# dipper-NIMBLE

# Iraida Redondo & Ana Payo-Payo

# 17/12/2021

# Dipper CMR in NIMBLE

Hi! This RMarkdown document contains the code to run CJS models on the famous dipper dataset in NIM-BLE (De Valpine et al. 2017). This code, as well as most of its comments, is founded on the scripts from the wonderful workshop titled "Bayesian capture-recapture inference with hidden Markov models" (https://oliviergimenez.github.io/bayesian-cr-workshop/) taught by O. Gimenez, C. R. Nater, S. Cubaynes, P. de Valpine, M. Queroue (which I highly recommend if you are interested in conducting capture-recapture analysis in the Bayesian framework). The dipper dataset can be found in https://oliviergimenez.github.io/bayesian-cr-workshop/ in the Live Demos tab on the upper right side of the website. Within this zip you can find the dipper dataset in form of a .csv.

This script contains a great variety of models. This has served me as insightful exercise to know how to specify different models and to check if I was doing it right for my own data analysis. I think most of its content is right but I am currently learning and the code is very long, so there may be errors! Please, don't doubt and contact me if you spot any!

MCMC configuration is free to be changed!

#### Libraries and setting wordking directory

```
library(nimble)
library(tidyverse)
library(MCMCvis)

setwd() # depends on the person running the script!
```

### Loading dipper dataset.

```
dipper_d <- read_csv("dipper.csv") # data
sex <- ifelse(dipper_d$sex=="Male",1 , 2) # vector for sex: 1 = males, 2 = females

# Format data
y <- dipper_d %>%
    select(year_1981:year_1987) %>%
    as.matrix()
head(y)
```

Cormack-Jolly-Seber (CJS) models

PHI(.) ~ survival as constant.

```
##### phi(.)p(.)-----
hmm.phip <- nimbleCode({</pre>
  #Initial state prob.
  delta[1] <- 1
                         \# Pr(alive \ t = 1) = 1
  delta[2] <- 0
                         \# Pr(dead \ t = 1) = 0
  #Survival
  phi ~ dunif(0, 1) # prior survival
  #Survival matrix
  gamma[1,1] <- phi
                          # Pr(alive t -> alive t+1)
  gamma[1,2] \leftarrow 1 - phi \# Pr(alive t \rightarrow dead t+1)
  gamma[2,1] <- 0
                         # Pr(dead \ t \rightarrow alive \ t+1)
                         # Pr(dead \ t \rightarrow dead \ t+1)
  gamma[2,2] <- 1
  #Recapture
  p ~ dunif(0, 1) # prior detection
  #Recapture matrix
  omega[1,1] \leftarrow 1 - p
                        # Pr(alive t -> non-detected t)
  omega[1,2] <- p
                     # Pr(alive t -> detected t)
# Pr(dead t -> non-detected t)
  omega[2,1] <- 1
  omega[2,2] <- 0
                         \# Pr(dead \ t \rightarrow detected \ t)
  #Likelihood
  for (i in 1:N){
    z[i,first[i]] ~ dcat(delta[1:2])
    for (j in (first[i]+1):T){
      z[i,j] \sim dcat(gamma[z[i,j-1], 1:2])
      y[i,j] ~ dcat(omega[z[i,j], 1:2])
    }
  }
})
#Get the occasion of first capture for all individuals.
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
first
#A list with constants.
my.constants \leftarrow list(N = nrow(y),
                      T = ncol(y),
                      first = first)
my.constants
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
#you will just need to adjust the $\Omega$ and $\Gamma$ matrices in the model above.
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
```

```
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(phi = runif(1,0,1),</pre>
                                   p = runif(1,0,1),
                                   z = zinits)
initial.values()
#Some information that we now pass as initial value info
#(observations of alive) are actually known states, and could also be passed
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("phi", "p")</pre>
parameters.to.save
# MCMC details
n.iter <- 2500
n.burnin <- 1000
n.chains <- 2
#Let's run nimble.
mcmc.phip <- nimbleMCMC(code = hmm.phip,</pre>
                         constants = my.constants,
                         data = my.data,
                         inits = initial.values,
                         monitors = parameters.to.save,
                         niter = n.iter,
                         nburnin = n.burnin,
                         nchains = n.chains)
#Examine the results.
MCMCsummary(mcmc.phip, round = 2)
MCMCtrace(mcmc.phip, pdf = F)
```

Phi (survival) as constant. P (recapture) as constant.

```
##### phi(.)p(s)-----
hmm.phips <- nimbleCode({</pre>
  #Initial state prob.
                  # Pr(alive t = 1) = 1
# Pr(dead t = 1) = 0
  delta[1] <- 1
  delta[2] <- 0
  #Survival
  phi ~ dunif(0,1) # prior survival
  #Survival matrix
  gamma[1,1] <- phi
                         # Pr(alive t -> alive t+1)
  gamma[1,2] <- 1 - phi # Pr(alive t -> dead t+1)
  gamma[2,1] <- 0
                           \# Pr(dead \ t \rightarrow alive \ t+1)
  gamma[2,2] \leftarrow 1 \# Pr(dead t \rightarrow dead t+1)
  #Recapture depends on sex
```

```
for(i in 1:N){
  logit(p[i]) <- beta[sex[i]]</pre>
  #Observation matrix
  omega[1,1,i] \leftarrow 1 - p[i] # Pr(alive\ t \rightarrow non-detected\ t)
  omega[1,2,i] \leftarrow p[i] # Pr(alive\ t \rightarrow detected\ t)
                              # Pr(dead t -> non-detected t)
  omega[2,1,i] <- 1
                               \# Pr(dead \ t \rightarrow detected \ t)
  omega[2,2,i] <- 0
  }
  # Priors for beta (recapture changes with sex, so we need two betas;
  #beta[sex[i] -> beta[1] and beta[2]])
  beta[1] \sim dnorm(mean = 0, sd = 1.5)
  beta[2] \sim dnorm(mean = 0, sd = 1.5)
  # inverse logit for transforming p estimate
  p_male <- ilogit(beta[1])</pre>
  p_female <- ilogit(beta[2])</pre>
  #Likelihood
  for (i in 1:N){
    z[i,first[i]] ~ dcat(delta[1:2])
    for (j in (first[i]+1):T){
      z[i,j] \sim dcat(gamma[z[i,j-1], 1:2])
      y[i,j] ~ dcat(omega[z[i,j], 1:2, i])
  }
})
#Get the occasion of first capture for all individuals.
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
first
#A list with constants.
my.constants \leftarrow list(N = nrow(y),
                      T = ncol(y),
                      first = first,
                      sex = sex)
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
\#you will just need to adjust the \Omega = \ and \dim \ matrices in the model above.
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(beta = rnorm(2,0,1),</pre>
                                    phi = runif(1,0,1),
                                    z = zinits)
initial.values()
#Some information that we now pass as initial value info
```

```
#(observations of alive) are actually known states, and could also be passed
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("beta", "phi", "p_male", "p_female")</pre>
parameters.to.save
#MCMC details.
n.iter <- 2500
n.burnin <- 1000
n.chains <- 2
#At last, let's run nimble.
mcmc.phips <- nimbleMCMC(code = hmm.phips,</pre>
                          constants = my.constants,
                         data = my.data,
                         inits = initial.values,
                         monitors = parameters.to.save,
                         niter = n.iter,
                         nburnin = n.burnin,
                         nchains = n.chains)
#' Examine the results.
MCMCsummary(mcmc.phips, round = 2)
MCMCtrace(mcmc.phips, pdf=F)
```

