

Assignment 05; STAT 626

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Question 3.19

Plot theoretical ACF of SARIMA(0, 0, 1) x (1,0,0)₁₂.

PHI = 0.8, theta=0.5. lags=50

```
(phi <- c(rep(0, 11), 0.8))
```

```
## [1] 0.0 0.0 0.0 0.0 0.0 0.0 0.0 0.0 0.0 0.0 0.0 0.0 0.8
```

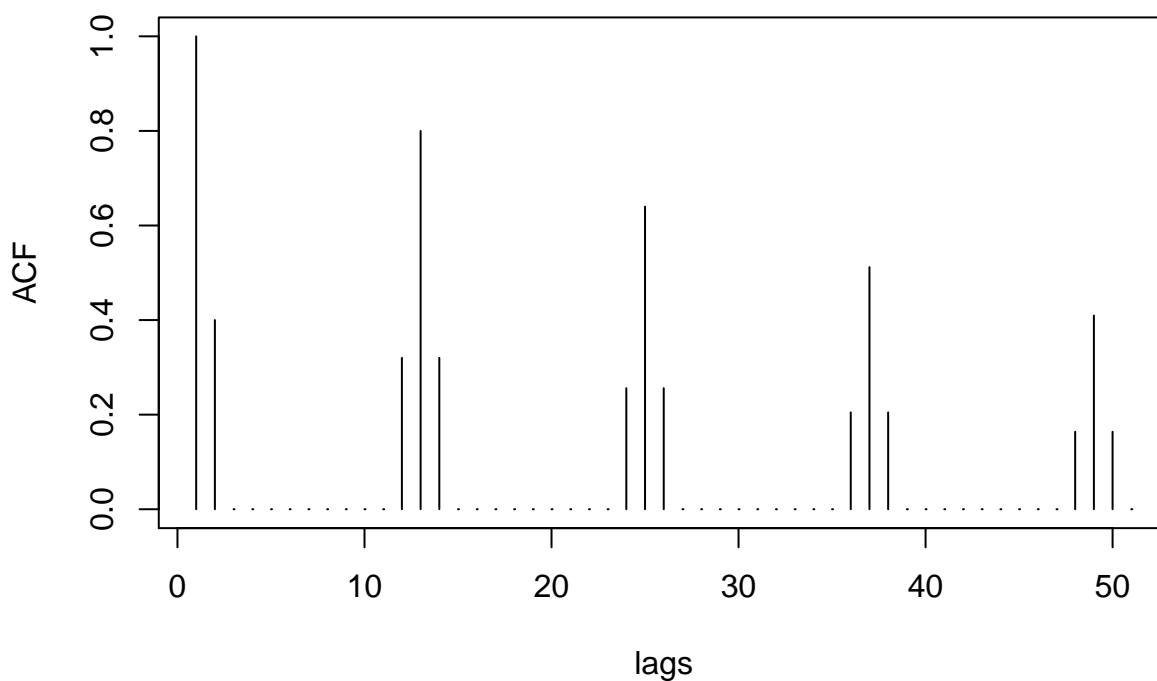
```
paste0("phi length: ", length(phi))
```

```
## [1] "phi length: 12"
```

```
ACF <- ARMAacf(ar=phi, ma=0.5, lag.max=50)
```

