

# What specific problems in high-energy physics are most suited for quantum computing

Quantum computing is uniquely positioned to address some of the most challenging and fundamental problems in high-energy physics (HEP), particularly where classical computation either fails or becomes prohibitively costly. Below are the specific problem areas in HEP that are most suited for quantum computing approaches:

## 1. Lattice Gauge Theory and Quantum Field Theory Simulations

- **Why quantum?** Simulating quantum systems, especially those described by quantum field theories (QFT) and lattice gauge theories, is notoriously difficult due to the exponential growth of the underlying Hilbert space. Notable examples include Quantum Chromodynamics (QCD), which governs the behavior of quarks and gluons.
- **Quantum advantage:** Quantum computers enable direct simulation of real-time dynamics, strongly coupled systems, and non-perturbative regimes—areas where classical algorithms struggle or are infeasible, especially due to the "sign problem" [\[1\]](#) [\[2\]](#) [\[3\]](#).
- **Recent progress:** Small-scale devices already demonstrate quantum simulation of lower-dimensional QED and QCD toy models, and quantum simulators are expected to eventually tackle ab-initio hadron-hadron scattering, early-universe dynamics, and aspects of quantum gravity [\[4\]](#) [\[5\]](#) [\[6\]](#).

## 2. Solving the Sign Problem and Real-Time Evolution

- **Classical limitation:** Monte Carlo simulations of quantum systems at finite density or out-of-equilibrium (real-time) are plagued by the sign problem, making calculations exponentially hard.
- **Quantum benefit:** With no sign problem, quantum algorithms can naturally evolve such systems, making simulation of dense nuclear matter and early-universe processes accessible [\[4\]](#) [\[6\]](#) [\[3\]](#).

## 3. Neutrino Oscillations in Extreme Environments

- **Challenge:** Exact simulation of neutrino oscillations, especially under strong interactions (e.g., in supernovae), is intractable for classical computers even with a small number of flavors.
- **Quantum approach:** These can be efficiently mapped to quantum hardware, making such complex many-body problems practical for quantum simulation [\[2\]](#).

4. Event Reconstruction and Pattern Recognition in Experimental Data

- **HEP big data:** Modern detectors (e.g., at the LHC) generate massive, complex datasets. Pattern recognition tasks such as jet clustering, track reconstruction, and anomaly detection are crucial and computationally intensive.
- **Quantum machine learning (QML):** Quantum algorithms have shown promise for supervised classification, signal/background separation, and potentially in outperforming classical ML at high data complexity scales<sup>[6]</sup>.

5. Monte Carlo Sampling and Integration

- **Bottleneck:** Evaluating high-dimensional integrals, which underlie cross-section calculations and simulation of particle interactions, consumes enormous resources.
- **Quantum speedup:** Algorithms like Quantum Amplitude Estimation can provide a quadratic speedup for these sampling tasks<sup>[1] [6]</sup>.

6. Detector Simulation and Optimization

- **Optimization tasks:** Simulating and optimizing the performance of complex detectors, and finding patterns in data (e.g., tracking particle trajectories), are areas where quantum annealing and variational quantum algorithms provide potential improvements<sup>[2] [6]</sup>.

Examples of Problems Suited for Quantum Computing

Problem Area	Quantum Solution Potential
Lattice QCD, QED, strongly coupled QFTs	Non-perturbative, real-time simulation
Simulation of dense nuclear matter (e.g., neutron stars)	Overcomes sign problem in finite density regimes
Early universe and black hole dynamics	Real-time quantum simulation of out-of-equilibrium physics
Neutrino oscillations in extreme conditions	Mapping to quantum many-body simulations
High-dimensional Monte Carlo integration	Quadratic speedup via quantum amplitude estimation
Jet and track reconstruction	Quantum ML for improved classification and speed
Detector optimization and simulation	Quantum optimization, hybrid algorithms

In summary:

The problems most suited to quantum computing in high-energy physics are those that involve simulating quantum dynamics in many-body systems (especially where classical sign problem and dimensionality become limiting), fast and accurate data analysis in experiments, and high-dimensional optimization or integration tasks fundamental to both theory and experiment. As hardware improves, even more complex problems—such as full-scale QCD simulations, quantum gravity, and new-physics searches—are expected to become accessible<sup>[1] [2] [4] [6] [3]</sup>.

1. <https://arxiv.org/abs/2307.03236>
2. <https://cerncourier.com/a/report-explores-quantum-computing-in-particle-physics/>
3. <https://inspirehep.net/files/fa74a15fe47b82800759ffc3b3b66c70>
4. <https://cerncourier.com/a/quantum-simulators-in-high-energy-physics/>
5. <https://www.nature.com/articles/d41586-025-01797-3>
6. <https://www.munich-iapbp.de/quantum-computing>