

ASSIGNMENT II

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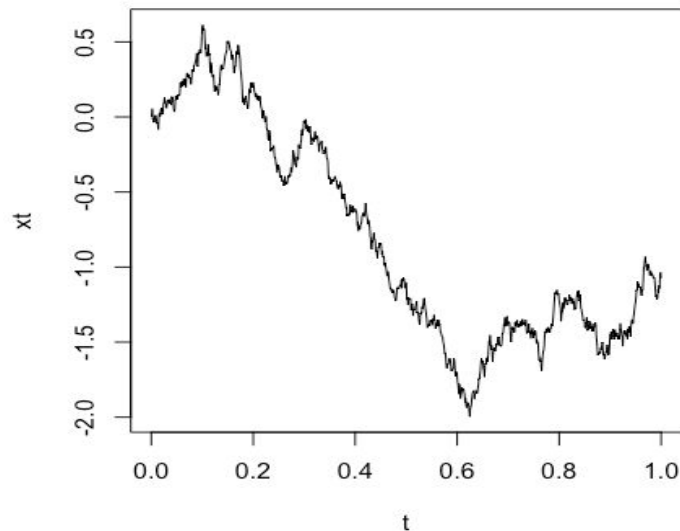
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Question 1

Seq function used to generate a sequence of epochs. m denotes the number of epochs or arrivals which is set randomly to a value of suppose 1000. Sigma is the covariance matrix which is generated using the supply function that returns a matrix structure. Then finally a Gaussian process is simulated using MASS libraries `mvrnorm` function since it's for multivariate normal we take 1 as we need univariate distribution but by default it is 1. We finally plot X_t vs t .

Wiener Process with $K = \min(s, t)$

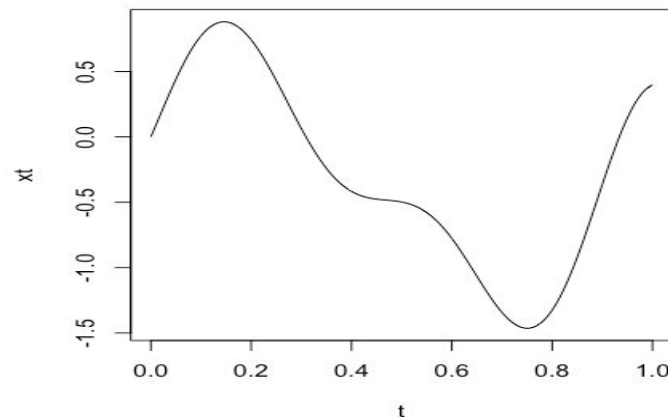
Kernel produced by this process is continuous but not differentiable.



Part a

Gaussian Process with $K = \exp(-16*(s-t)^2)$

Kernel Produced by this Process is both continuous and differentiable.



Question 2

Symmetric Random Walk with Absorbing Boundaries

gambler wins \$1 with probability (p) and loses \$1 with a probability of $(1-p)$ where p is chosen at random. This process is continued until the money he has reached an amount of \$20. So we simulate a random walk for this process till the money is >0 and <20 and see if the coin toss has a probability of 1 then we increase the amount of money gambler has by \$1 else reduce it by \$1. Storing the states in an array we finally plot the array vs index which is shown below.

States at each iteration

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[1] 9 10 11 10 11 10 11 12 13 12 11 12 11 12 11 12 11 10 9 8 9 10 11 10 9 10 11 10 11 10 11 10
[33] 11 10 11 12 13 12 11 10 9 8 9 10 11 12 11 10 9 10 11 10 9 8 9 10 9 10 11 12 13 12 11 12
[65] 13 14 15 14 13 14 15 16 15 14 13 14 15 14 13 14 13 14 15 14 15 14 15 14 13 12 13 12 13 14
15 14
[97] 15 14 15 14 13 14 15 16 17 16 15 14 13 14 13 14 13 12 13 14 13 12 13 12 13 14 15 16 17 18
19 20
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