



Getting Started with MATLAB

Lab Exercises on December 5, 2021

Department of Electronics and Computer Engineering

Pulchowk Campus, Lalitpur

Ashlesh Pandey

PUL074BEX007

1 Objectives

- Familiarization and review of basic programming concepts in MATLAB.

2 Background Theory

2.1 Variables

Unlike many programming languages, MATLAB does not require prior definition of the variables, instead the variables can be simply written as,

```
variable name = expression;
```

For example:

```
a = sin(64) + 2;
```

If the user doesn't specify the name of the variable, MATLAB automatically creates the variable `ans`.

```
>> 3+2  
ans=5
```

2.2 Vectors and Matrices

Vectors and matrices are used to combine separate scalar data into single, multidimensional signal.

```
>> x=[1:10]  
>> x=[1 3 7 15]  
>> y=[1:0.1:10]  
>> z=[1:3;4:6;7:9]  
>> [m,n]=size(z)
```

2.3 Arithmetic Operations

- Arithmetic operators: +, -, *, /, \, ^
- Mathematical functions available: abs, sqrt, log, sin, cos

Mathematical Function	MATLAB Syntax
$f_1 = a_1 + b_1x + c_1x^2$	f1 = a1 + b1*x + c1*x^2
$f_2 = a_2 + b_2x + c_2x^2 + d_2x^3$	f2 = a2 + b2*x + c2*x^2 + d2*x^3
$g = e^{At} (C_1 \cos(Bt) + C_2 \sin(Bt))$	g = exp(A*t)*(C1*cos(B*t)+C2*sin(B*t))
$u = 2xy^2 + \sin(x + y)$	u = 2*x*y^2 + sin(x+y)

2.4 Control Flow

Loops	FOR Loop	WHILE Loop	IF..ELSE..
Syntax	for expression statements end	while expression statements end	if expression statements elseif expression statements else statements end

A FOR loop allows a statement to be repeated a fixed, predetermined number of times. The problem is to fill the vector b with square roots of 1 to 1000. One way to do so, is by using a FOR loop. A file named tictoc.m is saved with the following content,

```
1 clear ; %To clear all previous variables, and to free memory.
2 tic ; %This function initializes an internal clock
```

```
3 for i = 1:1000
4     b(i) = sqrt(i);
5 end
6 t=toc;

7 str=sprintf('The time required was
8     : %f',t);
9 disp(str)
```

Listing 1: Matlab script to use tic toc with for loop

Command Window Observation

```
>> tictoc
```

```
The time required was: 0.000347
```

2.5 Different Tasks and Commands

2.5.1 User-Defined Functions

- **Commands:** function [op1,op2,...]=cmd_name(ip1,ip2,...)
- **Example:**

```
function y = fcn(x)
    y = sin(x.^2);
end
```

2.5.2 Polynomial Roots

- **Commands:** roots(p)
- **Example:**

```
>> p = [1 2 1];
>> r = roots(p)
r = -1 -1
```

2.5.3 2D Plotting

- **Commands:** plot, subplot, figure, hold, stem, axis, title

- **Example:**

```
>> t=[-2:0.01:2];  
>> x=sin(t*10);  
>> plot(t,x)  
>> axis([-1 1 -1 1])  
>> zoom  
>> xlabel('Time')  
>> title('My first plot')  
>> specgram(x)
```

2.5.4 Dealing with Sound Files

- **Commands:** wavread, wavwrite, auread, auwrite, sound(y,fsamp)

- **Example:**

```
>> y=wavread('C:\sound.wav')  
>> sound(y,44100);
```

2.5.5 Complex Numbers

- **Commands:** j, real, imag, abs, angle

- **Example:**

```
>> real(j)      >> imag(j)  
>> abs(j)       >> angle(j)
```

2.5.6 Signal Processing and Image Processing

- **Commands:** `fft()`, `dft()`, `con()`, `dither()`, `gray2ind()`, `ind2gray()`, `ind2rgb()`, `imread()`, `imwrite()`
- **Example:**

```
>> A=imread('my_pic.jpg')
>> whos
>> imshow(A)
```

2.5.7 Transfer Function Representation and Frequency Response

- **Commands:** `tf2zp`, `zp2tf`, `freqs()`, `semilogx()`, `bode()`
- **Example:**

```
% Given  $H(s)=(2s+3)(s^3+4s^2+5)$ 
>> num=[2 3];
>> den=[1 4 0 5];
>> [z,p,k]=tf2zp(num,den);
>> [num den]=zp2tf(z,p,k);
>> T=0:0.1:1;
>> y=step(num,den,t);
>> plot(t,y)
>> bode(num,den)
>> [mag,phase]=bode(num,den,w);
>> magdb=20*log10(mag);
>> semilogx(w,magdb)
>> semilogx(w,phase)
```

