

Global data flow analysis

For a global optimization a program is represented in the form of program flow graph. The program flow graph is a graphical representation in which each node represents the basic block & edges represented the flow of control from one block to another.

→ The global data flow analysis is a process of ~~it collects~~ ^{gathering} the information about entire program & distributed this information to each block in the flow graph.

→ The gathered information helps to achieve a number of optimization.

→ Global data flow analysis is used to solve a specific problem "~~Use-definition (Ud-)chaining~~".
"Use-definition (Ud-)chaining".

• Given that the identifier A is used at a point p, at what point could the value of A used at p have been defined.

Reaching Definition:- The Reaching definition implies the determination of definitions that apply at a point p in flow graph.

→ A definition D reaches at point P if path from D to P follows the given steps
 ① Assign a distinct number to each definition as $d_1, d_2, d_3, \dots, d_n$

② for each variable x , make a list of all definitions in entire program where x is used.

③ for each basic block B , compute the following

(a) $GEN[B]$:- The set $GEN[B]$ consists of all the definitions generated in block B .

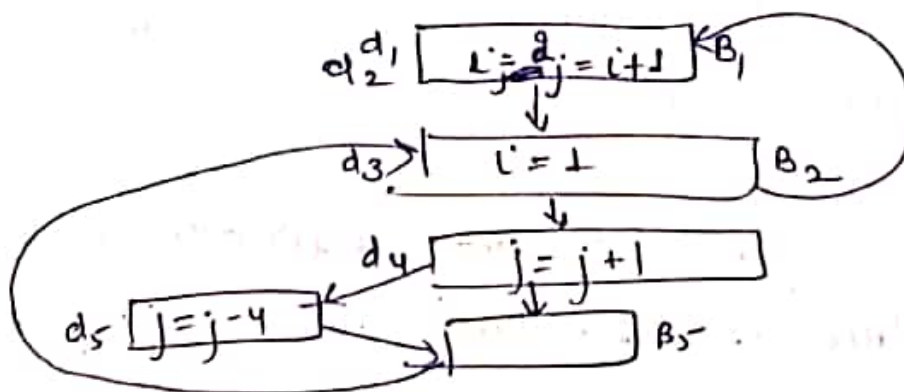
b) $KILL[B]$:- The set of all the definitions outside Block B that defines the same variables having definitions in Block B also.

i.e. A definition D of variable x is killed when there is a redefinition of x .

④ for all the basic block B , compute the following.

(a) $IN[B]$:- The set of all the definition reaching the point just before the statement of block B .

(b) $OUT[B]$: The set of all the definitions reaching the point just after the last statement of basic block B .

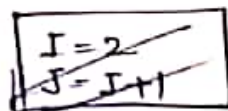


flow equations :- there are two set of equations called data flow equations

$$\textcircled{1} \quad \text{OUT}[B] = \text{IN}[B] - \text{KILL}[B] \cup \text{GEN}[B] \\ = (\text{IN}[B] \text{ AND } [\neg \text{KILL}[B]]) \cup \text{GEN}[B]$$

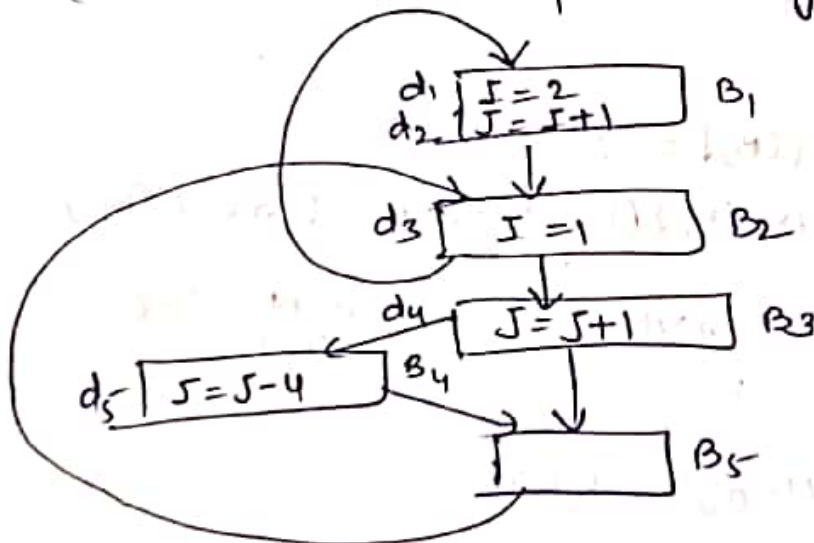
$$\textcircled{2} \quad \text{IN}[B] = \bigcup_{P \text{ is predecessor of } B} \text{OUT}[P]$$

Q Consider the flow graph.