Phi (survival) as constant. P (recapture) depends on sex.

```
##### phi(.)p(t)-----
hmm.phipt <- nimbleCode({</pre>
  #Initial state prob.
  delta[2] <- 0
                        \# Pr(dead \ t = 1) = 0
  #Survival
  phi ~ dunif(0, 1) # Prior for survival
  #Survival matrix
  gamma[1,1] <- phi
                        # Pr(alive t -> alive t+1)
  gamma[1,2] \leftarrow 1 - phi # Pr(alive\ t \rightarrow dead\ t+1)
  gamma[2,1] \leftarrow 0 \qquad \qquad \# Pr(dead \ t \rightarrow alive \ t+1)
                        # Pr(dead t \rightarrow dead t+1)
  gamma[2,2] <- 1
  #Recapture
  for(t in 1:(T-1)){
  p[t] \sim dunif(0,1) \# Prior for p.
  \#Recapture\ matrix
  omega[1,1,t] <- 1 - p[t]
                               # Pr(alive t -> non-detected t)
  omega[1,2,t] \leftarrow p[t] # Pr(alive t \rightarrow detected t)
  omega[2,1,t] <- 1
                             # Pr(dead t -> non-detected t)
  omega[2,2,t] <- 0
                             # Pr(dead \ t \rightarrow detected \ t)
```

```
}
  #Likelihood
  for (i in 1:N){
    z[i,first[i]] ~ dcat(delta[1:2])
    for (j in (first[i]+1):T){
      z[i,j] \sim dcat(gamma[z[i,j-1], 1:2])
      y[i,j] ~ dcat(omega[z[i,j], 1:2, j-1])
  }
})
#Get the occasion of first capture for all individuals.
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
first
#A list with constants.
my.constants \leftarrow list(N = nrow(y),
                      T = ncol(y),
                      first = first)
my.constants
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
#you will just need to adjust the \Omega and \Omega and \Omega matrices in the model above.
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(phi = runif(1,0,1),</pre>
                                   p = runif(my.constants$T-1,0,1),
                                   z = zinits)
initial.values()
#Some information that we now pass as initial value info
#(observations of alive) are actually known states, and could also be passed
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("phi", "p")</pre>
parameters.to.save
#MCMC details.
n.iter <- 8000
n.burnin <- 1000
n.chains <- 2
#At last, let's run nimble.
mcmc.phipt <- nimbleMCMC(code = hmm.phipt,</pre>
```

```
constants = my.constants,
    data = my.data,
    inits = initial.values,
    monitors = parameters.to.save,
    niter = n.iter,
    nburnin = n.burnin,
    nchains = n.chains)
#' Examine the results.

MCMCsummary(mcmc.phipt, round = 2)
MCMCtrace(mcmc.phipt, pdf=F)
```

Phi (survival) as constant. P (recapture) depends on time (time as fixed effect)

```
##### phi(.)p(s*t)-----
hmm.phipst <- nimbleCode({</pre>
  #Initial state prob.
  delta[1] \leftarrow 1 # Pr(alive t = 1) = 1
  delta[2] <- 0
                             \# Pr(dead \ t = 1) = 0
   #Survival
  phi ~ dunif(0,1) # prior survival
   #Survival matrix
  gamma[1,1] \leftarrow phi # Pr(alive\ t \rightarrow alive\ t+1)
  gamma[1,2] \leftarrow 1 - phi \# Pr(alive t \rightarrow dead t+1)
  \operatorname{gamma}[2,1] \leftarrow 0 \qquad \qquad \# \operatorname{Pr}(\operatorname{dead} \ t \ \text{$->$} \ \operatorname{alive} \ t+1)
                             # Pr(dead t \rightarrow dead t+1)
  gamma[2,2] <- 1
  # Recapture
  for(i in 1:N){
  for(t in 1:(T-1)){
  logit(p[i,t]) <- beta[sex[i]]+ lambda[t] + kappa[sex[i],t] #interaction sex * time</pre>
   #Recapture matrix
  omega[1,1,i,t] \leftarrow 1 - p[i,t] # Pr(alive t \rightarrow non-detected t)
  omega[1,2,i,t] \leftarrow p[i,t] # Pr(alive t \rightarrow detected t)
omega[2,1,i,t] \leftarrow 1 # Pr(dead t \rightarrow non-detected t)
  omega[2,2,i,t] <- 0
                                        # Pr(dead t -> detected t)
     }
  }
   #Priors for beta
  beta[1] \sim dnorm(mean = 0, sd = 1.5)
  beta[2] \sim dnorm(mean = 0, sd = 1.5)
  #Time fixed effect.
  for(t in 1:(T-1)){
     lambda[t] \sim dnorm(0, sd = 1.5)
   #Time as random effect in the interaction
  lambda.sigma ~ dunif(0, 10)
```

```
for(i in 1:2){
    for (t in 1:(T-1)){
      kappa[i,t] ~ dnorm(0, sd = lambda.sigma)
    }
  }
  # ilogit for p.
  for (t in 1:(T-1)){
    p_male[t] <- ilogit(beta[1] + lambda[t] + kappa[1,t])</pre>
    p_female[t] <- ilogit(beta[2] + lambda[t] + kappa[2,t])</pre>
  #Likelihood
  for (i in 1:N){
    z[i,first[i]] ~ dcat(delta[1:2])
    for (j in (first[i]+1):T){
      z[i,j] \sim dcat(gamma[z[i,j-1], 1:2])
      y[i,j] \sim dcat(omega[z[i,j], 1:2, i, j-1])
    }
  }
})
#Get the occasion of first capture for all individuals.
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
first
#A list with constants.
my.constants \leftarrow list(N = nrow(y),
                     T = ncol(y),
                     first = first,
                      sex = sex)
my.constants
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
#you will just need to adjust the $\Omega$ and $\Gamma$ matrices in the model above.
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(beta = rnorm(2,0,1),</pre>
                                   phi = runif(1,0,1),
                                   lambda = rnorm(my.constants$T-1, 0, 1),
                                   lambda.sigma = runif(1,0,1),
                                   kappa = matrix(rnorm(12, 0, 1), 2, 6),
                                   z = zinits)
initial.values()
#Some information that we now pass as initial value info
#(observations of alive) are actually known states, and could also be passed
```

```
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("phi", "p_male", "p_female")</pre>
parameters.to.save
#MCMC details.
n.iter <- 15000
n.burnin <- 5000
n.chains <- 2
#At last, let's run nimble.
mcmc.phipst <- nimbleMCMC(code = hmm.phipst,</pre>
                           constants = my.constants,
                           data = my.data,
                           inits = initial.values,
                          monitors = parameters.to.save,
                           niter = n.iter,
                           nburnin = n.burnin,
                           nchains = n.chains)
#Examine the results.
MCMCsummary(mcmc.phipst, round = 2)
MCMCtrace(mcmc.phipst,pdf=F)
```

Phi (survival) as constant. P (recapture) with interaction between sex and time.