2.6 Getting Help from MATLAB

```
>> doc fft
>> help help
>> help cos
>> help fft
>> lookfor filter
```

3 Lab Exercises

Problem 1

Calculate $\left(1 + \frac{2}{n^2}\right)^n$ for $n=3, 7$

```
1 function [y] = lab_1_1(n)
2     y = (1+2/n^2)^n;
3 end
```

Listing 2: Matlab function for calculating given polynomial

Command Window Observation

```
>> lab_1_1(3)          >> lab_1_1(7)
ans = 1.8258           ans = 1.3232
```

Problem 2

Plot the function: $y = e^{-at}\cos(\omega t)$, for $a = 2$, $\omega = 5$, and $t = 0 : 10$.

```
1 function y = exponential_cosine(a, w, t)
2     y = exp(-a.*t).*cos(w.*t);
3 end
```

Listing 3: Matlab function to calculate the response for product of exponent and cosine

```

1 t=linspace(0,10,1000);
2 a=2;
3 w=5;
4 y=exponential_cosine(a,w,t);
5 l= tiledlayout(1,1);
6 title(l,{ 'Plot of y for a=2, \
           omega=5 and t=0:10', '(
           PUL074BEX007)' })
7 nexttile
8 plot(t,y, 'Linewidth',1.5)
9 xlabel('t','interpreter','latex')
10 ylabel('$y=e^{-at}\cos(\omega t)$','interpreter','latex')
11 print('lab_1_2','-depsc')

```

Listing 4: Matlab script to plot y for $a = 2$, $\omega = 5$, and $t = 0 : 10$

Plot of y for $a=2$, $\omega=5$ and $t=0:10$
(PUL074BEX007)

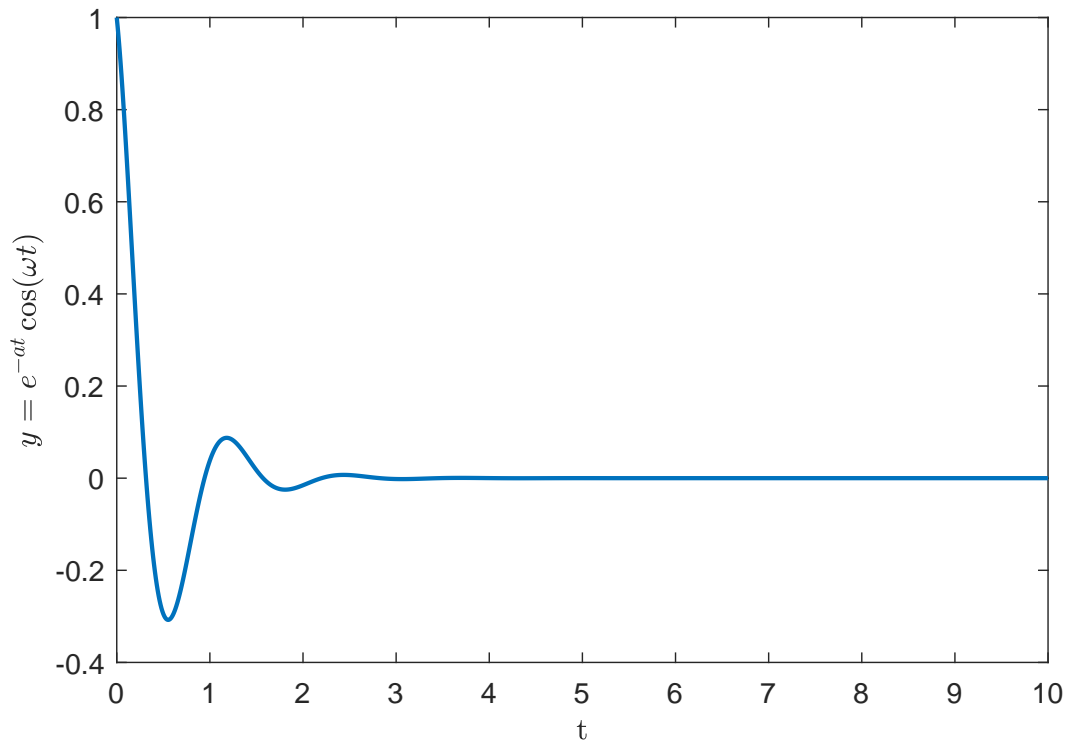


Figure 1: Plot for $y = e^{-at} \cos(\omega t)$ for $a = 2$, $\omega = 5$, and $t = 0 : 10$

Problem 3

Try using the **WHILE** and the **IF** statements to calculate all the Fibonacci numbers so that the sum of two consecutive numbers is smaller than 10,000. How many are even? How many are odd? Try to plot them.

