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Set of all 2×2 non-singular matrices with real entries under matrix multiplication

- (a) Doesn't form a group (b) forms an abelian group
(c) Forms a finite group (d) forms an infinite non-abelian group

☐ A☐ B☐ C☒ D

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Subgroup of the group of real numbers under addition $(\mathbb{R}, +)$ is

- (a) $(\mathbb{Z}, +)$
(b) $(\mathbb{Z}^+, +)$
(c) (\mathbb{Q}, \bullet)
(d) $(\mathbb{R}, -)$

☒ A☐ B☐ C☐ D

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In the cyclic group $G = \{1, -1, i, -i\}$ under multiplication its generators are

- a) $\{1, i\}$
- b) $\{1, -i\}$
- c) $\{-1, i\}$
- d) $\{i, -i\}$

☐ A☐ B☐ C☒ D

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In a permutation group S_3 , if $p = \begin{pmatrix} a & b & c \\ b & c & a \end{pmatrix}$, then inverse of p is

(a) $\begin{pmatrix} a & b & c \\ c & a & b \end{pmatrix}$

(b) $\begin{pmatrix} a & b & c \\ a & c & b \end{pmatrix}$

(c) $\begin{pmatrix} a & b & c \\ b & c & a \end{pmatrix}$

(d) $\begin{pmatrix} a & b & c \\ b & a & c \end{pmatrix}$

☒ A

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☐ D

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.In a permutation group if $P_1 = \begin{pmatrix} a & b \\ a & b \end{pmatrix}$ $P_2 = \begin{pmatrix} a & b \\ b & a \end{pmatrix}$ then $P_2 * P_1 =$

a) P_1

b) P_2

c) P_1^{-1}

d) P_2^{-1}

☐ A

☒ B

☐ C

☐ D

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If $\{G, *\}$ is a finite cyclic group of order n with “a” as generator element, thenis also a generator iff the GCD of $(m, n) = 1$ where $m < n$.

- a) a^m
- b) a^n
- c) a^{m+n}
- d) a^{-1}

- ☒ A
- ☐ B
- ☐ C
- ☐ D

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7. The inverse of the element “a” in group $(G, *)$ with binary operation $a*b = a+b+2$

- a) $-a$ (b) a^{-1} (c) -2 (d) $-(a+4)$

- ☐ A
- ☐ B
- ☐ C
- ☒ D

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The order of the element $-i$ in the group $\{1, -1, i, -i\}$ under multiplication is

- a) 1
- b) 2
- c) 3
- d) 4

☒ A☐ B☐ C☐ D

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A cyclic group is

- a) Subgroup
- b) Abelian group
- c) permutation group
- d) Dihedral group

☐ A☒ B☐ C☐ D

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In a group, $(G, *)$ for any $a, b \in G$, $(a*b)^{-1} = \dots\dots\dots$

- a) $a^{-1} * b^{-1}$
- b) $b^{-1} * a^{-1}$
- c) $a*b$
- d) $b*a$

☐ A☒ B☐ C☐ D

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If $*$ is the binary operation on the set R of real numbers defined by $a*b = a+b+2ab$, then the identity element is

- a) 0
- b) 1
- c) $1+2a$
- d) $2a$

☒ A☐ B☐ C☐ D

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The kernel of a homomorphism f from a group $(G, *)$ to another group (G', Δ) is a of $(G, *)$

- a) Empty subset of G
- b) Subgroup of G
- c) Abelian subgroup of G
- d) Cyclic Subgroup of G

☐ A☒ B☐ C☐ D

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If a and b are any two elements of a group G such that $(a*b)^2 = a^2 * b^2$, then G is a

- a) Cyclic group
- b) Abelian Group
- c) Permutation Group
- d) Dihedral Group

☐ A☒ B☐ C☐ D

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The identity element of a group is the only element whose order is ...

