

ML # Assignment - 1

Solution 1:-

So find:-

$$P(\text{Sunny}/\text{a cone of ice-cream}) = ?$$

$$P(\text{rainy}/\text{a cup of hot coffee}) = ?$$

Given

the occurrence of each word is Independent

$$\therefore P(\text{a cone of ice cream})$$

$$= P(a) P(cone) P(of) P(ice) P(cream)$$

Part (a):-

$$P(\text{Sunny}/\text{a cone of ice cream})$$

Using Bayes theorem:-

$$P(A/B) = \frac{P(B/A) \cdot P(A)}{P(B)}$$

we can find

$$P(\text{Sunny}/\text{a cone of ice-cream}) = \frac{P(\text{a cone of ice cream}) \cdot P(\text{Sunny})}{P(\text{a cone of ice-cream})}$$

\therefore Also since the words are independent:-

$$= P(\text{Sunny}/a)$$

\therefore Also since we want to classify the tags with higher probability, so ignoring the denominator:-

$$\star = \frac{P(a/\text{sunny}) \cdot P(\text{cone}/\text{sunny}) \cdot P(\text{of}/\text{sunny})}{P(\text{ice}/\text{sunny}) \cdot P(\text{cream}/\text{sunny}) \cdot P(\text{sunny})}$$

Similarly:-

Part (b)

$$P(\text{rainy}/\text{a cup of hot coffee})$$

$$= P(a/\text{rainy}) \cdot P(\text{cup}/\text{rainy}) \cdot P(\text{of}/\text{rainy}) \cdot P(\text{hot}/\text{rainy}) \cdot P(\text{coffee}/\text{rainy}) \cdot P(\text{rainy})$$