Find

- (1) GEN and KILL for each block.
- (2) IN and OUT for reaching definitions



generation is the process

Block B	Gen[B]	bit vector $d_1 d_2 d_3 d_4 d_5$	KILL[B]	bit vec $d_1 d_2 d_3$
B_1	$[d_1, d_2]$	1 1 0 0 0	$[d_3, d_4, d_5]$	0 0 1
B_2	$[d_3]$	0 0 1 0 0	$[d_1]$	1 0 0
B_3	$[d_4]$	0 0 0 1 0	$[d_2, d_5]$	0 1 0
B_4	$[d_5]$	0 0 0 0 1	$[d_2, d_4]$	0 1 0
B_5	ϕ	0 0 0 0 0	ϕ	0 0 0

② Initially $IN[B] = \phi$, $OUT[B] = GEN[B]$

Block	IN[B]	OUT[B]
B_1	0 0 0 0 0	1 1 0 0 0
B_2	0 0 0 0 0	0 0 1 0 0
B_3	0 0 0 0 0	0 0 0 1 0
B_4	0 0 0 0 0	0 0 0 0 1
B_5	0 0 0 0 0	0 0 0 0 0

for pass-1

$$IN[B_1] = OUT[B_2] = 00100$$

$$OUT[B_1] = IN[B_1] \cap (-KILL[B_1]) \cup GEN[B_1]$$

\swarrow AND \downarrow it's complement $KILL[B_1]$ \searrow OR

$$= (00100) \cap (11000) \cup 11000$$

$$= 00000 \cup 11000$$

$$= 11000$$

$$\begin{aligned}
 & \text{OUT}[B_1] \cup \text{OUT}[B_5] \\
 &= 11000 \cup 000000 \\
 &= 11000
 \end{aligned}$$

$$\begin{aligned}
 \text{OUT}[B_2] &= \text{IN}[B_2] \cap (\neg \text{KILL}[B_2]) \cup \text{GEN}[B_2] \\
 &= 11000 \cap (\neg 10000) \cup 00100 \\
 &= 11000 \cap (01111) \cup 00100 \\
 &= 01100
 \end{aligned}$$

$$\begin{aligned}
 \text{IN}[B_3] &= \text{OUT}[B_2] \\
 &= 01100
 \end{aligned}$$

$$\begin{aligned}
 \text{OUT}[B_3] &= \text{IN}[B_3] \cap (\neg \text{KILL}[B_3]) \cup \text{GEN}[B_3] \\
 &= 00110
 \end{aligned}$$

$$\begin{aligned}
 \text{IN}[B_4] &= \text{OUT}[B_3] \\
 &= 00110
 \end{aligned}$$

$$\begin{aligned}
 \text{OUT}[B_4] &= \text{IN}[B_4] \cap (\neg \text{KILL}[B_4]) \cup \text{GEN}[B_4] \\
 &= 00110 \cap (\neg 01010) \cup (00001) \\
 &= 00110 \cap (10101) \cup (00001) \\
 &= 00100 \cup 00001 \\
 &= 00101
 \end{aligned}$$

$$\begin{aligned}
 \text{IN}[B_5] &= \text{OUT}[B_4] \cup \text{OUT}[B_3] \\
 &= 00101 \cup 00110
 \end{aligned}$$

$$\begin{aligned}
 &= 00111 \\
 \text{OUT}[B_5] &= \text{IN}[B_5] \cap (\neg \text{KILL}[B_5]) \cup \text{GEN}[B_5] \\
 &= 00111
 \end{aligned}$$

Block	Pass-1		Pass-2		Pass-3		Pass-4
	IN[B]	OUT[B]	IN[B]	OUT[B]	IN[B]	OUT[B]	
B ₁	00100	11000	01100	00 11000	01111	11000	Same as Pass-3 so we stop
B ₂	11000	01100	11111	01111	11111	01111	
B ₃	01100	00110	01111	00110	01111	00110	
B ₄	00110	00101	00110	00101	00110	00101	
B ₅	00111	00111	00111	00111	00111	00111	

Similarly calculate the Pass-2, Pass-3 & Pass-4. We receive the same result in Pass-3 & Pass-4, So we will stop process after Pass-4

Code Generation:- It is the final activity of compiler.

Code generation is the process of creating Assembly/

Machine language. There are some properties of

Code generation.

- ① Correctness :- It should produce a correct code & do not alter the purpose of source code.
- ② High Quality :- It should produce a high quality code.
- ③ Efficient use of resource of target machine. While generating
- ④ ~~Quick~~ code generation the code it is necessary to know the target machine on which it is going to get generated