- a) 1
- b) 2
- c) n
- d) $m + n$

- ☒ A
- ☐ B
- ☐ C
- ☐ D

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The multiplicative group $\{1, \omega, \omega^2\}$ where ω is a cube root of unity is a

- a) Ring
- b) Non-abelian group
- c) Cyclic group
- d) Monoid

- ☐ A
- ☐ B
- ☒ C
- ☐ D

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A commutative ring with unity and without zero divisors is called an

- a) Integral domain
- b) zero divisor
- c) Ring homomorphism
- d) Field

- ☒ A
- ☐ B
- ☐ C
- ☐ D

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Every finite integral domain is a

- a) cyclic group
- b) Non-commutative Ring
- c) Non abelian group
- d) Field

- ☐ A
- ☐ B
- ☐ C
- ☒ D

*

The inverse operation of encoding is.....

- a) Group code
- b) Hamming code
- c)) Decoding
- d) Input message

- ☐ A
- ☐ B
- ☒ C
- ☐ D

*

The number of 1's in the binary string is called.....

- a) Distance
- b) Group code
- c) weight
- d) Parity digit

- ☐ A
- ☐ B
- ☒ C
- ☐ D

*

A code can correct a set of atmost 'K' errors iff the minimum distance between any two code words is atleast

- a) $2k-1$
- b) $k+1$
- c) k
- d) $2k + 1$

- ☐ A
- ☐ B
- ☐ C
- ☒ D

*

The number of errors can be corrected between the encoded words 000 and 111 is

- a) Three errors
- b) Two errors
- c) Zero or one error
- d) Four errors

- ☐ A
- ☐ B
- ☒ C
- ☐ D

*

If $x = 10110$, $y = 11110$, then $H(x,y) =$

a) 2

b) 1

c) 3

d) 4

☐ A

☒ B

☐ C

☐ D

*

.The device which transforms the encoded message into their original form is.....

a) encoder

b) Decoder

c) Hamming Code

d) coding theory

☐ A

☒ B

☐ C

☐ D

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.If (B^n, \oplus) is where \oplus is addition modulo 2

- a) Field
- b) Cyclic group
- c) Abelian group
- d) Ring homomorphism.

- ☐ A
- ☐ B
- ☒ C
- ☐ D

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5. Find the code words for $e(111)$, $e(110)$ generated by the parity check matrix:

$$I = \begin{bmatrix} 1 & 1 & 1 \\ 1 & 0 & 1 \\ 0 & 1 & 1 \\ 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix} \text{ when the encoding function is } e: B^3 \rightarrow B^6,$$

- a) 000000,001010
- b) 000110,100110
- c) 110000,110100
- d) 111001,110010

☐ A

☐ B

☐ C

☒ D

*

A graph in which loops and parallel edges are allowed is called a

- (A) weighted graph
- (B) simple graph
- (C) multigraph
- (D) pseudograph

- ☐ A
- ☐ B
- ☐ C
- ☒ D

*

Which of the following statement for a graph is correct?

- (A) Simple path in a graph crosses the vertex any number of times.
- (B) A graph can exists without edges.
- (C) An edge in a graph is incident on more than two vertices.
- (D) Total degree of the vertices is odd.

- ☐ A
- ☒ B
- ☐ C
- ☐ D

*

Let G be a simple connected graph such that every vertex in G has degree 4. If number of edges $(|E|) = 16$, then the number of vertices $(|V|) =$

- (A) 4
- (B) 8
- (C) 9
- (D) 16

- ☐ A
- ☒ B
- ☐ C
- ☐ D

*

How many edges are there in a complete bipartite graph $K_{5,7}$?

- (A) 35
- (B) 12
- (C) 42
- (D) 49

- ☒ A
- ☐ B
- ☐ C
- ☐ D

*

A graph is called a if it is connected and has no circuits.

- (A) Cyclic graph
- (B) Regular graph
- (C) Tree
- (D) Not graph

- ☐ A
- ☐ B
- ☒ C
- ☐ D

*

A circuit of G is a circuit which includes every edge of G exactly once?

