

Binary Search Tree Interview Question Practice

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The Assignment

Create a Binary Search Tree, then add the following features:

- Delete a node from a BST:
 - Write a function to delete a given node from a BST while maintaining its BST properties.
- Find the in-order successor of a given node in a BST:
 - Write a function to find the in-order successor of a given node in a BST. The in-order successor is the node with the next higher key value in the in-order traversal of the BST.
- Convert a sorted array into a balanced BST
 - Given a sorted array, write a function to convert it into a height-balanced BST.
- Rotate left and rotate right:
 - Give a node, write a function that can either rotate it right or left.

Helper Functions

- The first function simply returns true or false if the given value is in the tree (or sub tree if not starting at the root node).
- The second function returns the minimum value node in a tree (or sub tree) starting at the given node.
- The third function updates the current node's height using its children's height.

```
def contains(self, value):  
    if self.value == value: return True  
    if value < self.value and self.left:  
        return self.left.contains(value)  
    if value > self.value and self.right:  
        return self.right.contains(value)  
    return False
```

```
def minValueNode(self, node):  
    current = node  
    while current.left is not None:  
        current = current.left  
    return current
```

```
def update_height(self):  
    self.height = 0  
    left_height = self.left.height if self.left else 0  
    right_height = self.right.height if self.right else 0  
    self.height = 1 + max(left_height, right_height)
```

Deleting a node

- When a value is being deleted, the tree calls a recursive delete function on the root node (on the next slide).
- This recursive function slides down the tree until the requested value is found, then the node is deleted.

```
def delete(self, key):  
    if type(key) not in [int, float]: raise  
        Exception("invalid input data type")  
    if self.root and self.contains(key):  
        self.root = self.root.delete(self.root, key)  
        self.count -= 1
```

Deleting a node cont.

- If the node being deleted has only one child, its child is simply remapped to the node's parent.
- If the node has two children, then the inorder successor of node's sub tree takes its place.
- The rest of the tree after this successor is shifted upwards following the same principles as the delete function.

```
def delete(self, next, key):  
    if next is None:  
        return next  
  
    if key < next.value:  
        next.left = self.delete(next.left, key)  
    elif key > next.value:  
        next.right = self.delete(next.right, key)  
    else:  
        if next.left is None:  
            temp = next.right  
            next = None  
            return temp  
        elif next.right is None:  
            temp = next.left  
            next = None  
            return temp  
  
        temp = self.minValueNode(next.right)  
        next.value = temp.value  
        next.right = self.delete(next.right, temp.value)  
    next.balance_tree()  
    return next
```

Inorder Successor

- The function slides down the tree until the given value is found.
 - If the value is not in the tree, then the successor is None.
- Once the node is found, the BST calls the `inOrderSuccessor` function on that node.
 - If the node does not have children, then it starts at the tree's root.

```
def inorderSuccessor(self, key):  
    if type(key) not in [int, float]: raise  
        Exception("invalid input data type")  
    node = self.root  
    while node is not None and node.value != key:  
        if key < node.value:  
            node = node.left  
        else:  
            node = node.right  
    successor = None  
    if node is None:  
        return None  
    if node.right is None and node.left is None:  
        successor = node.inorderSuccessor(key, self.root)  
    else: successor = node.inorderSuccessor(key)  
    return successor.value if successor is not None else  
None
```

Inorder Successor cont.

- When `inOrderSuccessor` is called on a node, it checks if there are any nodes to the right.
 - If there are, the successor is the minimum value node in that sub tree.
- Otherwise, it searches for a successor on the left sub tree.

```
def inorderSuccessor(self, key, root=None):
    if self.right is not None:
        return self.minValueNode(self.right)
    successor = None
    start = self
    if root: start = root
    while start is not None:
        if key < start.value:
            successor = start
            start = start.left
        elif key > start.value:
            start = start.right
        else:
            break
    return successor
```

Importing Data

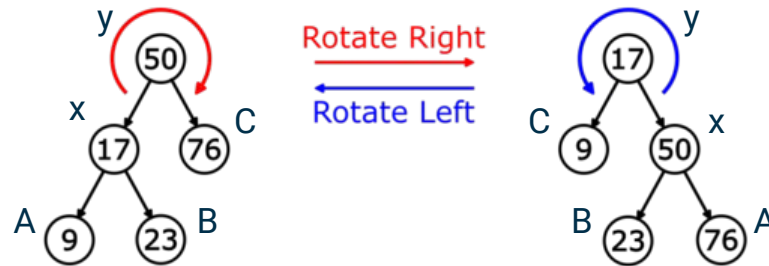
- In the constructor of the BST, there is an argument to include a list or tuple of items to add to the tree.
 - It iterates through the given data and adds each item to the tree.
- Similarly, in the tree's add function, it checks if the given value is a list or tuple. If so, it iterates through and adds each to the tree.
- Through this implementation, it does not matter if the input data is sorted.

```
def __init__(self, data=None):
    self.root = None
    self.count = 0
    self.min = 0
    self.max = 0
    if data:
        if type(data) in [list, tuple]:
            for value in data:
                self.add(value)
        else: raise Exception("invalid input data type")
```

```
def add(self, value):
    if type(value) in [list, tuple]:
        for item in value:
            self.add(item)
    ...
```


Rotating Nodes

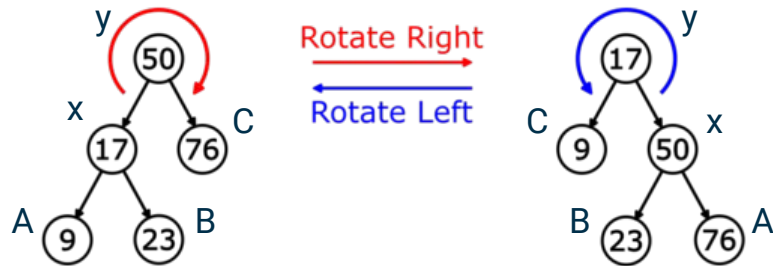
- Capital letters represent subtrees, while lowercase letters represent values.
- In a right rotation, the current node's value is replaced with the value to the left. Then, a new node for the old value is added to the right.
- The sub trees are placed back in order:
 - A: right of the new node
 - B: left of the new node
 - C: left of the new root node



```
def rotate_right(self):  
    if self.left:  
        x = self.left.value  
        y = self.value  
        A = self.left.left  
        B = self.left.right  
        C = self.right  
  
        self.value = x  
        self.right = Node(y)  
        self.left = A  
        self.right.left = B  
        self.right.right = C  
        self.right.update_height()  
        self.update_height()  
    else: raise Exception("invalid rotation")
```

Rotating Nodes

- Rotations in BSTs are symmetric.
- This means that to rotate left, the code is the same except every direction is swapped.



```
def rotate_left(self):  
    if self.right:  
        x = self.right.value  
        y = self.value  
        A = self.right.right  
        B = self.right.left  
        C = self.left  
  
        self.value = x  
        self.left = Node(y)  
        self.right = A  
        self.left.right = B  
        self.left.left = C  
        self.left.update_height()  
        self.update_height()  
    else: raise Exception("invalid rotation")
```

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