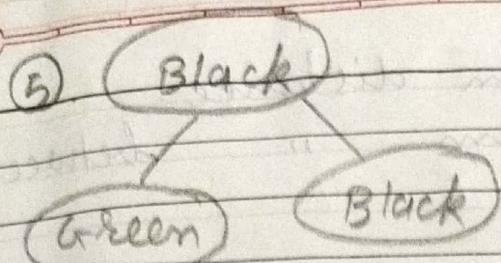
$$h(F) = 0 \quad h^*(F) = 9$$

It is admissible heuristic value.

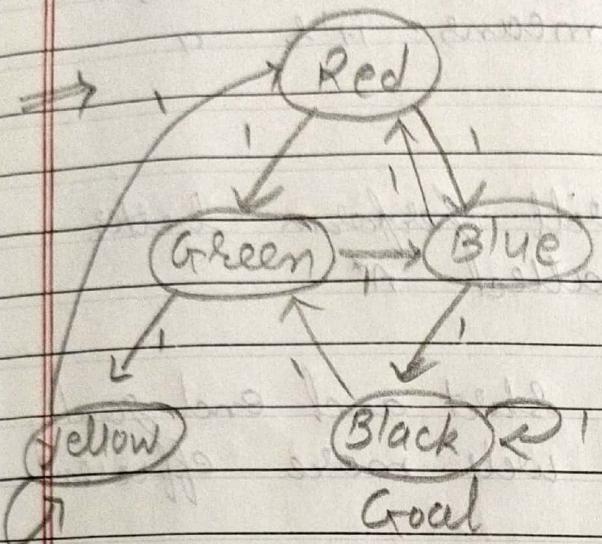


Task - 4





combine all states



Given 5 states, color, cost to move from one state to another state is 1

The goal is Black and the best admissible heuristics,

$$h(\text{Red}) = 2$$

$$h(\text{Green}) = 2$$

$$h(\text{Blue}) = 1$$

$$h(\text{Yellow}) = 3$$

$$h(\text{Black}) = 0 \text{ (Goal)}$$

* Task - 5

→ In this greedy search algorithm, $h(n)$ is the Euclidean distance from n to the destination.

→ A* algorithm is $f(n)$.

$$f(n) = g(n) + h(n)$$

→ where, $h(n)$ is euclidean distance.
 $g(n)$ is minimum " between nodes.

→ For fig 4:- There are no broken links in this nodes. That means it's a continuous graph.

→ So, that greedy search will perform better than the other. It's called A^* .

→ So, it's depending on the start and end goal.
 So, sometimes Greedy will more efficient than A^* .

⇒ for example, $(0,0)$ to $(8,8)$ A^* will visit more nodes than Greedy.

⇒ For fig 5:- There are some missing links between the nodes.

→ So, that, Greedy Search performs sometimes better, sometimes worse and sometimes the same as A^* .

→ for example,

① Greedy performs better than A^*
 $(0,2)$ to $(3,4)$ nodes.

② A^* performs better than Greedy
 $(5,5)$ to $(5,6)$ towns.

③ Performs Equal (Both)
 $(8,0)$ to $(8,8)$ towns