## PHI(t)~ survival dependent on time

```
omega[2,2] <- 0
                   # Pr(dead \ t \rightarrow detected \ t)
  #Likelihood
  for (i in 1:N){
    z[i,first[i]] ~ dcat(delta[1:2])
    for (j in (first[i]+1):T){
      z[i,j] \sim dcat(gamma[z[i,j-1], 1:2, j-1])
      y[i,j] ~ dcat(omega[z[i,j], 1:2])
  }
})
#Get the occasion of first capture for all individuals.
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
first
#A list with constants.
my.constants \leftarrow list(N = nrow(y),
                      T = ncol(y),
                      first = first)
my.constants
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
#you will just need to adjust the \Omega and \Omega and \Omega matrices in the model above.
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(phi = runif(my.constants$T-1,0,1),</pre>
                                   p = runif(1,0,1),
                                   z = zinits)
initial.values()
#Some information that we now pass as initial value info
#(observations of alive) are actually known states, and could also be passed
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("phi", "p")</pre>
parameters.to.save
#MCMC details.
n.iter < -2500
n.burnin <- 1000
n.chains <- 2
#At last, let's run nimble.
```

Phi (survival) dependent on time. P (recapture) as constant.

```
##### phi(t)p(s)-----
hmm.phitps <- nimbleCode({</pre>
  #Initial state prob.
  delta[1] \leftarrow 1 # Pr(alive t = 1) = 1
  delta[2] <- 0
                        \# Pr(dead t = 1) = 0
  #Survival
  for(t in 1:(T-1)){
    phi[t] ~ dunif(0,1) # prior for phi
    #Survival matrix
                               # Pr(alive t -> alive t+1)
    gamma[1,1,t] <- phi[t]
    gamma[1,2,t] \leftarrow 1 - phi[t] \# Pr(alive t \rightarrow dead t+1)
    gamma[2,1,t] \leftarrow 0
                         # Pr(dead \ t \rightarrow alive \ t+1)
    gamma[2,2,t] \leftarrow 1 \# Pr(dead t \rightarrow dead t+1)
  }
  #Recapture
   for(i in 1:N){
   logit(p[i]) <- beta[sex[i]]</pre>
    #Observation matrix
    omega[1,1,i] \leftarrow 1 - p[i] # Pr(alive\ t \rightarrow non-detected\ t)
    # Pr(dead \ t \rightarrow detected \ t)
    omega[2,2,i] \leftarrow 0
  #Priors for beta
  beta[1] \sim dnorm(mean = 0, sd = 1.5)
  beta[2] \sim dnorm(mean = 0, sd = 1.5)
  # ilogit for p
  p_male <- ilogit(beta[1])</pre>
  p_female <- ilogit(beta[2])</pre>
  # Likelihood
  for (i in 1:N){
```

```
z[i,first[i]] ~ dcat(delta[1:2])
    for (j in (first[i]+1):T){
      z[i,j] \sim dcat(gamma[z[i,j-1], 1:2, j-1])
      y[i,j] ~ dcat(omega[z[i,j], 1:2, i])
    }
  }
})
#Get the occasion of first capture for all individuals.
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
first
#A list with constants.
my.constants \leftarrow list(N = nrow(y),
                     T = ncol(y),
                     first = first,
                     sex = sex)
my.constants
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
#you will just need to adjust the $\Omega$ and $\Gamma$ matrices in the model above.
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(phi = runif(my.constants$T-1,0,1),</pre>
                                   beta = rnorm(2,0,1),
                                   z = zinits)
initial.values()
#Some information that we now pass as initial value info
#(observations of alive) are actually known states, and could also be passed
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("phi", "p_male", "p_female", "beta")</pre>
parameters.to.save
#MCMC details.
n.iter <- 2500
n.burnin <- 1000
n.chains <- 2
#At last, let's run nimble.
mcmc.phitps <- nimbleMCMC(code = hmm.phitps,</pre>
                           constants = my.constants,
                           data = my.data,
                           inits = initial.values,
```

Phi (survival) dependent on time. P (recapture) dependent on sex

```
##### phi(t)p(t)-----
hmm.phitpt <- nimbleCode({</pre>
  #Initial state prob
  delta[1] <- 1
                         \# Pr(alive \ t = 1) = 1
  delta[2] <- 0
                     \# Pr(dead \ t = 1) = 0
  #Survival
  for(t in 1:(T-1)){
   phi[t] ~ dunif(0,1) # prior for phi
   #Survival matrix
   gamma[1,1,t] <- phi[t]
                               # Pr(alive t -> alive t+1)
   gamma[1,2,t] \leftarrow 1 - phi[t] \# Pr(alive t \rightarrow dead t+1)
                                # Pr(dead \ t \rightarrow alive \ t+1)
   gamma[2,1,t] \leftarrow 0
   gamma[2,2,t] <- 1
                           # Pr(dead \ t \rightarrow dead \ t+1)
  #Recapture
  for(t in 1:(T-1)){
    p[t] ~ dunif(0,1) # prior for p
    # Recapture matrix
    omega[1,1,t] \leftarrow 1 - p[t] # Pr(alive t \rightarrow non-detected t)
    omega[1,2,t] \leftarrow p[t] # Pr(alive t \rightarrow detected t)
    omega[2,1,t] <- 1
                                 # Pr(dead t -> non-detected t)
    omega[2,2,t] <- 0
                                 # Pr(dead \ t \rightarrow detected \ t)
  }
#Likelihood
  for (i in 1:N){
    z[i,first[i]] ~ dcat(delta[1:2])
    for (j in (first[i]+1):T){
      z[i,j] \sim dcat(gamma[z[i,j-1], 1:2, j-1])
      y[i,j] \sim dcat(omega[z[i,j], 1:2, j-1])
    }
  }
})
 \textit{\#Get the occasion of first capture for all individuals}. \\
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
first
```

```
#A list with constants.
my.constants \leftarrow list(N = nrow(y),
                     T = ncol(y),
                     first = first)
my.constants
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
#you will just need to adjust the $\Omega$ and $\Gamma$ matrices in the model above.
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(phi = runif(my.constants$T-1,0,1),</pre>
                                   p = runif(my.constants T-1,0,1),
                                   z = zinits)
initial.values()
#Some information that we now pass as initial value info
#(observations of alive) are actually known states, and could also be passed
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("phi", "p")</pre>
parameters.to.save
#MCMC details.
n.iter < -2500
n.burnin <- 1000
n.chains \leftarrow 2
#At last, let's run nimble.
mcmc.phitpt <- nimbleMCMC(code = hmm.phitpt,</pre>
                          constants = my.constants,
                          data = my.data,
                          inits = initial.values,
                          monitors = parameters.to.save,
                          niter = n.iter,
                          nburnin = n.burnin,
                          nchains = n.chains)
#Examine the results.
MCMCsummary(mcmc.phitpt, round = 2)
MCMCtrace(mcmc.phipt, params = "all",pdf=F)
```

