SANTANDER CUSTOMER TRANSACTION PREDICTION

TO EVALUATE DIFFERENT MODELS FOR BINARY-CLASSIFICATION

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PROBLEM STATEMENT

- To predict future customer transactions using Santander bank's transaction data.
- To build ML models that tackle binary-classification problem.
- To explore new family of Neural networks(Neural ODE) and to evaluate the results.

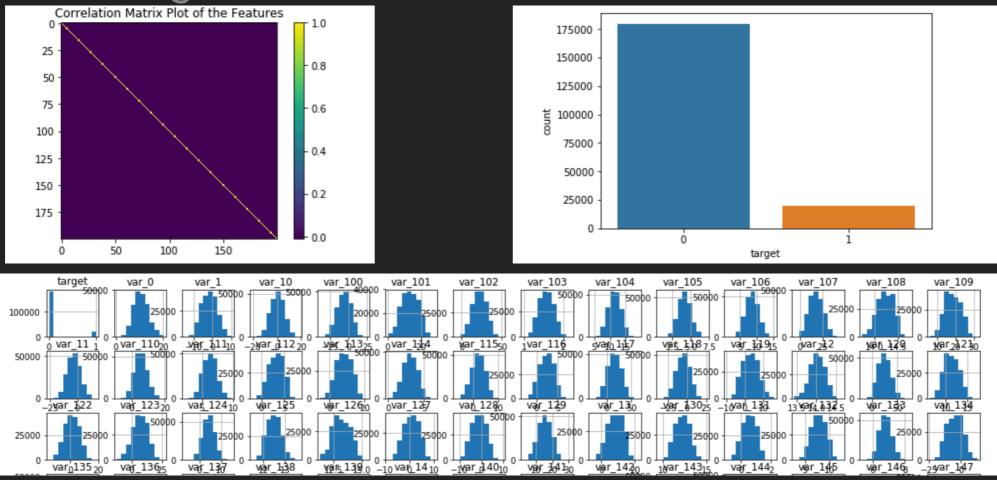
DATASET

- Anonymized real world customer data from Santander bank
- Training data available in CSV format.
- Training data consists of 200K+ observations and 202 features.

EXPLORATORY DATA ANALYSIS

- Available data is pre-processed Features are normally distributed
- Absence of correlation between the features.

Imbalanced target class



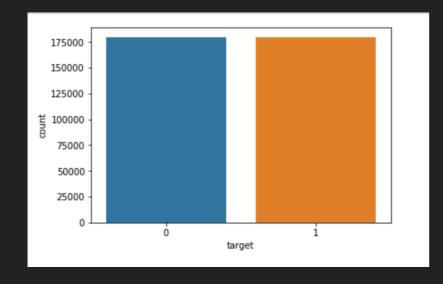
IMPLEMENTATION METHODOLOGY: DATA PRE-PROCESSING

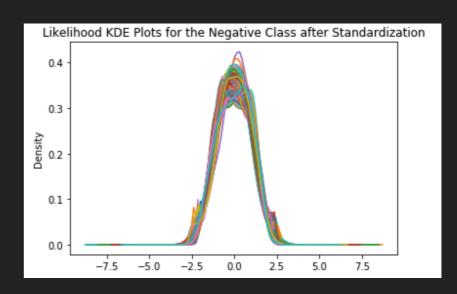
- Handling imbalanced data using SMOTE.
- Scaled features.

```
Before OverSampling, counts of label '1': 20098
Before OverSampling, counts of label '0': 179902

After OverSampling, the shape of train_X: (359804, 200)
After OverSampling, the shape of train_y: (359804,)

After OverSampling, counts of label '1': 179902
After OverSampling, counts of label '0': 179902
```





MODEL DEVELOPMENT

▶ Base line models

- ▶ Logistic Regression initial score of 0.630
- ▶ EDA pointed towards Gaussian Naive Bayes initial score of 0.887