Hints

1. Matlab can increase the size of a vector as it is being created.
2. To determine whether a number n is even or odd you can use the function `rem(n,2)`. If `rem(n,2)` equals 0 then the number is even, otherwise it is odd.

```
1 function fibo_numbers =  
    fibonacci_numbers(maxSum)  
2     f1=0;  
3     f2=1;  
4     fibo_numbers=[f1 f2];  
5     while (f1+f2) < maxSum  
6         next=f1+f2;  
7         f1=f2;  
8         f2=next;  
9         fibo_numbers(end+1)=next;  
10    end  
11 end
```

Listing 5: Matlab function to return fibonacci numbers within a maximum sum

```
1 maxSum=10000;  
2 fibo=fibonacci_numbers(maxSum);  
3 l= tiledlayout(1,1);  
4 str=sprintf('sum of two  
    consecutive numbers less than %  
    d',maxSum);  
5 title(l,{'Fibonacci numbers with',  
    str, '(PUL074BEX007)'} )  
6 nfibo=length(fibo);  
7 fibo_even=[];  
8 fibo_odd=[];  
9 nexttile  
10 hold on  
11 xlim([0 nfibo])  
12 for i = 1:nfibo  
13     if(rem(fibo(i),2)==0)  
14         fibo_even(end+1)=fibo(i);  
15         stem(i,fibo(i),'rs-','  
    Linewidth',1.5)  
16     else  
17         fibo_odd(end+1)=fibo(i);  
18         stem(i,fibo(i),'bo-','  
    Linewidth',1.5)  
19     end  
20 end  
21 xlabel('Index')
```

```

22 ylabel('Fibonacci Number')
23 legend('Even', 'Odd');
24 fprintf('Total fibonacci numbers:
    %d \n', nfib);
25 fprintf('Even fibonacci numbers: %
        d \n', length(fibo_even));
26 fprintf('Odd fibonacci numbers: %d
    \n', length(fibo_odd));
27 print('lab_1_3','-depsc');

```

Listing 6: Matlab script plot even and odd fibonacci numbers and display their count

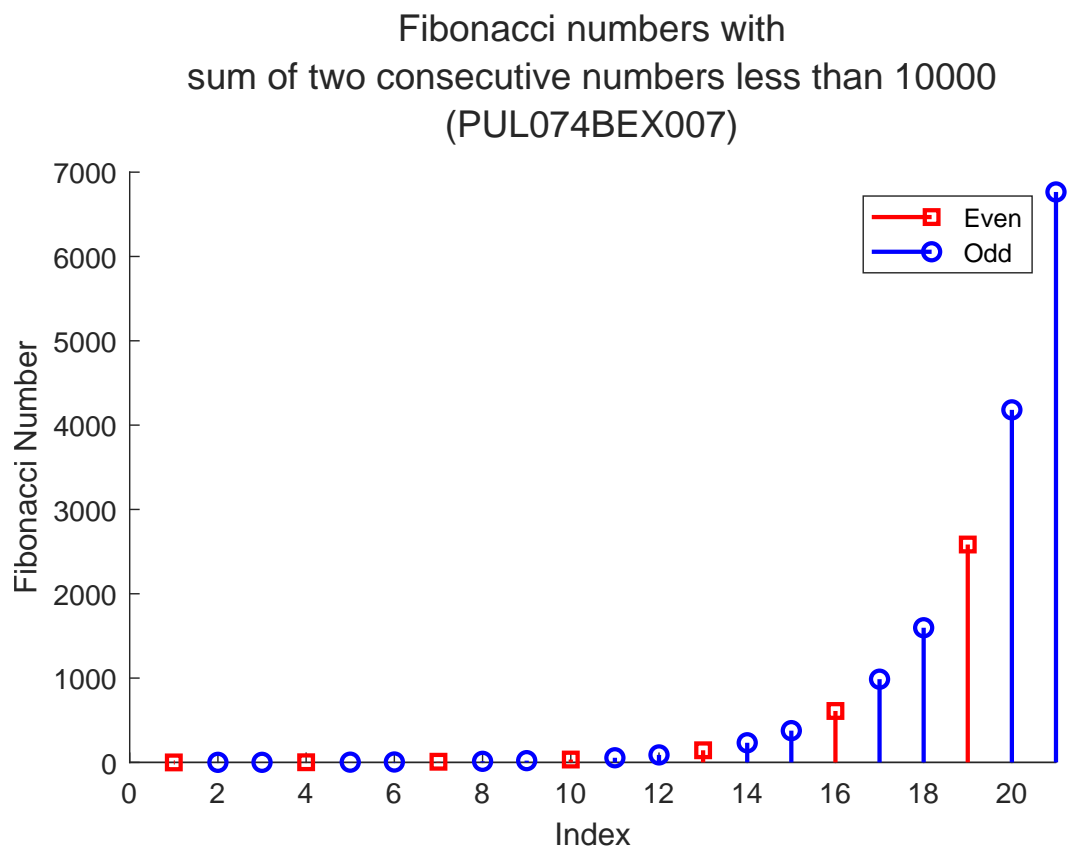


Figure 2: Plot for fibonacci numbers with sum of two consecutive numbers less than 10000