Phi (survival) dependent on time. P (recapture) also varies with time (time as fixed effect)

```
##### phi(t)p(s*t)-----
hmm.phitpst <- nimbleCode({</pre>
  #Initial state prob
  delta[1] <- 1
                         \# Pr(alive \ t = 1) = 1
                         # Pr(dead\ t = 1) = 0
  delta[2] <- 0
  #Survival
  for(t in 1:(T-1)){
    phi[t] ~ dunif(0,1) # prior for phi
    #Survival matrix
    gamma[1,1,t] <- phi[t]
                                 # Pr(alive t -> alive t+1)
    gamma[1,2,t] <- 1 - phi[t] # Pr(alive t -> dead t+1)
    gamma[2,1,t] \leftarrow 0 # Pr(dead t \rightarrow alive t+1)
    gamma[2,2,t] \leftarrow 1 \# Pr(dead t \rightarrow dead t+1)
  #Recapture
  for(i in 1:N){
    for(t in 1:(T-1)){
      logit(p[i,t]) <- beta[sex[i]] + lambda[t] + kappa[sex[i],t]</pre>
      #Recapture matrix
      omega[1,1,i,t] \leftarrow 1 - p[i,t] # Pr(alive\ t \rightarrow non-detected\ t)
      omega[1,2,i,t] \leftarrow p[i,t] # Pr(alive t \rightarrow detected t)
      omega[2,1,i,t] <- 1
                                      # Pr(dead t -> non-detected t)
                                       # Pr(dead t -> detected t)
      omega[2,2,i,t] \leftarrow 0
    }
  #Priors for beta
  beta[1] \sim dnorm(mean = 0, sd = 1.5)
  beta[2] \sim dnorm(mean = 0, sd = 1.5)
  # Time fixed effect.
  for(t in 1:(T-1)){
    lambda[t] \sim dnorm(0, sd = 1.5)
  # Time as random effect in the interaction
  lambda.sigma ~ dunif(0, 10)
  for(i in 1:2){
    for (t in 1:(T-1)){
      kappa[i,t] ~ dnorm(0, sd = lambda.sigma)
  }
  # ilogit for p.
  for (t in 1:(T-1)){
    p_male[t] <- ilogit(beta[1] + lambda[t] + kappa[1,t])</pre>
    p_female[t] <- ilogit(beta[2] + lambda[t] + kappa[2,t])</pre>
  }
  #Likelihood
  for (i in 1:N){
    z[i,first[i]] ~ dcat(delta[1:2])
```

```
for (j in (first[i]+1):T){
      z[i,j] \sim dcat(gamma[z[i,j-1], 1:2, j-1])
      y[i,j] \sim dcat(omega[z[i,j], 1:2, i, j-1])
  }
})
#Get the occasion of first capture for all individuals.
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
first
#A list with constants.
my.constants \leftarrow list(N = nrow(y),
                     T = ncol(y),
                     first = first,
                      sex = sex)
my.constants
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
#you will just need to adjust the $\Omega$ and $\Gamma$ matrices in the model above.
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(beta = rnorm(2,0,1),</pre>
                                   phi = runif(my.constants$T-1,0,1),
                                   lambda = rnorm(my.constants$T-1, 0, 1),
                                   t.sigma = runif(1,0,1),
                                   kappa = matrix(rnorm(12, 0, 1), 2, 6),
                                   z = zinits)
initial.values()
#Some information that we now pass as initial value info
#(observations of alive) are actually known states, and could also be passed
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("phi", "p_male", "p_female")</pre>
parameters.to.save
#MCMC details.
n.iter <- 8000
n.burnin <- 1000
n.chains <- 2
#At last, let's run nimble.
mcmc.phitpst <- nimbleMCMC(code = hmm.phitpst,</pre>
                            constants = my.constants,
```

```
data = my.data,
    inits = initial.values,
    monitors = parameters.to.save,
    niter = n.iter,
    nburnin = n.burnin,
    nchains = n.chains)

#Examine the results.
MCMCsummary(mcmc.phitpst, round = 2)
MCMCtrace(mcmc.phitpst, params = "p_female", pdf=F)
```

Phi (survival) dependent on time. P (recapture) with interaction between sex and time

PHI(s)~ survival dependent on sex

```
## PHI(s) -----
##### phi(s)p(.)-----
hmm.phisp <- nimbleCode({</pre>
  # Initial state prob.
 #Survival
 for(i in 1:N){
   logit(phi[i])<- beta[sex[i]]</pre>
   #Survivañ matrix
   gamma[1,1,i] <- phi[i] # Pr(alive t -> alive t+1)
   \mathtt{gamma[1,2,i]} \leftarrow \mathtt{1-phi[i]} \quad \# \ \mathit{Pr(alive} \ t \ \ \texttt{->} \ \mathit{dead} \ \ t\texttt{+1)}
   # Priors for b1
 beta[1] \sim dnorm(mean = 0, sd = 1.5)
 beta[2] \sim dnorm(mean = 0, sd = 1.5)
  # ilogit for phi
 phi_male <- ilogit(beta[1])</pre>
 phi_female <- ilogit(beta[2])</pre>
  #Recapture
 p ~ dunif(0,1) # prior for p
  # Recapture matrix
  omega[1,1] \leftarrow 1 - p # Pr(alive\ t \rightarrow non-detected\ t)
 #Likelihood
 for (i in 1:N){
   z[i,first[i]] ~ dcat(delta[1:2])
```

```
for (j in (first[i]+1):T){
      z[i,j] \sim dcat(gamma[z[i,j-1], 1:2, i])
      y[i,j] ~ dcat(omega[z[i,j], 1:2])
  }
})
#' Get the occasion of first capture for all individuals.
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
first
#' A list with constants.
my.constants \leftarrow list(N = nrow(y),
                     T = ncol(y),
                     first = first,
                      sex = sex)
my.constants
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
#you will just need to adjust the $\Omega$ and $\Gamma$ matrices in the model above.
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(beta = rnorm(2,0,1),</pre>
                                   p = runif(1,0,1),
                                   z = zinits)
initial.values()
#Some information that we now pass as initial value info
#(observations of alive) are actually known states, and could also be passed
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("beta", "phi_male", "phi_female", "p")
parameters.to.save
#' MCMC details.
n.iter <- 2500
n.burnin <- 1000
n.chains <- 2
#' At last, let's run nimble.
mcmc.phisp <- nimbleMCMC(code = hmm.phisp,</pre>
                          constants = my.constants,
                          data = my.data,
                          inits = initial.values,
                          monitors = parameters.to.save,
```

Phi (survival) dependent on sex. P (recapture) as constant.

```
##### phi(s)p(s)-----
hmm.phisps <- nimbleCode({</pre>
  # Initial state prob
  delta[1] <- 1
                           # Pr(alive t = 1) = 1
                       \# Pr(dead \ t = 1) = 0
  delta[2] <- 0
  #Survival
  for(i in 1:N){
    logit(phi[i])<- beta[sex[i]]</pre>
    #Survival matrix
    gamma[1,1,i] <- phi[i]
                                    # Pr(alive t -> alive t+1)
    gamma[1,2,i] \leftarrow 1 - phi[i] \# Pr(alive t \rightarrow dead t+1)
    gamma[2,1,i] \leftarrow 0 		 # Pr(dead t \rightarrow alive t+1)
    gamma[2,2,i] \leftarrow 1 \# Pr(dead t \rightarrow dead t+1)
  }
  # Prior for b1 and
  beta[1] \sim dnorm(mean = 0, sd = 1.5)
  beta[2] \sim dnorm(mean = 0, sd = 1.5)
  #ilogit for phi
  phi_male <- ilogit(beta[1])</pre>
  phi_female <- ilogit(beta[2])</pre>
  #Recapture
  for(i in 1:N){
    logit(p[i]) <- beta2[sex[i]]</pre>
     #Recapture matrix
    omega[1,1,i] \leftarrow 1 - p[i] # Pr(alive\ t \rightarrow non-detected\ t)
    omega[1,2,i] \leftarrow p[i] # Pr(alive\ t \rightarrow detected\ t)

omega[2,1,i] \leftarrow 1 # Pr(dead\ t \rightarrow non-detected\ t)
                                   # Pr(dead t \rightarrow detected t)
    omega[2,2,i] \leftarrow 0
  # Priors for b3 and b4
  beta2[1] \sim dnorm(mean = 0, sd = 1.5)
  beta2[2] \sim dnorm(mean = 0, sd = 1.5)
  #ilogit for p
  p_male <- ilogit(beta2[1])</pre>
  p_female <- ilogit(beta2[2])</pre>
```

```
# Likelihood
  for (i in 1:N){
    z[i,first[i]] ~ dcat(delta[1:2])
    for (j in (first[i]+1):T){
      z[i,j] \sim dcat(gamma[z[i,j-1], 1:2, i])
      y[i,j] ~ dcat(omega[z[i,j], 1:2, i])
  }
})
#' Get the occasion of first capture for all individuals.
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
first
#' A list with constants.
my.constants \leftarrow list(N = nrow(y),
                      T = ncol(y),
                     first = first,
                      sex = sex)
my.constants
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
#you will just need to adjust the \Omega0mega and G0mma and G0mma matrices in the model above.
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(beta = rnorm(2,0,1),</pre>
                                   beta2 = rnorm(2,0,1),
                                   z = zinits)
initial.values()
#Some information that we now pass as initial value info
#(observations of alive) are actually known states, and could also be passed
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("beta", "phi_male", "phi_female", "p_male", "p_female")</pre>
parameters.to.save
#' MCMC details.
n.iter <- 2500
n.burnin <- 1000
n.chains <- 2
#' At last, let's run nimble.
mcmc.phisps <- nimbleMCMC(code = hmm.phisps,</pre>
                           constants = my.constants,
```

```
data = my.data,
    inits = initial.values,
    monitors = parameters.to.save,
    niter = n.iter,
    nburnin = n.burnin,
    nchains = n.chains)

#' Examine the results.

MCMCsummary(mcmc.phisps, round = 2)
MCMCtrace(mcmc.phisps, params = "all", pdf=F)
```