- (A) Euler
- (B) Hamiltonian
- (C) Planar
- (D) Isomorphic

- ☒ A
- ☐ B
- ☐ C
- ☐ D

*

Chromatic number of a circuit of length 9 (C_9) is

- (A) 9
- (B) 5
- (C) 2
- (D) 3

- ☐ A
- ☐ B
- ☐ C
- ☒ D

*

Which of the following statement is false?

- (A) Total degree of a tree with n vertices is $2n - 2$
- (B) There is no circuit in a tree
- (C) There exists a tree with 8 vertices and 8 edges
- (D) A tree with e edges has $e + 1$ vertices

- ☐ A
- ☐ B
- ☒ C
- ☐ D

*

The maximum number of edges in a simple disconnected graph with n vertices and k components is

- (A) $\frac{(n+k)(n+k+1)}{2}$
(B) $\frac{(n+k)(n-k+1)}{2}$
(C) $\frac{(n-k)(n-k+1)}{2}$
(D) $\frac{(n-k)(n+k+1)}{2}$

☐ A☐ B☒ C☐ D

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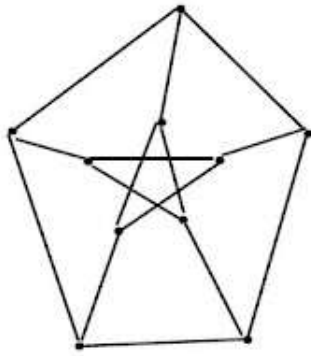
Which of the following completely bipartite graph is a complete graph?

- (A) $K_{7,5}$
(B) $K_{1,1}$
(C) $K_{n,n}$
(D) $K_{m,n}$

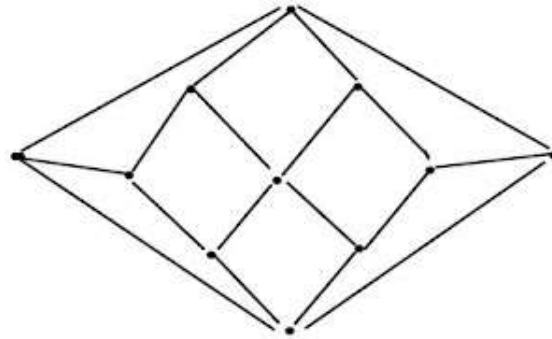
☐ A☒ B☐ C☐ D

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Which of the following is true for the graph A and graph B of 10 and 11 vertices respectively?



Graph A



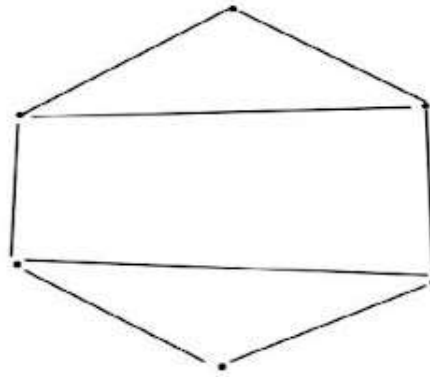
Graph B

- (A) Both graphs A and B contain a Hamiltonian circuit
 (B) Neither graph A nor B contains a Hamiltonian circuit
 (C) Graph A contains a Hamiltonian circuit
 (D) Graph B contains a Hamiltonian circuit

- ☐ A
☐ B
☒ C
☐ D

*

Which of the following is true for the following graph G with 6 vertices?



