Software Clusterings with Vector Semantics and the Call Graph

Marios Papachristou papachristoumarios@gmail.com el15101@mail.ntua.gr

BALab, Athens University of Economics and Bussiness National Technical University of Athens Advisor: Prof. Diomidis Spinellis

> Student Research Competition ESEC/FSE 2019, Tallin ACAC 2019, Athens

• The architecture of a software system is the most fundamental realization of it

- The architecture of a software system is the most fundamental realization of it
- When there is no specific definition of it, we can attempt to recover it

- The architecture of a software system is the most fundamental realization of it
- When there is no specific definition of it, we can attempt to recover it
- One particular problem is the clustering of its components into modules

- The architecture of a software system is the most fundamental realization of it
- When there is no specific definition of it, we can attempt to recover it
- One particular problem is the clustering of its components into modules
- Many methods exist in literature

Our motivation

Our motivation, through this work is to

Provide a method for software clusterings through vector semantics and the call graph

Our motivation

Our motivation, through this work is to

- Provide a method for software clusterings through vector semantics and the call graph
- 2 Evaluate our method on the Linux Kernel Codebase

Our motivation

Our motivation, through this work is to

- Provide a method for software clusterings through vector semantics and the call graph
- Evaluate our method on the Linux Kernel Codebase
- Ompare it against state-of-the-art methods (ACDC [12], LIMBO [1]) and agglomerative clustering methods (agglomerative clustering [9, 4, 13])

Our approach I

We took a simple approach to the problem

- Define the initial "grains" of the system. With the term "grains" we can refer e.g. to source files (.c), source (.c) and header (.h) files (combined) as well as one-top directory modules.
- Preprocess the files attributed to the "grains"
- **3** Train a Skip-Gram model (Doc2Vec [6]) on them and obtain vector representations of the "grains" $\mathbf{x}_1, \dots, \mathbf{x}_n$
- Generate the call graphs of the system using a static code analyzer (e.g. CScout [10])

Our approach II

ullet Put weights on the graph minor H(V,E) induced by the "grains" as the normalized cosine similarities between them

$$w(i,j) = \frac{1 + \cos(\mathbf{x}_i, \mathbf{x}_j)}{2} \quad \forall (i,j) \in E(H)$$

 Run Louvain Community Detection on H and obtain software clusterings

Preprocessing

First the code is tokenized and identifiers are split into their constituent parts using dynamic programming and n-grams. Stop-words are removed.

Preprocessing

- First the code is tokenized and identifiers are split into their constituent parts using dynamic programming and n-grams. Stop-words are removed.
- For example zone_seqlock_init becomes zone, seqlock, init and inprogress becomes in and progress

Preprocessing

- First the code is tokenized and identifiers are split into their constituent parts using dynamic programming and n-grams.
 Stop-words are removed.
- For example zone_seqlock_init becomes zone, seqlock, init and inprogress becomes in and progress
- The resulting tokens are lemmatized using the English Lemmatizer provided by the spaCy [5] package

Embeddings

A Skip-Gram model is trained. The objective of such a model is to maximize the probability that a word appears in a window (context) of size 2k + 1

$$\frac{1}{N} \sum_{t=k}^{N-k} \log \Pr[w_t \mid w_{t-k}, \dots, w_{t+k}]$$

where

$$\Pr[w_c \mid w_t] = \frac{\exp(s(w_c, w_t))}{\sum_{j=1}^{V} \exp(s(w_t, j))} \qquad s(w_c, w_t) = \langle \mathbf{d}_c, \mathbf{d}_t \rangle$$

We have used Doc2Vec for our training which extends the aforementioned idea to extract document embeddings.

The Linux Kernel Codebase

 \bullet A **HUGE** codebase consisting of \sim 20.3 million lines of source code

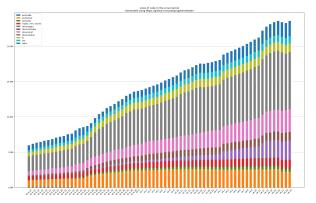


Figure: Linux Kernel Codebase Size over time. Source: Reddit

- Constantly growing
- Easy-to-find ground truth for evaluation

8 / 28

Call Graphs I

The call graphs were extracted with CScout [10] and are of the following forms

- Macro and Function Call Graph
- Control Dependency Graph
- File include Graph
- Ompile-time Dependency Graph
- Data dependency Graph (through globals)

The extraction of the call graphs took \sim 10h and required \sim 32GB of RAM on a Debian server.