Phi (survival) dependent on sex. P (recapture) also dependent on sex

```
##### phi(s)p(t)-----
hmm.phispt <- nimbleCode({</pre>
  #Initial state prob.
                      # Pr(alive \ t = 1) = 1
# Pr(dead \ t = 1) = 0
  delta[1] <- 1
  delta[2] <- 0
  #Survival
  for(i in 1:N){
    logit(phi[i])<- beta[sex[i]]</pre>
    # Survival matrix
    gamma[1,1,i] \leftarrow phi[i] # Pr(alive\ t \rightarrow alive\ t+1)
    \operatorname{gamma}[1,2,i] \leftarrow 1 - \operatorname{phi}[i] \quad \# \operatorname{Pr(alive} t \rightarrow \operatorname{dead} t+1)
    gamma[2,1,i] \leftarrow 0 # Pr(dead t \rightarrow alive t+1)
    gamma[2,2,i] \leftarrow 1 \# Pr(dead t \rightarrow dead t+1)
  # Prior for b1
  beta[1] \sim dnorm(mean = 0, sd = 1.5)
  beta[2] \sim dnorm(mean = 0, sd = 1.5)
  #ilogit for phi
  phi_male <- ilogit(beta[1])</pre>
  phi_female <- ilogit(beta[2])</pre>
  #Recapture
  for(t in 1:(T-1)){
    p[t] ~ dunif(0,1)
    #Recapture matrix
    omega[1,1,t] \leftarrow 1 - p[t] # Pr(alive t \rightarrow non-detected t)
    omega[2,2,t] <- 0
                                  # Pr(dead t -> detected t)
  }
  # Likelihood
  for (i in 1:N){
    z[i,first[i]] ~ dcat(delta[1:2])
    for (j in (first[i]+1):T){
```

```
z[i,j] \sim dcat(gamma[z[i,j-1], 1:2, i])
      y[i,j] ~ dcat(omega[z[i,j], 1:2, j-1])
    }
  }
})
#' Get the occasion of first capture for all individuals.
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
first
#' A list with constants.
my.constants \leftarrow list(N = nrow(y),
                     T = ncol(y),
                     first = first,
                      sex = sex)
my.constants
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
#you will just need to adjust the \Omega mega$ and \Omega matrices in the model above. .
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(beta = rnorm(2,0,1),</pre>
                                   p = runif(my.constants$T-1,0,1),
                                   z = zinits)
initial.values()
#Some information that we now pass as initial value info
#(observations of alive) are actually known states, and could also be passed
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("beta", "phi_male", "phi_female", "p")</pre>
parameters.to.save
#' MCMC details.
n.iter <- 2500
n.burnin <- 1000
n.chains <- 2
#' At last, let's run nimble.
mcmc.phispt <- nimbleMCMC(code = hmm.phispt,</pre>
                          constants = my.constants,
                          data = my.data,
                          inits = initial.values,
                          monitors = parameters.to.save,
                          niter = n.iter,
```

Phi (survival) dependent on sex. P (recapture) dependent on time (time as fixed effect)

```
##### phi(s)p(s*t)-----
hmm.phispst <- nimbleCode({</pre>
  # Initial state prob.
  delta[1] \leftarrow 1 # Pr(alive t = 1) = 1
  delta[2] <- 0
                        \# Pr(dead t = 1) = 0
  #Survival
  for(i in 1:N){
    logit(phi[i])<- beta[sex[i]]</pre>
    #Survival matrix
    gamma[1,1,i] <- phi[i]
                                 # Pr(alive t -> alive t+1)
    gamma[1,2,i] \leftarrow 1 - phi[i] \# Pr(alive t \rightarrow dead t+1)
    gamma[2,1,i] \leftarrow 0 		 # Pr(dead t \rightarrow alive t+1)
    gamma[2,2,i] \leftarrow 1 \# Pr(dead t \rightarrow dead t+1)
  }
  # Priors for b1
  beta[1] \sim dnorm(mean = 0, sd = 1.5)
  beta[2] \sim dnorm(mean = 0, sd = 1.5)
  # ilogit for phi
  phi_male <- ilogit(beta[1])</pre>
  phi_female <- ilogit(beta[2])</pre>
  #Recapture
  for(i in 1:N){
  for(t in 1:(T-1)){
    logit(p[i,t]) <- beta2[sex[i]] + lambda[t] + kappa[sex[i],t]</pre>
    #Recapture matrix
    omega[1,1,i,t] \leftarrow 1 - p[i,t] # Pr(alive\ t \rightarrow non-detected\ t)
    omega[1,2,i,t] <- p[i,t] # Pr(alive t -> detected t)
                                     # Pr(dead t -> non-detected t)
    omega[2,1,i,t] <- 1
    omega[2,2,i,t] <- 0
                                      # Pr(dead \ t \rightarrow detected \ t)
  }
  }
  # Priors for b3 and b4
  beta2[1] \sim dnorm(mean = 0, sd = 1.5)
  beta2[2] \sim dnorm(mean = 0, sd = 1.5)
```

```
# Time fixed effect
  for(t in 1:(T-1)){
    lambda[t] ~ dnorm(0, 1.5)
  # Time as random effect for the interaction
  t.sigma ~ dunif(0, 10)
  for(i in 1:2){
    for(t in 1:(T-1)){
    kappa[i,t] ~ dnorm(0, sd = t.sigma)
    }
  }
  # Recapture probability.
  for(t in 1:(T-1)){
    p_male[t] <- ilogit(beta2[1] + lambda[t] + kappa[1,t])</pre>
   p_female[t] <- ilogit(beta2[2] + lambda[t] + kappa[2,t])</pre>
  ## Likelihood
  for (i in 1:N){
    z[i,first[i]] ~ dcat(delta[1:2])
    for (j in (first[i]+1):T){
      z[i,j] \sim dcat(gamma[z[i,j-1], 1:2, i])
      y[i,j] \sim dcat(omega[z[i,j], 1:2, i, j-1])
 }
})
#' Get the occasion of first capture for all individuals.
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
first
#' A list with constants.
my.constants \leftarrow list(N = nrow(y),
                     T = ncol(y),
                     first = first,
                      sex = sex)
my.constants
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
#you will just need to adjust the $\Omega$ and $\Gamma$ matrices in the model above.
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(beta = rnorm(2,0,1),</pre>
                                   beta2 = rnorm(2,0,1),
                                   lambda = rnorm(6, 0, 1)), #lambda[1] is set to zero.
```

```
t.sigma = runif(1,0,1),
                                   kappa = matrix(rnorm(12, 0, 1), 2, 6),
                                   z = zinits)
initial.values()
#Some information that we now pass as initial value info
#(observations of alive) are actually known states, and could also be passed
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("beta", "lambda", "beta3", "phi_male", "phi_female", "p_male", "p_female")
parameters.to.save
#' MCMC details.
n.iter <- 10000
n.burnin <- 1000
n.chains <- 2
#' At last, let's run nimble.
mcmc.phispst <- nimbleMCMC(code = hmm.phispst,</pre>
                          constants = my.constants,
                          data = my.data,
                          inits = initial.values,
                          monitors = parameters.to.save,
                          niter = n.iter,
                          nburnin = n.burnin,
                          nchains = n.chains)
#' Examine the results.
MCMCsummary(mcmc.phispst, round = 2)
MCMCtrace(mcmc.phispst, params = "p", pdf=F)
```

