The Hassle with Monads

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`https://github.com/panicz/writings/tree/`
`master/talks/elixir`

hacker:space 3city, 05.12.2018

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- have you heard about monads?

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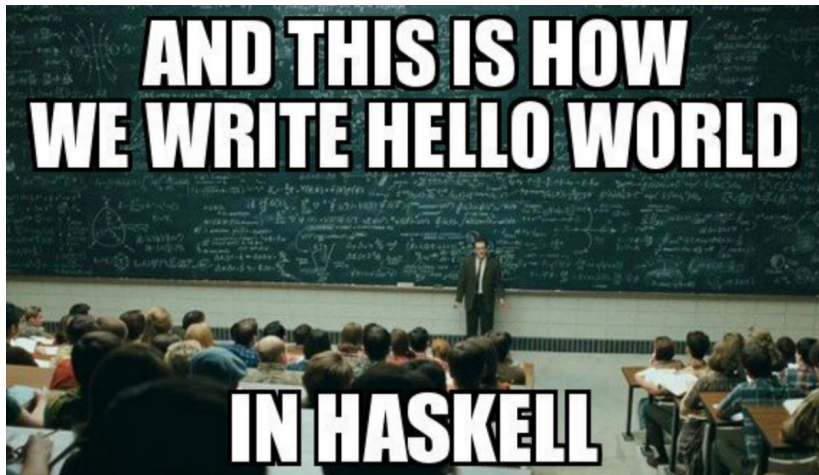- did you try to understand monads and failed?

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Yes, monads seem to be a form of AspectOrientedProgramming, since they serve to isolate a generalized computational strategy from the specifics of an algorithm. For example, in HaskellLanguage you can write a graph-searching procedure that can either do a depth-first search and return the first result, or do a breadth-first search and return a list of results, merely by running it in a different monad.

```
http://wiki.c2.com/?AspectOrientedProgramming
```

Why (lazy) functional programming?

```
numbersFrom n = n:numbersFrom(n+1)
numbersFrom 0 = [0,1,2,3,4,5,6,7,8,9,10,...]

sieve (h:t) = h:(sieve [x|x<-t,x`mod`h/=0])
primes = sieve (numbersFrom 2)
primes = [2,3,5,7,11,13,17,19,23,29,31,37,...]
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Jerzy Karczmarczuk, *Generating Power of Lazy Semantics*
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The essence of laziness

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square x = x * x
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Applicative order (evaluate arguments before expansion):
```
square (2*3) = square 6 =def 6 * 6 = 36
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Normal order (evaluate arguments after expansion):
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square x = x * x
square = λ x -> x * x
square = function(x) { return x * x; }

distance x y = abs(x-y)
distance = λ x -> λ y -> abs(x-y) (currying)

let name = value in expression
(λ name -> expression) value
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```
1*3  +  2*0

readNumber()*3 + 2*readNumber()
< 1
< 0
```

```
1*3 + 2*0

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Attempted solution

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let  a      = readNumber(  ) in
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```
let (a,w1) = readNumber(w0) in
  let (b,w2) = readNumber(w1) in
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```
let (a,w1) = readNumber(w0) in
  let (b,w2) = readNumber(w1) in
    (a*2 + 3*b, w2)
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A function

```
myOperation w0 =
let (a,w1) = readNumber(w0) in
  let (b,w2) = readNumber(w1) in
    (a*2 + 3*b, w2)
```

```
myOperation :: RealWorld -> (Int, RealWorld)
myOperation w0 =
let (a,w1) = readNumber(w0) in
  let (b,w2) = readNumber(w1) in
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https://wiki.haskell.org/IO_inside
```

- need to pass additional parameter
- prone to errors (e.g. `w0` instead of `w1`)
- nesting level increases

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     (λ a -> pass readNumber
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return value = λ world -> (value, world)

pass value continuation = λ w0 ->
  let (result, w1) = value w0 in
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can be interpreted as:

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pass action (λ result -> do actions ...)
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Note: In Haskell, `pass` function is spelled »= and pronounced "bind".

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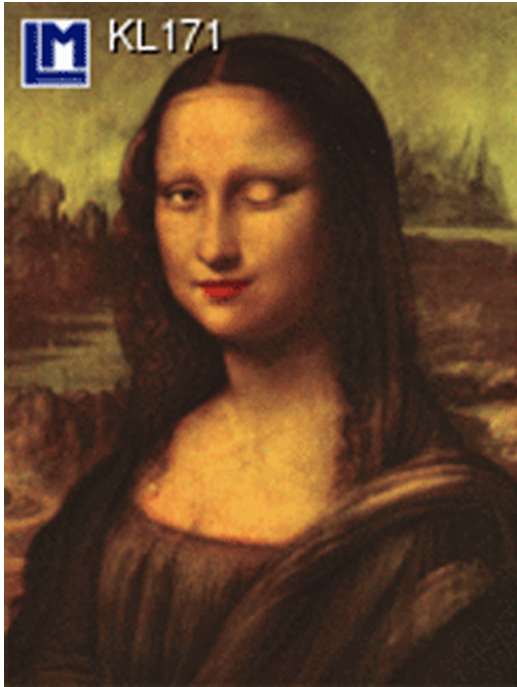
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Now we can write our program as:

```
do a <- readNumber
   b <- readNumber
   return a*2 + 3*b
```

The sequencing pattern

A monad (sequencing pattern) consists of:

1. a »= (bind, pass, chain) function that takes some (decorated) value and a function (*continuation*) and passes that value to the function

2. a `return` function that takes some (raw) value and lifts (decorates) it, so that it can be chained using the »= operator

The monad laws:

`((return v) »= f) = (f v)` – *left identity*

`(m »= return) = m` – *right identity*

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```
class Monad m where
  return :: a -> m a
  (»=) :: m a -> (a -> m b) -> m b
```

Monads with the `do` notation provide a general and systematic solution to the common anti-pattern known as *the Pyramid of Doom*.

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The Pyramid of Doom

```
function register()
{
    if (!empty($_POST)) {
        $msg = '';
        if ($_POST['user_name']) {
            if ($_POST['user_password_new']) {
                if ($_POST['user_password_new'] === $_POST['user_password_repeat']) {
                    if (strlen($_POST['user_password_new']) > 5) {
                        if (strlen($_POST['user_name']) < 65 && strlen($_POST['user_name']) > 1) {
                            if (preg_match('/^[a-z\d]{2,64}$/i', $_POST['user_name'])) {
                                $user = read_user($_POST['user_name']);
                                if (!isset($user['user_name'])) {
                                    if ($_POST['user_email']) {
                                        if (strlen($_POST['user_email']) < 65) {
                                            if (filter_var($_POST['user_email'], FILTER_VALIDATE_EMAIL)) {
                                                create_user();
                                                $_SESSION['msg'] = 'You are now registered so please login';
                                                header('Location: ' . $_SERVER['PHP_SELF']);
                                                exit();
                                            } else $msg = 'You must provide a valid email address';
                                        } else $msg = 'Email must be less than 64 characters';
                                    } else $msg = 'Email cannot be empty';
                                } else $msg = 'Username already exists';
                            } else $msg = 'Username must be only a-z, A-Z, 0-9';
                        } else $msg = 'Username must be between 2 and 64 characters';
                    } else $msg = 'Password must be at least 6 characters';
                } else $msg = 'Passwords do not match';
            } else $msg = 'Empty Password';
        } else $msg = 'Empty Username';
        $_SESSION['msg'] = $msg;
    }
    return register_form();
}
```

The Pyramid of Doom

*In computer programming, the **pyramid of doom** is a common problem that arises when a program uses many levels of nested indentation to control access to a function. It is commonly seen when checking for null pointers or handling callbacks.*

Wikipedia/Pyramid_of_doom_(programming)

```
theWidth = windows("Main").views(5).size().width();

if windows.contains("Main") {
  if windows("Main").views.contains(5) {
    theWidth = windows("Main").views(5).size().width();
    //more code that works with theWidth
  }
}
```

With "optional chaining"/"null-conditional"/"safe navigation" operator:

```
theWidth = windows("Main")?.views(5)?.size.width;
```

The Pyramid of Doom – example

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theWidth = windows("Main").views(5).size().width();

if windows.contains("Main") {
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Dealing with "no values" in Haskell

```
data Maybe a = Nothing | Just a

let theWidth = do window <- windows("Main")
                  view <- views 5 window
                  return width (size view)

instance Monad Maybe where
  (Nothing »= f) = Nothing
  (Just a »= f) = (f a)
  return a = Just a
```

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```
instance Monad List where
  (x »= f) = concatMap f x
  return a = [a]

>>>  concatMap (λ n -> [1..n]) [1,2,3]
 [1, 1,2, 1,2,3]

>>>  do a <- [1,2,3]
        b <- [4,5]
        return (a, b)

[(1,4),(1,5),(2,4),(2,5),(3,4),(3,5)]
```

The List Monad

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The Amb Monad

```
import Control.Monad
import Control.Monad.Amb

pyTriple n = do a <- anIntegerBetween 1 n
                b <- anIntegerBetween (a+1) n
                c <- anIntegerBetween (b+1) n
                when (a*a + b*b /= c*c) empty
                return (a,b,c)

>>> oneValue (pyTriple 20)
(3,4,5)

>>> allValues (pyTriple 20)
[(3,4,5),(5,12,13),(6,8,10),(8,15,17),
 (9,12,15),(12,16,20)]
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Phil Wadler, *The First Monad Tutorial*
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Function composition:

```
(f . g) x = f (g x)

function compose(f, g) {
  return function(x) {
    return f(g(x));
  };
}

f . (g . h) = (f . g) . h – associativity of (.)

(f . (g . h)) x = f ((g . h) x) = f (g (h x))
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Monad Laws revisited

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Identity function:

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id x = x

function identity(x) { return x; }

id . f = f – left identity
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associativity + identity = monoid (semi-group with neutral element)

$(\circ, id)$ is a monoid. Other examples:

- $(+, 0)$
- $(*, 1)$
- $(min, +\infty)$
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Monad Laws revisited

Kleisli composition:

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(f >=> g) x = do y <- f x
                 g y

(f >=> g) x = (f x) »= g

(return >=> f) = f
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Monad Laws revisited

A MONAD IS JUST A MONOID IN THE CATEGORY OF ENDOFUNCTORS

Functors, Applicatives, Monads

```
class Applicative m => Monad m where
  (>>=) :: m a -> (a -> m b) -> m b
  return :: a -> m a
  return = pure

class Functor f => Applicative f where
  pure :: a -> f a
  (<*>) :: f (a -> b) -> f a -> f b

class Functor f where
  fmap :: (a -> b) -> f a -> f b
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class Applicative m => Monad m where
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  (<*>) ::  f (a -> b) -> f a -> f b

class Functor f where
  fmap ::  (a -> b) -> f a -> f b
```

Free monads

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data IO a =
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  | LaunchTheMissles (IO a)
  ...
  | forall a0.  Chain (IO a0) (a0 -> IO a)
  | Return a
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Problems:

- `IO` can do really anything
- we may want to restrict it to a smaller number of capabilities
- we may want to simulate (mock) the behavior

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Monad transformers

Problem: different monads do not stack together well.

For example, `Future (Maybe a)` cannot be composed with the single »= operator.
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Questions?
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