Call Graphs II

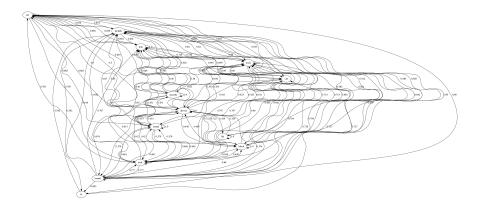


Figure: Call Graph Example between Kernel one-level directories

Preparing the graph for clustering

 The weights assigned to every edge are the normalized cosine similarities

$$cos(\mathbf{x}_i, \mathbf{x}_j) = \frac{\langle \mathbf{x}_i, \mathbf{x}_j \rangle}{\|\mathbf{x}_i\| \|\mathbf{x}_j\|}$$
$$w(i, j) = \frac{1 + cos(\mathbf{x}_i, \mathbf{x}_j)}{2} \quad \forall (i, j) \in E(H)$$

Preparing the graph for clustering

 The weights assigned to every edge are the normalized cosine similarities

$$cos(\mathbf{x}_i, \mathbf{x}_j) = \frac{\langle \mathbf{x}_i, \mathbf{x}_j \rangle}{\|\mathbf{x}_i\| \|\mathbf{x}_j\|}$$
$$w(i,j) = \frac{1 + cos(\mathbf{x}_i, \mathbf{x}_j)}{2} \quad \forall (i,j) \in E(H)$$

• Experiments were run using both the directed and the undirected version of the graph. The directed version of the graph required doing a bipartite transformation [7] where every edge (i,j) was mapped to $\{i,j'\}$ where j' was a copy of $j \in V$. After community detection, the communities which j and j' belonged to were merged using a union-find data structure.

Louvain Community Detection I

 The Louvain method for community detection aims to produce communities which maximize the modularity function

$$Q(H) = \frac{1}{2m} \sum_{(i,j) \in E(H)} \left(w(i,j) - \frac{k(i)k(j)}{2m} \right)$$

where
$$m = \sum_{(i,j) \in E} w(i,j)$$
 and $k(i) = \sum_{j \in \text{in}(i)} w(i,j)$.

Louvain Community Detection II

• The change $\Delta Q(i,j)$ in modularity is derived as

$$\Delta Q = \left[\frac{\Sigma_{in} + 2k_{in}(i)}{2m} - \left(\frac{\Sigma_{tot} + k(i)}{2m}\right)^{2}\right] - \left[\frac{\Sigma_{in}}{2m} - \left(\frac{\Sigma_{tot}}{2m}\right)^{2} - \left(\frac{k(i)}{2m}\right)^{2}\right]$$

where Σ_{in} is sum of all the weights of the links inside the community i is moving into, Σ_{tot} is the sum of all the weights of the links to nodes in the community i is moving into, $k_{in}(i)$ is the sum of the weights of the links between i and other nodes in the community that i is moving into.

- This measure determines how much the modularity changes via moving (joining) community i with community j. At each round, these values are calculated for the community i and its neighboring communities and i is merged with $j^* \in \operatorname{argmax}_{j \in \mathcal{N}(i)} \{ \Delta Q(i, j) \}$
- Runs in time $O(n \log n)$

The MoJo [11] metric is a clustering distance metric used for comparing software clusterings. The MoJo distance between two clusterings $\mathcal{C}_1, \mathcal{C}_2$ is defined as the **minimum number of moves and joins** to transform one clustering to another where

 Move: Moving a resource from one cluster to another (that includes moving a resource into a previously nonexistent cluster or creating a new cluster.

The MoJo [11] metric is a clustering distance metric used for comparing software clusterings. The MoJo distance between two clusterings $\mathcal{C}_1, \mathcal{C}_2$ is defined as the **minimum number of moves and joins** to transform one clustering to another where

- Move: Moving a resource from one cluster to another (that includes moving a resource into a previously nonexistent cluster or creating a new cluster.
- Join: Join two clusters into one.

