```
1 package knapsac;
3 /* A Naive recursive implementation
4 of 0-1 Knapsack problem */
 5 public class Knapsac {
7
       // A utility function that returns
       // maximum of two integers
8
       static int max(int a, int b)
9
10
11
           return (a > b) ? a : b;
       }
12
13
14
       // Returns the maximum value that
15
       // can be put in a knapsack of
16
       // capacity W
       static int knapSack(int W, int wt[], int val[],
17
   int n)
18
       {
19
           // Base Case
20
           if (n == 0 || W == 0)
21
               return 0;
22
23
           // If weight of the nth item is
           // more than Knapsack capacity W,
24
           // then this item cannot be included
25
           // in the optimal solution
26
           if (wt[n - 1] > W)
27
               return knapSack(W, wt, val, n - 1);
28
29
               // Return the maximum of two cases:
30
               // (1) nth item included
31
32
               // (2) not included
33
           else
34
               return max(val[n - 1]
                                + knapSack(W - wt[n - 1
35
   ], wt,
36
                       val, n - 1),
37
                       knapSack(W, wt, val, n - 1));
38
       }
39
       // Driver code
40
       public static void main(String args[])
41
42
           int val[] = new int[] { 60, 100, 120 };
43
```

```
int wt[] = new int[] { 10, 20, 30 };
44
           int W = 50;
45
           int n = val.length;
46
           System.out.println(knapSack(W, wt, val, n));
47
       }
48
49 }
50
51
```