Graph G

- (A) G is Hamiltonian but not Eulerian
- (B) G is both Eulerian and Hamiltonian
- (C) G is neither Eulerian and Hamiltonian
- (D) G is Eulerian but not Hamiltonian

☒ A

☐ B

☐ C

☐ D

*

A vertex which is adjacent to exactly one vertex is called

- (A) Isolated Vertex
- (B) Pendant Vertex
- (C) Incident Vertex
- (D) Simple Vertex

- ☐ A
- ☒ B
- ☐ C
- ☐ D

*

Every complete graph is

- (A) Completely bipartite
- (B) Tree
- (C) Regular
- (D) Bipartite

- ☐ A
- ☐ B
- ☒ C
- ☐ D

*

The number of edges of a complete graph K_{10} is

(A) 10

(B) 25

(C) 20

(D) 45

☐ A

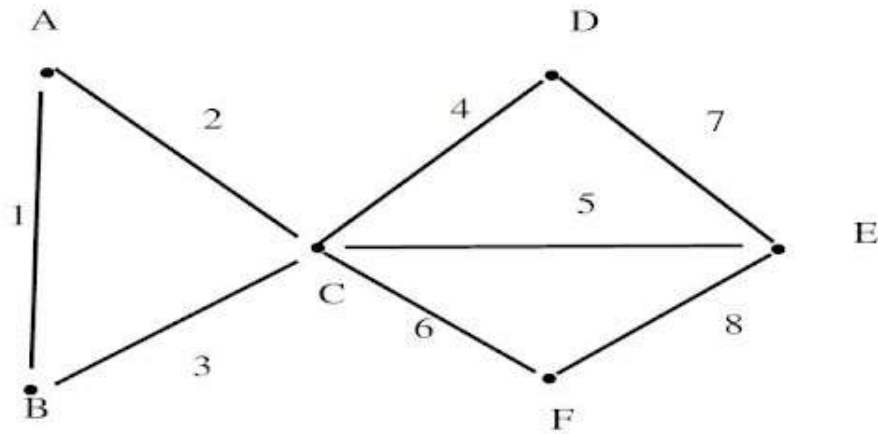
☐ B

☐ C

☒ D

*

Find the total minimum weight for the following weighted graph using Kruskal's Algorithm