Phi (survival) dependent on sex. P (recapture) with interaction of sex and time

 $\_$ \_PHI(s\*t) $\_$ \_ ~ survival with interaction of sex and time

```
gamma[2,2,i,t] \leftarrow 1 \# Pr(dead t \rightarrow dead t+1)
  }
  #Recapture
  p \sim dunif(0, 1)
                      # prior recapture
  #Recapture matrix
  omega[1,1] \leftarrow 1 - p
                          # Pr(alive t -> non-detected t)
  omega[1,2] \leftarrow p
                           # Pr(alive t -> detected t)
  omega[2,1] <- 1
                                 # Pr(dead t -> non-detected t)
  omega[2,2] \leftarrow 0
                                 # Pr(dead \ t \rightarrow detected \ t)
  ## Priors for beta
  beta[1] \sim dnorm(mean = 0, sd = 1.5)
  beta[2] \sim dnorm(mean = 0, sd = 1.5)
  #Time fixed effect
  for(t in 1:(T-1)){
    lambda[t] \sim dnorm(mean = 0, sd = 1.5)
  # Time as random for the interaction
  t.sigma ~ dunif(0, 10)
  for(i in 1:2){
    for(t in 1:(T-1)){
      kappa[i,t] ~ dnorm(mean = 0, sd = t.sigma)
    }
  }
  # ilogit for phi
  for (t in 1:(T-1)){
    phi_male[t] <- ilogit(beta[1] + lambda[t] + kappa[1,t])</pre>
    phi_female[t] <- ilogit(beta[2] + lambda[t] + kappa[2,t])</pre>
  }
  # Likelihood
  for (i in 1:N){
    z[i,first[i]] ~ dcat(delta[1:2])
    for (j in (first[i]+1):T){
      z[i,j] \sim dcat(gamma[z[i,j-1], 1:2,i, j-1])
      y[i,j] ~ dcat(omega[z[i,j], 1:2])
    }
  }
})
#' Get the occasion of first capture for all individuals.
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
first
#' A list with constants.
my.constants \leftarrow list(N = nrow(y),
                       T = ncol(y),
                       first = first,
                       sex = sex)
```

```
my.constants
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
#you will just need to adjust the $\Omega$ and $\Gamma$ matrices in the model above.
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(beta = rnorm(2,0,1),</pre>
                                   p = runif(1,0,1),
                                   lambda = rnorm(6, 0, 1),
                                   t.sigma = runif(1,0,1),
                                   kappa = matrix(rnorm(12, 0, 1), 2, 6),
                                   z = zinits)
initial.values()
#Some information that we now pass as initial value info
#(observations of alive) are actually known states, and could also be passed
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("phi_male", "phi_female", "p")</pre>
parameters.to.save
#' MCMC details.
n.iter < -10000
n.burnin <- 1000
n.chains <- 2
#' At last, let's run nimble.
mcmc.hmm.phistps <- nimbleMCMC(code = hmm.phistps,</pre>
                            constants = my.constants,
                            data = my.data,
                            inits = initial.values,
                            monitors = parameters.to.save,
                            niter = n.iter,
                             nburnin = n.burnin,
                            nchains = n.chains)
#' Examine the results.
MCMCsummary(mcmc.hmm.phistps, round = 2)
MCMCtrace(mcmc.hmm.phistps, params = "all", pdf=F)
```

Phi (survival) with interaction of sex and time P (recapture) as constant.

```
##### phi(s*t)p(s)------
hmm.phistps <- nimbleCode({
```

```
#Initial state prob
delta[1] <- 1
                      # Pr(alive t = 1) = 1
delta[2] \leftarrow 0 # Pr(dead \ t = 1) = 0
#Survival
for(i in 1:N){
  for(t in 1:(T-1)){
    logit(phi[i,t]) <- beta[sex[i]] + lambda[t] + kappa[sex[i],t]</pre>
    #Survival matrix
    gamma[1,1,i,t] <- phi[i,t]
                                   # Pr(alive t -> alive t+1)
    gamma[1,2,i,t] \leftarrow 1 - phi[i,t] # Pr(alive t \rightarrow dead t+1)
    gamma[2,1,i,t] <- 0
                                    # Pr(dead \ t \rightarrow alive \ t+1)
    gamma[2,2,i,t] <- 1
                                \#Pr(dead\ t \rightarrow dead\ t+1)
  }
}
#Recapture
for(i in 1:N){
  for(t in 1:(T-1)){
    logit(p[i]) <- beta2[sex[i]]</pre>
    #Recapture matrix
                                    # Pr(alive t -> non-detected t)
    omega[1,1,i] \leftarrow 1 - p[i]
    omega[1,2,i] <- p[i]
                                  # Pr(alive t -> detected t)
    omega[2,1,i] <- 1
                                  # Pr(dead t -> non-detected t)
    omega[2,2,i] \leftarrow 0
                                   \# Pr(dead \ t \rightarrow detected \ t)
 }
## Priors for b1 b2
beta[1] \sim dnorm(mean = 0, sd = 1.5)
beta[2] \sim dnorm(mean = 0, sd = 1.5)
beta2[1] \sim dnorm(mean = 0, sd = 1.5)
beta2[2] \sim dnorm(mean = 0, sd = 1.5)
#Time fixed effect
for(t in 1:(T-1)){
  lambda[t] \sim dnorm(mean = 0, sd = 1.5)
# Time as random for the interaction
t.sigma ~ dunif(0, 10)
for(i in 1:2){
  for(t in 1:(T-1)){
    kappa[i,t] ~ dnorm(mean = 0, sd = t.sigma)
  }
}
# ilogit for phi
for (t in 1:(T-1)){
  phi_male[t] <- ilogit(beta[1]+ lambda[t] + kappa[1,t])</pre>
 phi_female[t] <- ilogit(beta[2] + lambda[t] + kappa[2,t])</pre>
#ilogit for p
p_male <- ilogit(beta2[1])</pre>
```

```
p_female <- ilogit(beta2[2])</pre>
  #Likelihood
  for (i in 1:N){
    z[i,first[i]] ~ dcat(delta[1:2])
    for (j in (first[i]+1):T){
      z[i,j] \sim dcat(gamma[z[i,j-1], 1:2,i, j-1])
      y[i,j] ~ dcat(omega[z[i,j], 1:2, i])
  }
})
#' Get the occasion of first capture for all individuals.
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
first
#' A list with constants.
my.constants \leftarrow list(N = nrow(y),
                      T = ncol(y),
                      first = first,
                      sex = sex)
my.constants
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
#you will just need to adjust the \Omega and \Omega and \Omega matrices in the model above.
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(beta = rnorm(2,0,1),</pre>
                                   beta2 = rnorm(2,0,1),
                                   lambda = rnorm(6, 0, 1),
                                   t.sigma = runif(1,0,1),
                                   kappa = matrix(rnorm(12, 0, 1), 2, 6),
                                   z = zinits)
initial.values()
#Some information that we now pass as initial value info
#(observations of alive) are actually known states, and could also be passed
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("phi_male", "phi_female", "p")</pre>
parameters.to.save
#' MCMC details.
n.iter <- 10000
n.burnin <- 1000
n.chains <- 2
```

