

# 操作系统原理

Operating System Principle

田丽华

# §7-5 银行家算法

- ① Multiple instances. (多个实例)
- ① Each process must a priori claim maximum use.  
(每一个进程必须事先声明使用的最大量)
- ① When a process requests a resource it may have to wait.  
(当一个进程请求资源, 它可能要等待)
- ① When a process gets all its resources it must return them in a finite amount of time.  
(当一个进程得到所有的资源, 它必须在有限的时间释放它们)

# Data Structures for the Banker's Algorithm

## 银行家算法的数据结构

Let  $n$  = number of processes, and  $m$  = number of resources types.  
 $n$ 为进程的数目,  $m$ 为资源类型的数目

**Available:** Vector of length  $m$ . If available  $[j] = k$ , there are  $k$  instances of resource type  $R_j$  available.

(如果available[j]=k,那么资源 $R_j$ 有k个实例有效)

**Max:**  $n \times m$  matrix. If Max  $[i,j] = k$ , then process  $P_i$  may request at most  $k$  instances of resource type  $R_j$ .

(如果Max[i,j]=k,那么进程 $P_i$ 可以最多请求资源 $R_j$ 的k个实例)

# Data Structures for the Banker's Algorithm

## 银行家算法的数据结构

**Allocation:**  $n \times m$  matrix. If  $\text{Allocation}[i,j] = k$  then  $P_i$  is currently allocated  $k$  instances of  $R_j$ .

(如果  $\text{Allocation}[i,j]=k$ , 那么进程  $P_i$  当前分配了  $k$  个资源  $R_j$  的实例)

**Need:**  $n \times m$  matrix. If  $\text{Need}[i,j] = k$ , then  $P_i$  may need  $k$  more instances of  $R_j$  to complete its task.

(如果  $\text{Need}[i,j]=k$ , 那么进程  $P_i$  还需要  $k$  个资源  $R_j$  的实例)

$$\text{Need}[i,j] = \text{Max}[[i,j] - \text{Allocation}[i,j]] .$$

# Banker's Algorithm

$\text{Request}_i$  = request vector for process  $P_i$ . If  $\text{Request}_i[j] = k$  then process  $P_i$  wants  $k$  instances of resource type  $R_j$ .

- 1 If  $\text{Request}_i \leq \text{Need}_i$  go to step 2. Otherwise, raise error condition, since process has exceeded its maximum claim.
- 2 If  $\text{Request}_i \leq \text{Available}$ , go to step 3. Otherwise  $P_i$  must wait, since resources are not available.
- 3 Pretend to allocate requested resources to  $P_i$  by modifying the state as follows:

$\text{Available} := \text{Available} - \text{Request}_i;$   
 $\text{Allocation}_i := \text{Allocation}_i + \text{Request}_i;$   
 $\text{Need}_i := \text{Need}_i - \text{Request}_i;$

- 4 用安全算法进行检查,看系统是否处于安全状态

If safe  $\Rightarrow$  the resources are allocated to  $P_i$ .

If unsafe  $\Rightarrow P_i$  must wait, and the old resource-allocation state is restored

# Safety Algorithm

## 安全算法

- 1 Let  $Work$  and  $Finish$  be vectors of length  $m$  and  $n$ , respectively. Initialize (让  $Work$  和  $Finish$  作为长度为  $m$  和  $n$  的向量)

$Work := Available$

$Finish[i] = false$  for  $i = 1, 3, \dots, n$ .

- 2 Find and  $i$  such that both: (找到  $i$ )

(a)  $Finish[i] = false$

(b)  $Need_i \leq Work$

If no such  $i$  exists, go to step 4.

- 3  $Work := Work + Allocation_i$   
 $Finish[i] := true$   
go to step 2.

- 4 If  $Finish[i] = true$  for all  $i$ , then the system is in a safe state.

# Example of Banker's Algorithm

## 银行家算法的例子

5 processes  $P_0$  through  $P_4$ ; 3 resource types A (10 instances), B (5 instances, and C (7 instances). (5个进程 $P_0$ 到 $P_4$ :3个资源类型A(10个实例) , B (5个实例) , C (7个实例) )

Snapshot at time  $T_0$ : (时刻 $T_0$ 的片段)

	<u>Allocation</u>			<u>Max</u>		
	A	B	C	A	B	C
$P_0$	0	1	0	7	5	3
$P_1$	2	0	0	3	2	2
$P_2$	3	0	2	9	0	2
$P_3$	2	1	1	2	2	2
$P_4$	0	0	2	4	3	3

	<u>Allocation</u>			<u>Max</u>			<u>Need</u>		
	A	B	C	A	B	C	A	B	C
$P_0$	0	1	0	7	5	3	7	4	3
$P_1$	2	0	0	3	2	2	1	2	2
$P_2$	3	0	2	9	0	2	6	0	0
$P_3$	2	1	1	2	2	2	0	1	1
$P_4$	0	0	2	4	3	3	4	3	1



### 用安全检测算法看能否找到一个安全序列

- Work[]=available=(3,3,2)
- Finish[i]=false (i=0..4)

	Work	need	allocation	finish
➤ P1	<u>3 3 2</u>	<u>1 2 2</u>	<u>2 0 0</u>	T
➤ P3	<u>5 3 2</u>	0 1 1	2 1 1	T
➤ P4	7 4 3	4 3 1	0 0 2	T
➤ P2	7 4 5	6 0 0	3 0 2	T
➤ P0	10 4 7	7 4 3	0 1 0	T
➤	<u>存在安全序列: (P1, P3, P4, P2, P0)</u>			
➤	<u>安全序列有时不是唯一的</u>			

## Example (Cont.)

P1 request (1,0,2)

### 例子续

- Check that Request  $\leq$  Available (that is,  $(1,0,2) \leq (3,3,2)$   $\Rightarrow$  *true*.  
(检查请求小于有效 (就是说,  $(1,0,2) \leq (3,3,2)$  为真))

		<u>Allocation</u>			<u>Need</u>			<u>Available</u>			
		<i>A</i>	<i>B</i>	<i>C</i>	<i>A</i>	<i>B</i>	<i>C</i>	<i>A</i>	<i>B</i>	<i>C</i>	
<u>2 0 0</u>		$P_0$	0	1	0	7	4	3	<u>2</u>	<u>3</u>	<u>0</u>
	<u>3 2 2</u>	$P_1$	<u>3</u>	<u>0</u>	<u>2</u>	<u>0</u>	<u>2</u>	<u>0</u>			
		$P_2$	3	0	2	6	0	0			
		$P_3$	2	1	1	0	1	1			
		$P_4$	0	0	2	4	3	1			

- Executing safety algorithm shows that sequence  $\langle P_1, P_3, P_4, P_0, P_2 \rangle$  satisfies safety requirement. (执行安全算法表明序列p1,p3,p4,p0,p2满足要求)