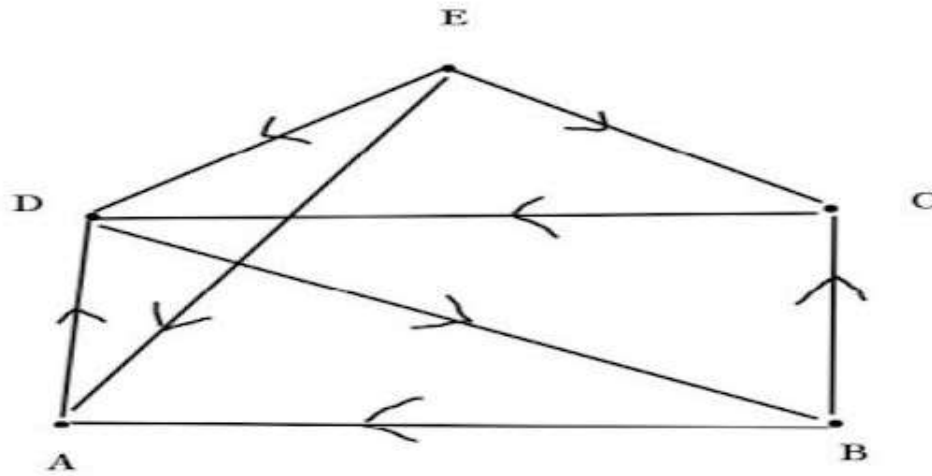


- (A) 18
- (B) 15
- (C) 12
- (D) 20

- ☒ A
- ☐ B
- ☐ C
- ☐ D

*

The sum of the indegree vertices for the following directed graph is



- (A) 8
- (B) 9
- (C) 10
- (D) 11

- ☒ A
- ☐ B
- ☐ C
- ☐ D

*

The adjacency matrix corresponding to a complete graph of 4 vertices (K_4) is

(A) $\begin{pmatrix} 0 & 1 & 0 & 0 \\ 0 & 1 & 0 & 1 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 1 & 1 \end{pmatrix}$ (B) $\begin{pmatrix} 1 & 1 & 0 & 0 \\ 0 & 1 & 0 & 1 \\ 1 & 1 & 0 & 0 \\ 0 & 0 & 1 & 1 \end{pmatrix}$ (C) $\begin{pmatrix} 0 & 1 & 1 & 1 \\ 1 & 0 & 1 & 1 \\ 1 & 1 & 0 & 1 \\ 1 & 1 & 1 & 0 \end{pmatrix}$ (D) $\begin{pmatrix} 0 & 1 & 0 & 0 \\ 0 & 1 & 0 & 1 \\ 0 & 0 & 0 & 0 \\ 1 & 0 & 1 & 1 \end{pmatrix}$

☐ A

☐ B

☒ C

☐ D

*

What is the chromatic number of the complete bipartite graph $K_{m,n}$?

☐ (A) 2

☐ (B) 3

☐ (C) 6

☐ (D) 5

☒ A

☐ B

☐ C

☐ D

*

A row with all 0 (zero) entries in the incidence matrix corresponds to

- (A) pendant vertex
- (B) an isolated vertex
- (C) a vertex of degree 2
- (D) a vertex of degree 3

- ☐ A
- ☒ B
- ☐ C
- ☐ D

*

If there is a unique path between every pair of vertices then the graph is

- (A) Connected circuitless graph
- (B) Disconnected graph
- (C) Connected Cyclic graph
- (D) Complete graph

- ☒ A
- ☐ B
- ☐ C
- ☐ D

*

Length of the path of a graph is the

- (A) Number of vertices in the graph
- (B) Number of edges in the path
- (C) Number of vertices in the path
- (D) Number of edges in the graph

☐ A

☒ B

☐ C

☐ D

*

If the origin and terminal vertex of the path are same then the path is called

- (A) Euler path
- (B) Tree
- (C) Circuit
- (D) Hamiltonian path

- ☐ A
- ☐ B
- ☒ C
- ☐ D

*

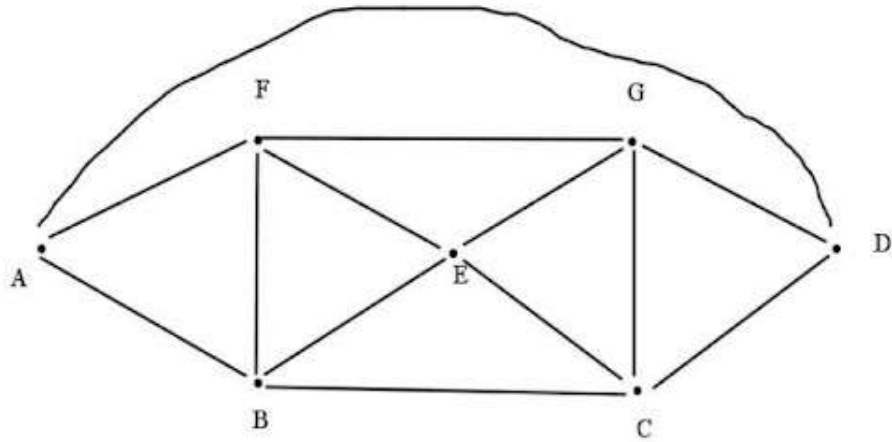
Which of the following graph is 4-Chromatic?

- (A) Complete bipartite graph of 3,3 vertices ($K_{3,3}$)
- (B) Complete graph of 5 vertices (K_5)
- (C) Complete graph of 4 vertices (K_4)
- (D) Complete bipartite graph of 4,4 vertices ($K_{4,4}$)

- ☐ A
- ☐ B
- ☒ C
- ☐ D

*

What is the chromatic number of the following graph with 7 vertices?



- (A) 3
- (B) 4
- (C) 1
- (D) 2

- ☐ A
- ☒ B
- ☐ C
- ☐ D

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