Phi (survival) with interaction of sex and time P (recapture) dependent on sex

```
##### phi(s*t)p(t)-----
hmm.phistpt <- nimbleCode({</pre>
  #Initial state prob
  delta[1] <- 1
                           # Pr(alive t = 1) = 1
                         \# Pr(dead \ t = 1) = 0
  delta[2] <- 0
  #Survival
  for(i in 1:N){
    for(t in 1:(T-1)){
       logit(phi[i,t]) <- beta[sex[i]] + lambda[t] + kappa[sex[i],t]</pre>
       #Survival matrix
       gamma[1,1,i,t] <- phi[i,t]
                                         # Pr(alive t -> alive t+1)
       gamma[1,2,i,t] \leftarrow 1 - phi[i,t] # Pr(alive t \rightarrow dead t+1)
      gamma[2,1,i,t] \leftarrow 0 # Pr(dead t \rightarrow alive t+1)

gamma[2,2,i,t] \leftarrow 1 # Pr(dead t \rightarrow dead t+1)
                                      # Pr(dead \ t \rightarrow dead \ t+1)
  }
  #Recapture
    for(t in 1:(T-1)){
     p[t] ~ dunif(0, 1) # prior for p
       #Recapture matrix
       omega[1,1,i] \leftarrow 1 - p[i] # Pr(alive t \rightarrow non-detected t)
      omega[1,2,i] \leftarrow p[i] # Pr(alive\ t \rightarrow detected\ t)
                                     # Pr(dead t -> non-detected t)
      omega[2,1,i] <- 1
      omega[2,2,i] \leftarrow 0
                                       \# Pr(dead \ t \rightarrow detected \ t)
    }
  ## Priors for beta
  beta[1] \sim dnorm(mean = 0, sd = 1.5)
  beta[2] \sim dnorm(mean = 0, sd = 1.5)
  #Time fixed effect
  for(t in 1:(T-1)){
    lambda[t] \sim dnorm(mean = 0, sd = 1.5)
```

```
}
  # Time as random for the interaction
  t.sigma ~ dunif(0, 10)
  for(i in 1:2){
    for(t in 1:(T-1)){
      kappa[i,t] ~ dnorm(mean = 0, sd = t.sigma)
    }
  }
  # ilogit for phi
  for (t in 1:(T-1)){
    phi_male[t] <- ilogit(beta[1]+ lambda[t] + kappa[1,t])</pre>
    phi_female[t] <- ilogit(beta[2] + lambda[t] + kappa[2,t])</pre>
  }
  #Likelihood
  for (i in 1:N){
    z[i,first[i]] ~ dcat(delta[1:2])
    for (j in (first[i]+1):T){
      z[i,j] \sim dcat(gamma[z[i,j-1], 1:2,i, j-1])
      y[i,j] ~ dcat(omega[z[i,j], 1:2, i])
    }
  }
})
#' Get the occasion of first capture for all individuals.
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
first
#' A list with constants.
my.constants \leftarrow list(N = nrow(y),
                     T = ncol(y),
                      first = first,
                      sex = sex)
my.constants
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
#you will just need to adjust the $\Omega$ and $\Gamma$ matrices in the model above.
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(beta = rnorm(2,0,1),</pre>
                                   p = runif(my.constants$T-1, 0, 1),
                                   lambda = rnorm(6, 0, 1),
                                   t.sigma = runif(1,0,1),
                                   kappa = matrix(rnorm(12, 0, 1), 2, 6),
                                   z = zinits)
```

```
initial.values()
#Some information that we now pass as initial value info
#(observations of alive) are actually known states, and could also be passed
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("phi_male", "phi_female", "p")</pre>
parameters.to.save
#' MCMC details.
n.iter <- 10000
n.burnin <- 1000
n.chains <- 2
#' At last, let's run nimble.
mcmc.hmm.phistpt <- nimbleMCMC(code = hmm.phistpt,</pre>
                            constants = my.constants,
                            data = my.data,
                            inits = initial.values,
                            monitors = parameters.to.save,
                            niter = n.iter,
                            nburnin = n.burnin,
                            nchains = n.chains)
#' Examine the results.
MCMCsummary(mcmc.hmm.phistpt, round = 2)
MCMCtrace(mcmc.hmm.phistpt, params = "all", pdf=F)
```