The MoJo [11] metric is a clustering distance metric used for comparing software clusterings. The MoJo distance between two clusterings $\mathcal{C}_1, \mathcal{C}_2$ is defined as the **minimum number of moves and joins** to transform one clustering to another where

- Move: Moving a resource from one cluster to another (that includes moving a resource into a previously nonexistent cluster or creating a new cluster.
- Join: Join two clusters into one.
- The MoJo distance is therefore defined as

$$MoJo(C_1, C_2) = min\{mno(C_1, C_2), mno(C_2, C_1)\}$$

The MoJo [11] metric is a clustering distance metric used for comparing software clusterings. The MoJo distance between two clusterings $\mathcal{C}_1, \mathcal{C}_2$ is defined as the **minimum number of moves and joins** to transform one clustering to another where

- Move: Moving a resource from one cluster to another (that includes moving a resource into a previously nonexistent cluster or creating a new cluster.
- Join: Join two clusters into one.
- The MoJo distance is therefore defined as

$$MoJo(C_1, C_2) = min\{mno(C_1, C_2), mno(C_2, C_1)\}$$

• Exact computation is not **efficient** so a **heuristic** is proposed.

Agglomerative Clustering I

Idea

In every iteration pick two points/vertices u and v that maximize a linkage function and merge them together.

Algorithm

```
 \begin{split} & \text{function } \operatorname{AGGLOMERATIVECLUSTERING}(\textit{w},\textit{L},\textit{m},\textbf{x}_1,\ldots,\textbf{x}_\textit{n}) \\ & \mathcal{C}_0 \leftarrow \{\{\textbf{x}_1,\},\ldots,\{\textbf{x}_n\}\} \\ & \text{for } 1 \leq t \leq \textit{m} \text{ do} \\ & (\hat{A},\hat{B}) \leftarrow \operatorname{argmax}_{A,B \in \mathcal{C}_{t-1}} \textit{L}(|A|,|B|,\textit{w}(A,B)) \\ & \mathcal{C}_t \leftarrow \mathcal{C}_{t-1} \setminus \{\{\hat{A}\},\{\hat{B}\}\} \cup \{\{\hat{A} \cup \hat{B}\}\} \\ & \text{end for} \\ & \text{return } \mathcal{C}_m \\ & \text{end function} \end{split}
```

Agglomerative Clustering II

Linkage functions vary

- ullet Average Linkage $^1 \operatorname{argmax}_{A,B} rac{w(A,B)}{|A||B|}$
- Complete Linkage $\operatorname{argmax}_{a \in A, b \in B} w(a, b)$
- Single Linkage $\operatorname{argmin}_{a \in A, b \in B} w(a, b)$
- Ward Linkage. Ward minimizes $J(C) = \sum_{\mathbf{x}, \mathbf{y} \in C} \|\mathbf{x} \mathbf{y}\|^2$ for each cluster $C \in C$.
- Information Loss (Agglomerative Information Bottleneck Algorithm)

The affinity function w can be any distance measure. In our comparison, we have used the cosine distance affinity measure between the document embeddings.

Main Software Clustering Algorithms

The two main algorithms appearing in literature [8, 2] are

- LIMBO: Clusters modules upon inserting their Distributional Cluster Features to a B+-tree variant and then applying the Agglomerative Information Bottleneck algorithm.²
- ACDC: Leans toward to software components comprehension based on subsystem patterns.

Evaluation

- Our method was tested on Linux 4.21, consisting of 20.3 million SLOC against Average-Linkage [9], Complete-Linkage [4] and Ward-Linkage [13] using the same document embeddings as well as ACDC with structural information [12] and LIMBO [1] with Bag-of-Words features.
- As ground truth, we have used the first level directories as a target clustering and as input, we have considered the modules of the one-top directories.
- For example, the source code file drivers/net/ieee802154/mcr20a.c has a ground truth value of drivers and it is considered under the same module as every .c and .h file under drivers/net/ieee802154.
- Results are averaged over runs

Results I

Method	Dim.	n _c	Range	x	σ	Median
ACDC	_	9055	1 - 4245	5	46	2
Average Linkage	300	21	1-3406	163	725	1
Complete Linkage	300	21	1-1529	163	412	19
LIMBO	12317	21	50-1810	163	375	50
Ward Linkage	300	21	21-948	163	223	70
SADE	300	$10 (\pm 2)$	$2 (\pm 0)$ -132 (± 13)	64 (± 4)	40 (± 4)	65 (\pm 10)
SADE (Directed)	300	5 (± 2)	$1\ (\pm\ 1)$ - 614 $(\pm\ 1)$	$141 (\pm 39)$	$253 (\pm 25)$	$2 (\pm 0.3)$
Ground Truth	-	21	1-1348	163	341	11.0

Table: Experimental Results for Linux 4.21. Italics denote manually defined parameters

Results II

Method	MoJo Distance
ACDC	33694
Average Linkage	2092
Complete Linkage	1710
LIMBO ³	1482
Ward Linkage ⁴	1138
SADE	243 (± 1)
SADE (Directed)	$237 (\pm 2)$