Neural Networks

Feedforward Neural Network - Best of 0.725

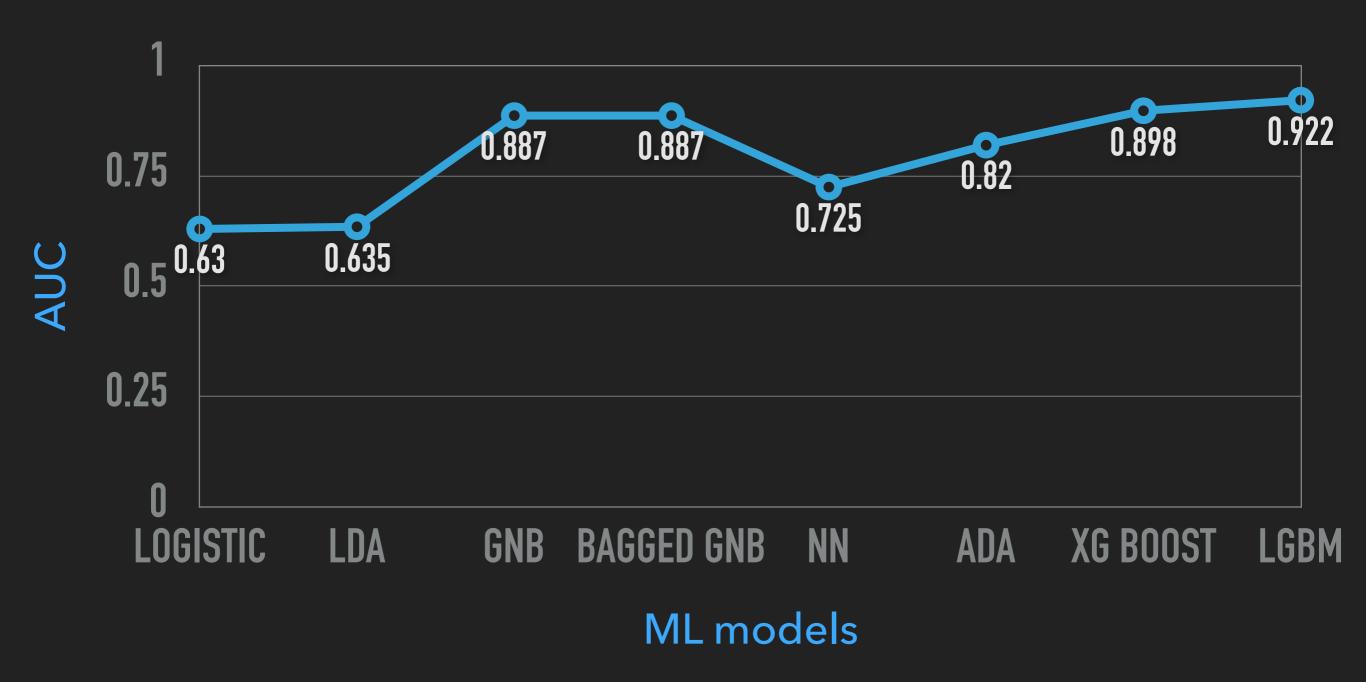
Ensemble methods

Gaussian Naive Bayes - - Best of 0.888

Boosting Methods

XGBoost, LGBM - Best of 0.922 AUC

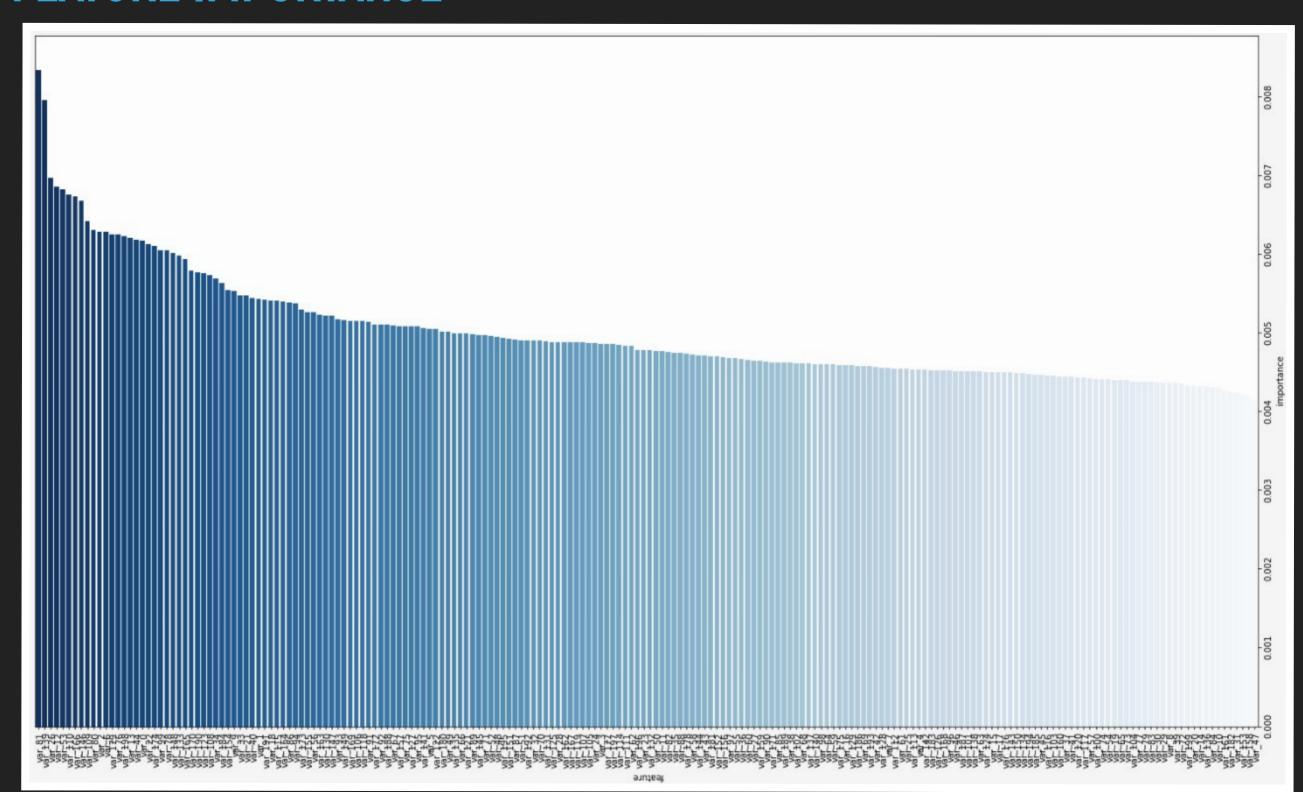
AUC REPORT



MODEL DEVELOPMENT

- ▶ Feed forward Neural Networks
 - ▶ ReLU activation
 - ▶ Learning rate = 1e-4
 - ▶ Iterations = 1000
 - ► Hidden layers = 3(x 13 neurons each)
- Boosting Methods
 - XGBoost
 - ▶ Learning rate = 0.01
 - ▶ Max depth = 2
 - ▶ Learning objective = binary logistic
 - **LGBM**
 - ▶ Boosting type = Gauss
 - ▶ Learning rate = 0.05
 - ► Max depth = 5
- Parameter tuning using Grid search

FEATURE IMPORTANCE



KAGGLE SUBMISSIONS AND SCORE EVALUATIONS

20 submissions for deepanshu_parihar		Sort by	Most recent ▼
All Successful Selected			
Submission and Description	Private Score	Public Score	Use for Final Score
NN3_balanced.csv 4 hours ago by deepanshu_parihar Neural Network on balanced data	0.72067	0.72514	
submission.csv 4 hours ago by deepanshu_parihar LightGBM model using gradient boosted decision tree	0.92089	0.92244	
submission_goss.csv 16 hours ago by deepanshu_parihar add submission details	0.92011	0.92195	
submission_dart.csv 17 hours ago by deepanshu_parihar add submission details	0.92028	0.92196	
submission.csv 18 hours ago by deepanshu_parihar add submission details	0.92089	0.92244	
LGBMt.csv 20 hours ago by deepanshu_parihar add submission details	0.60421	0.60453	

Overview Data Kernels Discussion	on Leaderboard	Rules	Team		My Submissions	Late Submission