Phi (survival) with interaction of sex and time P (recapture) dependent on time (time as fixed effect)

```
## PHI(s*t) -----
##### phi(s*t)p(s*t)-----
hmm.phistpst <- nimbleCode({</pre>
  #Initial state prob
  #Survival.
  for(i in 1:N){
  for(t in 1:(T-1)){
    logit(phi[i,t]) <- beta[sex[i]] + lambda[t] + kappa[sex[i],t]</pre>
     #Survival matrix
    gamma[1,1,i,t] \leftarrow phi[i,t] # Pr(alive\ t \rightarrow alive\ t+1)
    \operatorname{gamma}[1,2,i,t] \leftarrow 1 - \operatorname{phi}[i,t] \# \operatorname{Pr}(\operatorname{alive} t \rightarrow \operatorname{dead} t + 1)
    gamma[2,1,i,t] \leftarrow 0 # Pr(dead t \rightarrow alive t+1)
    gamma[2,2,i,t] \leftarrow 1 \# Pr(dead t \rightarrow dead t+1)
  }
  }
```

```
#Recapture
  for(i in 1:N){
    for(t in 1:(T-1)){
      logit(p[i,t]) <- beta2[sex[i]] + lambda2[t] + kappa2[sex[i],t]</pre>
      #Recapture matrix
      omega[1,1,i,t] \leftarrow 1 - p[i,t]
                                        # Pr(alive t -> non-detected t)
                                         # Pr(alive t -> detected t)
      omega[1,2,i,t] \leftarrow p[i,t]
      omega[2,1,i,t] <- 1
                                         # Pr(dead t -> non-detected t)
      omega[2,2,i,t] \leftarrow 0
                                         # Pr(dead t -> detected t)
  }
  ## Priors for betas
  beta[1] \sim dnorm(mean = 0, sd = 1.5)
  beta[2] \sim dnorm(mean = 0, sd = 1.5)
  beta2[1] \sim dnorm(mean = 0, sd = 1.5)
  beta2[2] \sim dnorm(mean = 0, sd = 1.5)
  #Time fixed effect
  for(t in 1:(T-1)){
    lambda[t] \sim dnorm(mean = 0, sd = 1.5)
    lambda2[t] \sim dnorm(mean = 0, sd = 1.5)
  }
  # Time as random for the interaction
  t.sigma1 ~ dunif(0, 10)
  t.sigma2 ~ dunif(0, 10)
  for(i in 1:2){
    for(t in 1:(T-1)){
      kappa[i,t] ~ dnorm(mean = 0, sd = t.sigma1)
      kappa2[i,t] ~ dnorm(mean = 0, sd = t.sigma2)
  }
  # ilogit for phi and p
  for (t in 1:(T-1)){
    phi_male[t] <- ilogit(beta[1]+ lambda[t] + kappa[1,t])</pre>
    phi_female[t] <- ilogit(beta[2] + lambda[t] + kappa[2,t])</pre>
    p_male[t] <- ilogit(beta2[1] + lambda2[t] + kappa2[2,t])</pre>
    p_female[t] <- ilogit(beta2[2] + lambda2[t] + kappa2[2,t])</pre>
  # Likelihood
  for (i in 1:N){
    z[i,first[i]] ~ dcat(delta[1:2])
    for (j in (first[i]+1):T){
      z[i,j] \sim dcat(gamma[z[i,j-1], 1:2,i, j-1])
      y[i,j] \sim dcat(omega[z[i,j], 1:2, i, j-1])
    }
  }
})
#' Get the occasion of first capture for all individuals.
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
```

```
first
#' A list with constants.
my.constants \leftarrow list(N = nrow(y),
                     T = ncol(y),
                     first = first,
                     sex = sex)
my.constants
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
#you will just need to adjust the $\Omega$ and $\Gamma$ matrices in the model above.
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(beta = rnorm(2,0,1),</pre>
                                   beta2 = rnorm(2,0,1),
                                   lambda = rnorm(6, 0, 1),
                                   lambda2 = rnorm(6, 0, 1),
                                   t.sigma1 = runif(1,0,1),
                                   t.sigma2 = runif(1,0,1),
                                   kappa = matrix(rnorm(12, 0, 1), 2, 6),
                                   kappa2 = matrix(rnorm(12, 0, 1), 2, 6),
                                   z = zinits)
initial.values()
#Some information that we now pass as initial value info
#(observations of alive) are actually known states, and could also be passed
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("phi_male", "phi_female", "p_male", "p_female")</pre>
parameters.to.save
#' MCMC details.
n.iter <- 10000
n.burnin <- 1000
n.chains <- 2
#' At last, let's run nimble.
mcmc.phistpst <- nimbleMCMC(code = hmm.phistpst,</pre>
                            constants = my.constants,
                            data = my.data,
                            inits = initial.values,
                           monitors = parameters.to.save,
                           niter = n.iter,
                            nburnin = n.burnin,
                            nchains = n.chains)
```

```
#' Examine the results.
MCMCsummary(mcmc.phistpst, round = 2)
MCMCtrace(mcmc.phistpst, params = "all", pdf=F)
### PHI(t+s) P(t+s)
#### Example for additive effect of time and sex (no interaction) for both phi (survival) and p (recapture
## PHI(s+t) -----
##### phi(s+t)p(s+t)-----
hmm.phistpst <- nimbleCode({</pre>
  #Initial state prob
  delta[1] <- 1
                           # Pr(alive t = 1) = 1
  delta[2] <- 0
                           \# Pr(dead \ t = 1) = 0
  #Survival
  for(i in 1:N){
    for(t in 1:(T-1)){
      logit(phi[i,t]) <- beta[sex[i]] + lambda[t]</pre>
       #Survival matrix
       gamma[1,1,i,t] \leftarrow phi[i,t] \qquad \# Pr(alive t \rightarrow alive t+1)
      \mathtt{gamma[1,2,i,t]} \leftarrow \mathtt{1-phi[i,t]} \ \# \ \textit{Pr(alive $t$ $->$ $ $dead$ $t+1)$}
                                # Pr(dead t \rightarrow alive t+1)
      gamma[2,1,i,t] \leftarrow 0
      gamma[2,2,i,t] <- 1
                                        \# Pr(dead \ t \rightarrow dead \ t+1)
    }
  }
  #Recapture
  for(i in 1:N){
    for(t in 1:(T-1)){
      logit(p[i,t]) \leftarrow beta2[sex[i]] + lambda2[t]
       #Recapture matrix
       omega[1,1,i,t] \leftarrow 1 - p[i,t] # Pr(alive\ t \rightarrow non-detected\ t)
      omega[1,2,i,t] \leftarrow p[i,t] \qquad \qquad \textit{\# Pr(alive $t$ $->$ $detected $t$)}
      omega[2,1,i,t] <- 1
                                         # Pr(dead \ t \rightarrow non-detected \ t)
      omega[2,2,i,t] \leftarrow 0
                                          # Pr(dead \ t \rightarrow detected \ t)
  }
}
    ## Priors for b1 b2
    beta[1] \sim dnorm(mean = 0, sd = 1.5)
    beta[2] \sim dnorm(mean = 0, sd = 1.5)
    beta2[1] \sim dnorm(mean = 0, sd = 1.5)
    beta2[2] \sim dnorm(mean = 0, sd = 1.5)
    #Time fixed effect
    for (t in 1:(T-1)){
     lambda[t] \sim dnorm(mean = 0, sd = 1.5)
     lambda2[t] \sim dnorm(mean = 0, sd = 1.5)
   }
    #ilogit for phi and p
  for(t in 1:(T-1)){
    phi_male[t] <- ilogit(beta[1]+ lambda[t])</pre>
```

```
phi_female[t] <- ilogit(beta[2] + lambda[t])</pre>
       p_male[t] <- ilogit(beta2[1] + lambda2[t])</pre>
        p_female[t] <- ilogit(beta2[2] + lambda2[t])</pre>
    #Likelihood
       for (i in 1:N){
        z[i,first[i]] ~ dcat(delta[1:2])
        for (j in (first[i]+1):T){
            z[i,j] \sim dcat(gamma[z[i,j-1], 1:2, i, j-1])
            y[i,j] \sim dcat(omega[z[i,j], 1:2, i, j-1])
        }
    }
})
#' Get the occasion of first capture for all individuals.
first <- apply(y, 1, function(x) min(which(x !=0)))</pre>
first
#' A list with constants.
my.constants \leftarrow list(N = nrow(y),
                                           T = ncol(y),
                                           first = first,
                                           sex = sex)
my.constants
#Now the data in a list. Note that we add 1 to the data to have 1 for
#non-detections and 2 for detections. You may use the coding you prefer of course,
#you will just need to adjust the \Omega0mega ad G0mma ad G0mma ad G0mma ad G1mma ad G2mma ad G3mma ad G3mma
my.data \leftarrow list(y = y + 1)
#Specify initial values. For the latent states, we go for the easy way,
#and say that all individuals are alive through the study period.
zinits <- y + 1 # non-detection -> alive
zinits[zinits == 2] <- 1 # dead -> alive
initial.values <- function() list(beta = rnorm(2,0,1),</pre>
                                                                       beta2 = rnorm(2,0,1),
                                                                       lambda = rnorm(6,0,1),
                                                                       lambda2 = rnorm(6,0,1),
                                                                       z = zinits)
initial.values()
#Some information that we now pass as initial value info
#(observations of alive) are actually known states, and could also be passed
#as data in which case the initial values have to be 0.
#Specify the parameters we wish to monitor.
parameters.to.save <- c("phi_male", "phi_female", "p_male", "p_female")</pre>
parameters.to.save
#' MCMC details.
n.iter <- 10000
```

Phi (survival) with interaction of sex and time P (recapture) with interaction of sex and time.

## Reference and acknowledgements

- We would like to thank Oliver Gimenez for giving us total permission to share this code.
- de Valpine P, Turek D, Paciorek C, Anderson-Bergman C, Temple Lang D, Bodik R (2017). Programming with models: writing statistical algorithms for general model structures with NIMBLE. Journal of Computational and Graphical Statistics, 26, 403-413. doi: 10.1080/10618600.2016.1172487