Table: MoJo Distances

⁴Eucledian Affinity Marios Papachristou (BaLab/NTUA)



 $^{^3(}B=100,\ S=\infty)$ and Bag-of-Words Features

• Surpass all clustering algorithms in terms of MoJo Distance Metric

- Surpass all clustering algorithms in terms of MoJo Distance Metric
- Production of balanced clusterings

- Surpass all clustering algorithms in terms of MoJo Distance Metric
- Production of balanced clusterings
- Production of stable clusterings

- Surpass all clustering algorithms in terms of MoJo Distance Metric
- Production of balanced clusterings
- Production of stable clusterings
- Results were produced without knowing the number of clusters of the ground truth a priori

- Surpass all clustering algorithms in terms of MoJo Distance Metric
- Production of balanced clusterings
- Production of stable clusterings
- Results were produced without knowing the number of clusters of the ground truth a priori
- Provide a simplistic approach to software clustering combining vector semantics and the call graph

 Use vector semantics and the call graph to produce meaningful clusterings

- Use vector semantics and the call graph to produce meaningful clusterings
- Performing our study on a very large system (Linux) gives us further insight on the nature of software itself

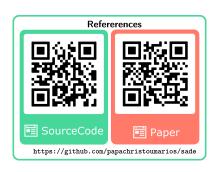
- Use vector semantics and the call graph to produce meaningful clusterings
- Performing our study on a very large system (Linux) gives us further insight on the nature of software itself
- Outperform state-of-the-art and baseline methods in terms of authoritativeness and extremity

- Use vector semantics and the call graph to produce meaningful clusterings
- Performing our study on a very large system (Linux) gives us further insight on the nature of software itself
- Outperform state-of-the-art and baseline methods in terms of authoritativeness and extremity
- Produce stable and balanced clusterings

Future Work

- Testing our system with various codebases (e.g. gcc, Postgres etc.)
- Integration with more static analyzers
- Propose layered software architectures via finding a Directed Spanning Tree of Maximum (or Minimum) weight.

Code and Data





Thank you!

https://github.com/papachristoumarios/sade https://zenodo.org/record/2652487

References I

Periklis Andritsos and Vassilios Tzerpos. Information-theoretic software clustering. IEEE Transactions on Software Engineering, (2):150–165, 2005.

Pooyan Behnamghader, Duc Minh Le, Joshua Garcia, Daniel Link, Arman Shahbazian, and Nenad Medvidovic.

A large-scale study of architectural evolution in open-source software systems.

Empirical Software Engineering, 22(3):1146–1193, 2017.

Ulrik Brandes, Daniel Delling, Marco Gaertler, Robert Görke, Martin Hoefer, Zoran Nikoloski, and Dorothea Wagner.

Maximizing modularity is hard.

arXiv preprint physics/0608255, 2006.

References II



An efficient algorithm for a complete link method.

The Computer Journal, 20(4):364–366, 1977.

Matthew Honnibal and Ines Montani.

spacy 2: Natural language understanding with bloom embeddings, convolutional neural networks and incremental parsing.

Convolutional Neural Networks and Incremental Parsing, 2017.

Quoc Le and Tomas Mikolov.

Distributed representations of sentences and documents.

In International Conference on Machine Learning, pages 1188–1196, 2014.

<table-of-contents> Fragkiskos D Malliaros and Michalis Vazirgiannis.

Clustering and community detection in directed networks: A survey.

References III

Onaiza Maqbool and Haroon Babri.

Hierarchical clustering for software architecture recovery.

IEEE Transactions on Software Engineering, 33(11), 2007.

Robert R Sokal.

A statistical method for evaluating systematic relationship. *University of Kansas science bulletin*, 28:1409–1438, 1958.

Diomidis Spinellis.

Cscout: A refactoring browser for c. Science of Computer Programming, 75(4):216, 2010.

Vassilios Tzerpos and Richard C Holt.

Mojo: A distance metric for software clusterings.

In Reverse Engineering, 1999. Proceedings. Sixth Working Conference on, pages 187–193. IEEE, 1999.

References IV



Vassilios Tzerpos and Richard C Holt.

Acdc: an algorithm for comprehension-driven clustering. In Reverse Engineering, 2000. Proceedings. Seventh Working Conference on, pages 258–267. IEEE, 2000.



Joe H Ward Jr.

Hierarchical grouping to optimize an objective function. Journal of the American statistical association, 58(301):236–244, 1963.