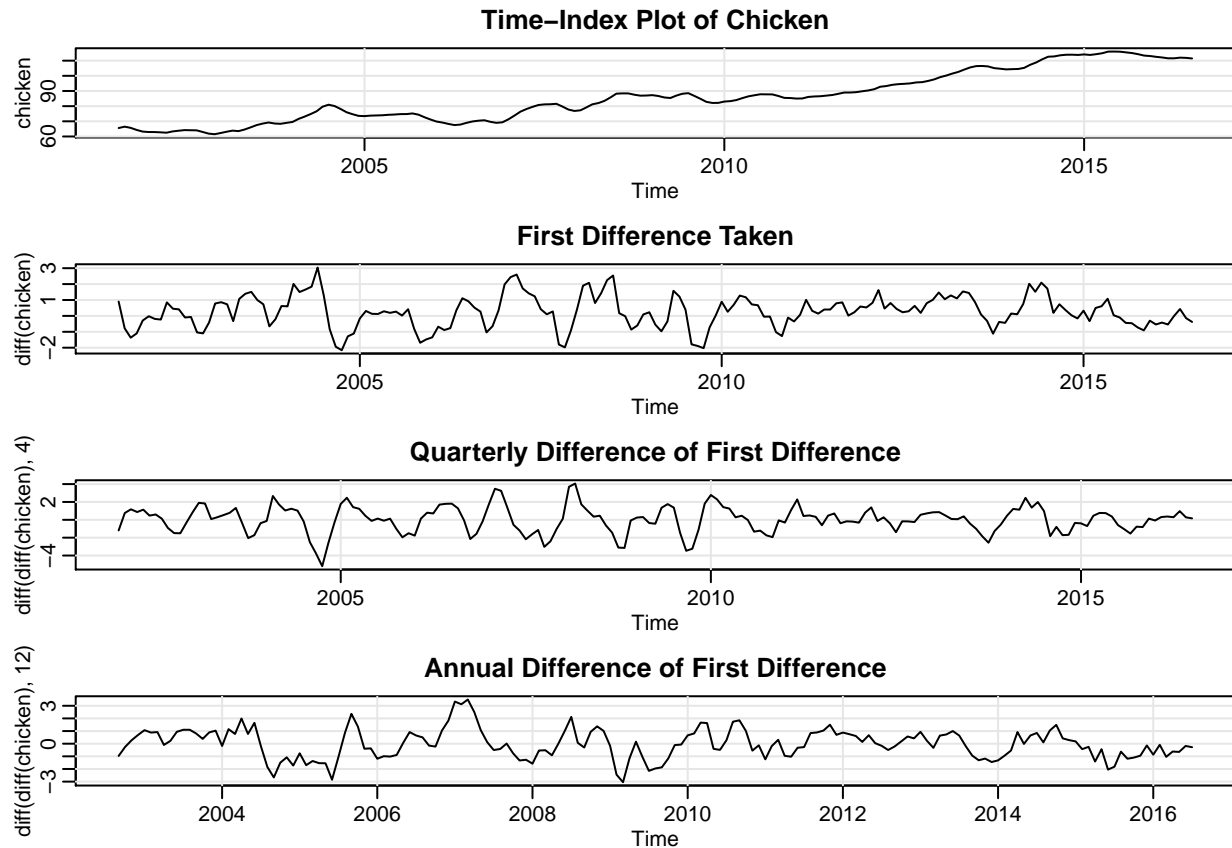
```
plot(ACF, type="h",  
     , xlab="lags"  
     , main=expression(paste("Theoretical ACF: ", Phi[12], "=0.8 ", theta, "=0.5")))
```

Theoretical ACF: $\Phi_{12}=0.8$ $\theta=0.5$



Question 3.20

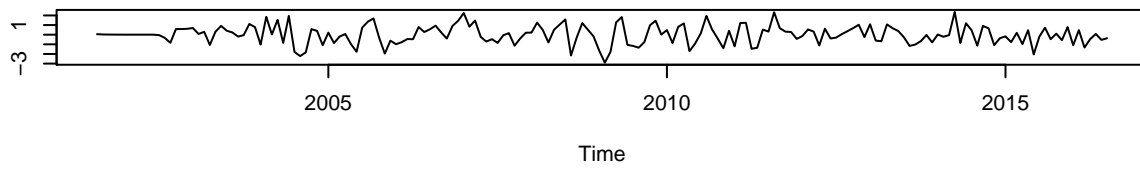
```
# first plot the
par(mfrow=c(4,1))
astsa::tsplot(chicken, main="Time-Index Plot of Chicken")
astsa::tsplot(diff(chicken), main="First Difference Taken")
astsa::tsplot(diff(diff(chicken), 4), main="Quarterly Difference of First Difference")
astsa::tsplot(diff(diff(chicken), 12), main="Annual Difference of First Difference")
```



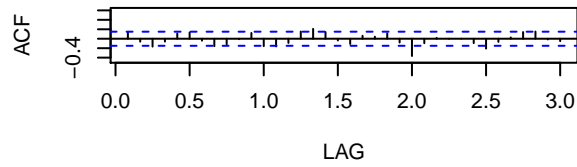
From the above ACFs+PACFs, it appears that annual differencing is a good option. The final ACF+PACF combination shows a tailing off in the ACF, but a cut-off in the PACF at the seasonal lags. This suggests that a suitable model may be SAR(1), P=1, Q=0 in S=12, or SARIMA(1,1,0)x(1,1,0)₁₂.

Model: (1,1,0) (1,1,0) [12]

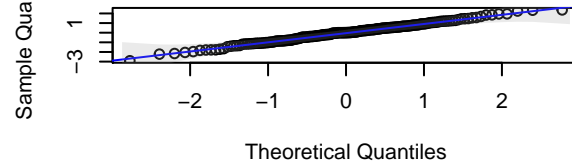
Standardized Residuals



ACF of Residuals



Normal Q-Q Plot of Std Residuals



p values for Ljung-Box statistic