Command Window Observation

```

>> lab_1_3
Total fibonacci numbers: 21
Even fibonacci numbers: 7
Odd fibonacci numbers: 14

```

Problem 4

Given $f(x) = \frac{x^2 + 2x + 3}{x + 3}$. **Plot** $f(x)$ for $0 \leq x \leq 100$

```
1 x=linspace(0,100,1000);
2 f=(x.^2+2.*x+3)./(x+3);
3 l= tiledlayout(1,1);
4 title(l,{'Plot for f(x) for 0 \leq
          x \leq 100','(PUL074BEX007)'});
5 nexttile
6 plot(x,f,'Linewidth',1.5)
7 xlabel('$x$','interpreter','latex'
8 )
9 ylabel('$f(x)=\frac{x^2+2x+3}{x+3}$','interpreter','latex')
10 print('lab_1_4','-depsc')
```

Listing 7: Matlab script to plot $f(x)$ for $0 \leq x \leq 100$

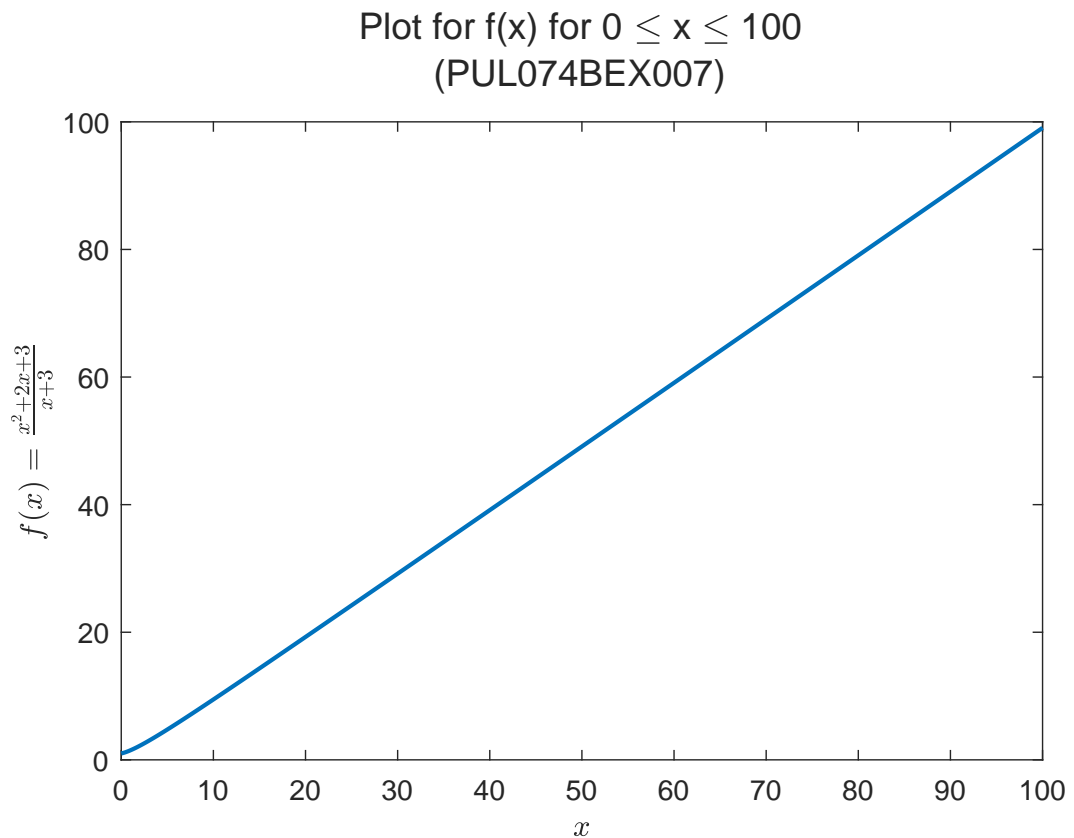


Figure 3: Plot for $f(x) = \frac{x^2 + 2x + 3}{x + 3}$ for $0 \leq x \leq 100$