Submission and Description				Private Score	Public Score	Use for Final Score
ensemble_xgboost_3.csv 2 days ago by Ajeya Kempegowda With upsampled data				0.79830	0.79677	
ensemble_xgboost_2.csv 2 days ago by Ajeya Kempegowda Tuned params				0.89681	0.89881	
ensemble_xgboost.csv 3 days ago by Ajeya Kempegowda XGB - Learning rate tweak				0.87246	0.87528	
ensemble_xgb.csv 3 days ago by Ajeya Kempegowda Base line XGB				0.36061	0.35522	
ensemble_ada.csv 3 days ago by Ajeya Kempegowda Ensemble Boosting Classifier				0.82617	0.82939	
adaboost.csv 3 days ago by Ajeya Kempegowda ADA boost baseline				0.57835	0.58189	
ensemble_gnb.csv 11 days ago by Ajeya Kempegowda Ensemble model using GNB - test				0.68386	0.68358	
ensemble_gnb.csv 11 days ago by Ajeya Kempegowda Ensemble model using GNB				0.88763	0.88848	
qda1.csv 25 days ago by Ajeya Kempegowda				0.51428	0.51498	

NEURAL ODE - INTRODUCTION

- Parameterizes the derivative of hidden state layers.
- Provides a continuous depth model.
- Properties we understood
 - Memory efficiency: Constant memory cost wrt depth
 - Adaptive computation: Adapt error levels for accuracy
 - Continuous time series model: For time series model (unlike RNN's)

NEURAL ODE - IMPLEMENTATION

- 'odeint' interface to solve the initial value problem(ODE+initial state)
- odeint(ODE solver) tries to find the trajectory satisfying the ODE that passes through the initial conditions.
- ODE solver can be tweaked to acquire fixed steps(Euler) or to adaptive(Runge Kutta)
- Back-propagation is done using 'ode_adjoint' that solves adjoint ODE in O(1)
 space complexity.

